# A parameterization of the radio signal as measured on the ground



#### **CORSIKA + CoREAS simulation of air shower**

zenith angle: 45 degrees, azimuth angle: 13 degrees energy:  $2x10^{18}$  eV

#### Idea: Model the "bean shape"



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See also: A. Nelles et al., Astropart. Phys., in press

#### Simulation Set-up



#### Fitting the model



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# Fitting the model



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- Scaling parameter A<sub>+</sub> is a function of the energy
- Slope in log-log depiction ~ 2.0, i.e. power depends quadratic on energy
- Remaining scatter is a function of angle with magnetic field, sin(alpha) and distance to the shower maximum



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1400





- Shift parameter X<sub>+</sub> is a function of the azimuth angle of the shower
- Shift represents interplay between emission mechanisms
- Largest shift for azimuth parallel to magnetic field
- Small but not measurable shift in Y<sub>+</sub> direction



-10

-20

-30

-40

-50

200

400

600

800

1000

1200

Distance to X<sub>max</sub> [g/cm<sup>2</sup>]

1400

- Offset of small Gaussian to shower core (X<sub>-</sub>) is function of distance to the shower maximum
- Behavior changes direction and medium distances
- Shift needed for Cherenkov and charge excess, dominance of contribution

#### Using function as prediction

$$P(x',y') = f_1(E) \cdot \exp\left(\frac{-f_2(\phi, X, Y, x', y')}{f_3(\theta, X_{\max})}\right)$$
$$-C_0 \cdot f_1(E) \cdot \exp\left(\frac{-f_4(\theta, X_{\max}, X, Y, x', y')}{f_5(\theta, X_{\max})}\right)$$

- Use functions of physical air shower parameters instead of fit parameters
- Very fast and simple prediction for studies of efficiencies, detection thresholds etc.



#### Reduction of parametrization

$$P(x',y') = A_{+} \cdot \exp\left(\frac{-[(x'-X_{c})^{2}+(y'-Y_{c})^{2}]}{\sigma_{+}^{2}}\right)$$
$$-C_{0} \cdot A_{+} \cdot \exp\left(\frac{-[(x'-(X_{c}-C_{3}))^{2}+(y'-Y_{c})^{2}]}{(e^{C_{1}+C_{2}\cdot\sigma_{+}})^{2}}\right)$$

- Reduction in several ways possible, exploiting correlations between parameters
- Maximum reduction: 4 free parameters A+, Sigma+, X<sub>c</sub> and Y<sub>c</sub>
  - C<sub>0</sub>, C<sub>1</sub> and C<sub>2</sub> constant
  - C<sub>3</sub> binned for zenith angle
- At LOFAR:
  - C<sub>3</sub> free parameter as sufficient number of antennas
  - C<sub>0</sub> can vary in restricted range

#### Test on Data



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#### Azimuthal asymmetry in data



#### Test on Data



# Reconstruction of shower parameters

Testing the predictions of the simulations:



- Independent measurement from particle detectors LORA:
- instrumented area smaller than LOFAR area
- strong cuts on reconstruction limits sample (cuts on NKG parameters and distance of core position)
- test against full sample contains mis-reconstructions

- (Partly)-Independent reconstruction from Full Monte Carlo method (see Talk Stijn Buitink)
- Both methods based on CoREAS
- Both methods use radio only
- Only 50 air showers

# Conclusions

- We presented a "Double Gaussian" function with minimal 4 free parameters
- Scaling parameter directly sensitive to energy of air shower
- Width parameter directly sensitive to distance to the shower maximum
- All LOFAR data can be fitted with suggested function
- Correlations of parameters experimentally confirmed
- Next up: cross-check with experiment that has different way of measuring X<sub>max</sub> as for example AERA at Pierre Auger Observatory

