

A hadronic explanation of the lepton anomaly

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KIPAC, Stanford

CRA 2013, UW Wisconsin, Madison
27 September 2013

Stanford
University



New AMS results

Live Webcast

Permanent Webcast

Archive

Recent results from the AMS experiment by Prof. Ting Samuel

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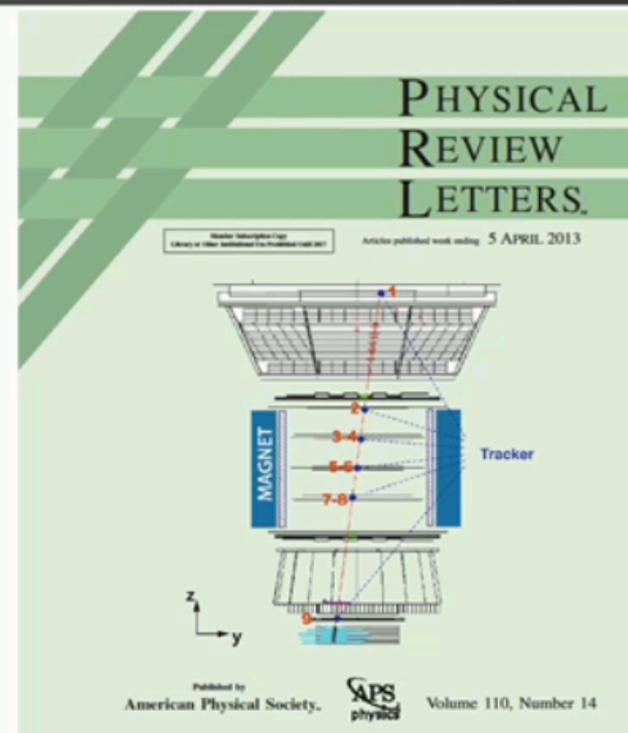
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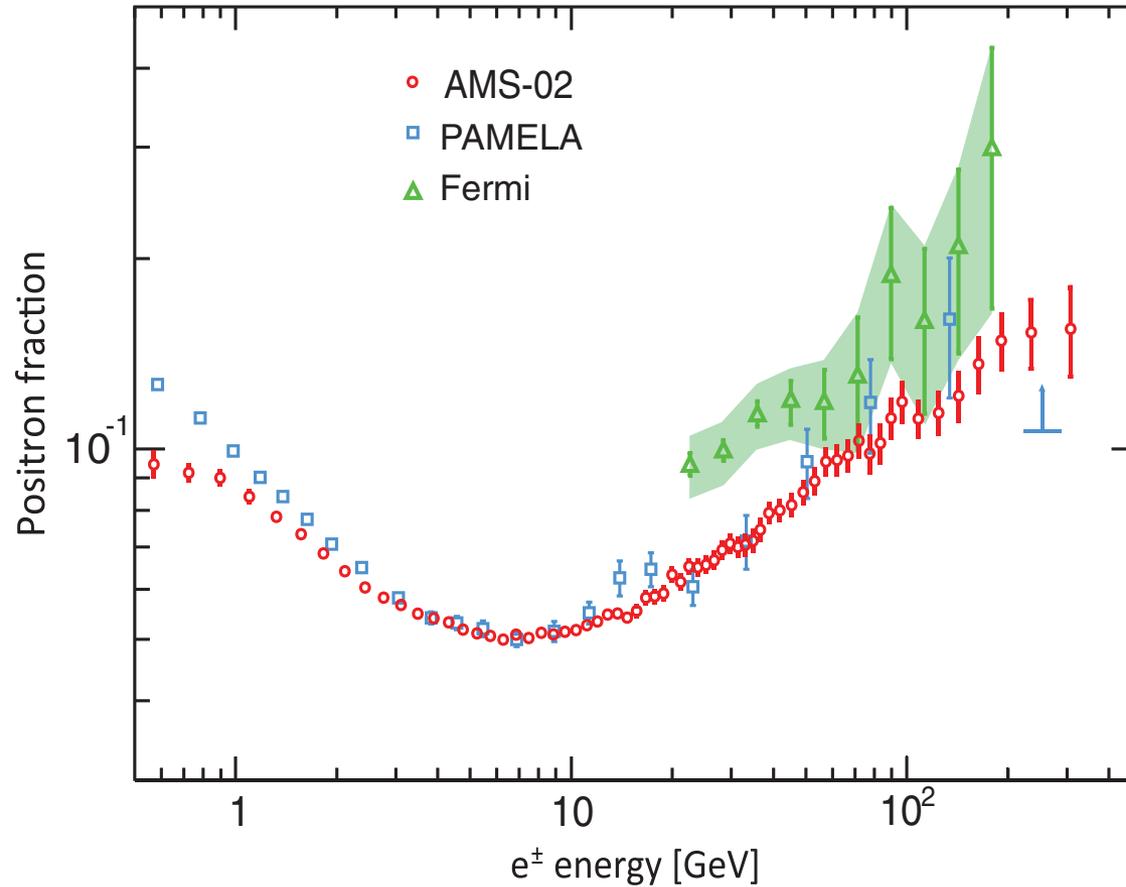
“First Result from the AMS on the ISS: Precision Measurement of the Positron Fraction in Primary Cosmic Rays of 0.5-350 GeV”

Selected for a
Viewpoint in Physics and
an Editors' Suggestion
[Aguilar, M. et al (AMS
Collaboration) Phys. Rev.
Lett. 110, 1411xx (2013)]



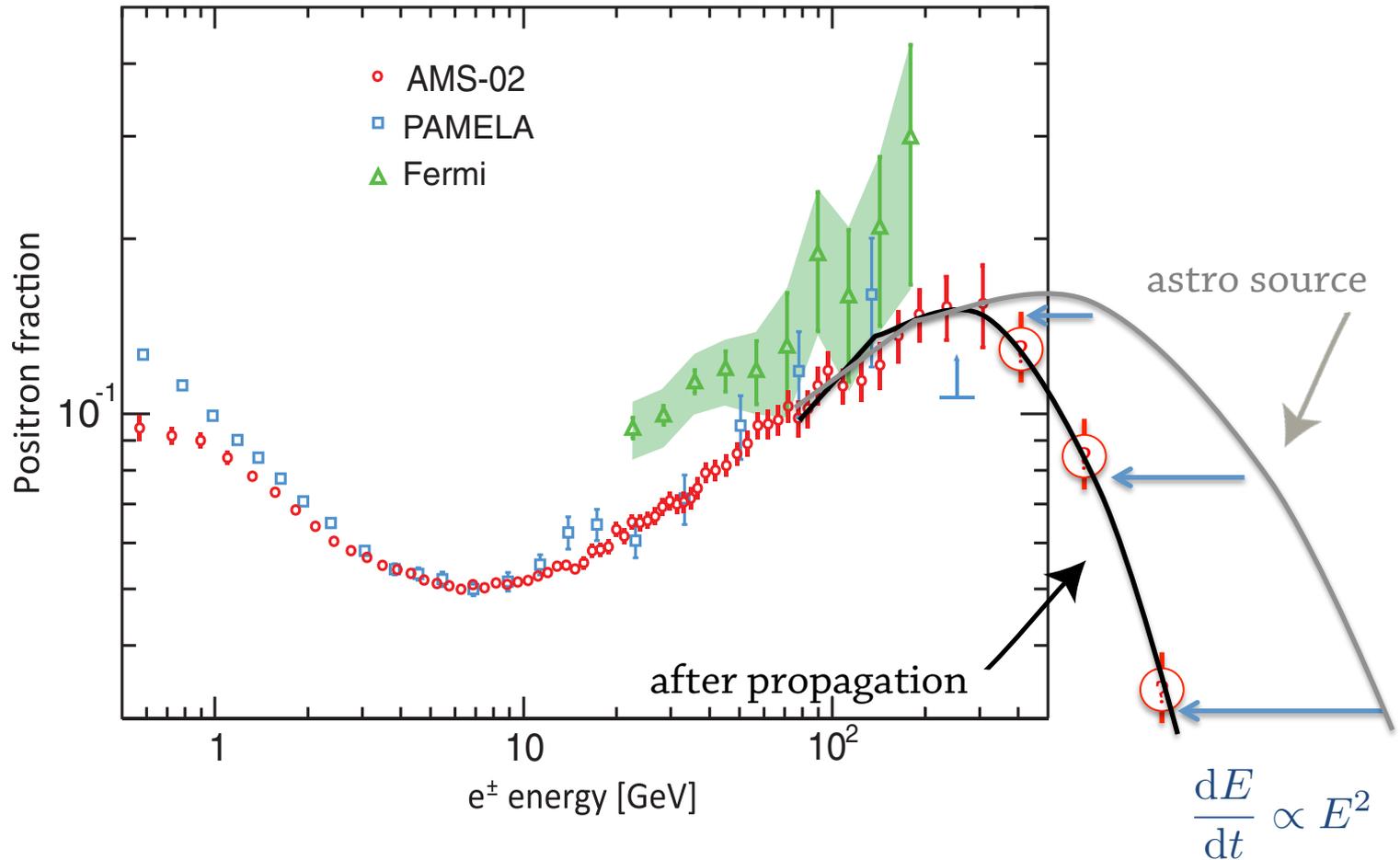
“There's no such thing as disappointing.”
(Sam Ting)

