

# Reconstruction and energy estimation for tracks

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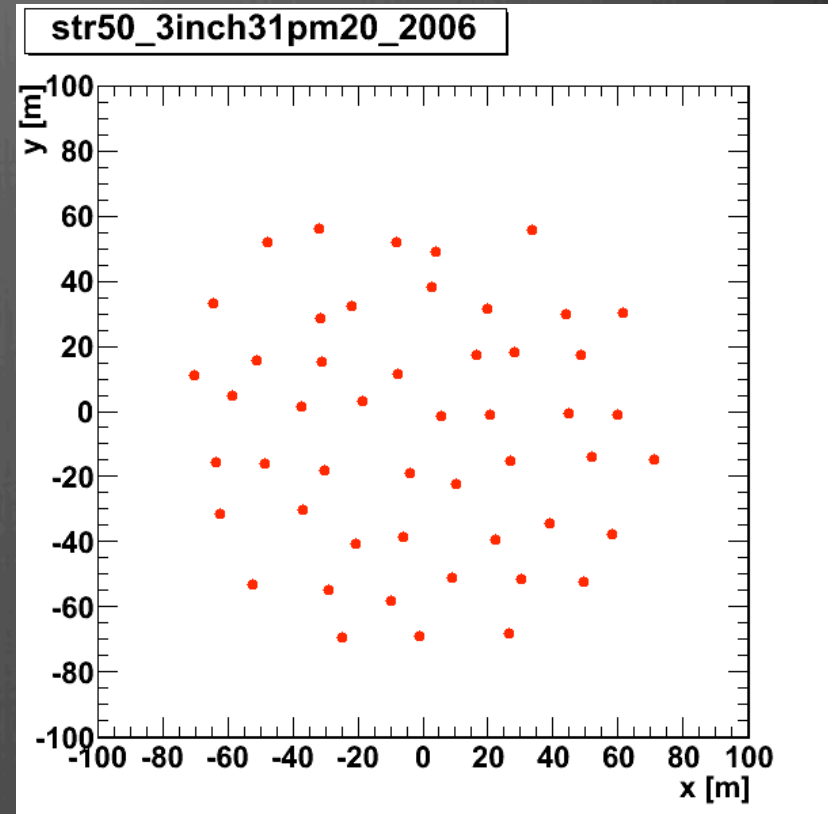
Garching, Oct. 14th-15th 2013

# Detector layout

- ✓ 50 Strings
- ✓ OM=31 3" PMTs
- ✓ 20 OM in each string
- ✓ 6 m vertical distance between OM
- ✓ 20 m average distance between strings

Instrumented volume = 1.75 Mt

**RECONSTRUCTION OF MUON  
NEUTRINOS OPTIMISED FOR  
THIS PARTICULAR LAYOUT**



# Hit selection

All hits are analyzed to look for the following patterns:

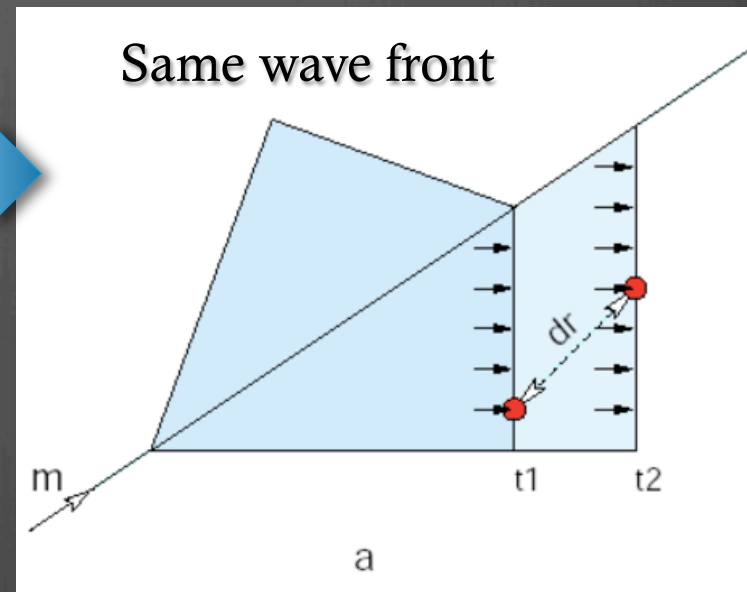
- ✧ L1: simple coincidence between 2 PMTs on the same OM in a time window  $\Delta t = \pm 5 \text{ ns}$
- ✧ T00: coincidence between two simple hits on adjacent OMs on the same line in  $\Delta t = \pm(5 \text{ ns} + \Delta d/v)$
- ✧ T0: like T00 but between an L1 hit and a simple hit
- ✧ T1: like T00 but between 2 L1 hits
- ✧ N0: coincidence between an L1 hit and a simple hit on nearby strings in  $\Delta t = \pm(5 \text{ ns} + \Delta d/v)$
- ✧ N1: like N0 but between 2 L1 hits
- ✧ L2: multiple ( $>2$ ) coincidence between PMTs on the same OM in  $\Delta t = \pm 5 \text{ ns}$

Each type of coincidence gives a “score” ( $L1 < T00 < T0 < T1 < N0 < N1 < L2$ ) to the correspondent hit  $\rightarrow$  Only hit with coincidence more complex than L1 (score  $> L1$ ) are used during the reconstruction

# Causality filter

Further selection requiring that each hit fulfills the causality filter condition w. r. t. to a reference hit chosen as the hit with the highest score

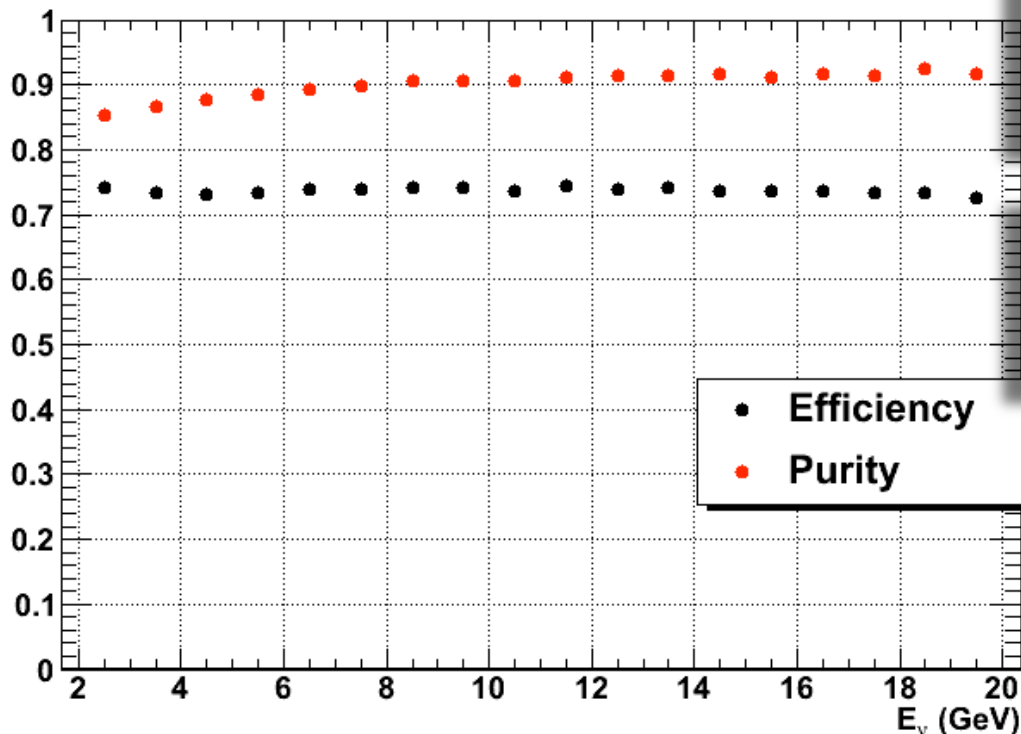
$$|\Delta t| - \frac{\Delta r}{c/n} < 20ns$$





