

# *Cascade reconstruction in KM3NeT (& Antares)*

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all plots are MC-only  
and “preliminary”

# Motivation

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- As detectors become larger → cascade/track ratio grows
- All cascades look the same (contrary to muons)  
→ potential to have very clean signal and 100% efficiency.
- Potential for very good energy resolution → line searches
- Physics backgrounds (atm. nu) are low → can use in point source searches despite worse angular resolution.
- Step-up to nu-tau detection
- When we have a source, lot's of physics is the flavour ratios

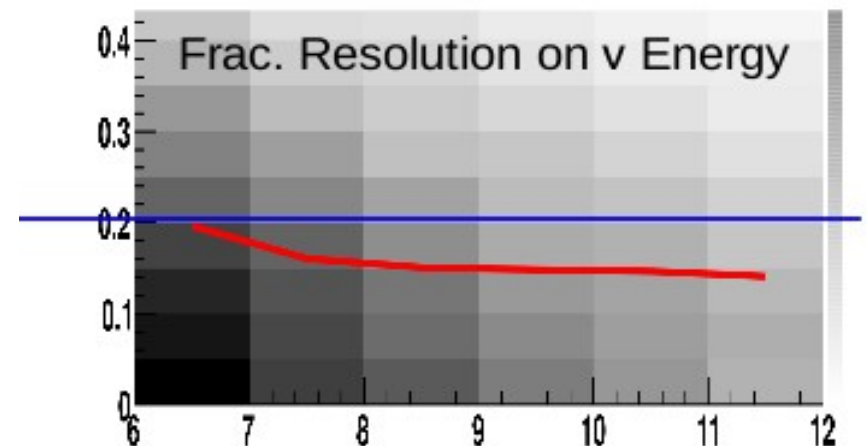
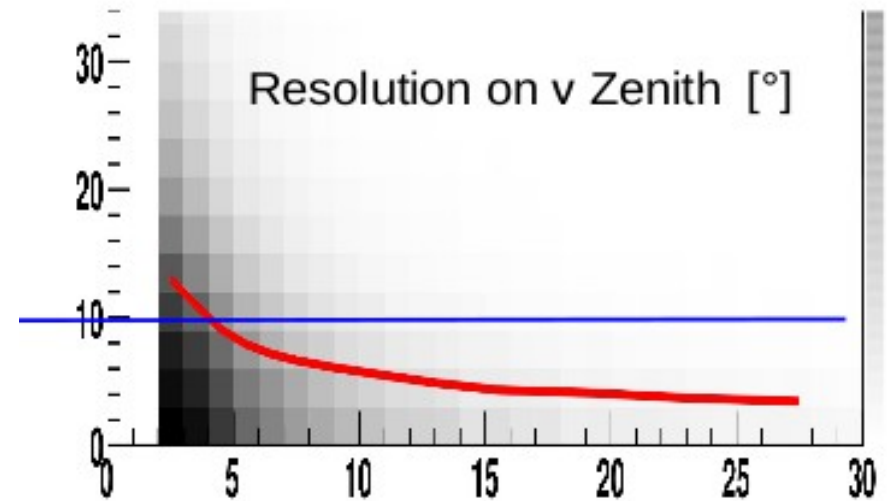
# Disclaimer

This talk is about method high energy cascades that are currently used in KM3NeT.

Will not talk about:

- Very promising results for ORCA (J Hofestaedt talk this morning)
- Other algorithms that are under development in ANTARES.

## ORCA



# In KM3NeT

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three algorithms:

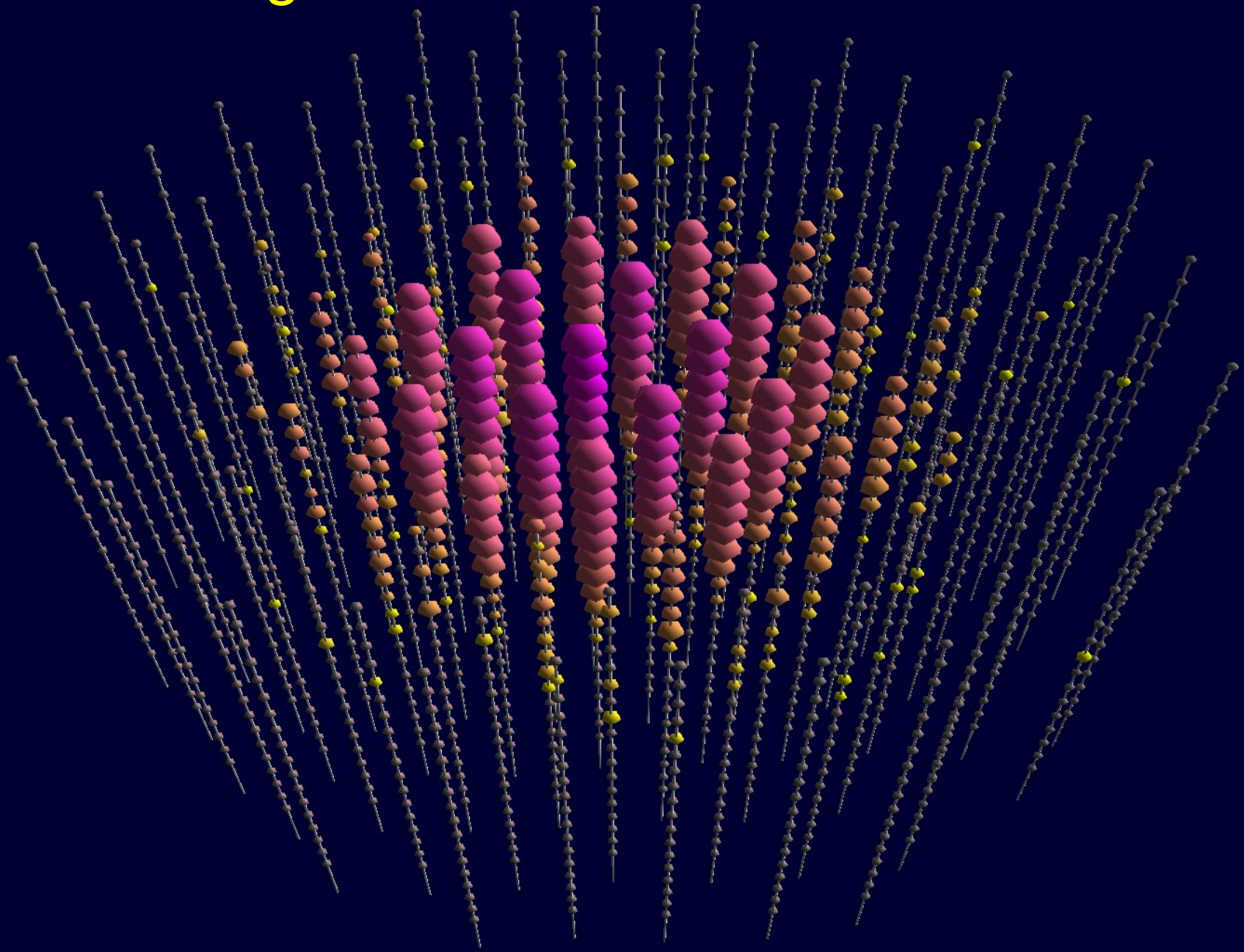
name	trajectory	vertex fit	direction fit
Algorithm 1 (Q-strat):	Antares $\rightarrow$ KM3NeT	x	
Algorithm 2 (Dusj) :	Antares $\rightarrow$ KM3NeT	x	x
Algorithm 3 (aashowerfit):	KM3NeT $\rightarrow$ Antares	x	x

1 & 2 have been used for phase 1.5 sensitivity studies

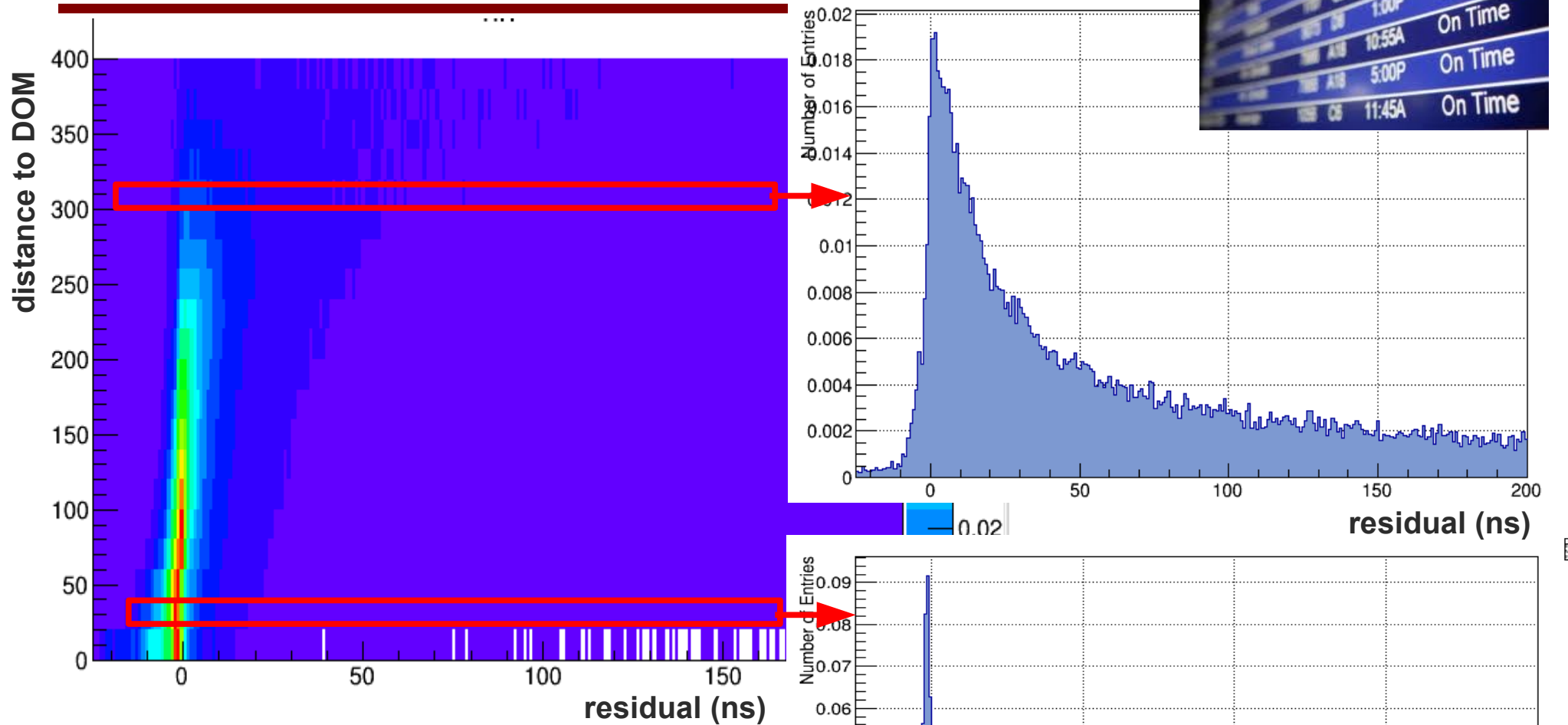
2 has been used in antares for latest diffuse flux search (previous talk)