New AMS results

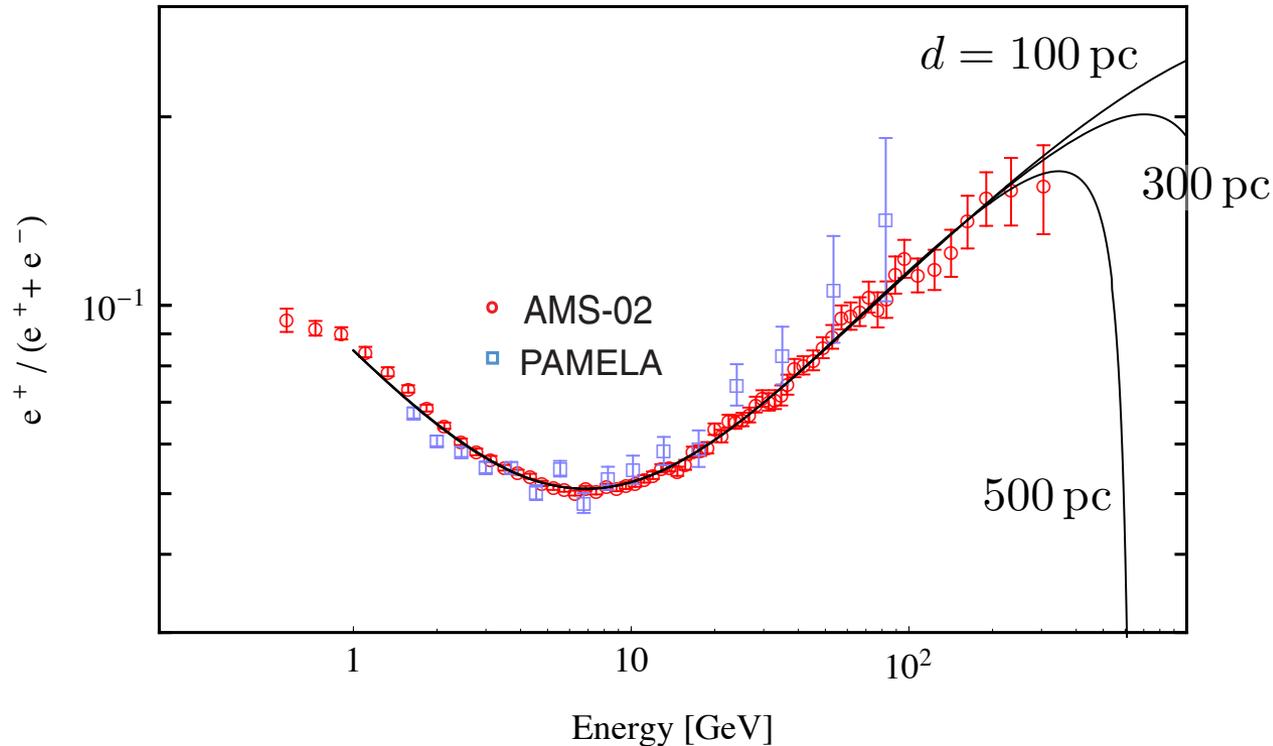


“The positron fraction is turning over,
so it must be dark matter.”

“It’s turning over, so it must be DM.”



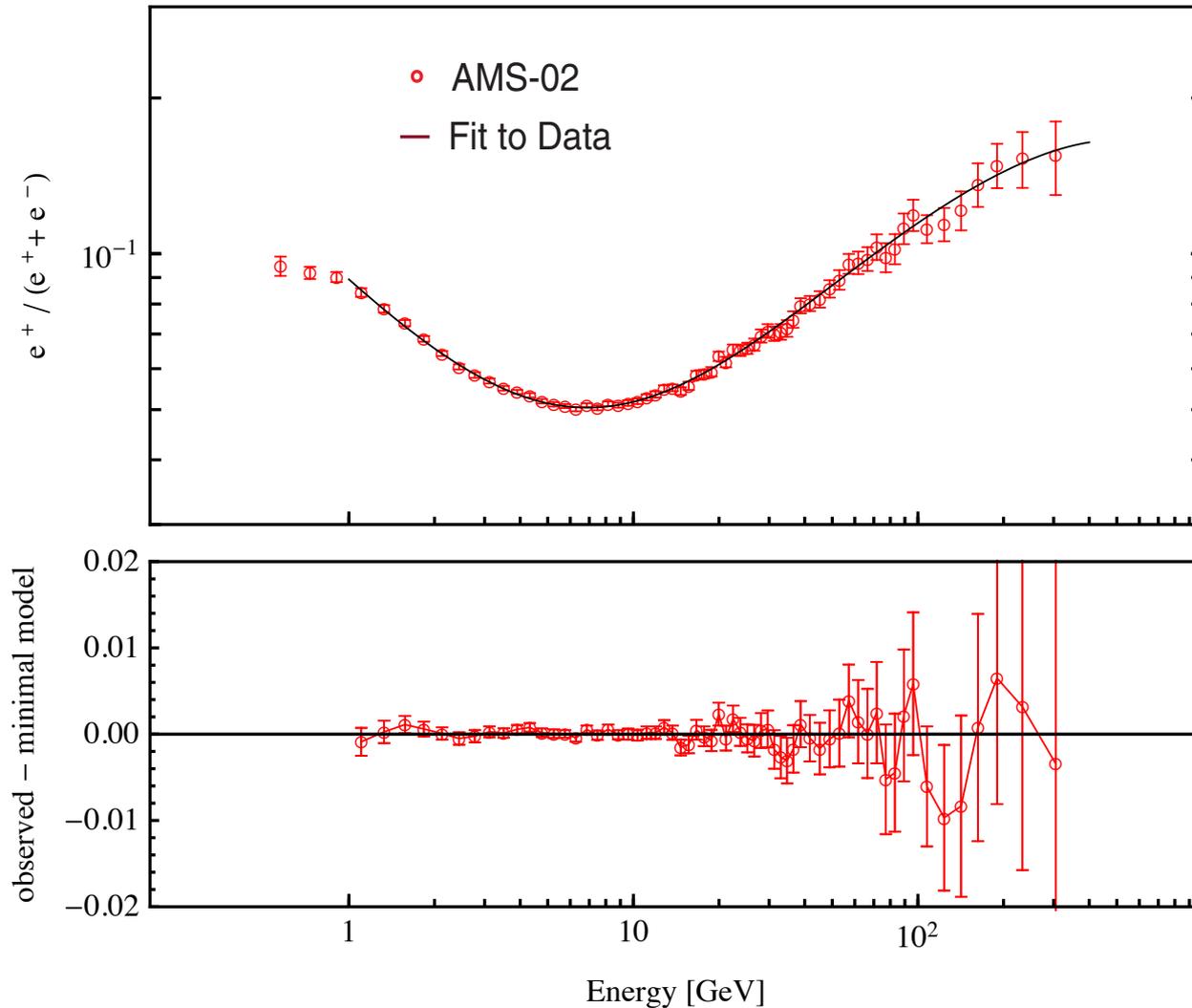
“It’s turning over, so it must be DM.”



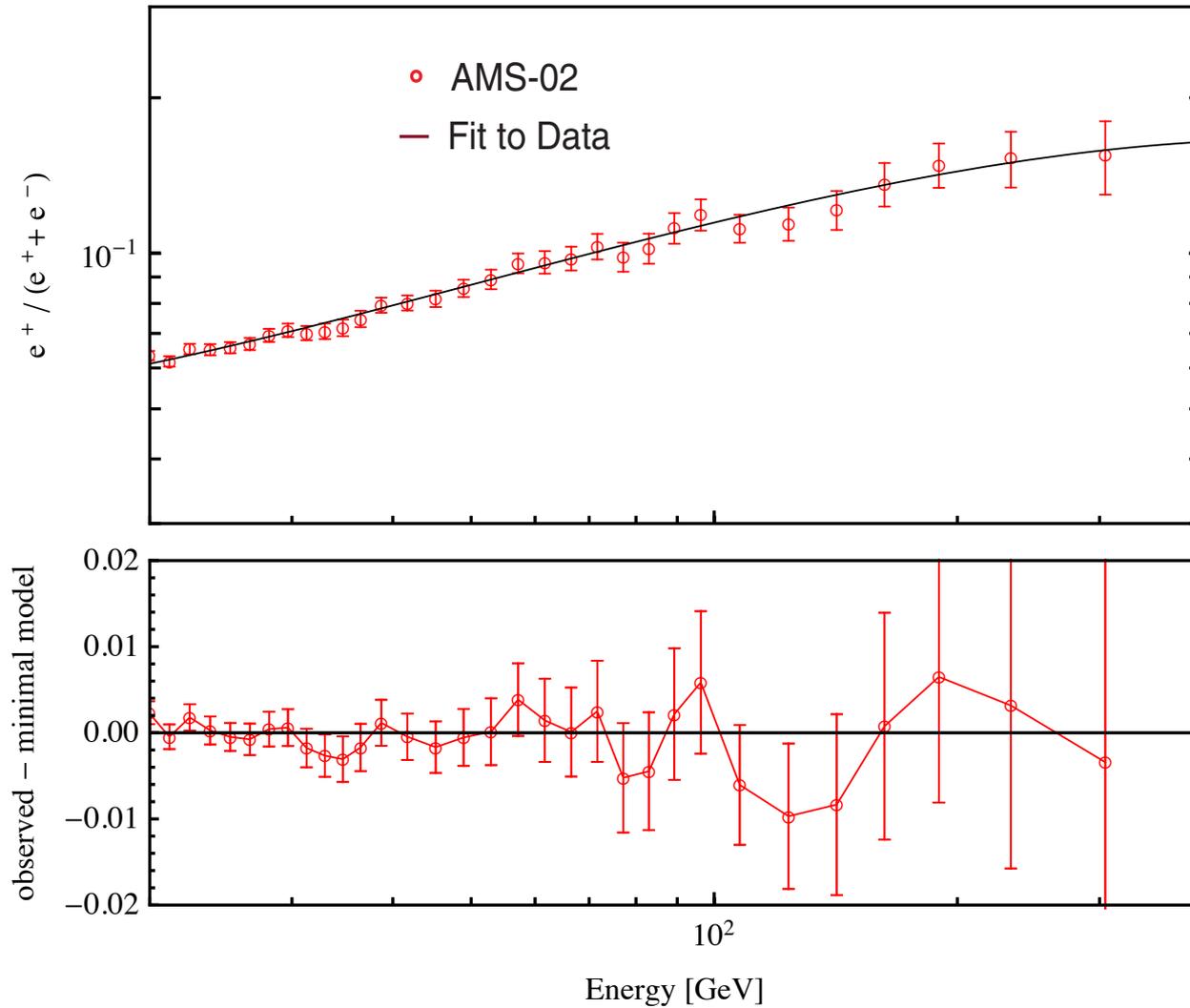
- power law spectrum with spectral index $\Gamma \sim 1.7$
- exponential cut-off at 3 TeV
- impulsive injection 20,000 ... 500,000 yr ago

“The positron fraction has substructure, so it must be dark matter.”

