# Cascade reconstruction and angular resolution 

## in GVD

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## Gigaton Volume Detector (Lake Baikal)

|  | GVD | $4^{*}$ GVD |
| :--- | :--- | :--- |
| OMs | 2302 | 10368 |
| Clusters <br> (8 Strings) | 12 | 27 |
| Sections <br> (12 OMs) | $2 /$ Str. | $4 /$ Str. |
| Depths, m | $950-1300$ | $600-1300$ |
| Instr. volume | $0.4 \mathrm{~km}^{3}$ | $1.5 \mathrm{~km}^{3}$ |



GVD array
$1^{\text {st }}$ GVD cluster: $\mathbf{8}$ strings

- Installed strings and cable stations


Optical module

## First Cluster-2015:

## First cluster „DUBNA"

- 192 OMs at 8 Strings


## Layout - 2014

- 2 Sections per String
- 12 OMs per Section
- DAQ-Center
- Cable to Shore
- Acoustic Positioning System
- Instrumentation String with detector calibration and environment monitoring equipment

- Active depth 950-1300 m



## Optical module (OM)



Glass pressure-resistant sphere VITROVEX (17") OM electronics: amplifier, HV DC-DC, controller 2 on-board LED flashers: $1 \ldots 10^{8}$ pe., $430 \mathrm{~nm}, 5 \mathrm{~ns}$ Mu-metal cage
PMT R7081HQE : $D=10 ", \sim 0.35 \mathrm{QE}$
Elastic gel

## Quantum efficiency




## Angular sensitivity


$\checkmark$ Cascades from $v_{\mathrm{e}, \tau} \& \mathrm{v}_{\mu}(\mathrm{NC})$ :

- Point-like, strongly anisotropic light-source - size proportional ${ }^{\frac{\text { dab }}{2}}$ to $\ln E_{v}$ (but LPM-effect for >20PeV!)
- Light intensity proportional to $\mathrm{E}_{\mathrm{v}} \cdot 10^{8} \mathrm{\gamma} / \mathrm{TeV}$

- Detection efficiency strongly depend on environment properties (water/ice).


## - Environment properties (Baikal)

$\checkmark$ Light absorption: $\mathrm{L}_{\text {abs }} \sim 20-25 \mathrm{~m}$
$\checkmark$ Light scattering: $\mathrm{L}_{\mathrm{s}} \sim 30-50 \mathrm{~m}$
$\checkmark$ Dispersion of light velocity nigligible
$\checkmark$ Light background: $15-40 \mathrm{kHz}$
$\checkmark$ Scattering function: $<\cos \theta>\sim 0.88$

Water (Baikal): Light Scattering - 30-50m



Antarctic Ice: Light Scattering - 1-4 m


## Background

- Cascades from atm, muons
- Atm. electron neutrinos $\left(\sim E_{v}{ }^{-3.7}\right)\left(v_{\mathrm{e}} / \nu_{\mu} \sim 1 / 20\right)$


## History of

 Cascade detection in BaikalNT200: 8 strings ( 192 OMs)
Height $\times \varnothing=70 \mathrm{~m} \times 40 \mathrm{~m}$,
$V_{\text {inst }}=10^{5} \mathrm{~m}^{3}$
Effective area: $\mathbf{1} \mathbf{T e V} \sim \mathbf{2 0 0 0 m}^{2}$
Eff. shower volume:
100 TeV ~ 1.0 Mton
NEUTRINO TELESCOPE NT-200


## - Search for High-Energy Cascades With NT200



Cascades produced below NT200:

- Arrival times were used for vertex reconstruction:

$$
\Delta \mathrm{r} / \mathrm{r} \sim 7 \%
$$

- PMT amplitudes were used for energy and derection reconstruction:

$$
\delta \lg E \sim 20 \%, \psi_{\text {med }} \sim 4.5^{\circ}
$$

Results of laser light source position and intensity reconstruction prove an efficiancy of used methods.