3 is recent development with good prospects

# Cascade signature in water



# Cascade signature in water: time

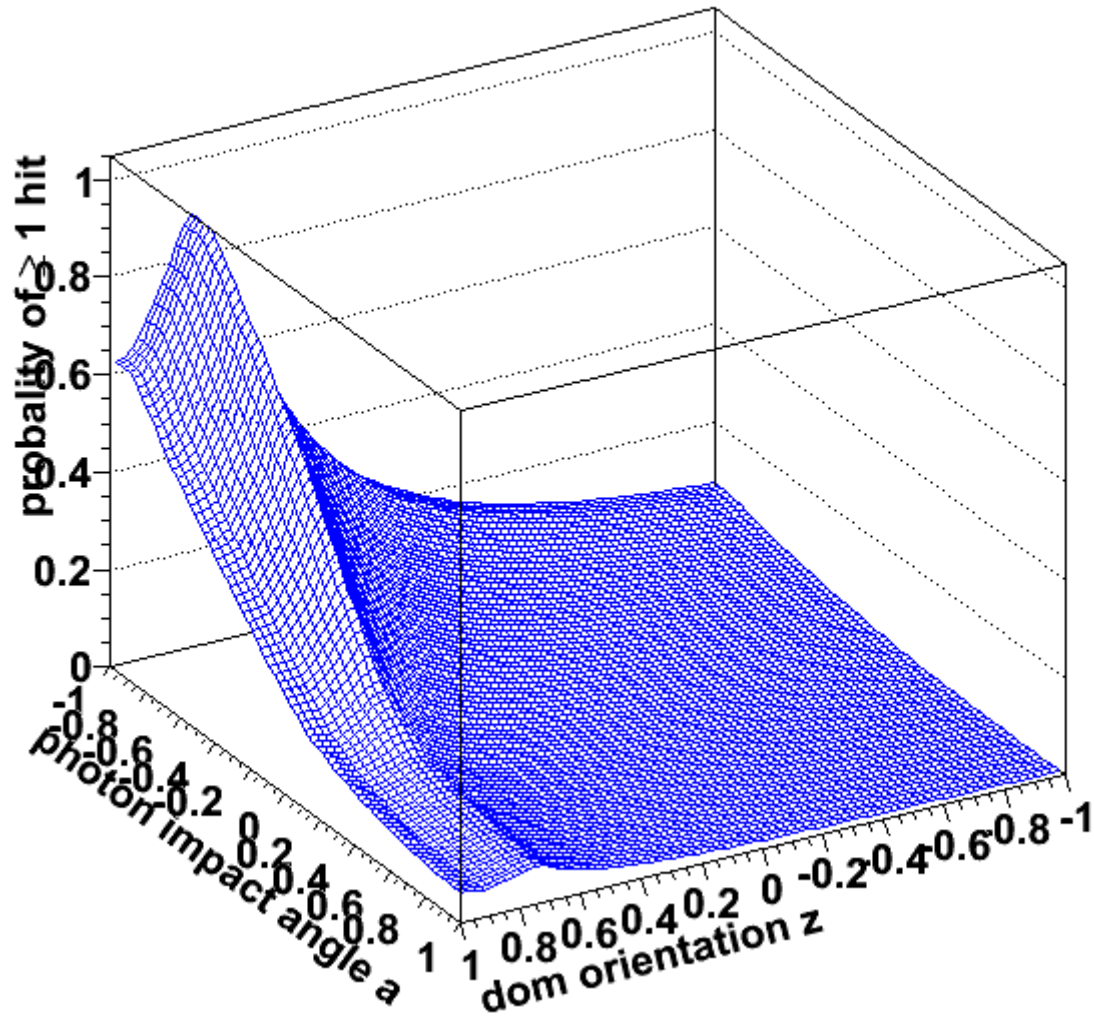


- spherically expanding shell of light
- allows accurate vertex resolution



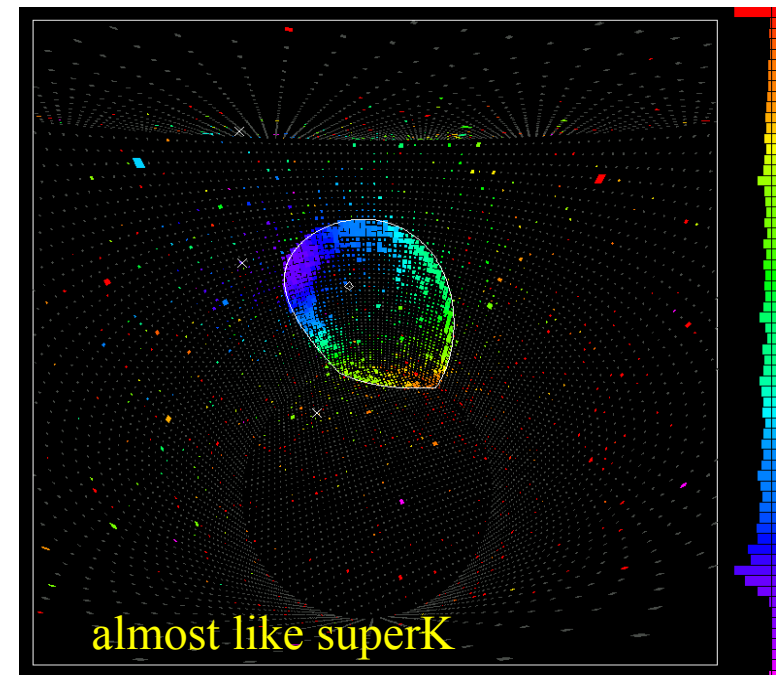
# Cascade signature in water: intensity

PDF for  $E = 1$  PeV at  $r = 250$  m



need to measure the light amplitude (ToT)

- Light is beamed in the Cherenkov direction.
- Pattern remains at large distances from the shower.
- energy independent!



# Algorithm 1

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## 1. Pre-hit selection

- Minimal hit selection (triggered hits)

## 2. Vertex reconstruction – prefit; mean light direction

- Vertex prefit → mean-space-time of hits
- LightDirection → average of the versor from the first hit to the following

## 3. Post-hit selection:

- Coincident hits on DOMs && Largest hit among the coincidences && causal connection + residuals window wrt the prefitted vertex

## 4. Vertex reconstruction – final fit:

- M estimator with selected hits, using the prefit as starting point for minimization

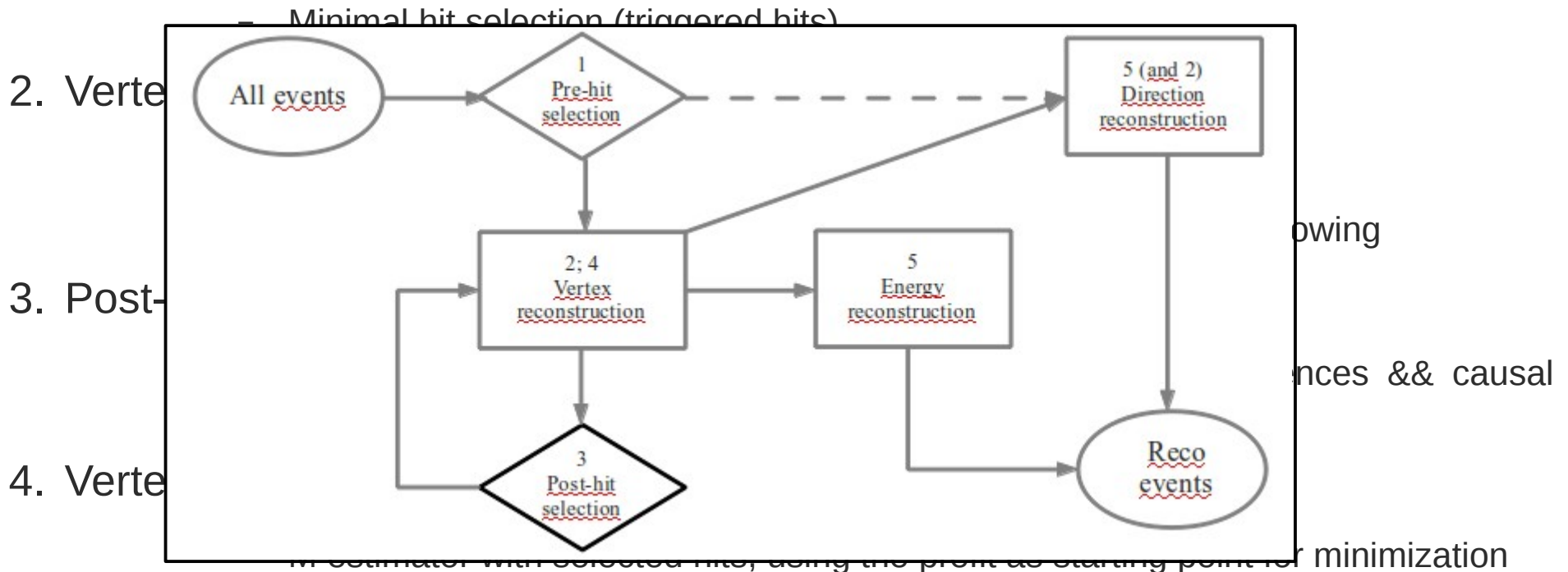
## 5. Shower light direction; energy estimation:

- ShowerLightDirection → as LightDirection but wrt the fitted shower with sel. hits
- Energy estimation → Total ToT of sel. hits rescaled to the distance from the fitted vertex



# Algorithm 1

## 1. Pre-hit selection

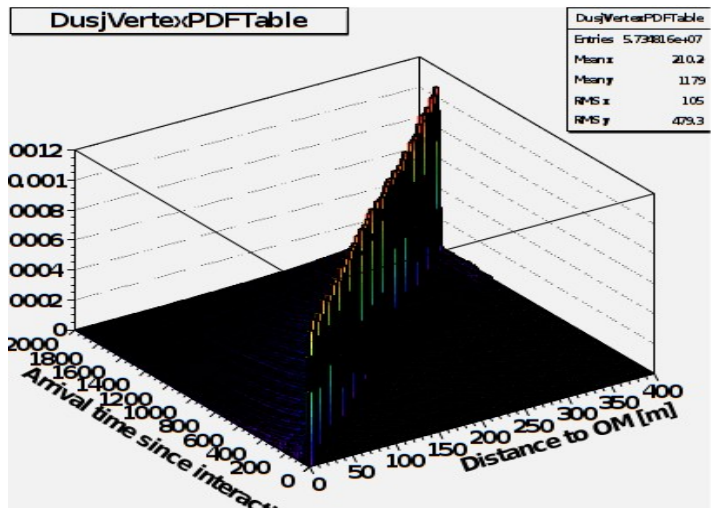
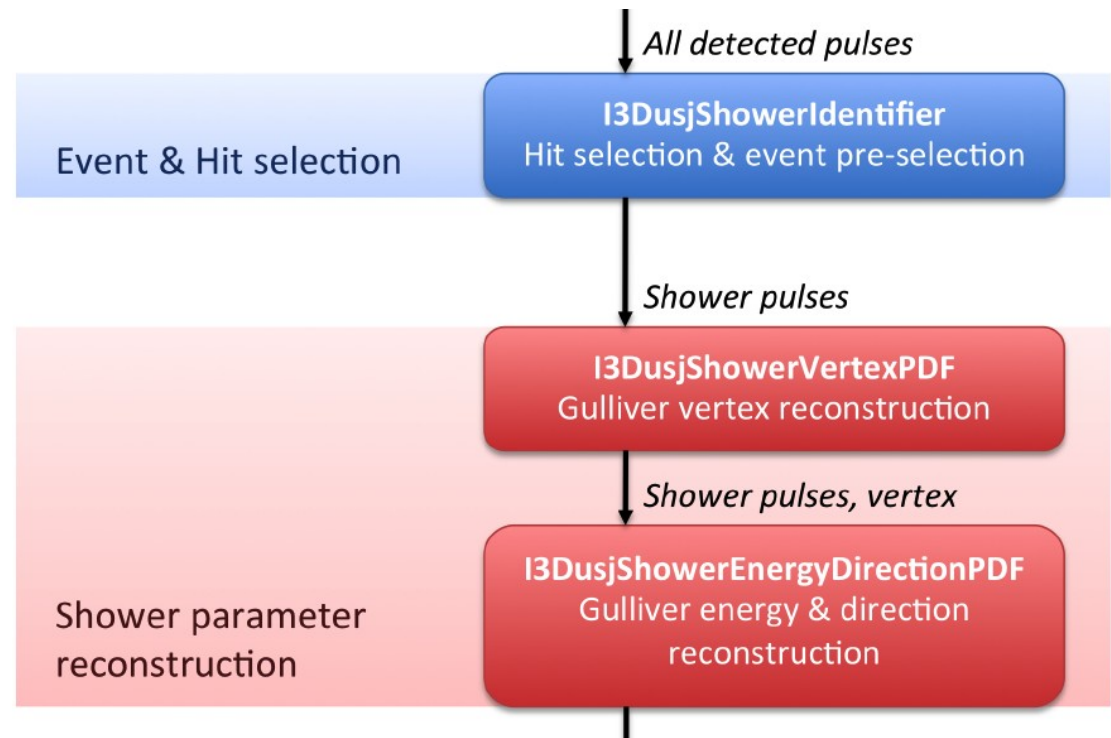


## 5. Shower light direction; energy estimation:

- ShowerLightDirection → as LightDirection but wrt the fitted shower with sel. hits
- Energy estimation → Total ToT of sel. hits rescaled to the distance from the fitted vertex

# Algorithm 2 overview

- Used for mature Antares analysis
- Adapted to KM3NeT
- Likelihood Method
  - PDF from monte carlo
- Independent reco for
  - Vertex
  - Energy/Reconstruction

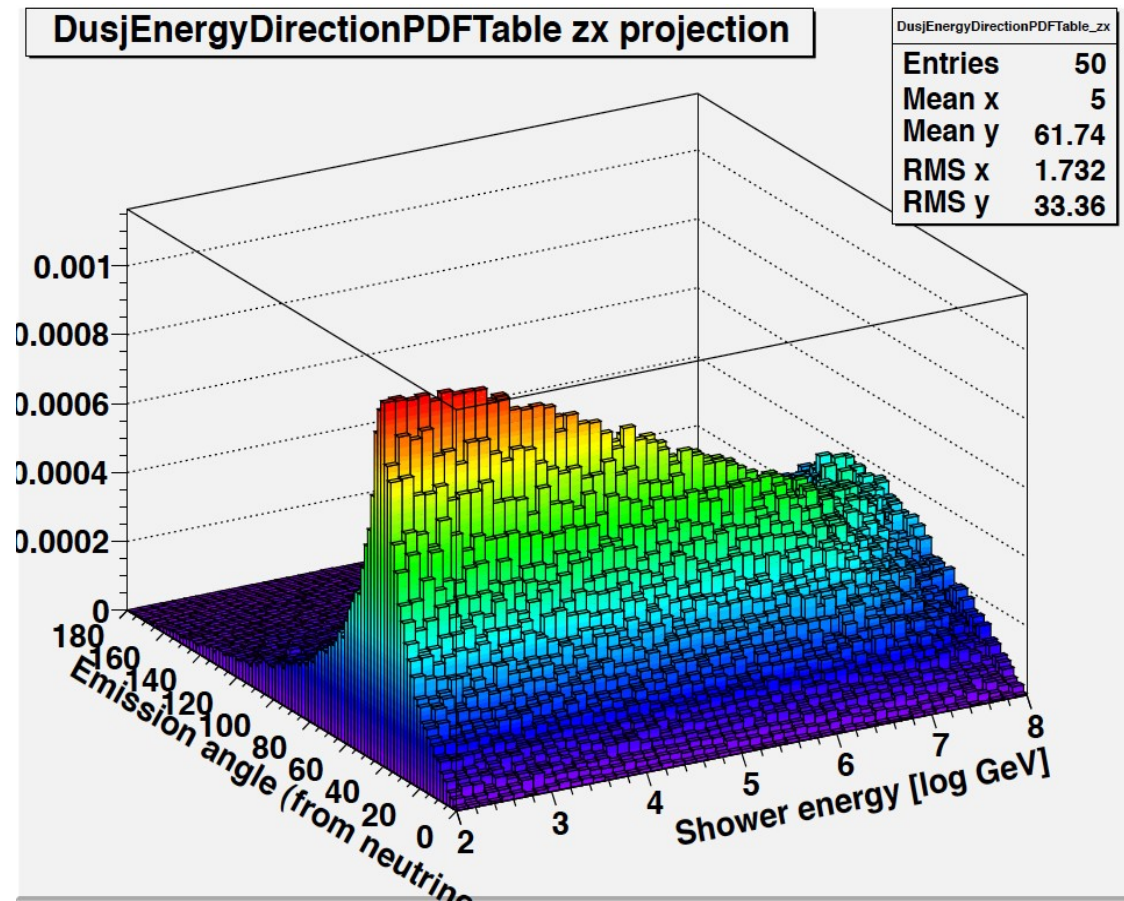


# Algorithm 2: Direction and energy reconstruction

- PDF with 3 variables
  - shower energy
  - emission angle
  - 'vertex charge'