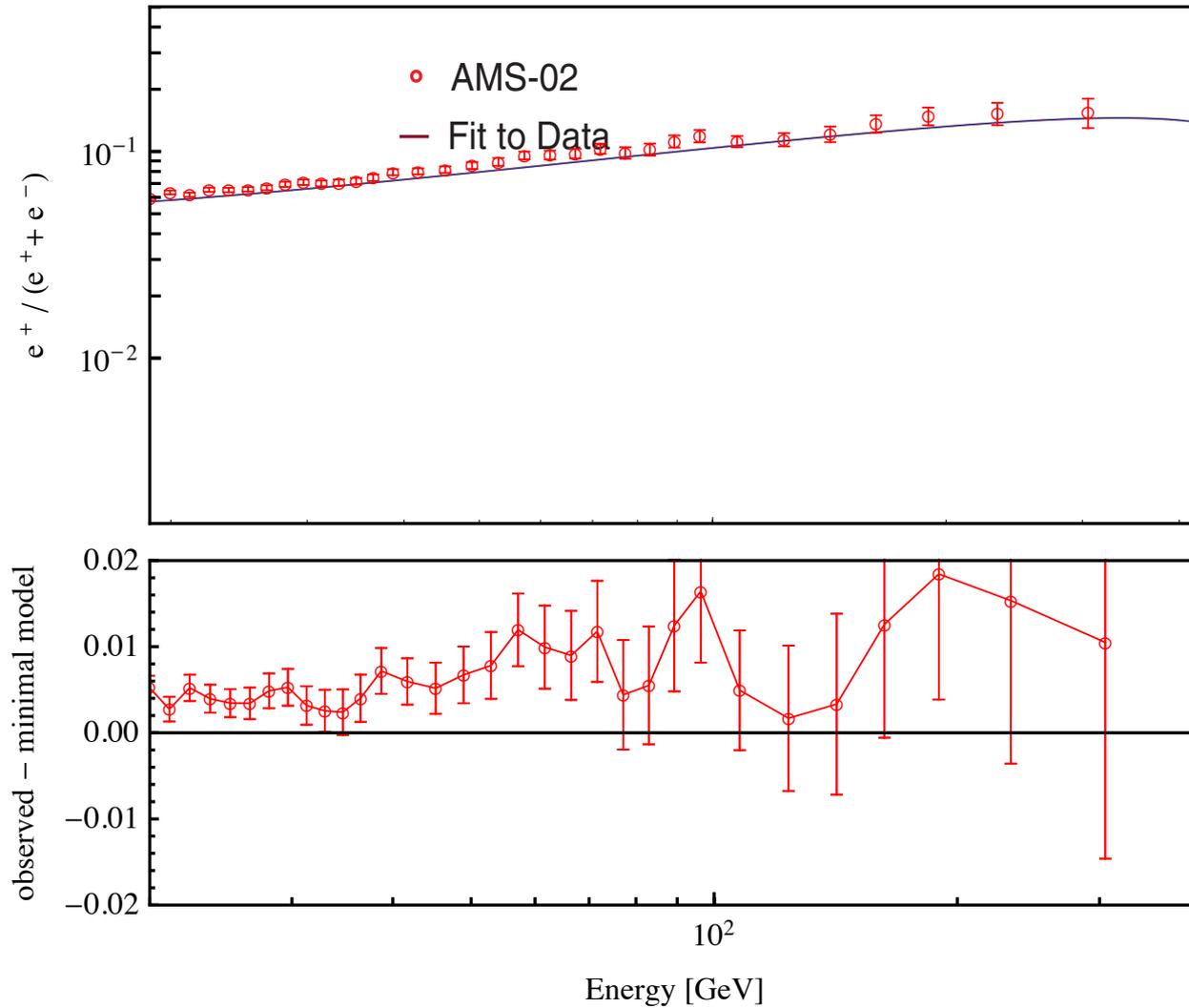
“There’s substructure, hence DM.”



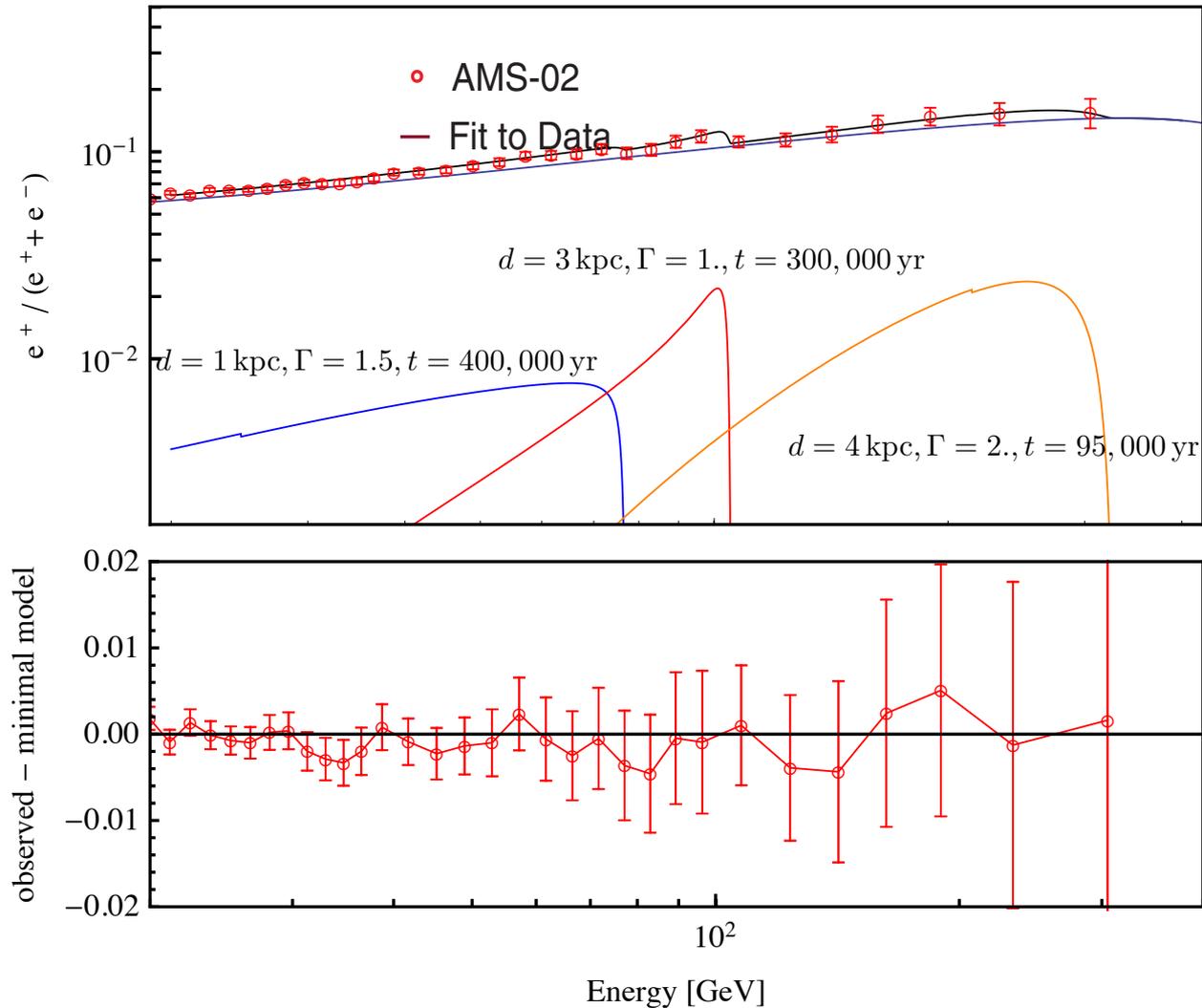
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“There’s substructure, hence DM.”



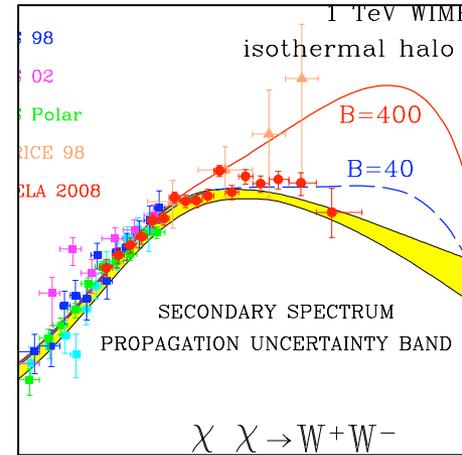
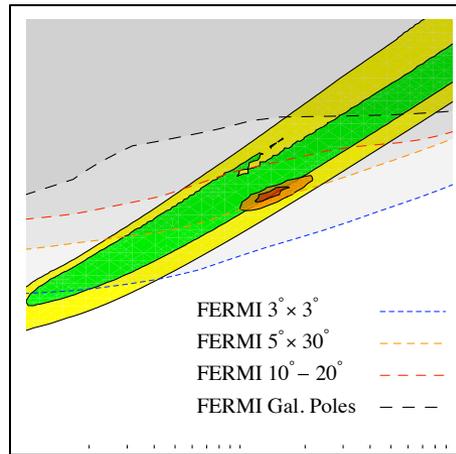
“There’s substructure, hence DM.”



“It’s either dark matter or pulsars.”