## 1038 days (April 1998 - February 2003

Zenith angle distribution


Energy spectrum


Extra cuts for $v$ events separation:
Esh > $130 \mathrm{TeV}(40<\theta<180) \&$ Esh $>10 \mathrm{TeV}(\theta>90)$

## Generation procedure:

$>$ Cascade vertex $\mathrm{r}(\mathrm{x}, \mathrm{y}, \mathrm{z})$ within $\sim 0.3 \mathrm{~km}^{3}$ volume and direction $\Omega$
$>$ Neutrino $\left(v_{e}, v_{\mu}, v_{\tau}\right)$ :

- Energy selection - uniform logE distribution
- passing through Earth to vertex point (CC, NC) - survival probability (due to CC), final energy (due to NC)
- Interaction in $r$ and cascade energy $E_{\text {sh }}$ generation
> Light propagation in water and OM-response
- OM-response table $n(\mu, \psi, t, \rho, r)$ on point-like cascade
- Integration along cascade length


## Reconstruction technique

Reconstruction of cascade position
$\chi_{t}^{2}=\frac{1}{\left(N_{h i t}-4\right)} \sum_{i=1}^{N_{h i t}} \frac{\left(T_{i}\left(\vec{r}_{s h}, t_{0}\right)-t_{i}\right)^{2}}{\sigma_{t i}^{2}}$,
where $T_{i}\left(\vec{r}_{\text {sh }}, t_{0}\right)$ time of flight of unscattered photons

Reconstruction of cascade direction and energy
$L_{A}=-\sum_{j=1}^{N_{h i t}} \ln P_{i}\left(A_{i}, E_{s h}, \vec{\Omega}_{s h}(\theta, \varphi)\right)$,
where $P_{i}$ calculates in respect of tabulated $\bar{n}_{p e}(\rho, z, \theta, \varphi, \tau)$

## Reconstruction of a cascade vertex in GVD-Cluster

## Iterative procedureOMs with residual

 $\delta t>15 \mathrm{~ns}$ are excluded and final $\mathbf{N}_{\text {hit }}$ is obtained for for following analysis
## $\mathbf{r}_{\text {gen }}$ - generated

 $\mathbf{r}_{\text {rec }}$ - reconstructed$$
\begin{aligned}
& \delta r=\left|r_{\text {rec }}-r_{\text {gen }}\right| \sim 2 m \\
& \delta r / r=\left|r_{\text {rec }}-r_{\text {gen }}\right| \sim 0.01
\end{aligned}
$$




## Reconstruction of a cascade energy in GVD-Cluster

Generated and reconstructed energy distributions of cascades from electron neutrino flux $\sim E^{-2}$

## ठE/E ~ 30\%




## Directional Resolution for Showers

## Cascade angular resolution $\sim 4^{\circ}$




## Selection criteria based on hit multiplicity

Cascade energy distributions
Flux ~E-2:
$\mathrm{F}\left(\mathrm{N}_{\text {hit }}>20\right) / \mathrm{F}(>10)=0.51$
Flux ~E -2.3:
$\mathrm{F}\left(\mathrm{N}_{\text {hit }}>20\right) / \mathrm{F}(>10)=0.36$
Flux ~E -3.7:
$\mathrm{F}\left(\mathrm{N}_{\text {hit }}>20\right) / \mathrm{F}(>10)=0.06$


## GVD-Cluster:

Neutrino Effective Area


Events per Year from IC-flux ( $E^{2} \mathrm{~F}_{\mathrm{IC}}=3.6 \cdot 10^{-8} \mathrm{GeV} \mathrm{cm}{ }^{-2} \mathrm{~s}^{-1} \mathrm{sr}^{-1}$ )
~1 Event/Year (>100 TeV)


## Atmospheric muons MC-sample corresponding to 341 life days



## Conclusion

- First GVD-Cluster will be deployed in 2015
- It will have $\sim 30 \%$ energy resolution and $\sim 4^{\circ}$ angular resolution
- About 1 IC astrophysical neutrino event is expected in 1 year data sample


## Neutrino Effective Area

IceCube


GVD-Cluster


Events per Year from IC-flux ( $\mathrm{E}^{2} \mathrm{~F}_{\mathrm{IC}}=3.6 \cdot 10^{-8} \mathrm{GeV} \mathrm{cm}^{-2} \mathrm{~s}^{-1} \mathrm{sr}^{-1}$ )

$\sim 1$ Event/Year ( $>100 \mathrm{TeV}$ )