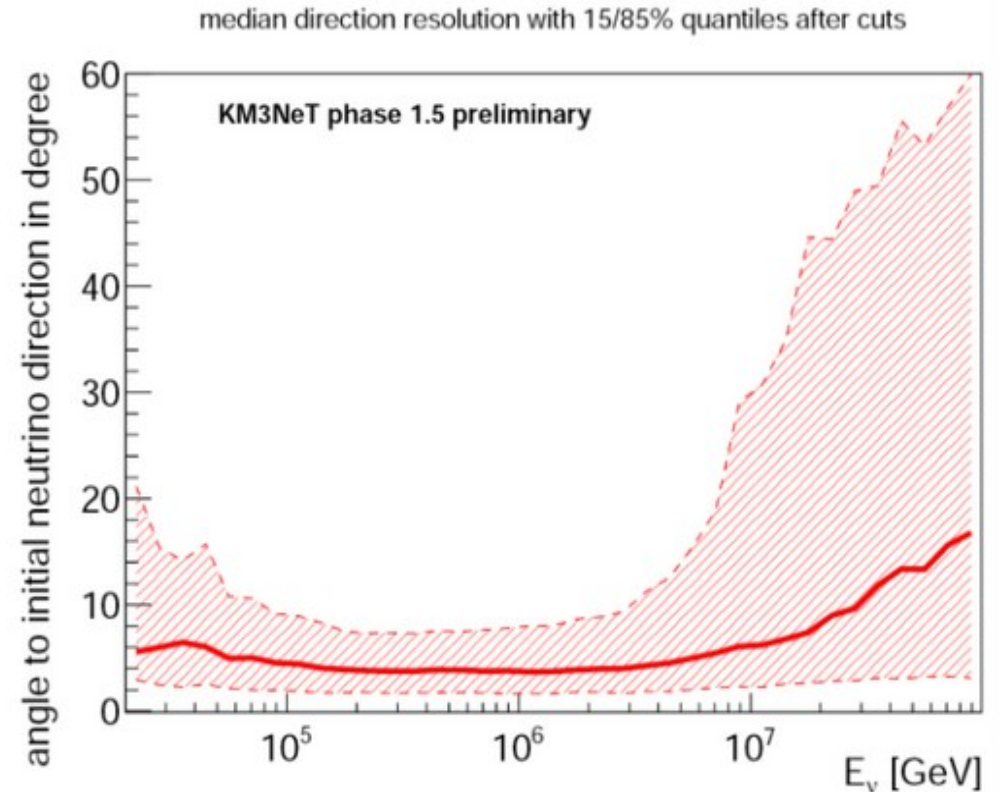
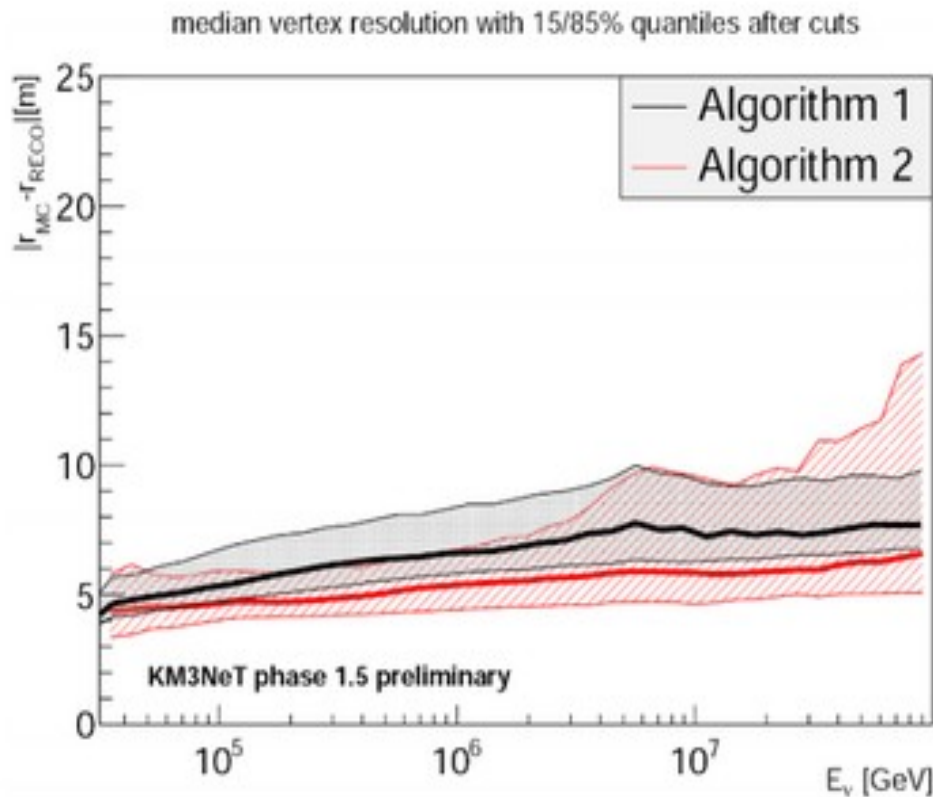
vertex charge: number of photons that should have been emitted from shower to produce observed ToT.

- cherenkov angle visible in PDF slice.
- saturation at high energies



# Algorithms 1 & 2: position and direction reconstruction

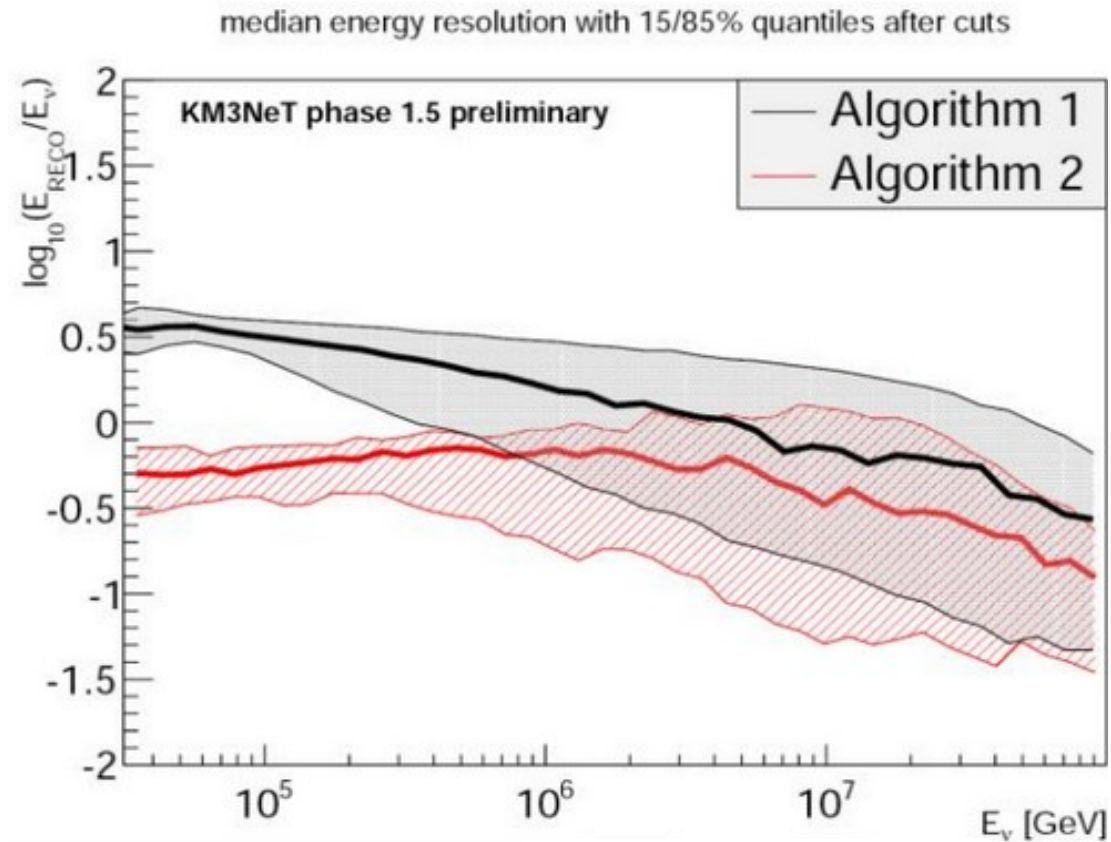
after analysis cuts (BDT, energy) – see Luigi's talk



- distance to neutrino vertex (not the full story – see later)
- comparable resolutions for both

- Algorithm 2: around 4 degree resolution

# Algorithms 1 & 2: energy reconstruction



- good enough for cutting on, but
- severely biased and increasing resolution → can do better

# Algorithms 1 & 2: energy reconstruction



- good enough
- severely biased and increasing resolution  $\rightarrow$  can do better

# algorithm 3

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same idea again:

- hit selection (resembles “bb-fit”)
- vertex fit (m-estimator) using hit times
- direction reconstruction with likelihood for light intensity.
  - start at 12 different directions to increase chance to find global minimum



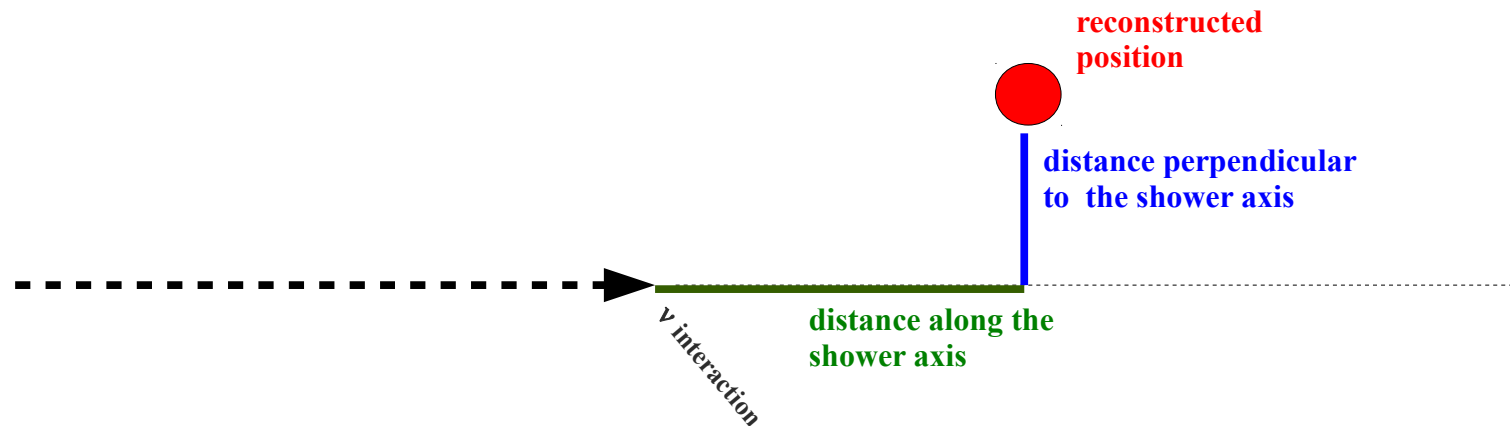
we are reinventing the wheel (and learning in the process).