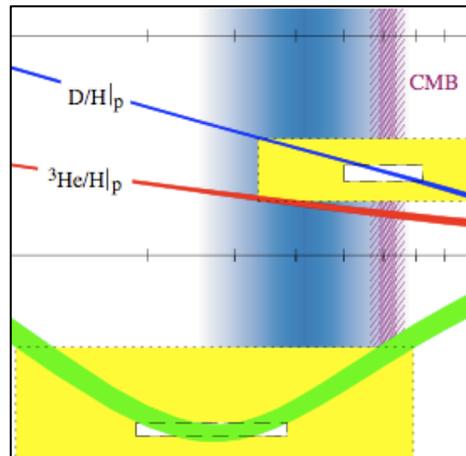
Multi-messenger problem

Gamma-ray
constraints

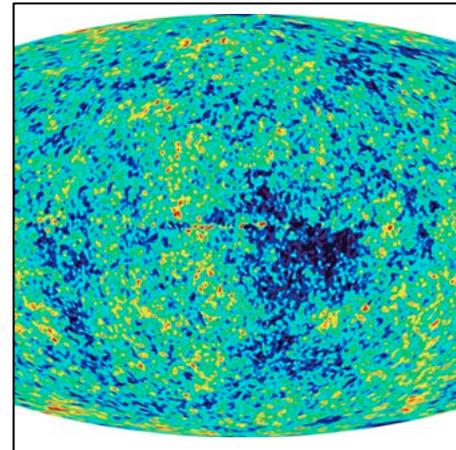


Antiproton
constraints

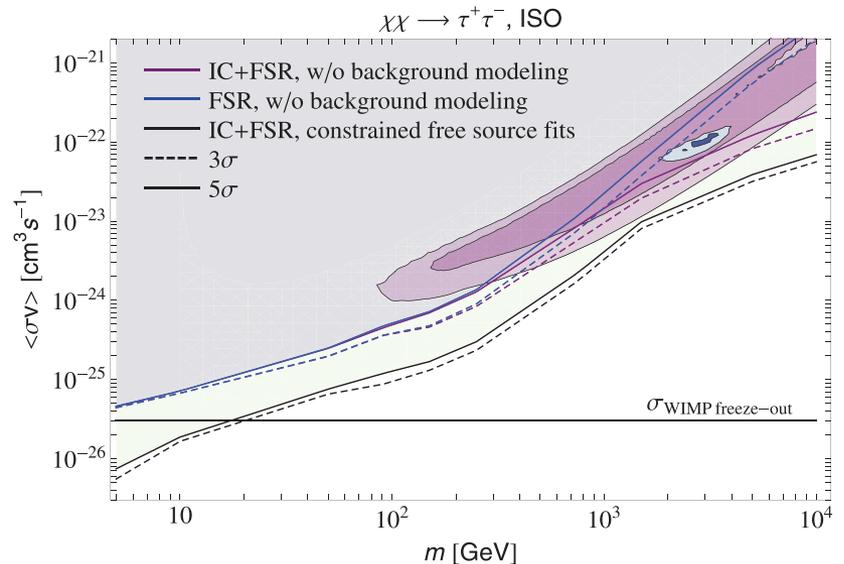
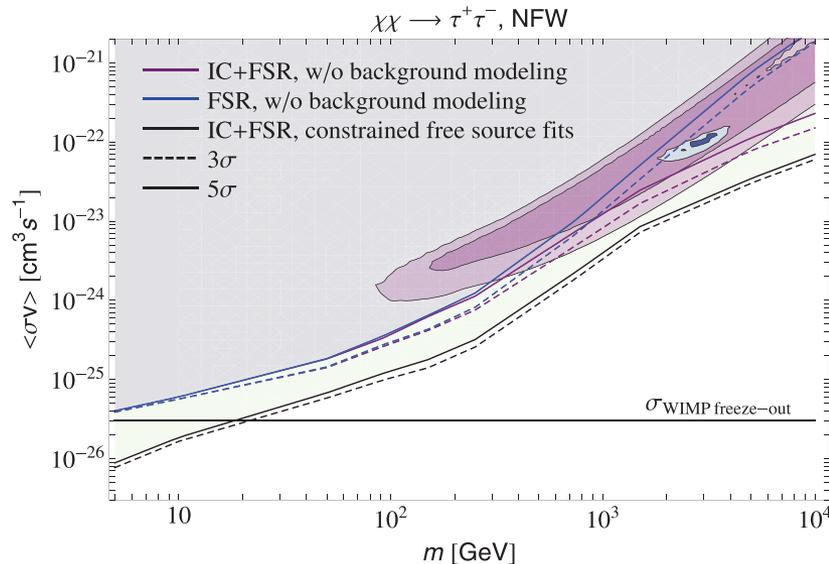
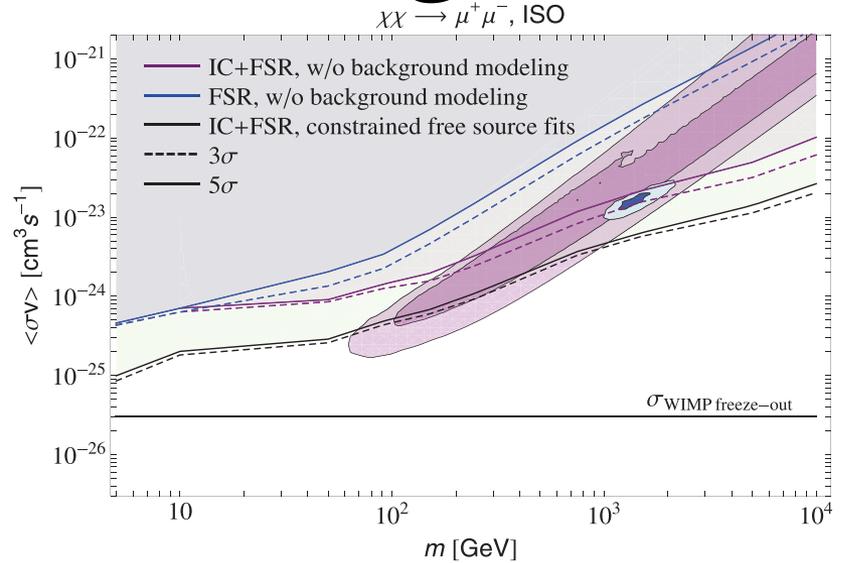
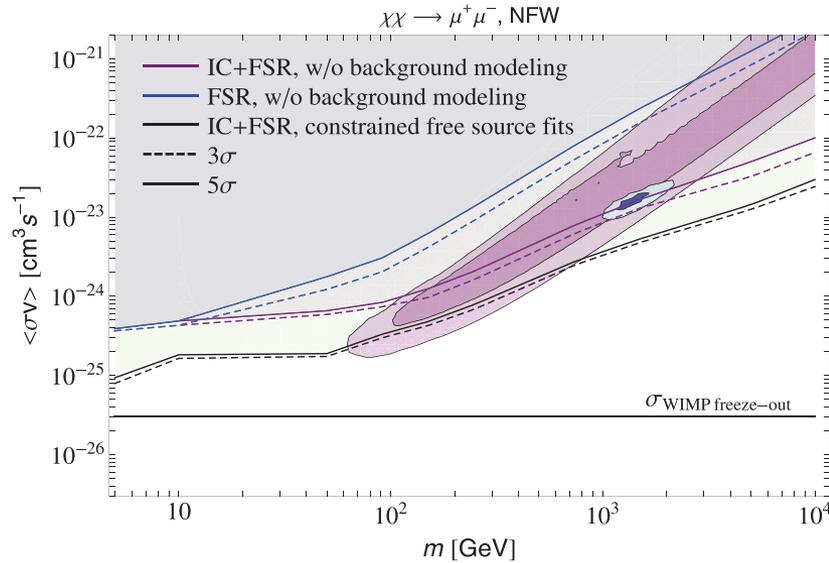
BBN
constraints



