## Intrinsic variation in physics events for ORCA



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## Detectors see showers and tracks via photons



- Information via photons:
- Number ~ energy
- Direct photons ~ direction

- Physical mechanism:
- Vertex physics
- Particle propagation
- Cherenkov emission
- What is the effect of intrinsic fluctuations in the physics?


## Principles

- What is the best we can do if we detect every single photon?
- Simulate many identical events
- Look at fluctuations in photon output and track behaviour
- Given we detect only some photons, what's the best we can do?
- Estimate mean detector response
- What minimum error does this give us?
- Always make optimistic assumptions on detector response


## Muons: tracklength and deviation

- 10 Muon tracks, 3-13 GeV:

- They are not perfect straight lines (direction error)
- Length also differs (energy error)


## Showers: vertex effects

- 2 events: same momentum transfer at the vertex

Plot:



Pi0

- Additional source of variation:
- Composition of the cascade
- Energy/momentum of recoil nucleus


## Principles

- Muons
- Energy: estimate using true muon track length
- Direction: use a linear fit to the track
- Showers:
- Energy: estimate using total detected photons
- Direction: mean photon direction - using direct photons only.
- Assumptions: always make optimistic ones!
- Know where photons come from
- Perfect vertex reconstruction
- Do not model detector effects


## MUON TRACK FLUCTUATIONS

## Muons: energy (method)

- Muon energy - estimate it through the tracklength $\frac{\Delta L}{L} \Leftrightarrow \frac{\Delta E}{E}$
- 'MUSIC': muon tracking in km3
- output muon track information for many events
- Run muons of a given energy, record tracklength


$$
\Delta L=L-4.25 \frac{E}{1 \mathrm{GeV}}
$$

- Fit using gaussians: use
- central peak (fit 1)
- all data (fit 2)
- Simple root mean square

Courtesy J. Hofestädt

## Muons: energy (results)

- Intrinsic spread from physical fluctuations


Courtesy J. Hofestädt

- Approximately 8\% muon energy resolution


## Muons: direction (method)

- How straight are muon tracks?
- Run 2000 muons over 0-20 GeV range with GEANT 3.21
- Get $x(z)$ and $y(z)$ with simple linear fit
- Obtain angular offset $\quad \theta=\cos ^{-1}\left(\hat{v}_{f t} \cdot \hat{z}\right)$



## Muons: direction (results)

- Estimation of intrinsic variation:
mean angular offset from $z$-axis (original direction)


Courtesy
M. Pleinert

- 10 GeV muons: $\sim 4^{\circ}$ intrinsic error
- Work still needed to characterise this (true dist 2D)


## SHOWER FLUCTUATIONS

## Showers: definitions

- Outgoing particles: $B+T->R+P$
- Boson $(B)+$ target $(T)$-> remnant $(R)+$ energetic particles $(P)$
- Target $T$ and remnant $R$ invisible
$W, Z\left(E_{S}, \theta_{S}\right) \cdot \mathrm{W} / Z$ properties - you want to reconstruct these!

- Define 'shower' energy/momentum via the W/Z properties
*random target orientation and $\sim$ no coupling to e.g. magnetic moment of target


## Simulations

- Events from gSeaGen (12000)
- $0-30 \mathrm{GeV}$ range ( $\mathrm{E}_{\mathrm{s}}=\mathrm{y} \mathrm{E}_{\mathrm{nu}}$ )
- 100 events per GeV (randomly selected)
- 4 classes: NC/CC and Muon/Electron neutrinos
- Ignore leptons in CC events
- Simulations
- GEANT 3.21
- Repeat 50 times for each of 12,000 events
- Record photon statistics (number and direction)
- Analysis
- Fit fluctuations within and between events
- Energy error: total number of photons
- Direction error: mean photon direction


## Results: errors in energy resolution

- Each point: mean of 50 runs for each vertex
- Error bars: variation within these 50