# position fit

- shower is extended (several m), but photons look very much like they are emitted from a single point at the same time.
- shower position and time fitted by M-estimate of the hit residuals

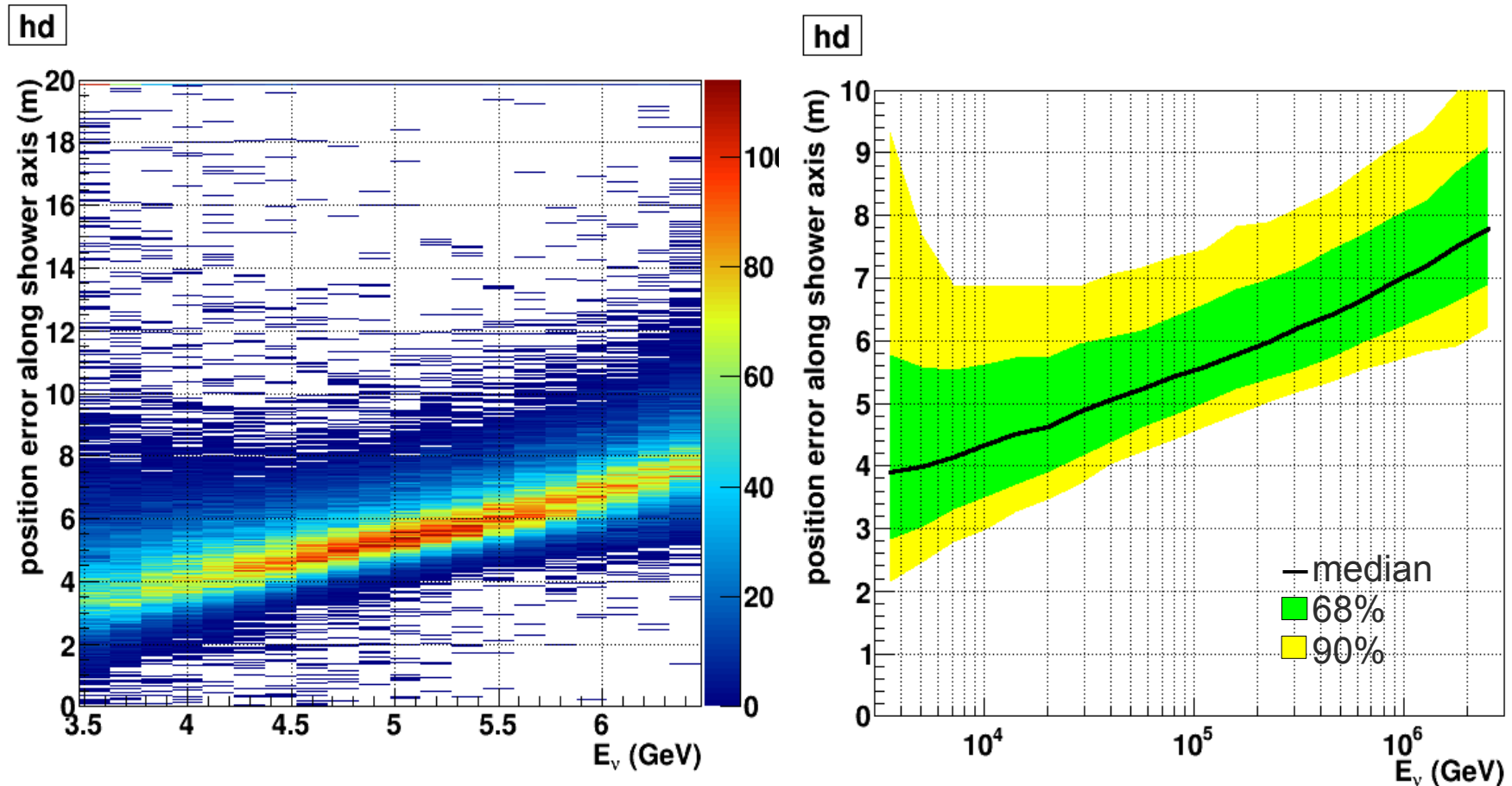
$$\text{residual } r = \text{hit.t} - | \text{hit.pos} - \text{shower.pos} | / v + \text{shower.t}$$

$$M = \sum_{\text{hits}} \sqrt{1 + r_i^2}.$$



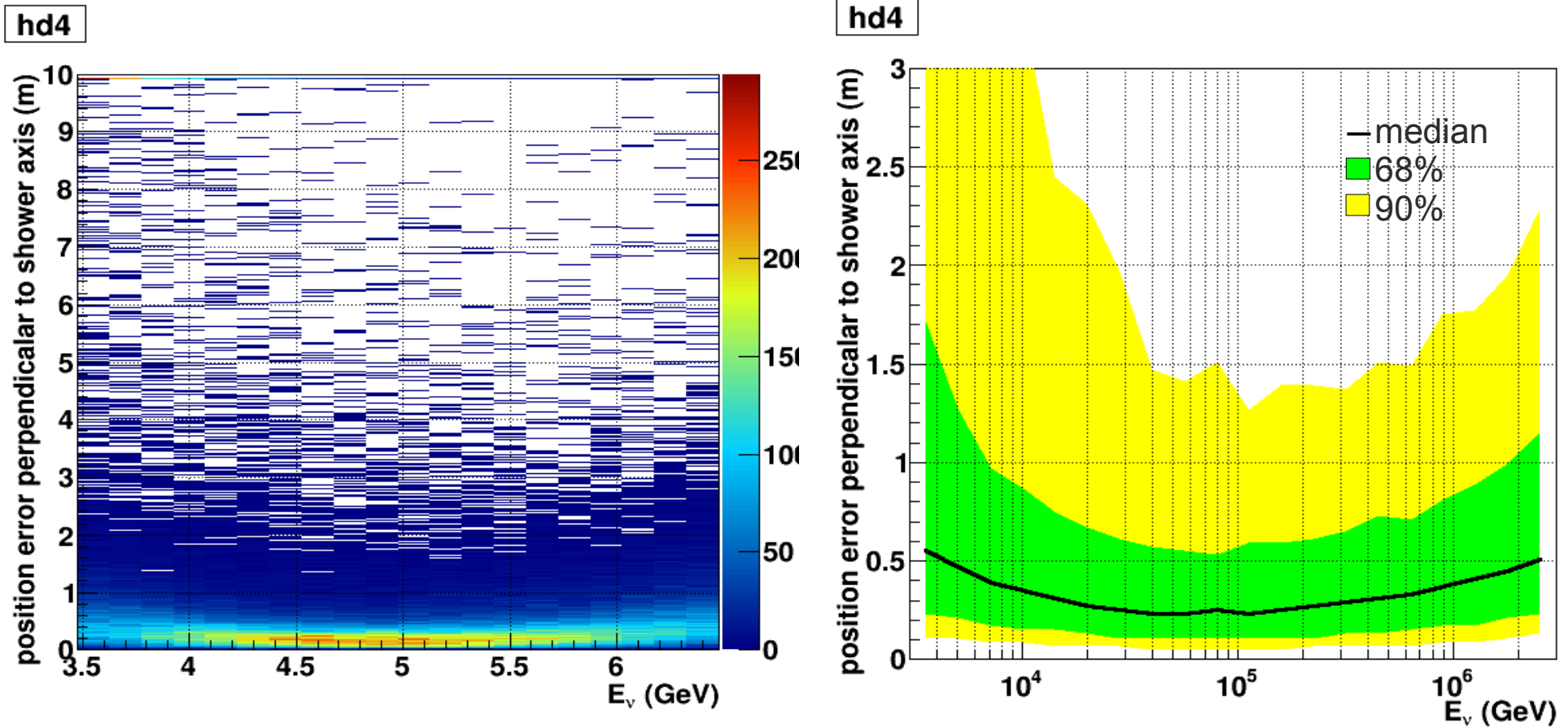


# position fit: along the shower axis



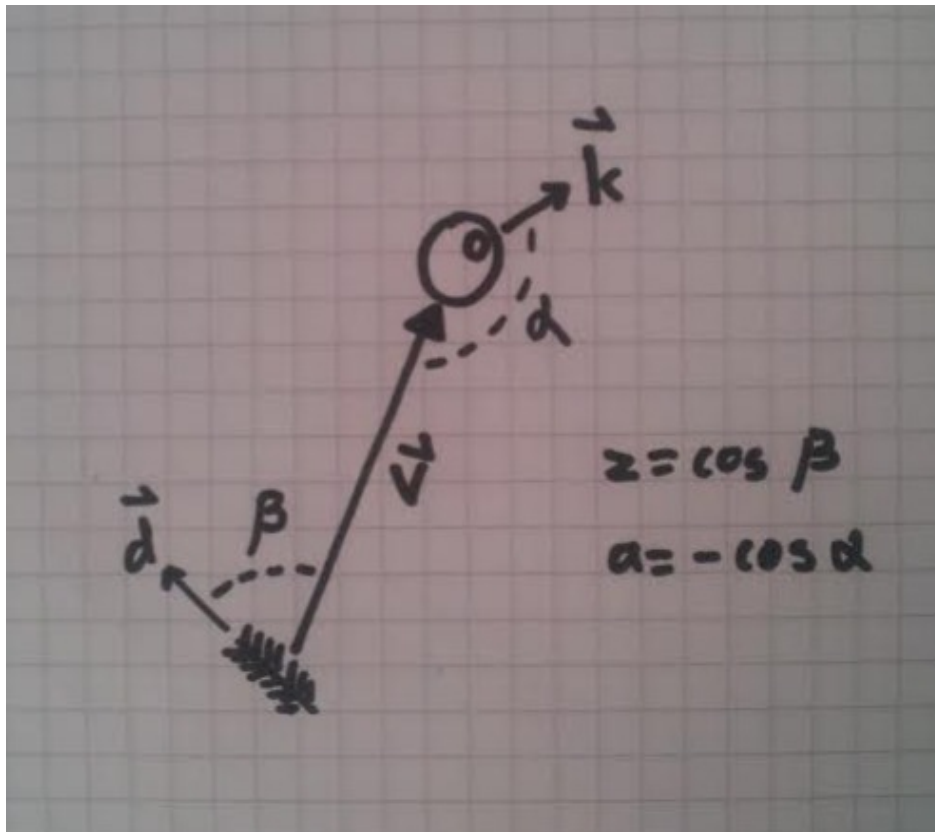
- see increase of shower size with energy
- resolution  $\sim 1$  m

# position fit: distance to the shower axis



– much better than 1 m

# direction fit



3D function (histogram) describing

$\mu^{\text{sig}}$  = number of detected photons  
from a PeV shower as function of

- $r = |v|$  : distance shower to DOM
- $a$  :  $\cos$  angle of impact with PMT axis
- $z$  : angle of DOM with shower axis

note:  $z$  depends on shower direction

note:  $\mu^{\text{sig}}$  can be scaled easily to  
correspond to other shower energies

- in KM3NeT: number of photons ( $\mu^{\text{sig}}$ ) not measured directly on a *PMT*
  - we have ToT, but it needs thought/work/calibration
- but we do not even need it!

# measuring the light intensity



With a single DOM, we can just count the photons

- at low intensity,  $N_{\text{hit}} \sim N_{\gamma}$
- at high intensity, start to see light on oblique PMTs
- at very high intensity, will start to see light at the back (via scattering)

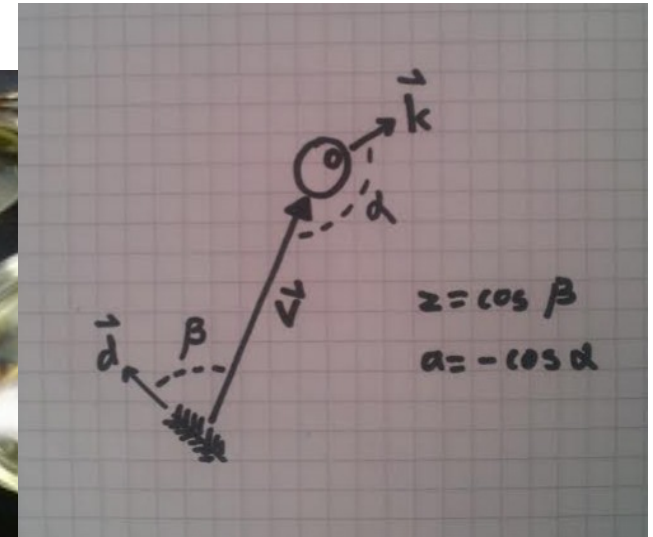


→ effectively have very large dynamic range.