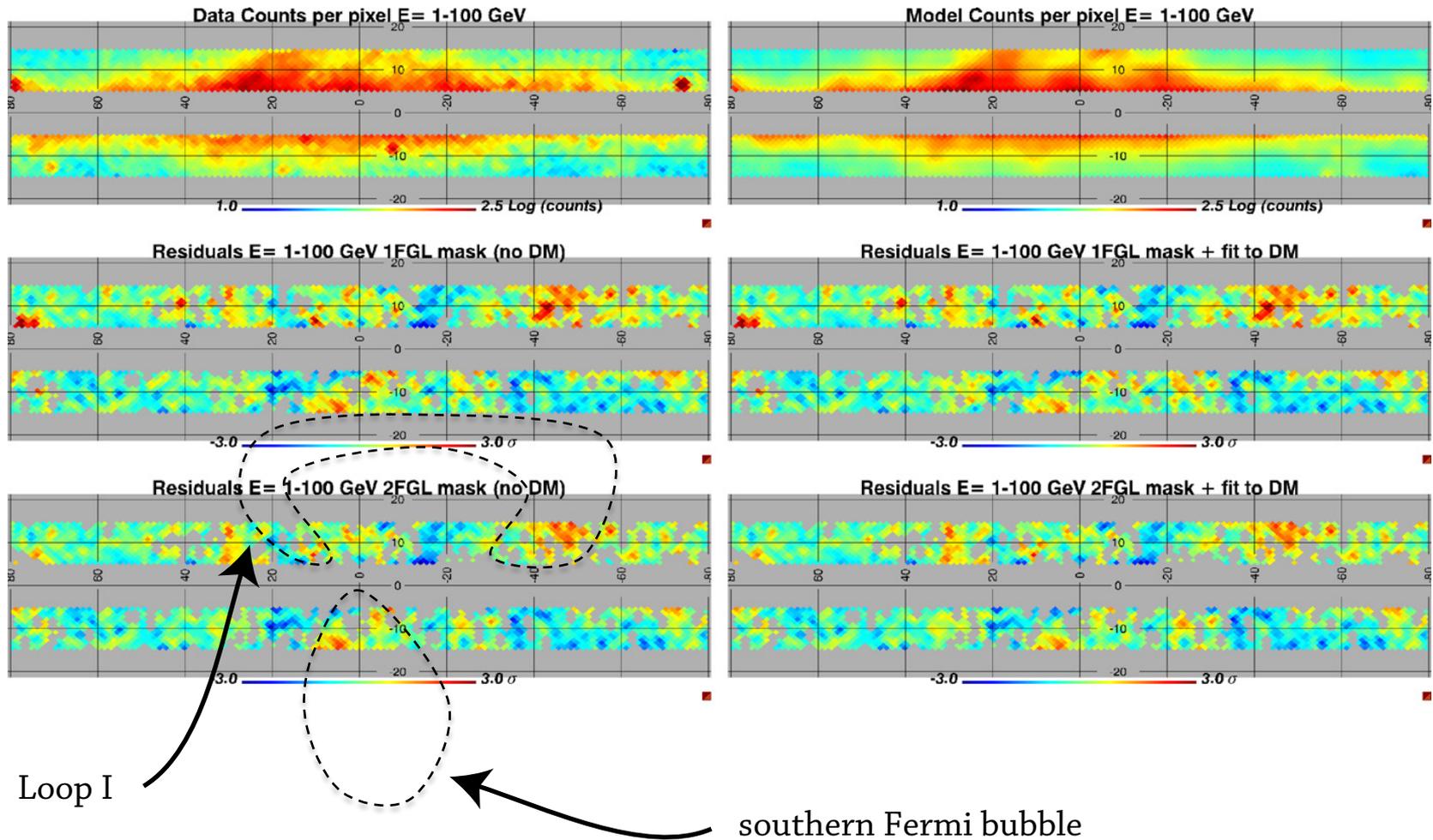
CMB
constraints



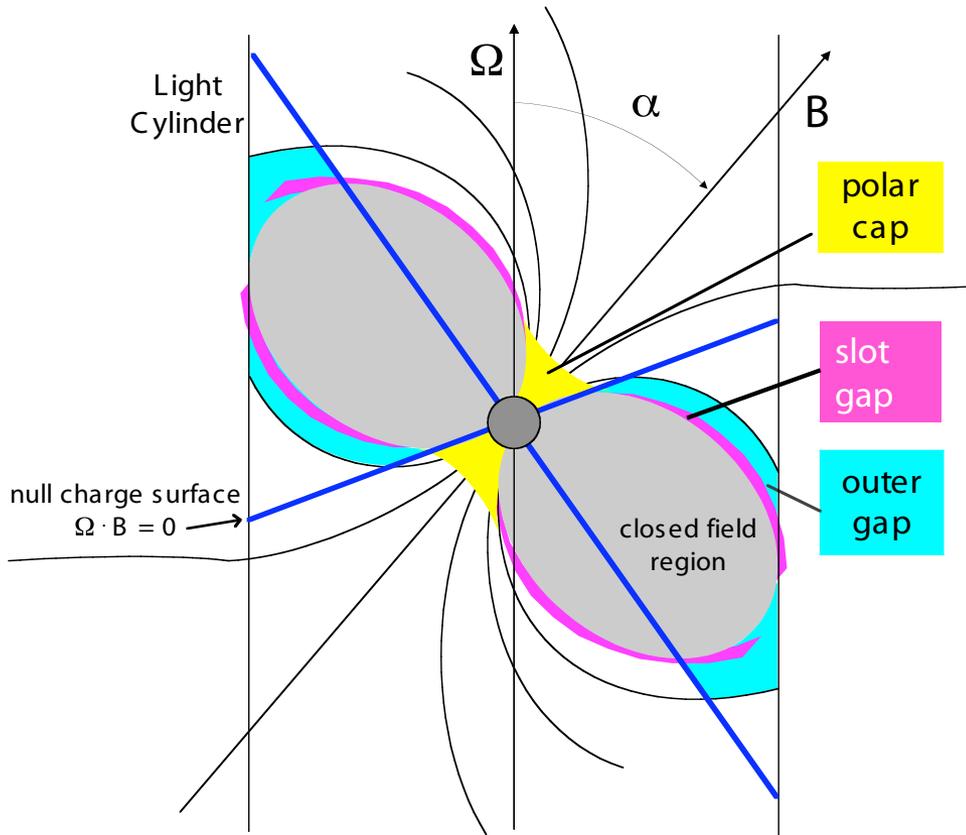
Bounds on annihilating DM



Residuals



“It’s either dark matter or pulsars.”



acceleration sites:

- polar cap
- outer gap
- slot gap

production of gamma-rays:

- synchrotron radiation
- inverse Compton scattering
- curvature radiation

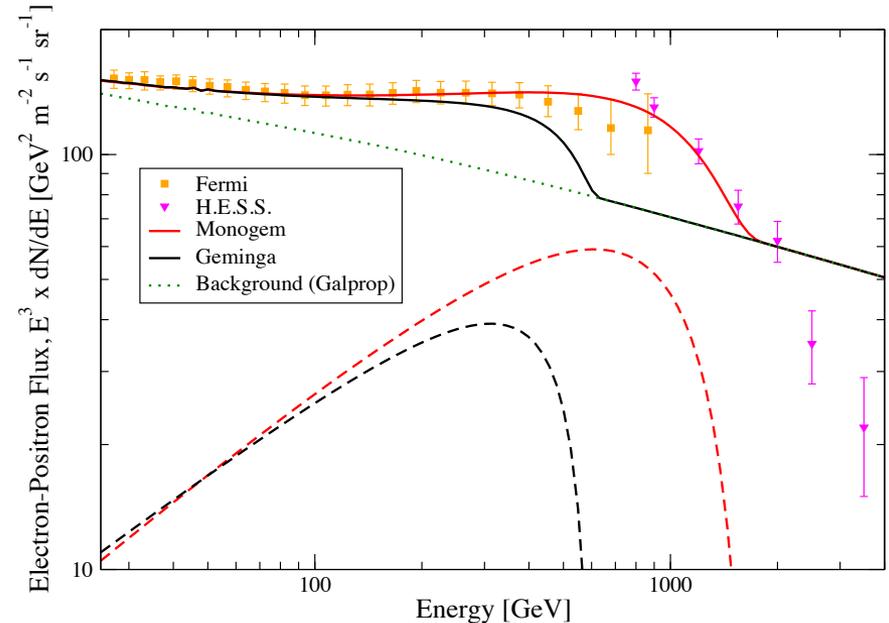
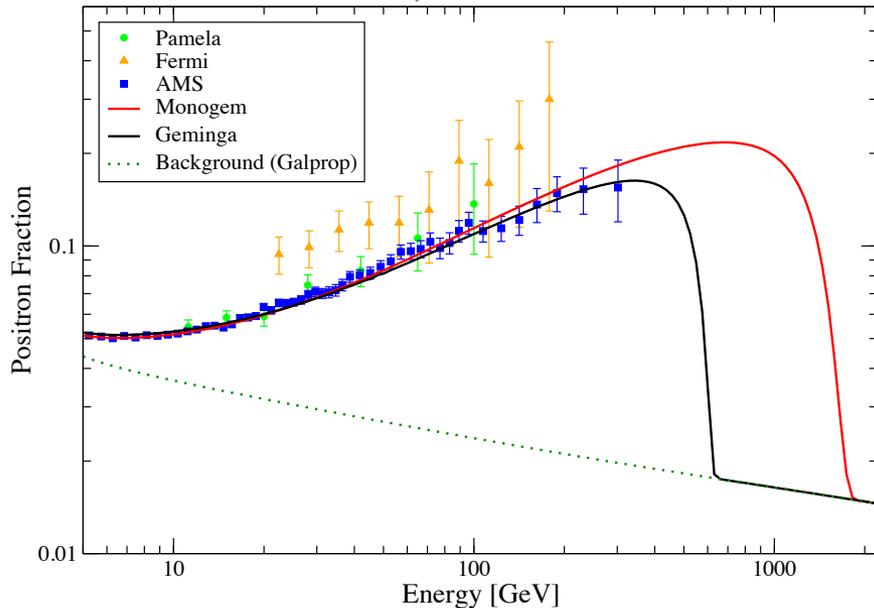
Nearby pulsars

for burst-like injection from point-like source, diffusion equation can be easily solved:

$$J = \frac{e^{-\bar{r}^2/\ell^2(E_0, E)}}{(\pi\ell^2(E_0, E))^{3/2}} Q(E_0) \left(\frac{E}{E_0}\right)^{-2} \quad \text{where} \quad \ell^2(E_0, E) = 4 \int_{E_0}^E dE' \frac{D(E')}{b(E')}$$

three-parameter-problem: total energy ε_{tot} , spectra index Γ , cut-off energy E_{cut}