# Hit selection performance

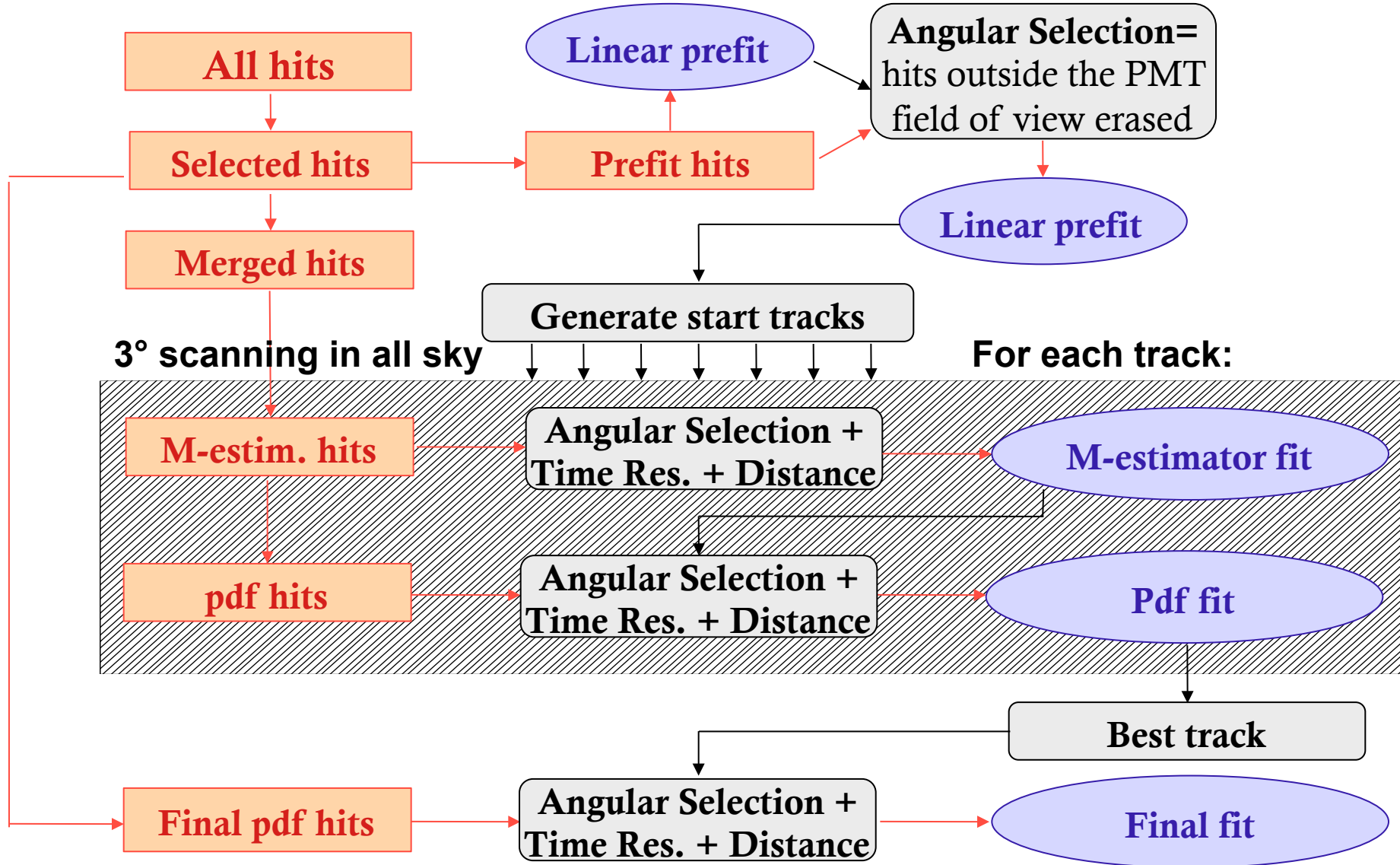
- ✧  $N_{hit\_selected}$  = total number of hits with score > L1 that fulfill the causality filter
- ✧  $N_{hit\_selected\_signal}$  = subset of  $N_{hit\_selected}$  obtained considering hit that are also true signal hits
- ✧  $N_{hit\_signal}$  = total number of true signal hits



$$Purity = \frac{N_{hit\_selected\_signal}}{N_{hit\_selected}}$$

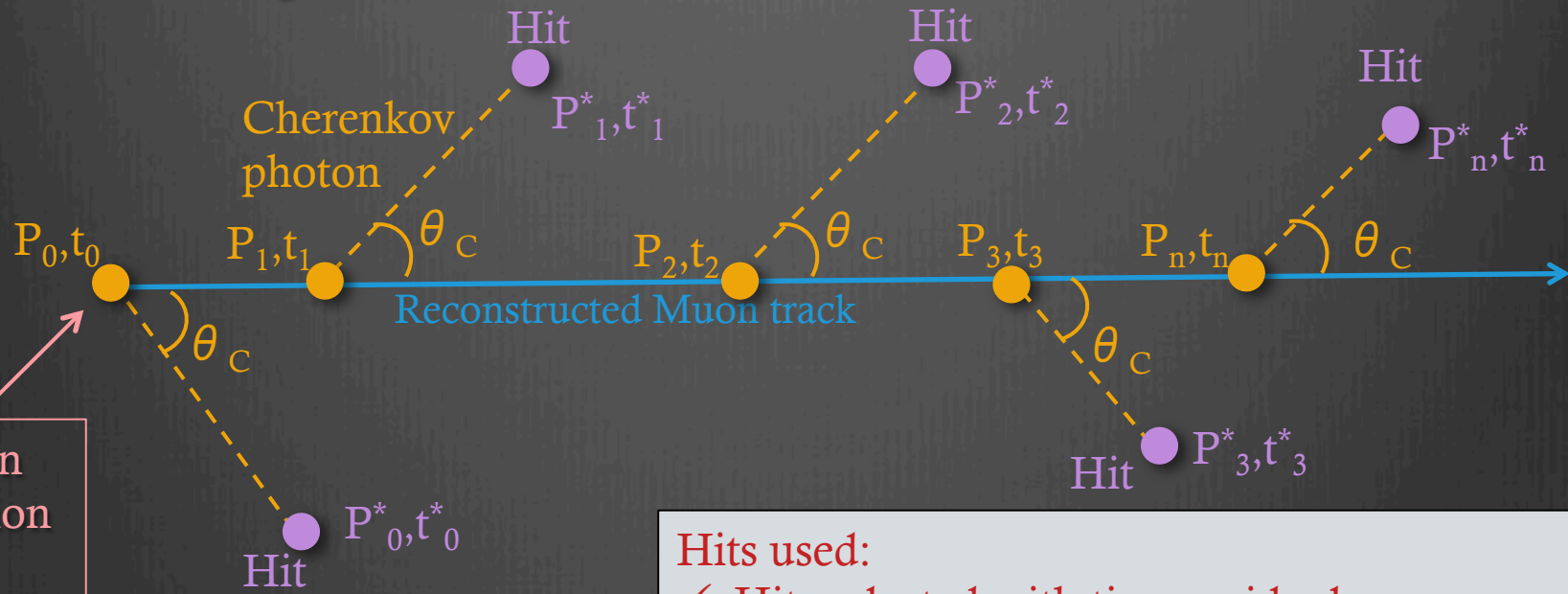
$$Efficiency = \frac{N_{hit\_selected\_signal}}{N_{hit\_signal}}$$