# measuring the light intensity



With a single DOM, we can  
just



## counting likelihood

$$\log \mathcal{L} = \sum_{\text{empties}} \log[P_0] + \sum_{\text{hitPMTs}} \log[1 - P_0],$$

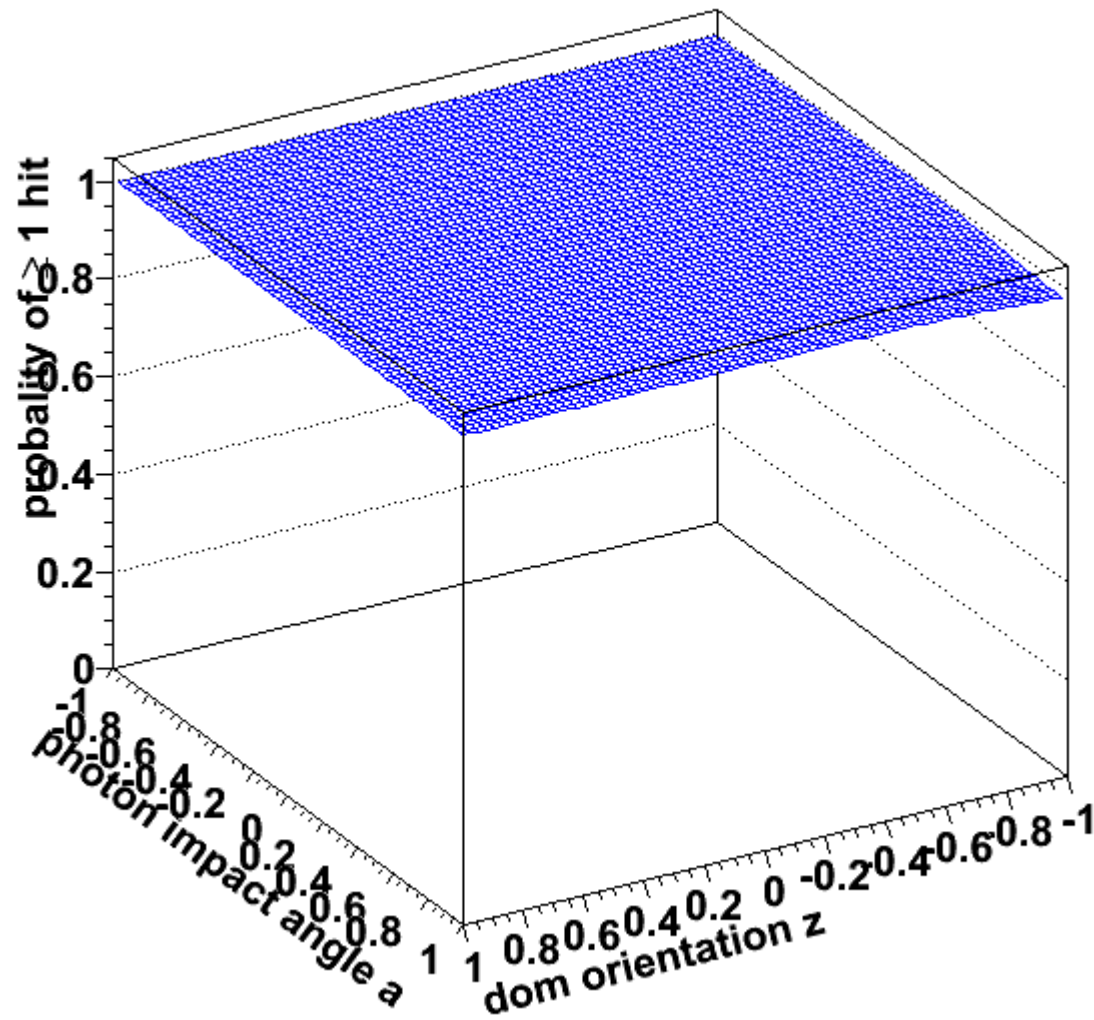
$$P_0(r_i, z_i, a_i, E) = \exp[-\mu(r_i, z_i, a_i, E)]$$

- note  $\mu$  scales linearly with shower energy  $\rightarrow$  easy to fit for  $E$
- $P_0$  can be very robustly calculated (in contrast to ToT)