Linden & Profumo, arXiv:1304.1791



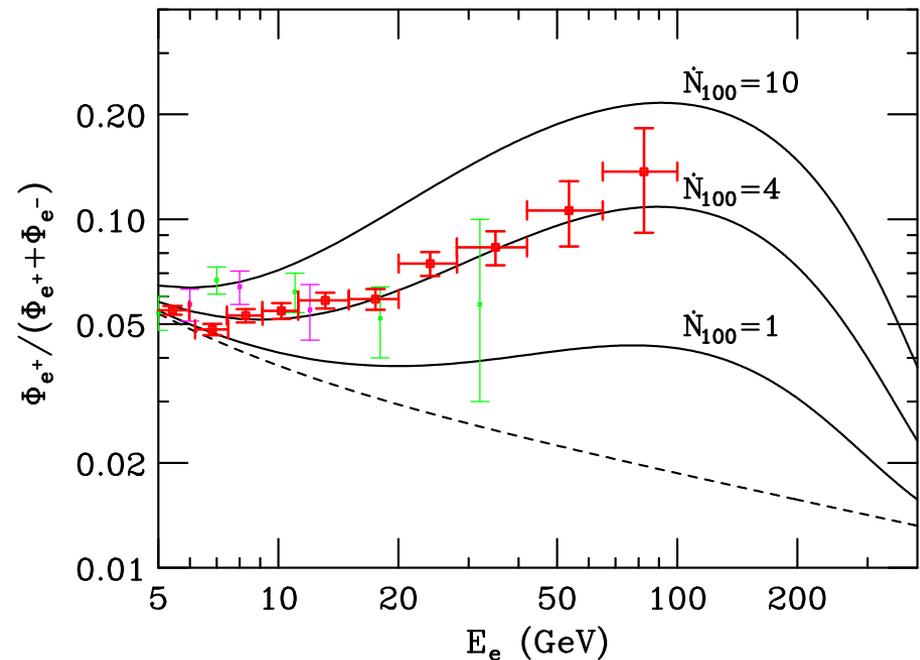
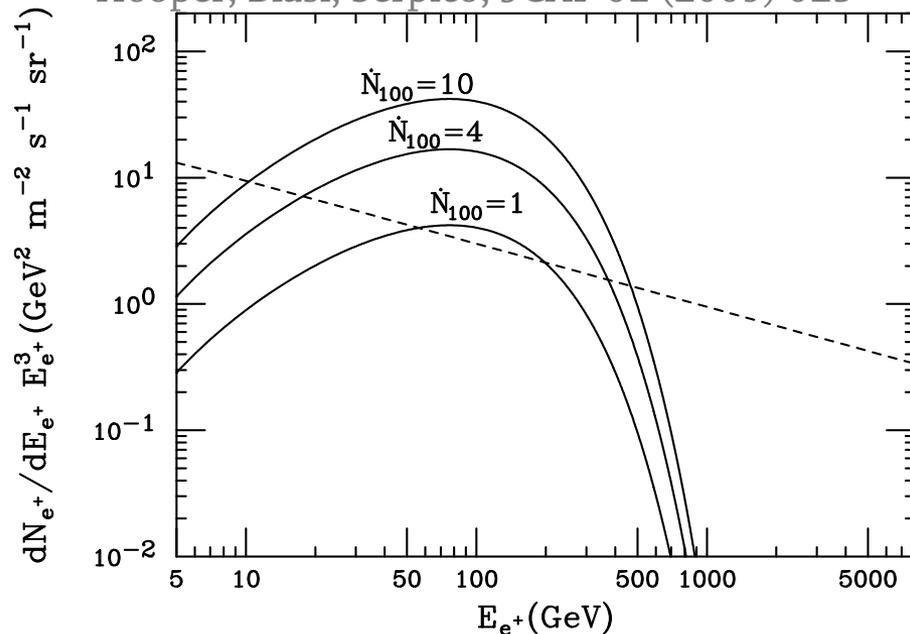
All Galactic pulsars

for burst-like injection from point-like source, diffusion equation can be easily solved:

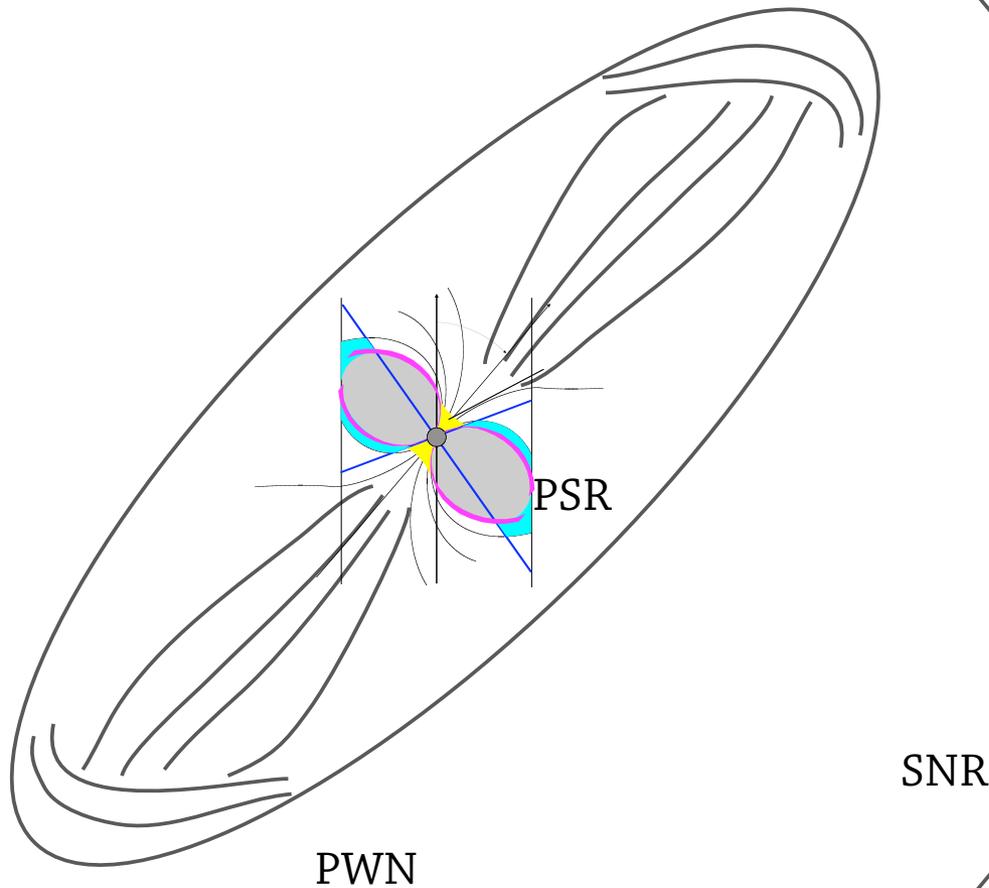
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three-parameter-problem: total energy ε_{tot} , spectra index Γ , cut-off energy E_{cut}

Hooper, Blasi, Serpico, JCAP 01 (2009) 025



PSR \neq PWN



freshly accelerated particles cannot escape the PWN/SNR

the PWN/SNR modifies the spectrum of e^\pm :

- cooling
- shock acceleration
- turbulent acceleration

all the parameters from pulsar observation, i.e. ε_{tot} , Γ , E_{cut} are modified

→ need statistical model and fit parameters

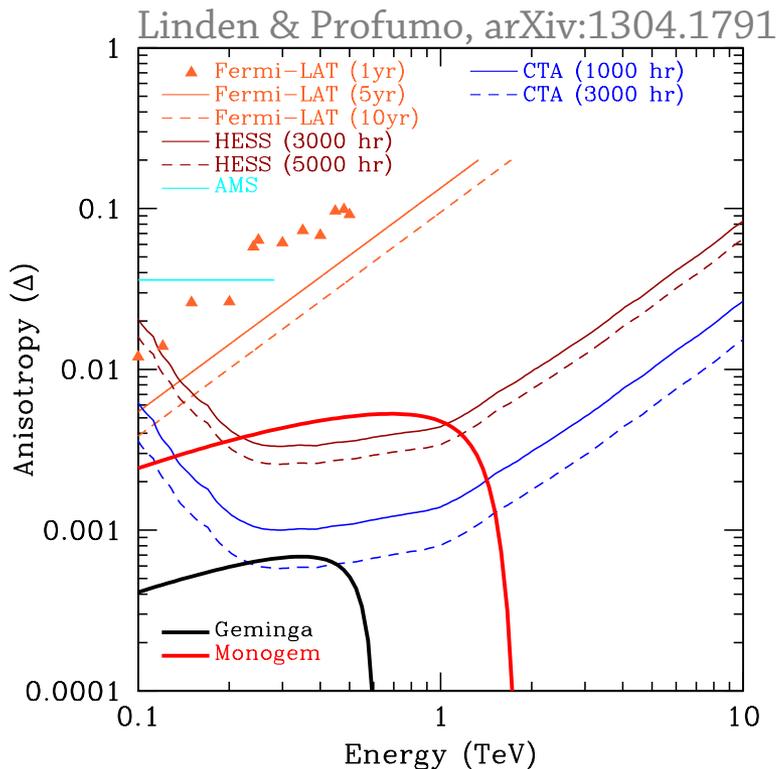
Malyshev, Cholis, Gelfand
PRD 80 (2009) 063005

Anisotropies

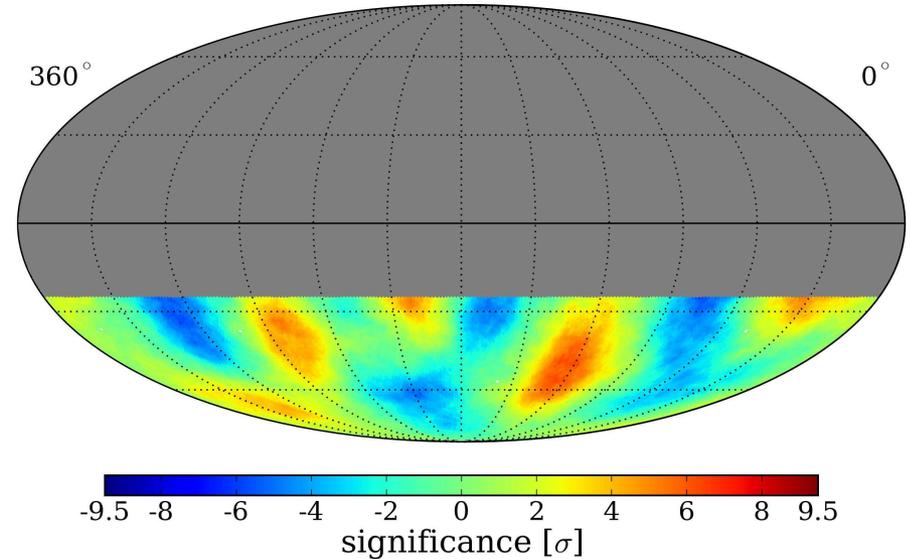
can estimate anisotropy from isotropic flux:

$$\delta = \frac{3D(E)}{c} \frac{|\nabla J(E)|}{J(E)}$$

very sensitive to *local* $D(E)$



IC59 Dipole + Quadrupole Fit Residuals (20° Smoothing)



anisotropies in (hadronic) cosmic rays:

- $\delta \sim 10^{-3}$ on large (dipole) scales
- $\delta \sim 10^{-4}$ down to 10° scales

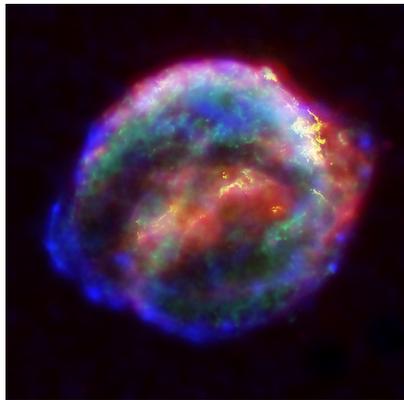
explanations modify local magnetic field

Malkov *et al.*, ApJ 721 (2010) 750

Giacinti & Sigl, PRL 109 (2012) 071101

Secondaries from the Source?