# Reconstruction scheme



# Muon Track length estimate

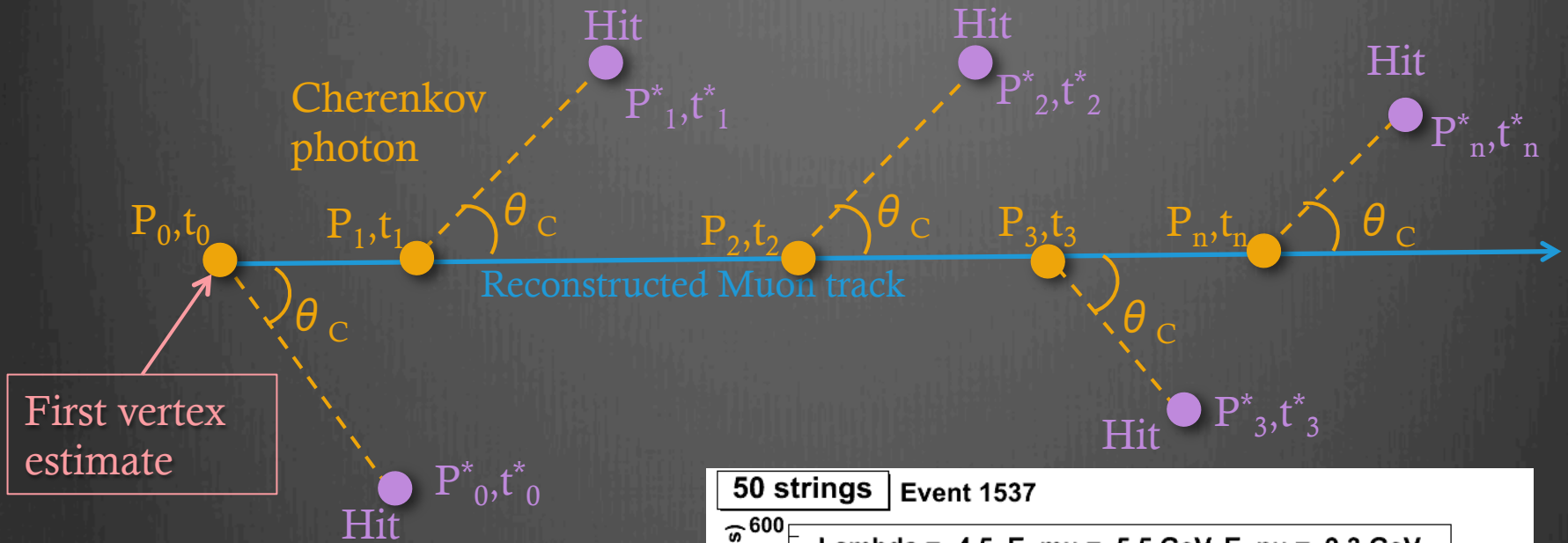
- From the position  $P_i^*$  and the time  $t_i^*$  of each hit, the photon emission point  $P_i$  and the emission time  $t_i$  can be calculated
- The distance between the first point  $P_0$  and the last point  $P_n$  is an estimate of the muon track length



## Hits used:

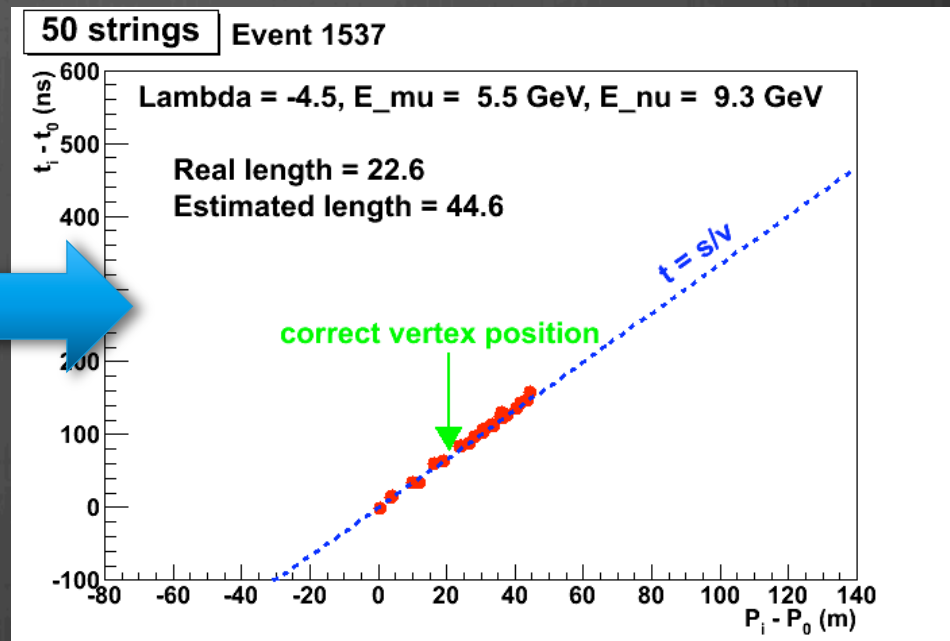
- ✓ Hits selected with time residual  
 $-10\text{ns} < \Delta t_{\text{res}} < 10\text{ns}$
- ✓ High density of points  $P_i$  along the track required (1Point/2meter)

# Muon Track length estimate



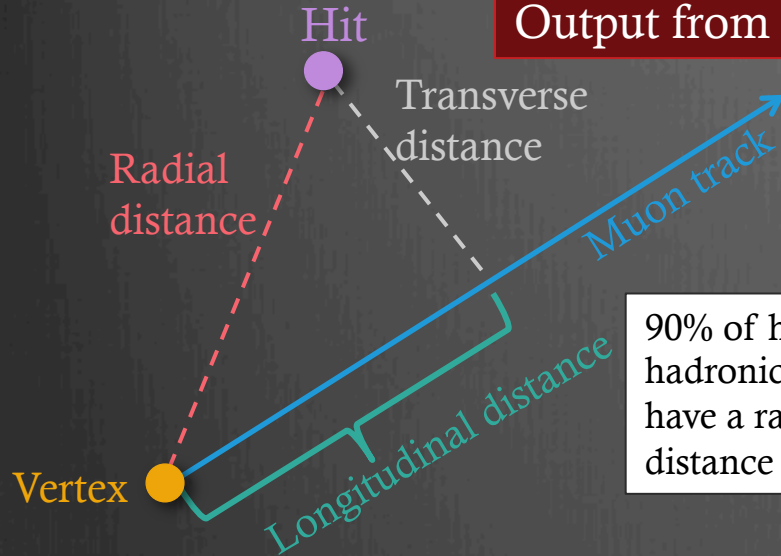
Track length often overestimated because of hits from hadronic shower