Outliers: cause unknown

## Total intrinsic variation: shower energy

- Repeat for \nu_mu and CC/NC events

Difference NOT significant


- Fractional error in emitted photons ~ fractional error in energy reconstruction
- 1 GeV showers: ~50\% energy resolution
- 10 GeV showers: ~20\% energy resolution


## Results: direction ('vertex' variation $\theta_{v}$ )

- 1 point per vertex (mean over 50 runs)
- Plot offset of this mean from the z-axis


- Fit: 34 degrees at 1 GeV , 3.4 degrees at 10 GeV


## Results: direction (cascade variation $\theta_{c}$ )

- Each point: variation of 50 runs about mean


- $1 \mathrm{GeV}: \sim 20$ degrees
- $10 \mathrm{GeV}: \sim 6$ degrees


## Total intrinsic variation:

- Repeat for \nu_mu and CC/NC events


Add errors in quadrature:

$$
\theta_{t o t}=\sqrt{\theta_{1}^{2}+\theta_{2}^{2}}
$$

- Fits statistically identical: no plans to repeat for antineutrino events.
- You will not be able to reconstruct showers better than this - even if you detect every single photon.


## DETECTOR LIMITATIONS

How are we limited by not detecting every photon?

## Detector Response

- What is the mean photocathode density in the ocean?
- Mean PMT effective area: $\bar{A}_{P M T}(\lambda)=\frac{1}{4 \pi} \int_{0}^{2 \pi} A(\lambda, \theta) 2 \pi \sin \theta \mathrm{~d} \theta$
- PMT density for contained events:



Vertical spacing $\mathrm{h}=6 \mathrm{~m}$ Horizontal area A=346 m²
1 OM per $2076 \mathrm{~m}^{3}$
$\rho_{p m t}(\lambda)=0.015$
$l_{\text {det }}(\lambda)=1 / A_{p m t}(\lambda) \rho_{p m t}$

## Result: chance of detecting any given photon

- Probability of:
- any detection (energy reco):
- direct detection (direction reco):


$$
\begin{aligned}
& p_{\mathrm{det}}(\lambda)=\frac{l_{\mathrm{det}}(\lambda)}{l_{a b s}(\lambda)} \\
& p_{\text {dir }}(\lambda)=\frac{l_{\mathrm{det}}(\lambda)}{l_{a t t}(\lambda)}
\end{aligned}
$$

Expect half photons to be detected unscattered

## Detector energy uncertainty

- How many shower photons get detected?

- Energy error $>=$ Poisson error $\frac{\Delta E_{\text {det }}}{E} \sim N^{-0.5}$
- Assumes $100 \%$ identification of shower hits, ignores detector clumpiness,...


## Results - shower energy reco

- Comparison: intrinsic, ORCA, total

- Conclude:
- Energy reco: intrinsically limited
- Perhaps a sparser detector would be best?


## Detector limits: direction

$$
\sigma_{s}=\sigma_{\gamma} / \sqrt{N_{d i r}}
$$

- Shower direction: average direction of all direct photons
- How well can we estimate the mean?



Mean photon direction over all 50 runs Mean photon direction for a single run
Mean offset of each photon from the mean shower direction

## Results - shower direction reco

- Comparison: intrinsic, ORCA, total

- Conclude:
- Directional reco: detector effects significant
- A denser detector would help


## What use is this?

- Compare to current reconstruction efforts
- How close is your method to 'perfect'?
- Use to influence detector design
- Are we detector-limited or physics-limited?
- Determine limits to mass hierarchy sensitivities


## Incorporation into sensitivity plots:

- Current situation:



## Incorporation into sensitivity plots:

- Sketch of the future:



## Summary of status

- Physics is random - and this is important!
- Affects energy and directional reconstruction
- Effects estimated for muon tracks and showers
- Best-case ORCA reference detector estimated
- Event reconstruction will be limited by detected photon information
- Next steps:
- Do this for electromagnetic cascades (Nu_e CC)
- Obtain fits for muon track events
- Produce sensitivity estimates