- at low in
- at very h
- to see lig
- $\rightarrow$  effect
- range

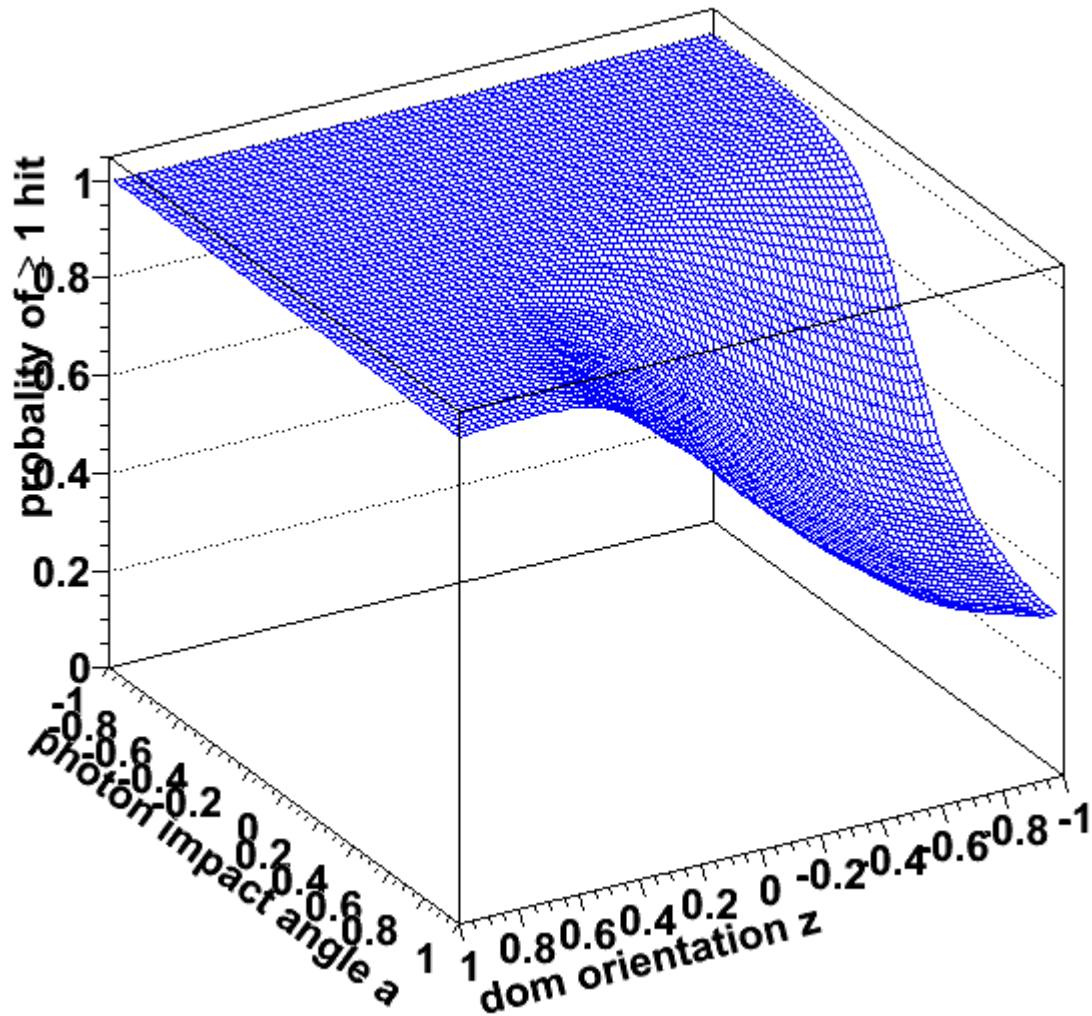
# direction fit

PDF for  $E = 1$  PeV at  $r = 50$  m



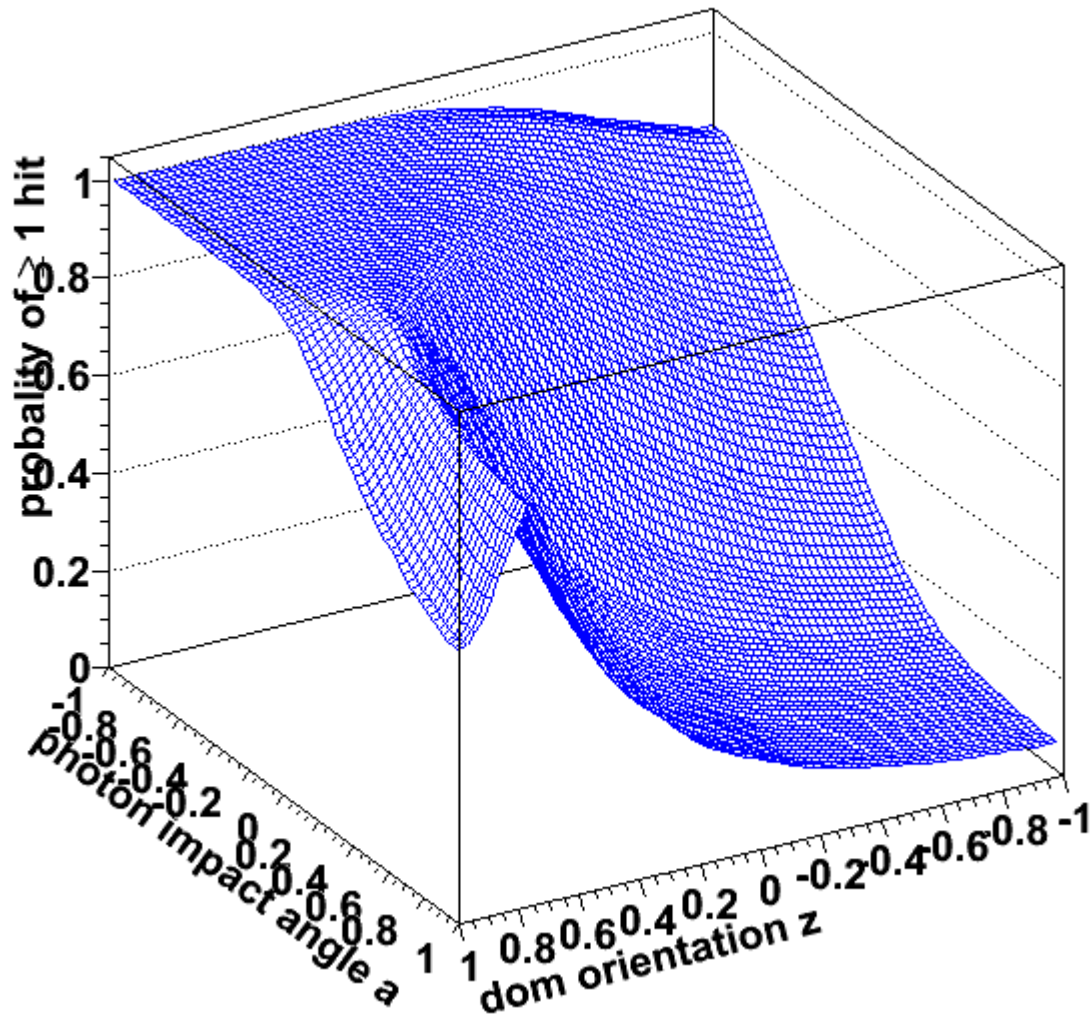
# direction fit

PDF for  $E = 1$  PeV at  $r = 100$  m



# direction fit

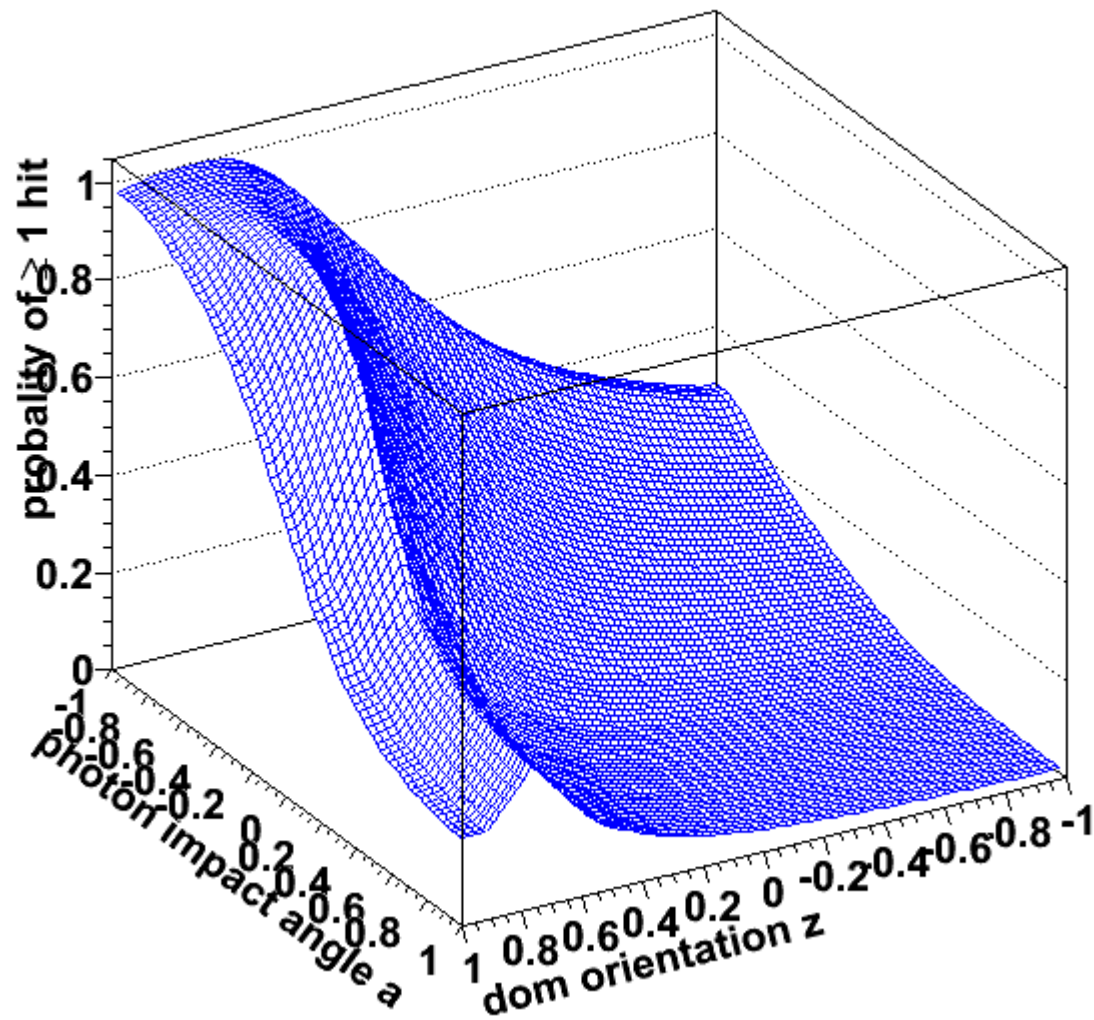
PDF for  $E = 1$  PeV at  $r = 150$  m





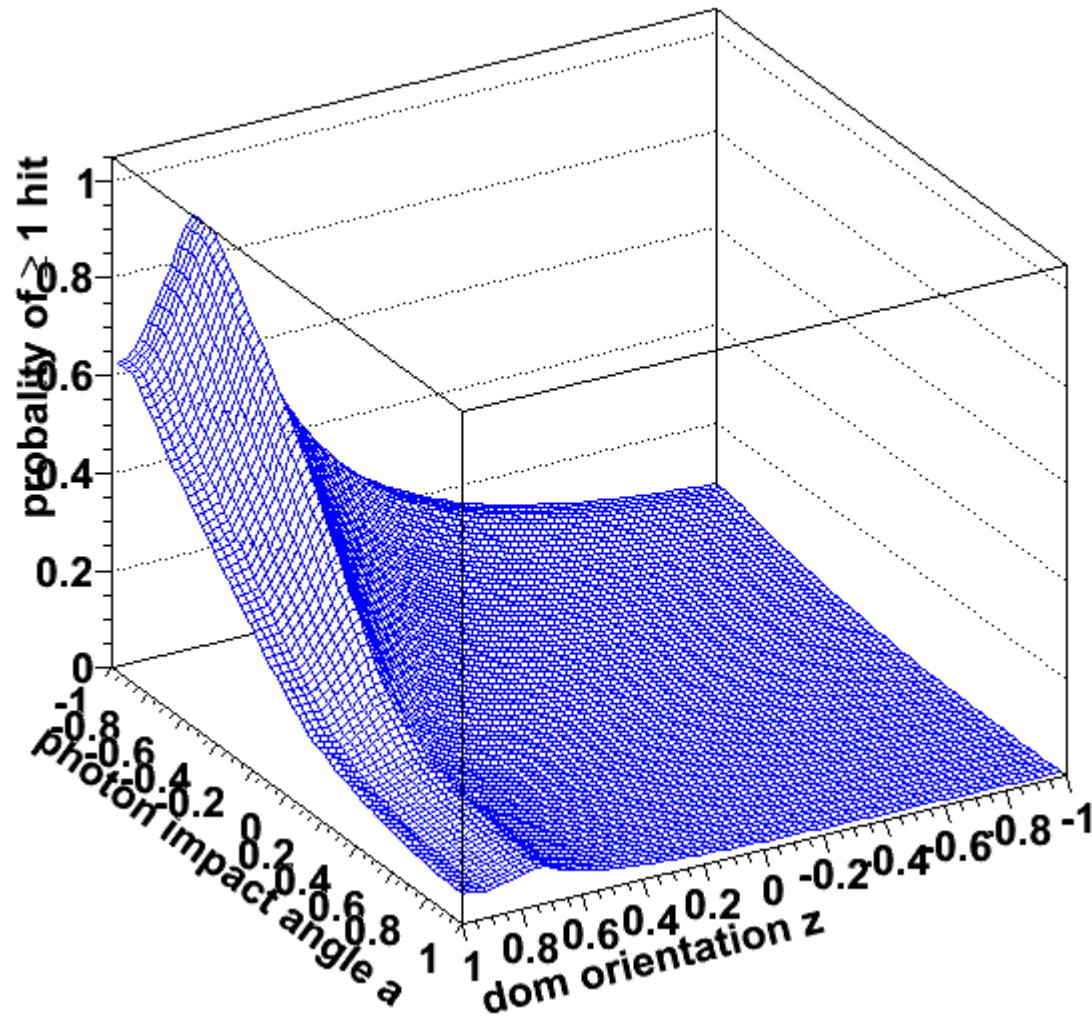
# direction fit

PDF for  $E = 1$  PeV at  $r = 200$  m



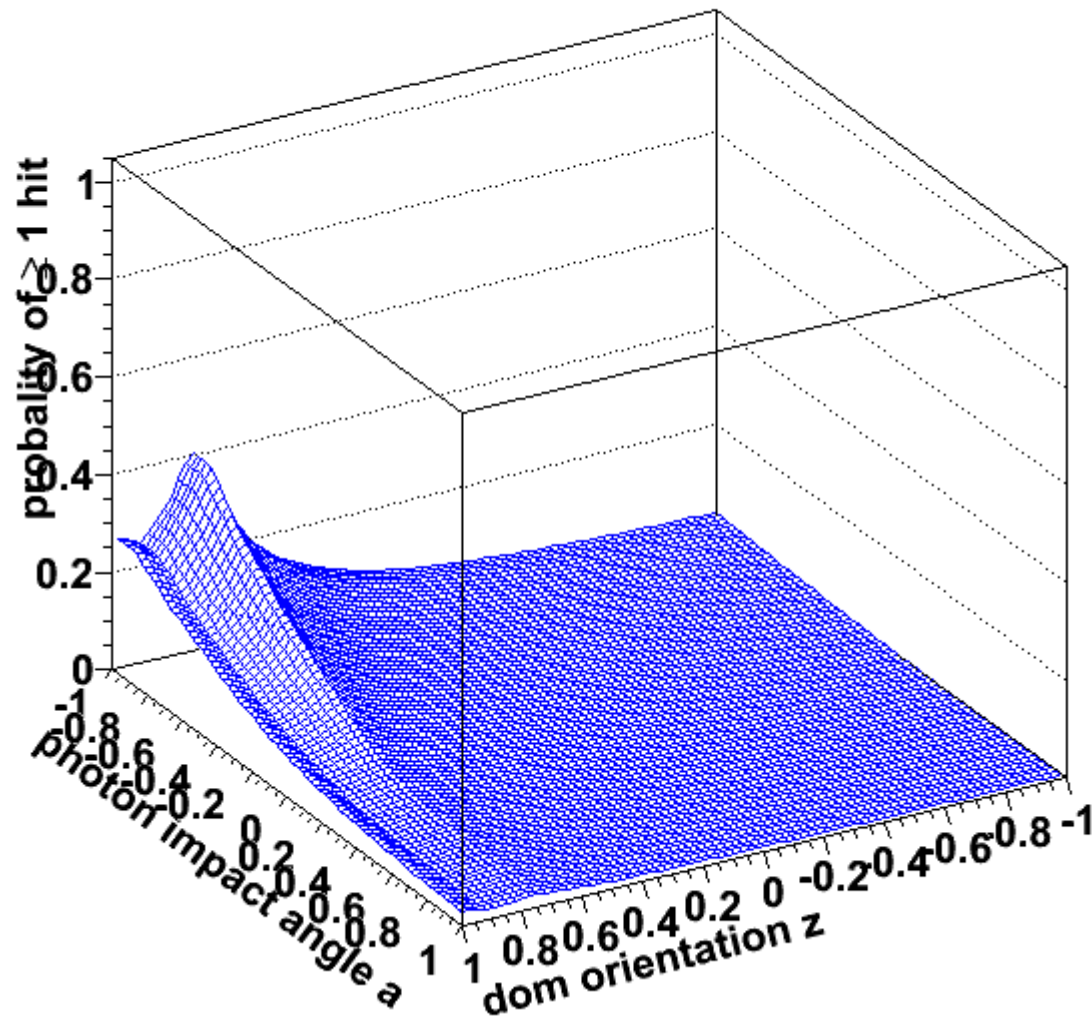
# direction fit

PDF for  $E = 1$  PeV at  $r = 250$  m



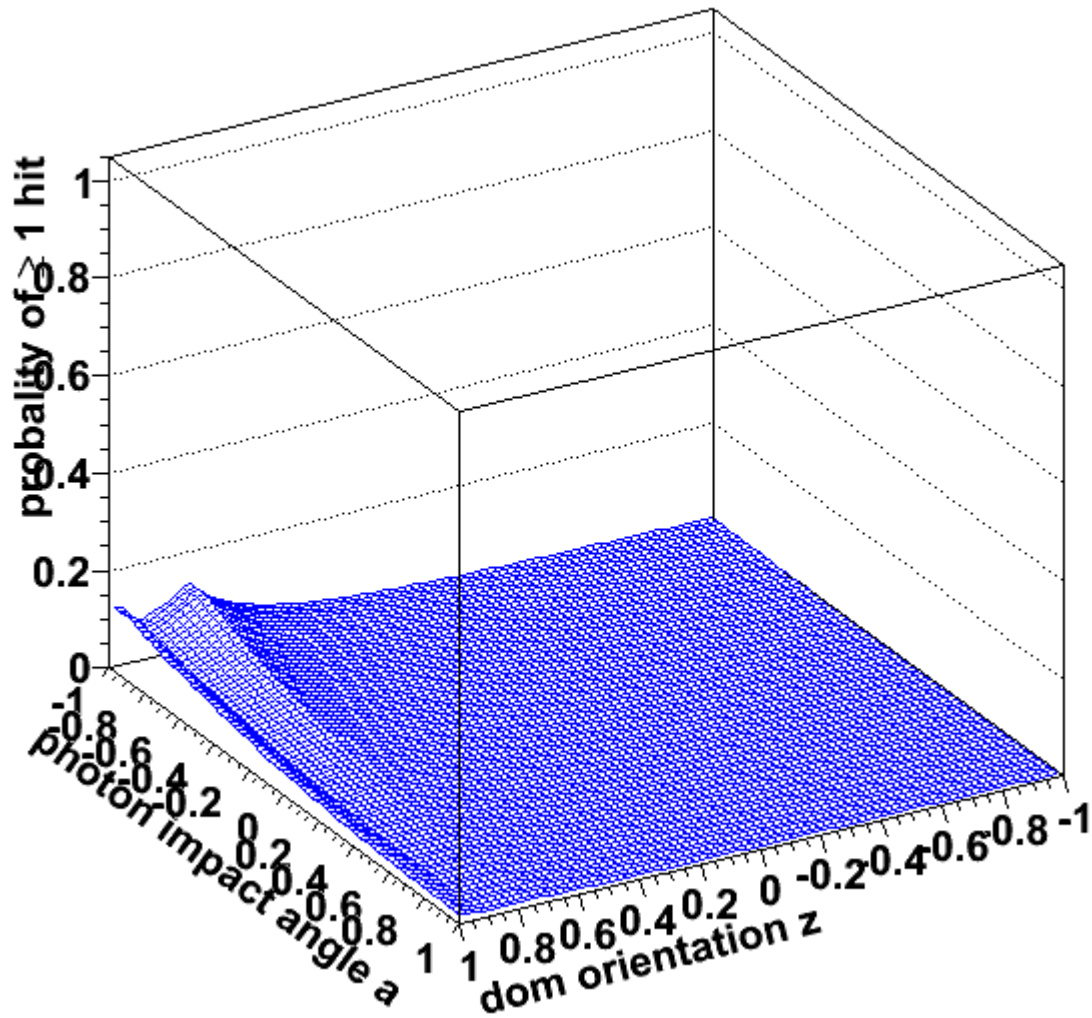
# direction fit

PDF for  $E = 1$  PeV at  $r = 300$  m