A different vertex estimate is needed

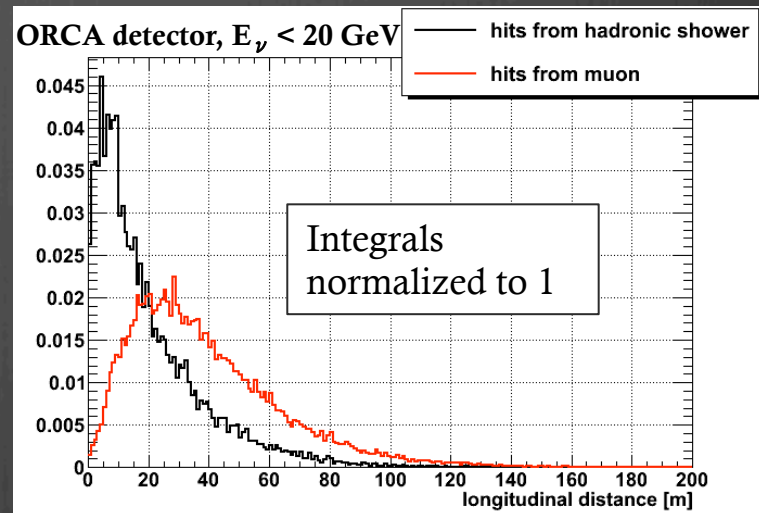
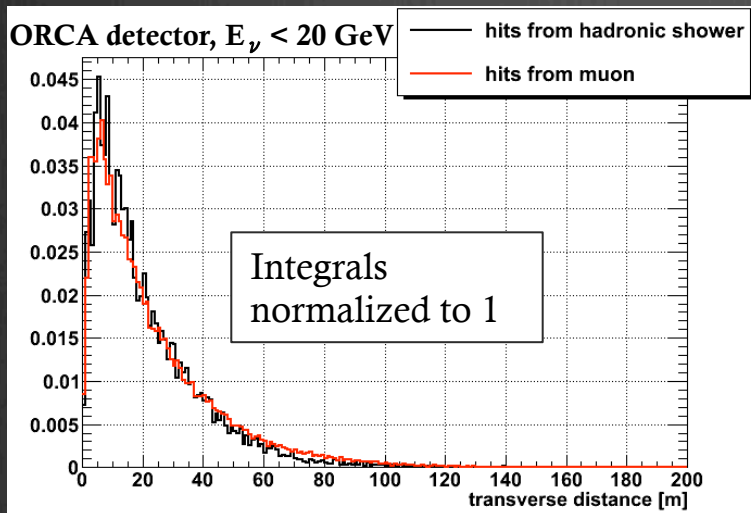
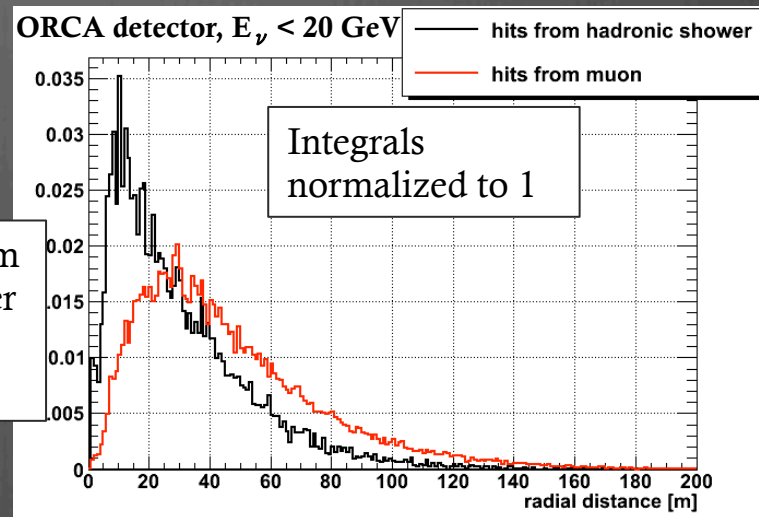


# Hadronic shower analysis: can hits from hadronic shower be identified?

Output from geasim  $\rightarrow$  no  $^{40}\text{K}$  background



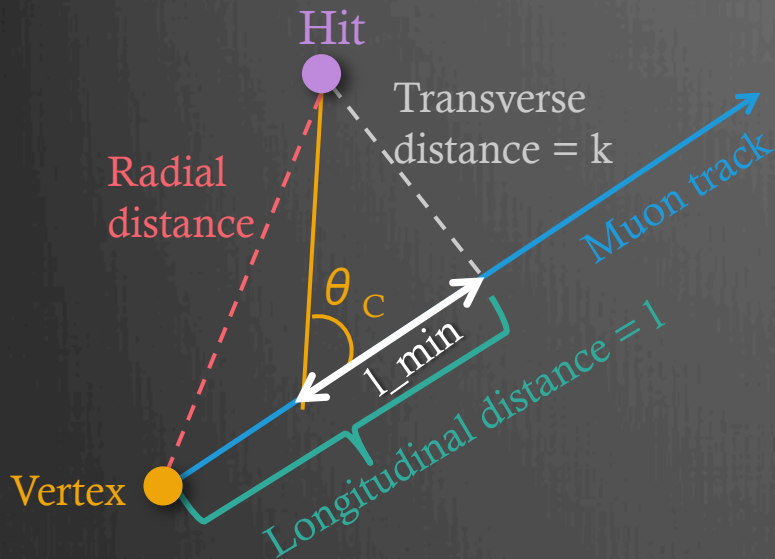
90% of hits from hadronic shower have a radial distance  $< 60\text{m}$





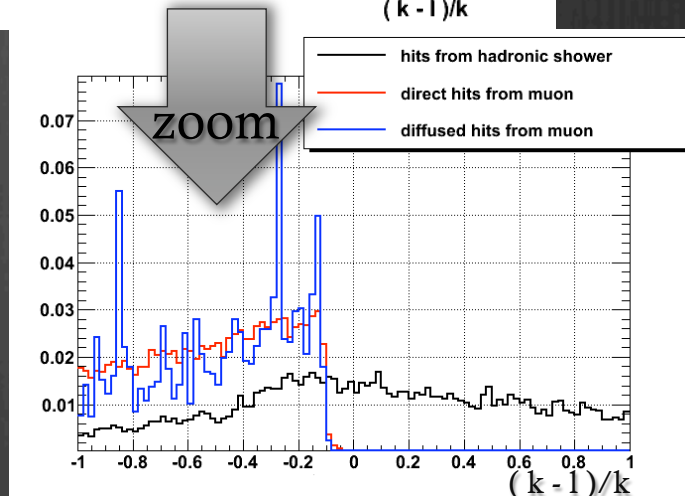
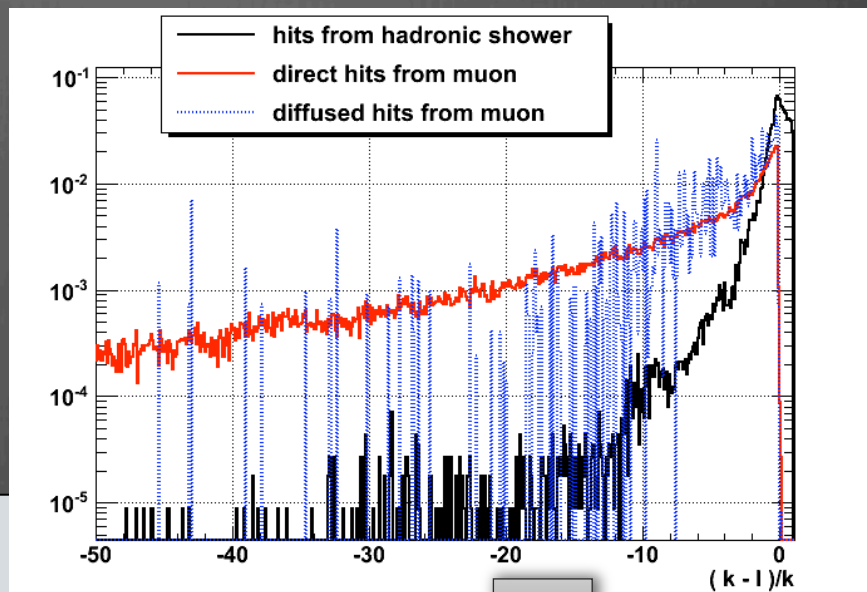
# Hadronic shower analysis: can hits from hadronic shower be identified?

Output from geasim → no  $^{40}\text{K}$  background



For hits from muon track the minimum value of the longitudinal distance is given by  $l_{\min} = k \cdot \cotan(\theta_c) \approx 1.11 \cdot k \rightarrow$  minimum of  $(k-l)/k \approx -0.1$

Muon track hits:  $(k-l)/k < -0.1$       Shower hits:  $(k-l)/k > -2$





# Hadronic shower analysis: hits from hadronic shower can be identified?

Output from geasim → no  $^{40}\text{K}$  background

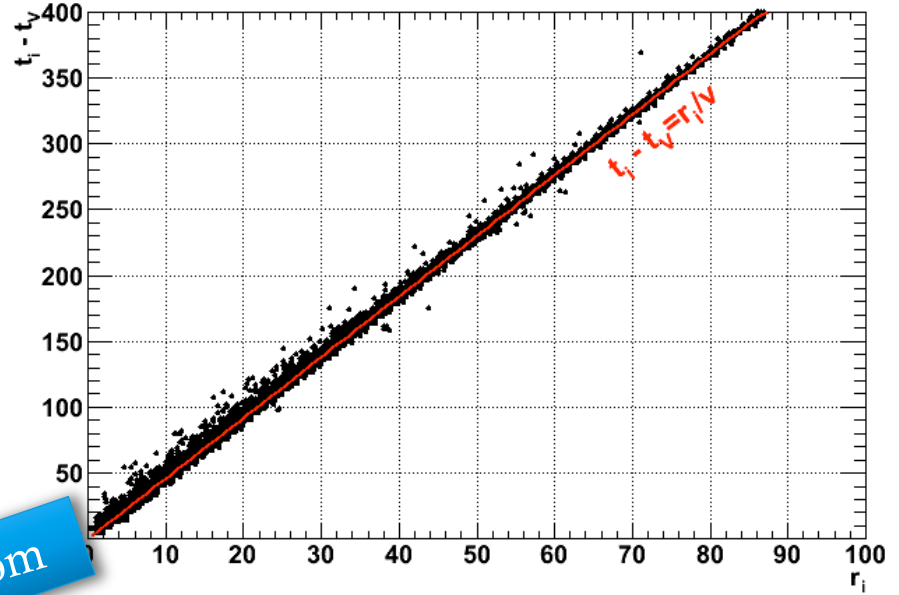
Assuming the evolution of the shower as a spherical wave, each hit time should be:

$$t_i = t_{\text{vertex}} + r_i/v$$

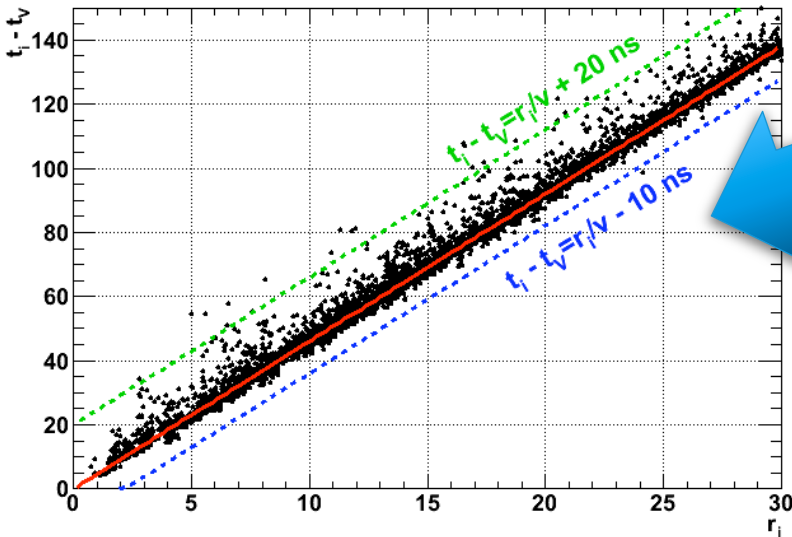
Radial distance  
hit-vertex

light speed in water

Only hits from shower  $E_v < 20\text{GeV}$



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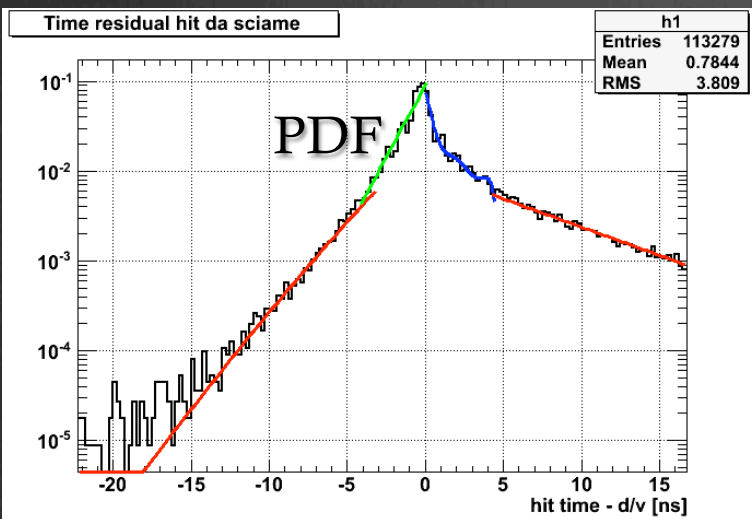