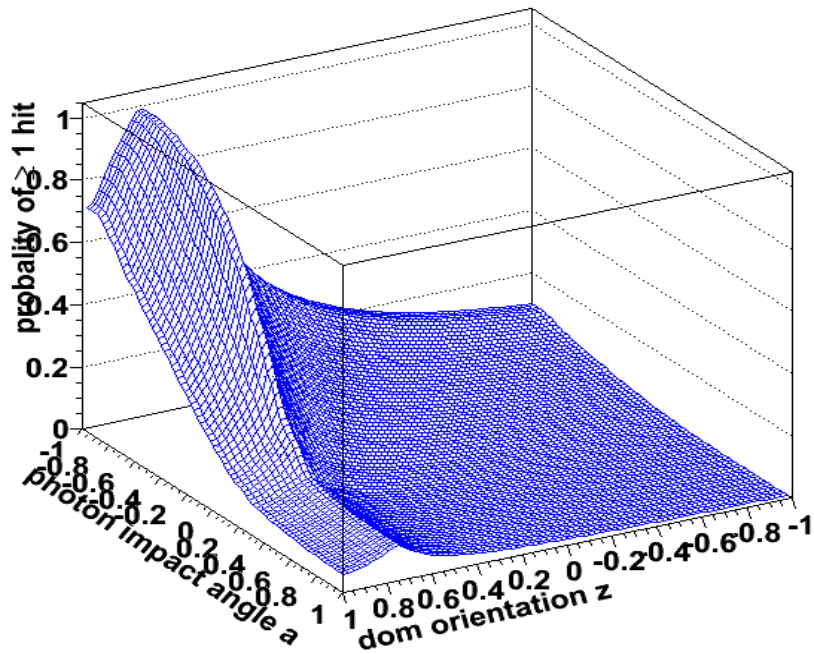
# direction fit

PDF for  $E = 1$  PeV at  $r = 350$  m

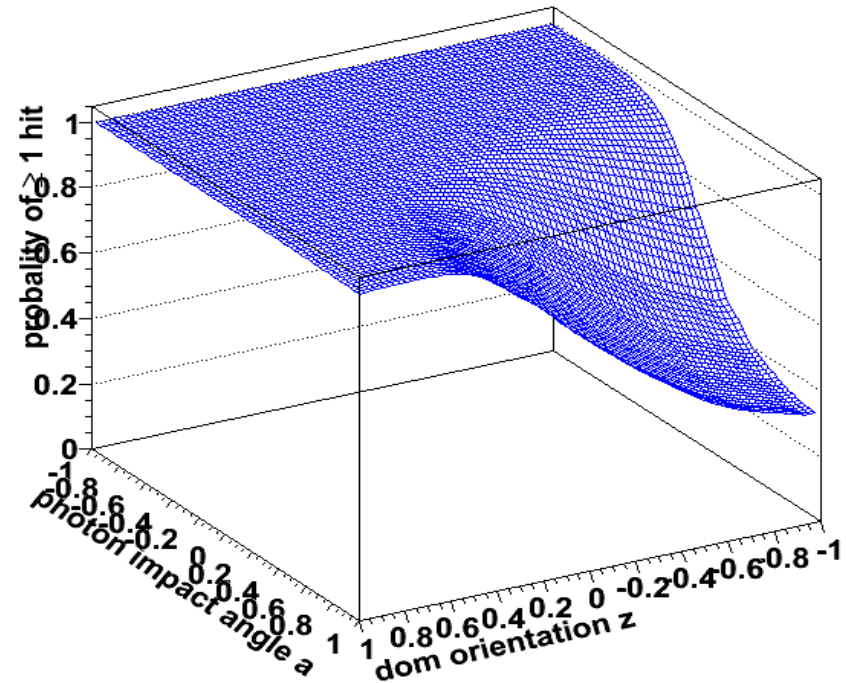


# direction fit

PDF for E = 10 TeV at r = 100 m

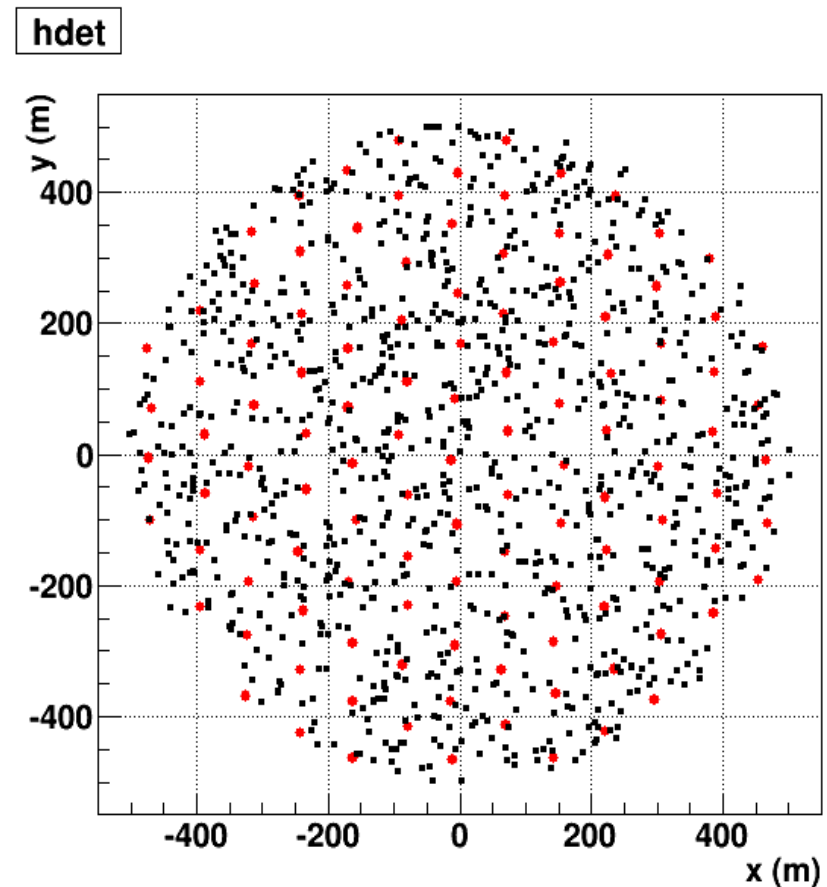
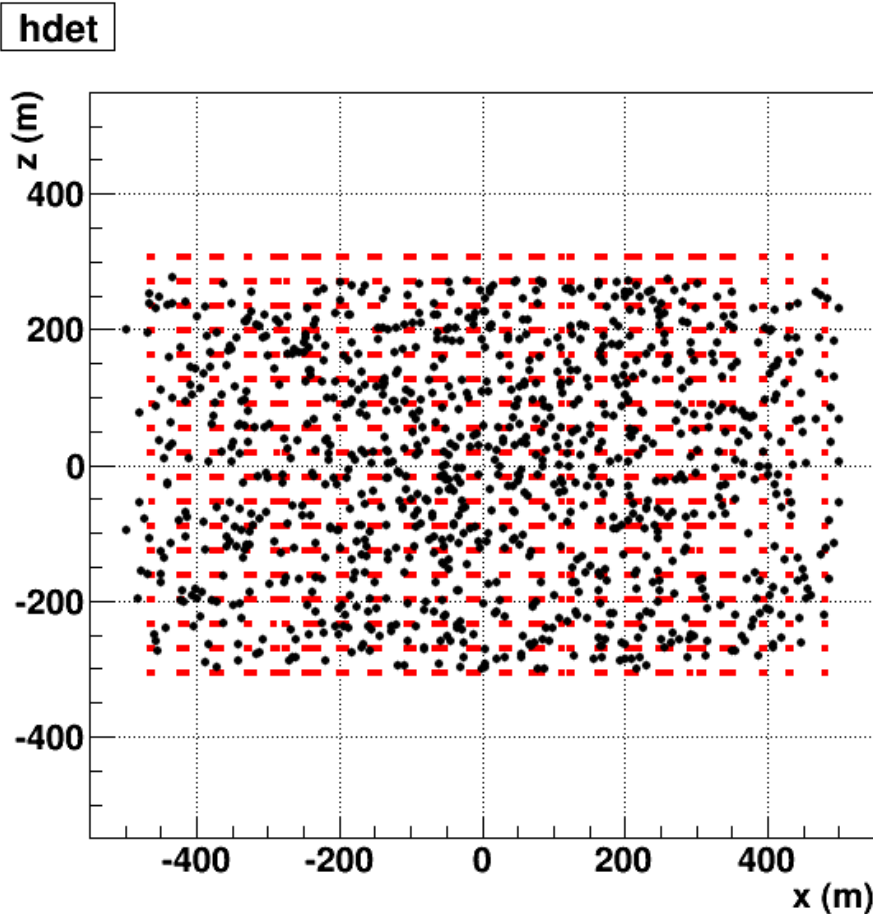


PDF for E = 1 PeV at r = 100 m



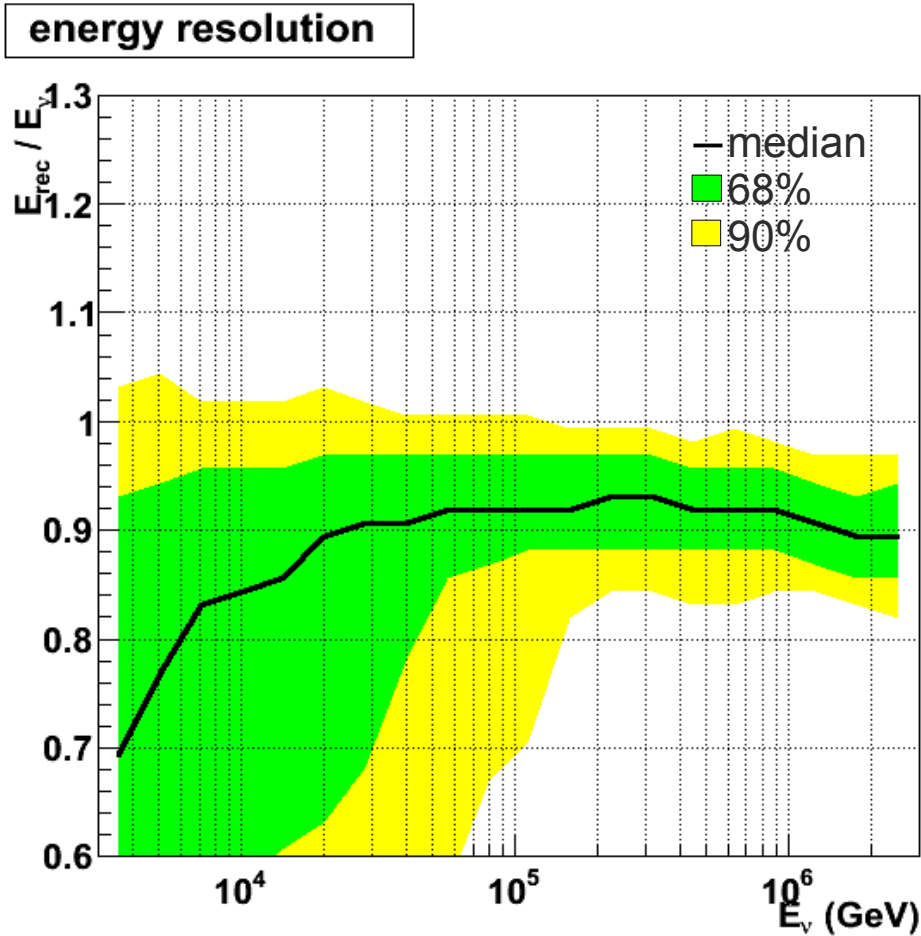
At high energies, all PMTs have a hit for  $r < 50$  m.  
But there is *always* a region of  $r$ , a where there  
is a significant  $z$ -dependence  
→ direction sensitivity.

# Containment cut applied for following results

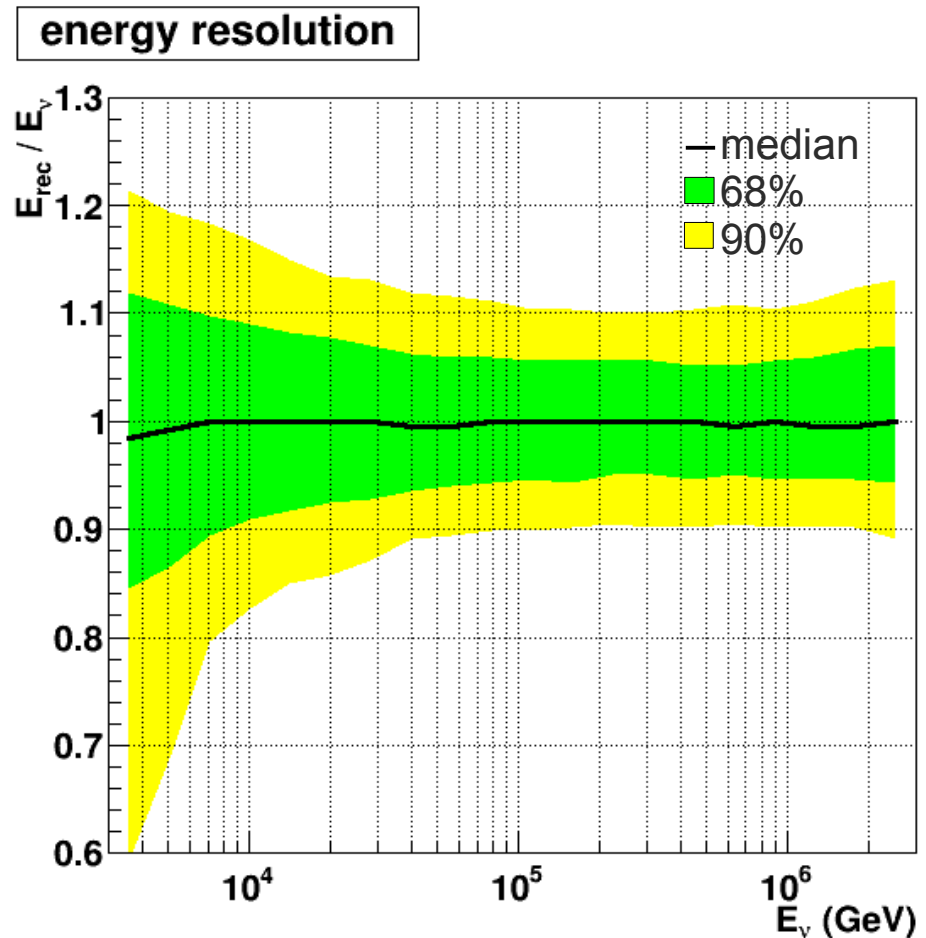


detector = 115 string phase 1.5 building block (90 m string spacing)