Defining a “time residual” as  
 $\Delta t = \text{recorded} - \text{expected time}$   
 $= t_i - (t_v + r_i/v)$ ,  
99% of hits from shower have  
 $-10\text{ns} < \Delta t < 20\text{ns}$

# Vertex estimate

Interaction vertex estimate through the following steps:

- 1) First vertex estimate from the first photon emission points on the reconstructed muon track
- 2) Hits from the hadronic shower identified through cuts on time residual, on the distance from the first vertex estimate and on  $(k-1)/k$
- 3) Second vertex estimate from a maximum likelihood fit applied to the selected hit using a PDF  $\rightarrow$  PDF from the time residual distribution obtained by the MC truth assuming the shower as a spherical wave:



$$\Delta t = \text{recorded} - \text{expected time} = t_i - (t_v + r_i/v)$$

Vertex time  $\leftarrow$

Radial distance  
hit-vertex  $\leftarrow$

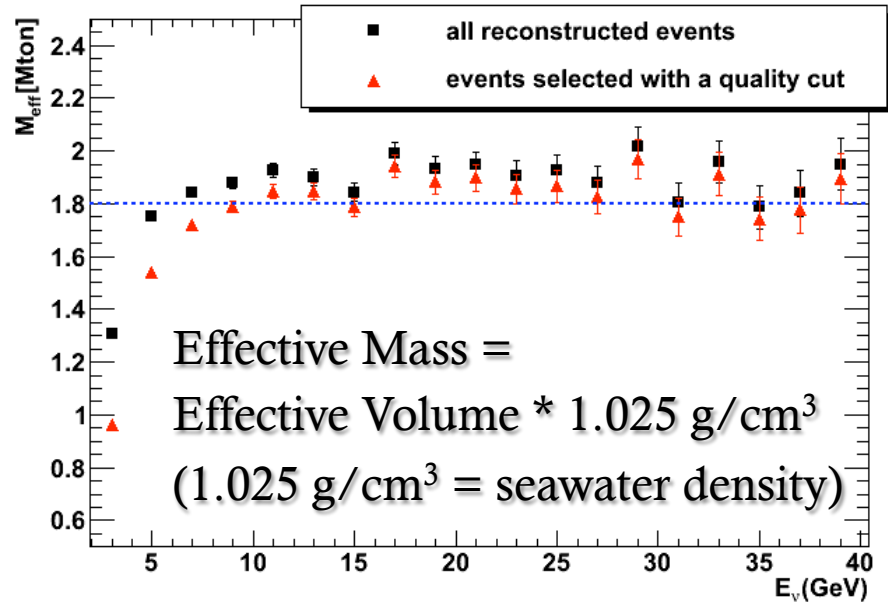
Light speed  
in water  $\leftarrow$

- 4) Final vertex estimate chosen between the first and the second according the likelihood value of the fit

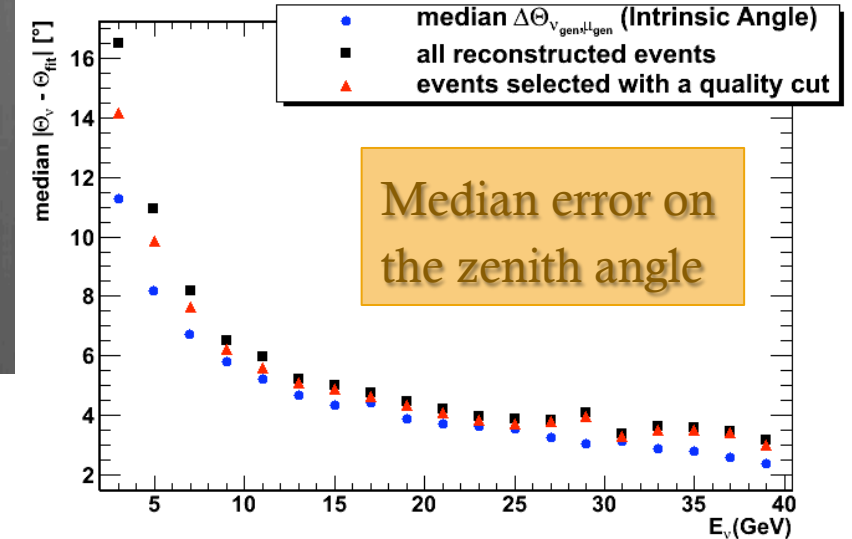
# Results

Only events reconstructed as upgoing and with the reconstructed vertex inside the instrumented volume

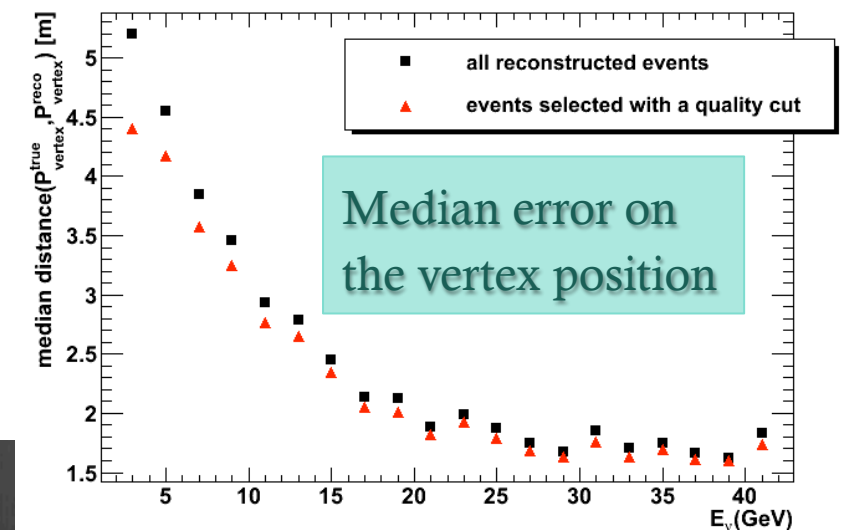
Reconstructed vertex inside the instrumented volume Upgoing events



Reconstructed vertex inside the instrumented volume Upgoing events



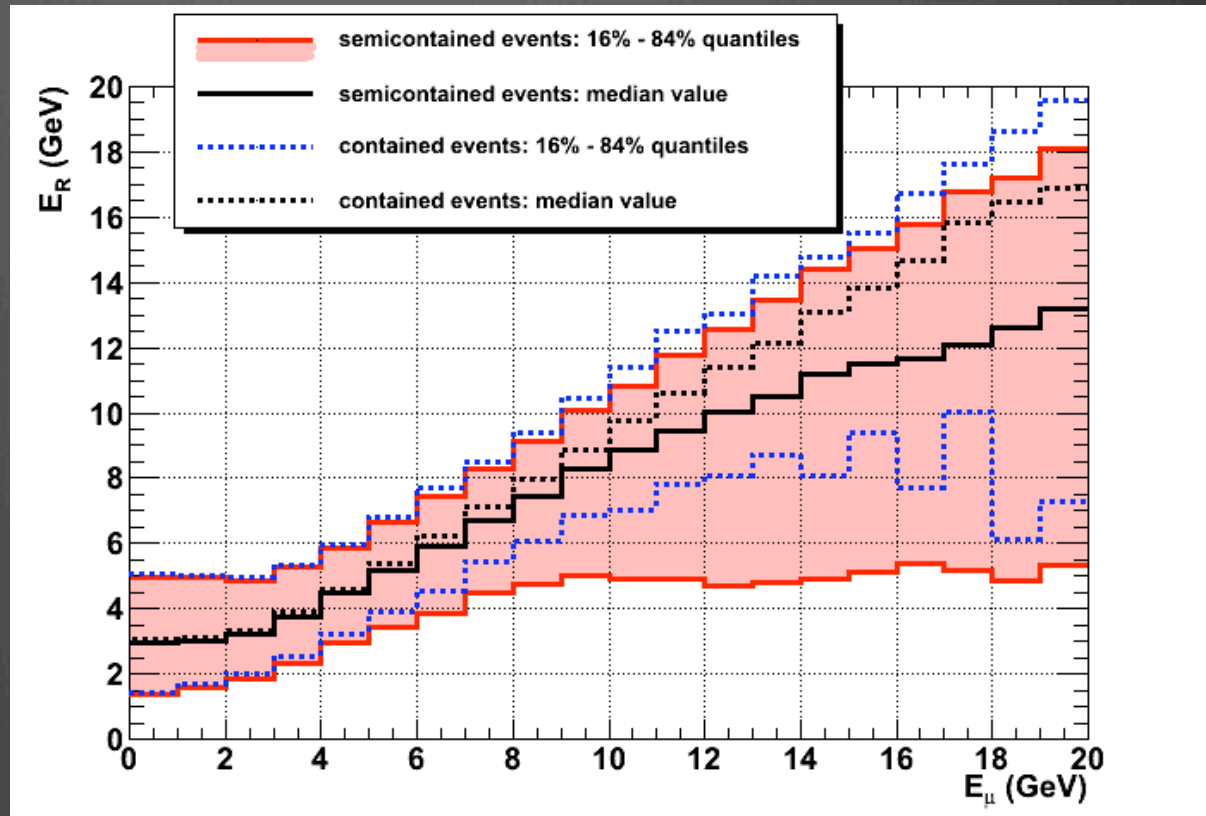
Reconstructed vertex inside the instrumented volume Upgoing events



# Muon energy estimate

Only events reconstructed as upgoing and with the reconstructed vertex inside the instrumented volume

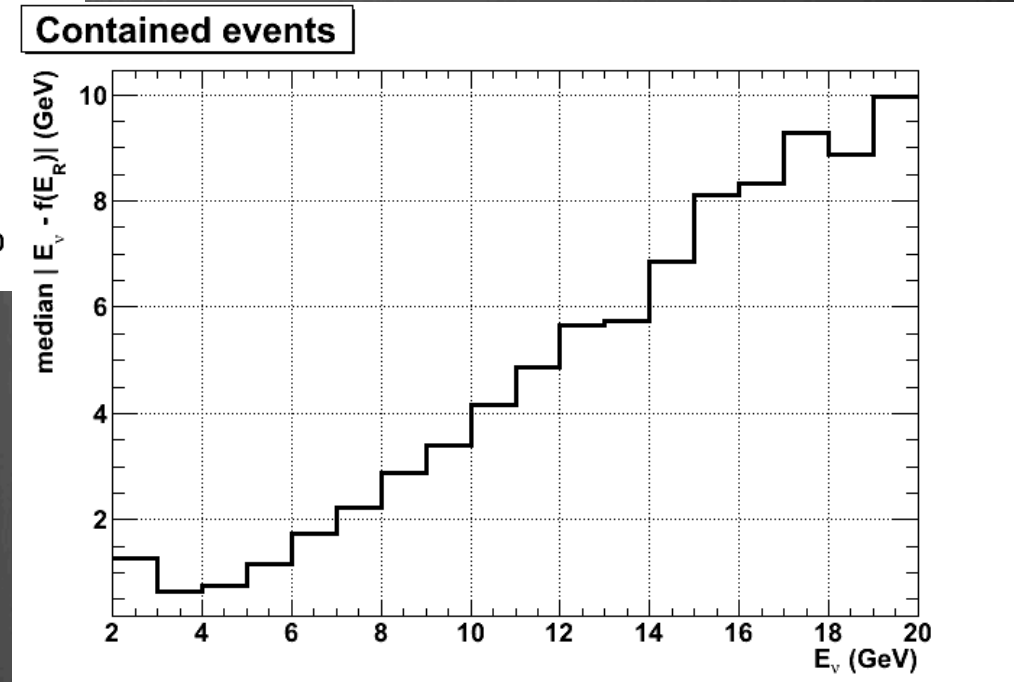
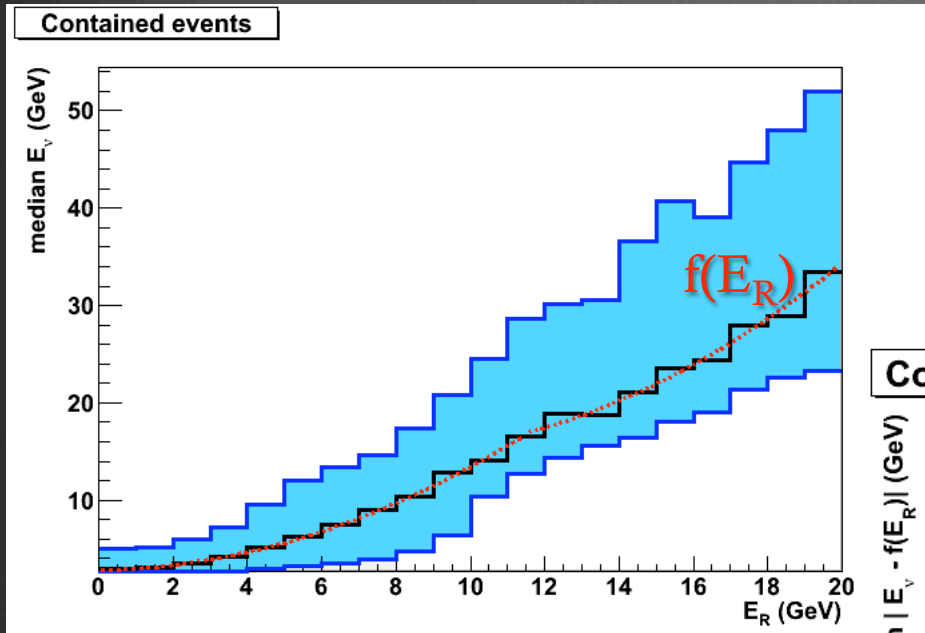
Reconstructed muon energy as a function of the real muon energy. The red band is the 1-sigma range (16% to 84% quantiles) the black line is the median per muon energy bin.



Semi-Contained events: muon reconstructed vertex inside the instrumented volume

Contained events: events that have the estimated ending point closer to the detector centre than the estimated vertex → condition to be improved...

# Neutrino energy resolution



Contained events: events that have the estimated ending point closer to the detector centre than the estimated vertex → condition to be improved...