# Energy resolution



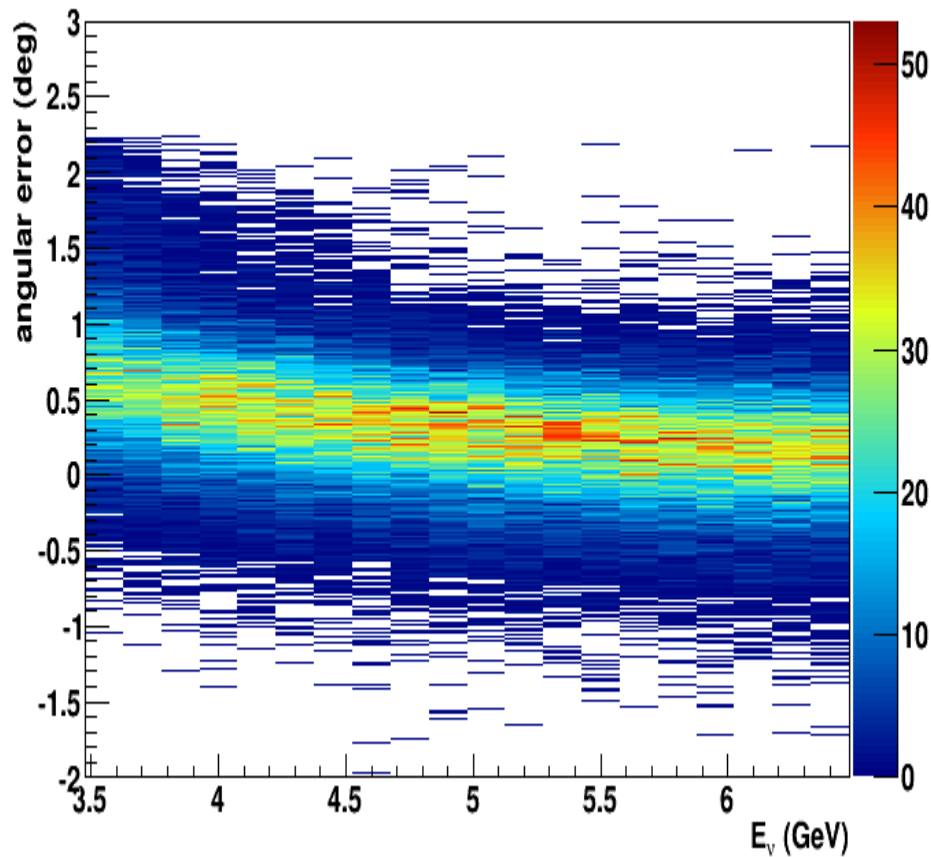
out of the box:  $O(10\%)$  bias



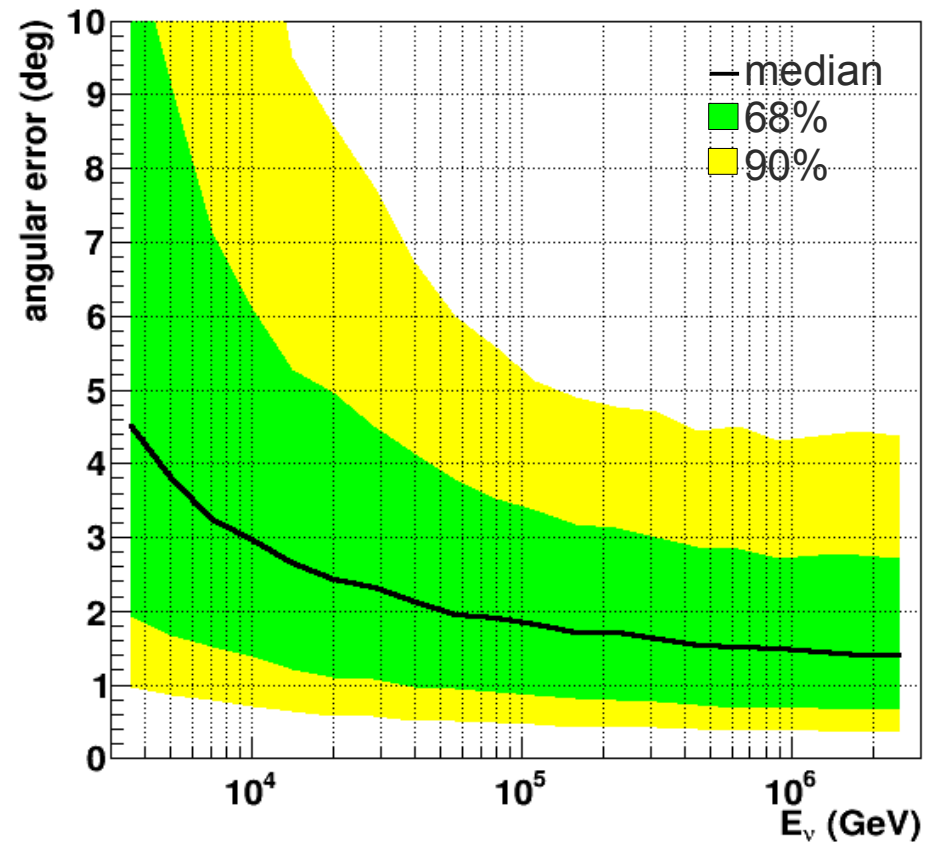
bias easily corrected  
<10% resolution

# Direction resolution

direction resolution



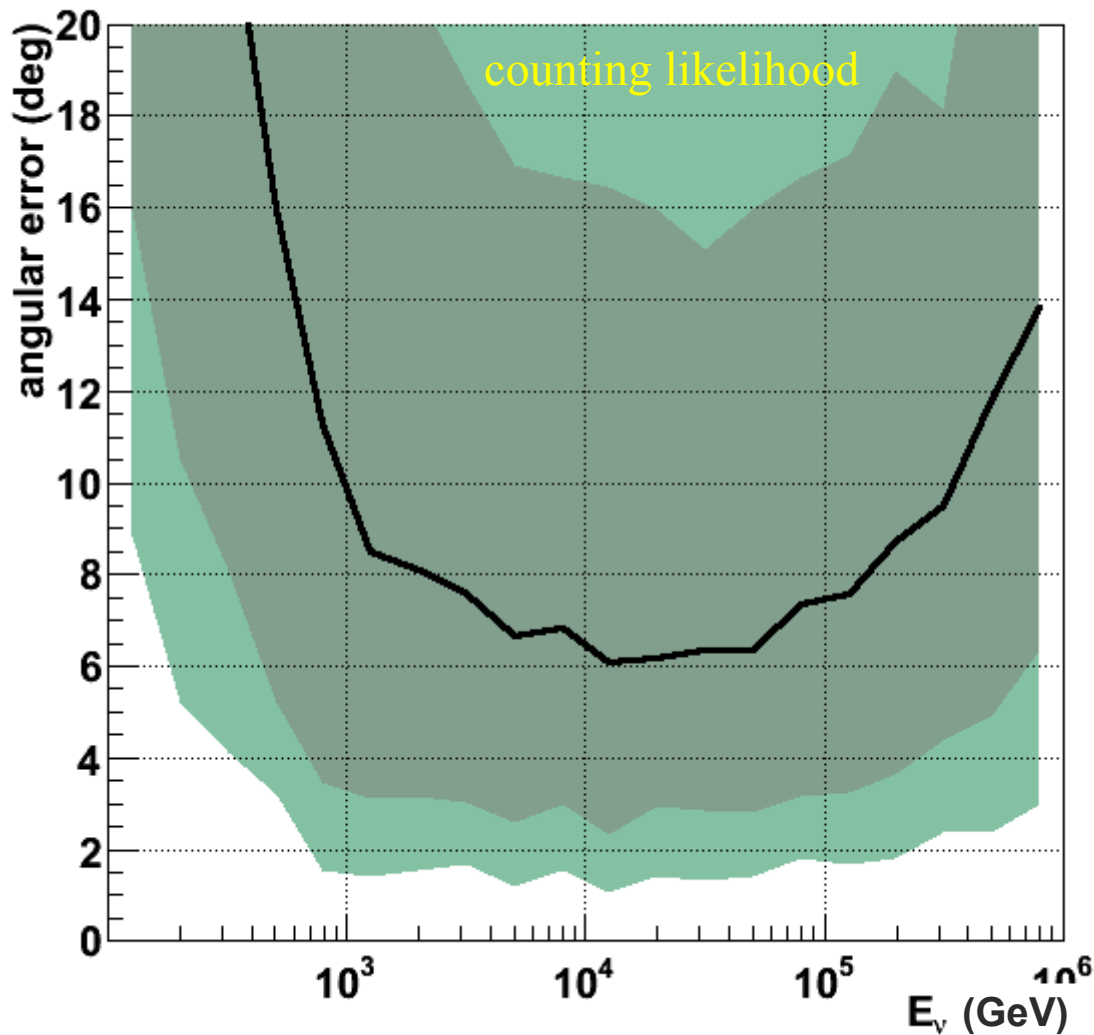
direction resolution





# Does it work in Antares?

direction resolution



Counting PDFs using only hit/nohit information

- does *not* work very well in Antares (not enough granularity)
- need to rely on per PMT charge measurement
- which we have!

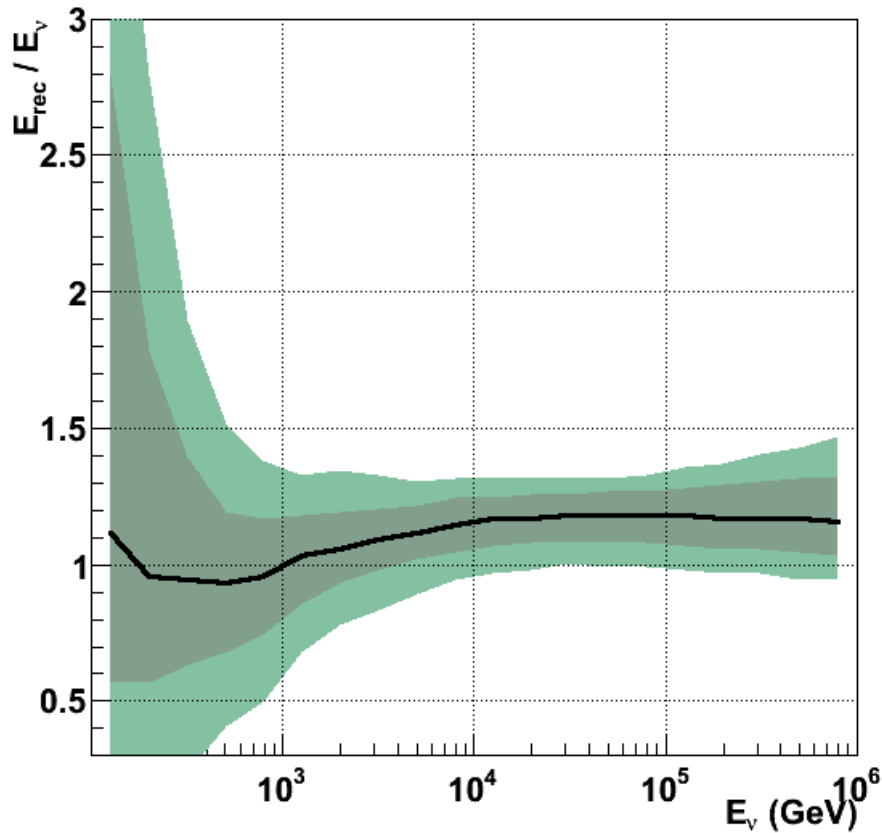
In Antares: decent charge measurement between 1 and  $\sim 20$  p.e.

→ instead use 'normal' Poisson likelihood

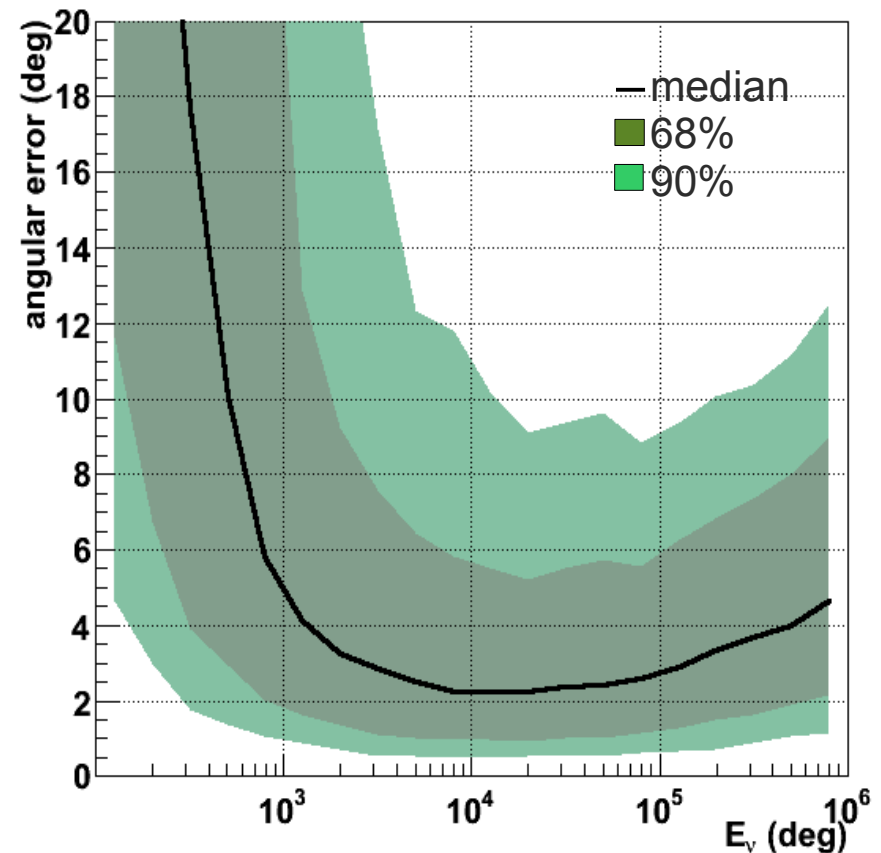
$$\log \mathcal{L} = \sum_i \log \mathcal{P}(a_i | \mu_i)$$

# ANTARES, Poisson likelihood

energy resolution



direction resolution



- Full detector (no dead OMs), constant 60 kHz background
- fresh results
- systematics & background rejection to be studied
- lot's of room for improvement still

# conclusions

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- in water, shower reconstruction very naturally factorizes:
  - position + time of the shower ← hit times  
ns accuracy even at large distances
  - direction and energy of the shower ← light intensity  
cherenkov 'beaming' observed up to large distances
- Vertex fits all work well (M-estimators are good enough)
  - shower max reconstructed within 1 m
- Direction + energy fit needs likelihoods..  
and results depend on best likelihood formulation and accurate implementation.
- multi-PMT design allows photon counting  
→ simple reconstruction by just using information on hit/empty PMTs.
- resolutions reached (contained events)
  - direction: 4 – 1.5 degrees for 3 TeV – PeV
  - energy : <10 % for  $E > 3$  TeV [beter for more central events]
- Opens up exciting possibility to use showers even in  
point source searches. (will try it out in Antares)