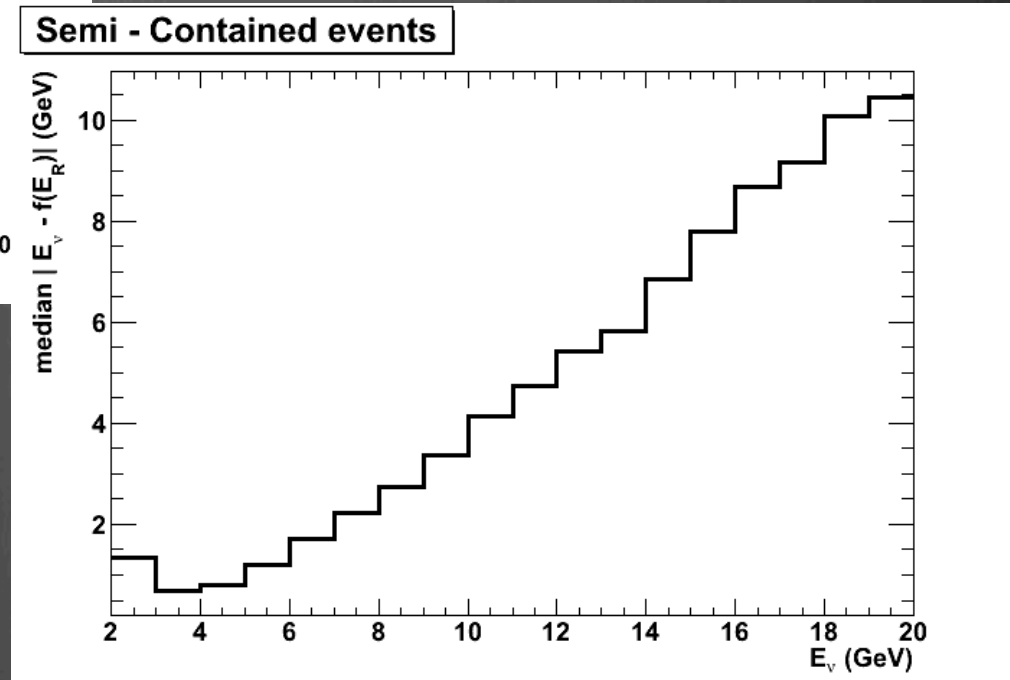
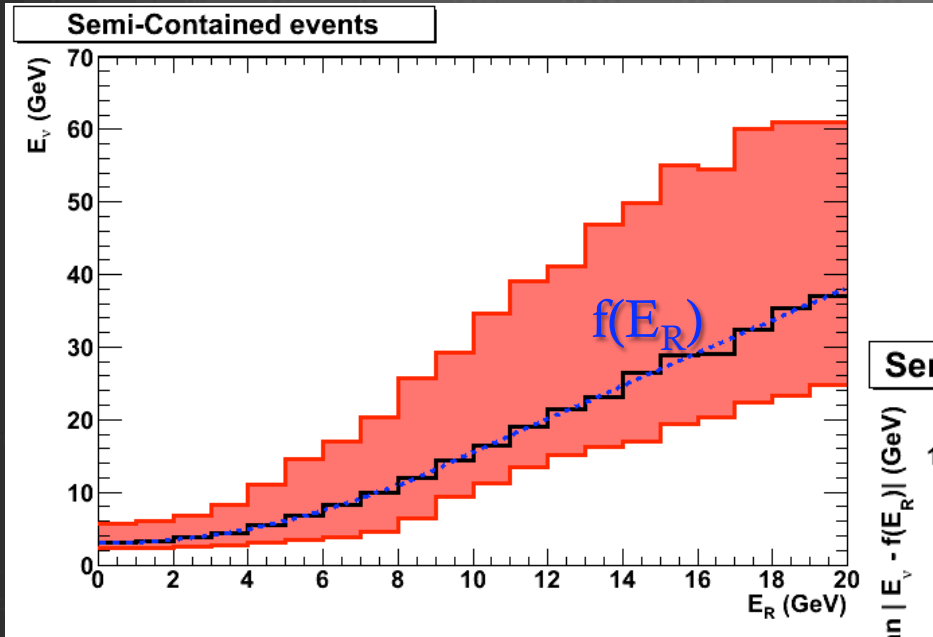
# To do list

- ✧ Muon track length/energy estimate needs a study on containment conditions
- ✧ Estimate of the shower energy has to be done (there is no clear relation between the total number hits from the shower and the shower energy)



Thank you for your  
attention!

# Neutrino energy resolution



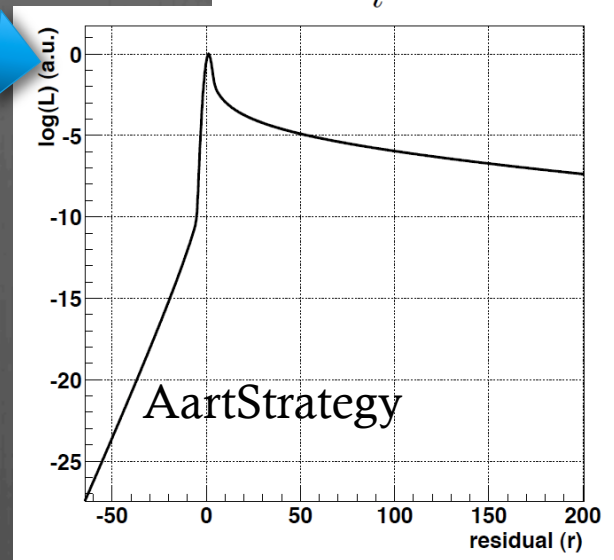
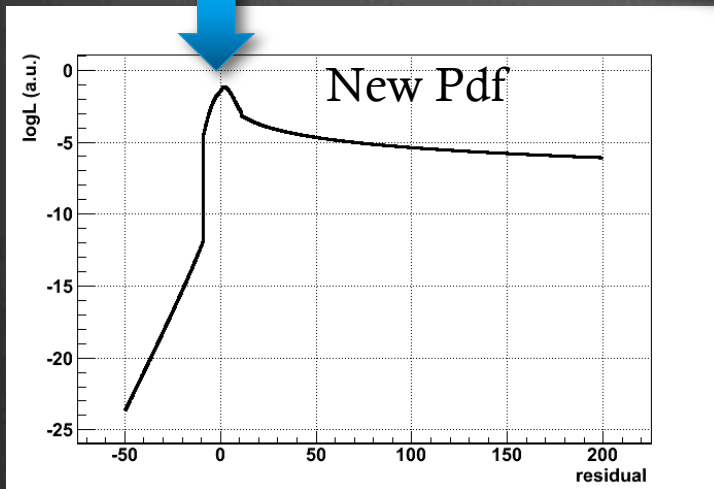
Semi-Contained events: muon reconstructed vertex inside the instrumented volume

# Fit

➤ For each track:

- M-estimator fit → same as Aartstrategy
- PDF fit

$$G = \sum_i -2\sqrt{1 + r_i^2/2}$$



- A best track is chosen according to the higher value of  $Q = N_{\text{hit}} - \text{Chi}^2 / (N_{\text{hit}} - 5)$
- Final fit → same as Aartstrategy
- Each fit use the result of the previous procedure as a starting point and are used only hits selected with the “angular selection” and with limits on the time residual and on the orthogonal distance from the reference track. Hits with the highest score are always added.