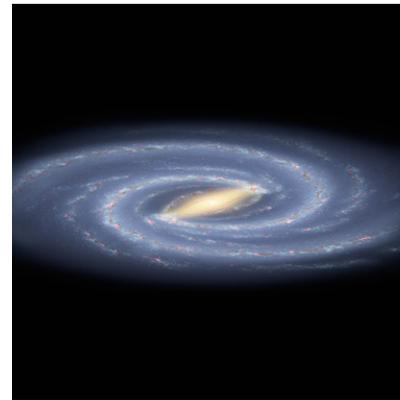
Common belief: secondaries from propagation dominate since the grammage in the ISM is larger than in the source



$$\langle \tau_{\text{src}} \rangle \lesssim \tau_{\text{SNR}} \approx 10^{4 \dots 5} \text{ yr}$$

$$n_{\text{src}} \lesssim 10 \text{ cm}^{-3}$$

$$\Rightarrow \lambda_{\text{src}} \approx 0.2 \text{ g cm}^{-2}$$



$$\langle \tau_{\text{ISM}} \rangle \sim \tau_{\text{esc}} \approx 10^7 \text{ yr}$$

$$n_{\text{ISM}} \approx 0.1 \text{ cm}^{-3}$$

$$\Rightarrow \lambda_{\text{ISM}} \approx \text{few g cm}^{-2}$$

However, the secondaries from the source can have a much harder spectrum!

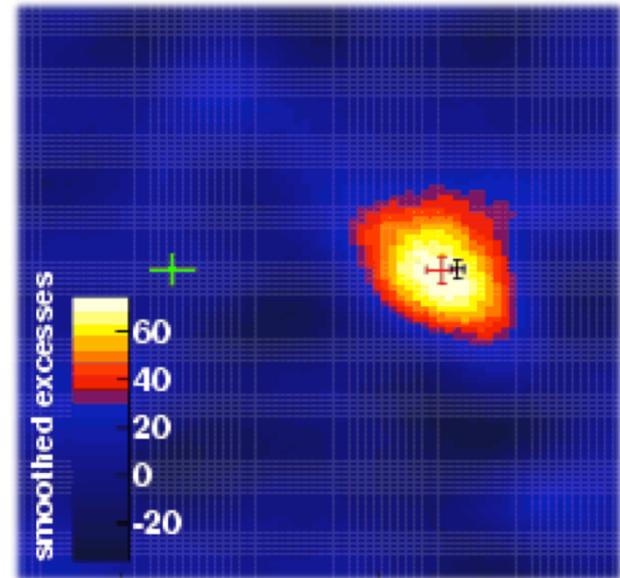
Secondary Origin of e^\pm

Rise in positron fraction could be due to secondary positrons produced during acceleration and accelerated along with primary electrons

Blasi, PRL **103** (2009) 051105

Assuming production of galactic CR in SNRs, positron fraction can be fitted

This effect is guaranteed, only its size depends on normalisation and one free parameter that needs to be fitted from observations



Cas A in γ -rays from MAGIC

DSA – Test Particle Approximation

Acceleration determined by compression ratio:

$$r = \frac{u_1}{u_2} = \frac{n_2}{n_1}, \quad \gamma = \frac{3r}{r-1}$$

Solve transport equation,

$$u \frac{\partial f}{\partial x} = D \frac{\partial^2 f}{\partial x^2} + \frac{1}{3} \frac{du}{dx} p \frac{\partial f}{\partial p}$$

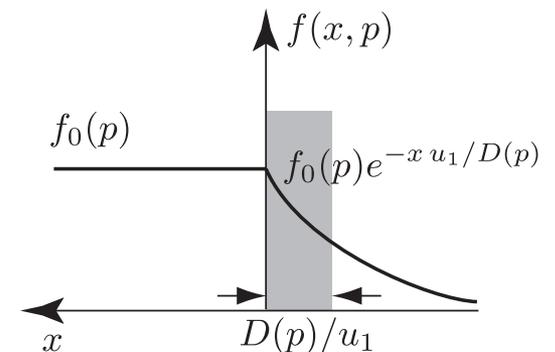
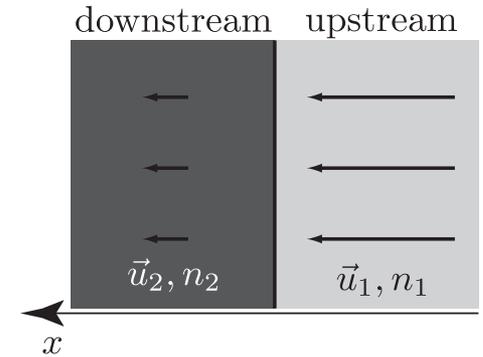
$$f \xrightarrow{x \rightarrow -\infty} f_{\text{inj}}(p), \quad \left| \lim_{x \rightarrow \infty} f \right| \ll \infty$$

Solution for $x < 0$:

$$f = f_{\text{inj}}(p) + (f^0(p) - f_{\text{inj}}(p)) e^{-x u_1 / D(p)}$$

where

$$f^0(p) = \gamma \int_0^p \frac{dp'}{p'} \left(\frac{p'}{p} \right)^\gamma f_{\text{inj}}(p') + C p^{-\gamma}$$



As long as $f_{\text{inj}}(p)$ is softer than $p^{-\gamma}$, at high energies:

$$f(x, p) \sim p^{-\gamma}$$

DSA with Secondaries

- Secondaries get produced with primary spectrum:

$$q_{e\pm} \propto f_{\text{CR}} \propto p^{-\gamma}$$

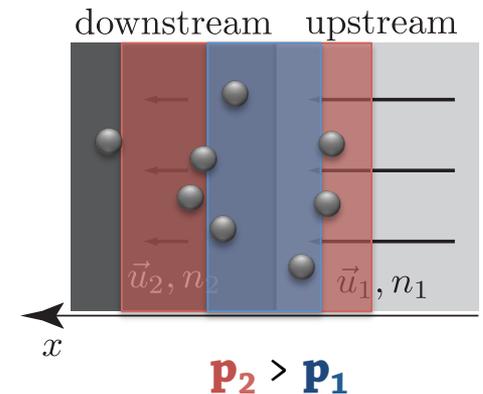
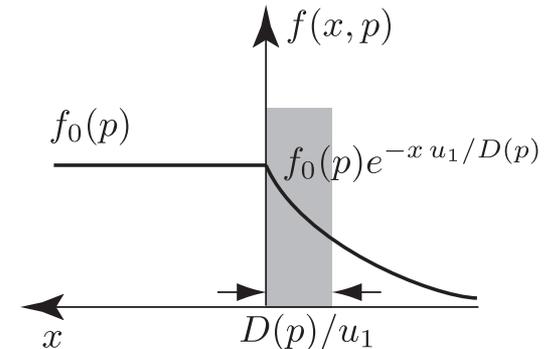
- Only particles with $|x| \lesssim D(p)/u$ can be accelerated

- Bohm diffusion: $D(p) \propto p$

- Fraction of secondaries that go into acceleration $\propto p$

- Equilibrium spectrum

$$n_{e\pm} \propto q_{e\pm} \left(1 + \frac{p}{p_0} \right) \propto p^{-\gamma} + p^{-\gamma+1}$$



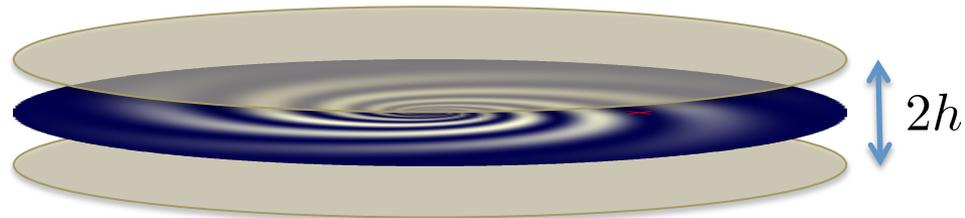
Rising positron fraction
at source

Diffusion of GCRs

Transport equation:

$$\frac{dn(\vec{r}, t)}{dt} = \underbrace{\nabla(D\nabla n(\vec{r}, t))}_{\text{diffusion}} - \underbrace{\frac{\partial}{\partial E}(b(E)n(r, t))}_{\text{energy losses}} + \underbrace{q(\vec{r}, t)}_{\text{injection}}$$

Boundary conditions:

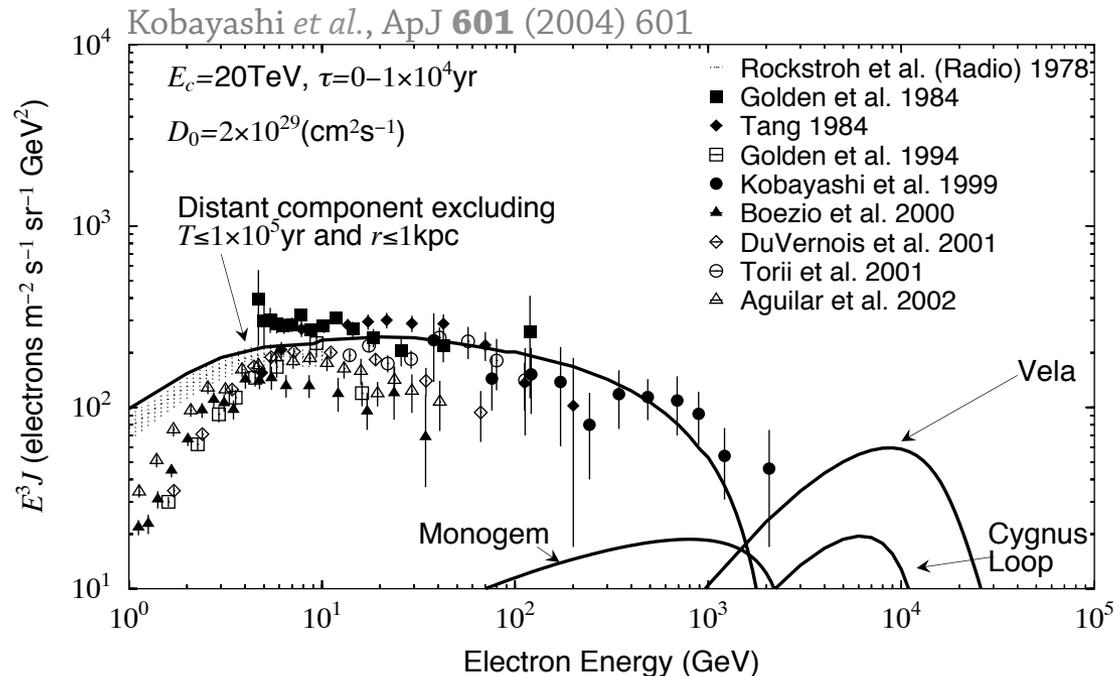


Green's function:

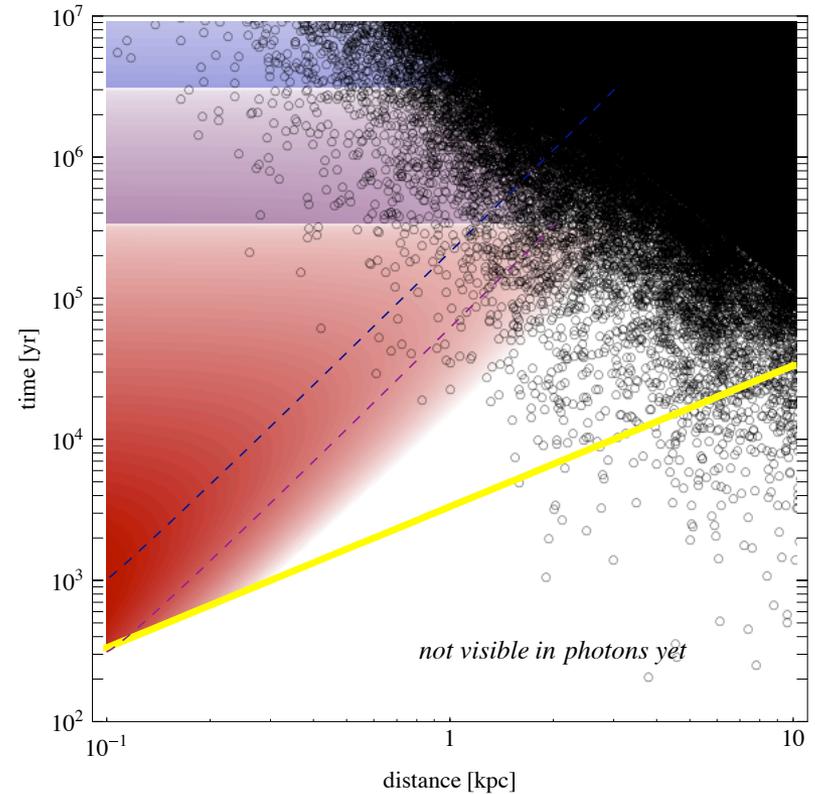
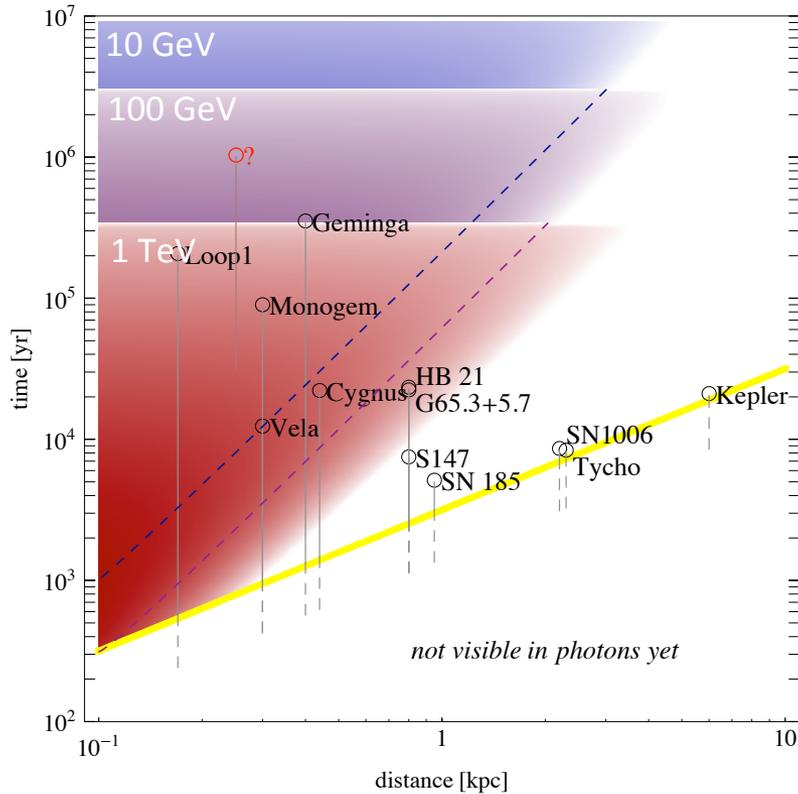
describes flux from one discrete, burst-like source

A Hybrid Model

- homogeneous distribution for sources with distances $\gtrsim 1$ kpc or ages $\gtrsim 10^5$ yr
- supplement with *known* young and nearby sources

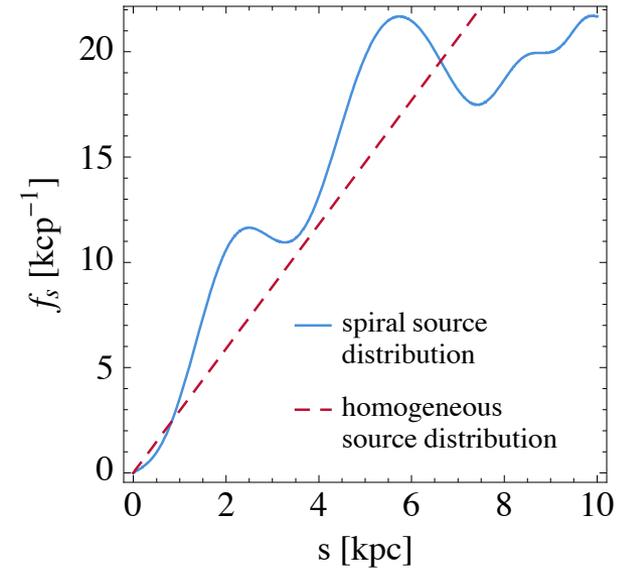
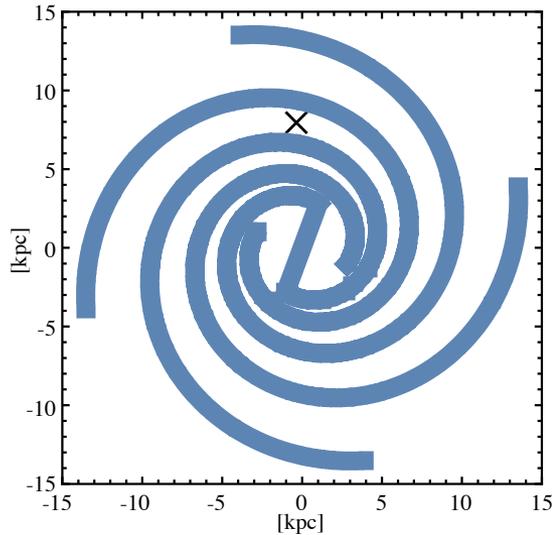


A Caveat

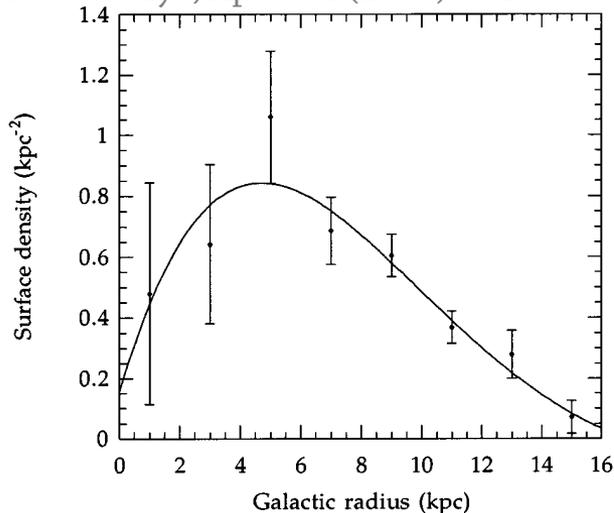


Not only observed sources contribute!

Statistical Distribution of Sources



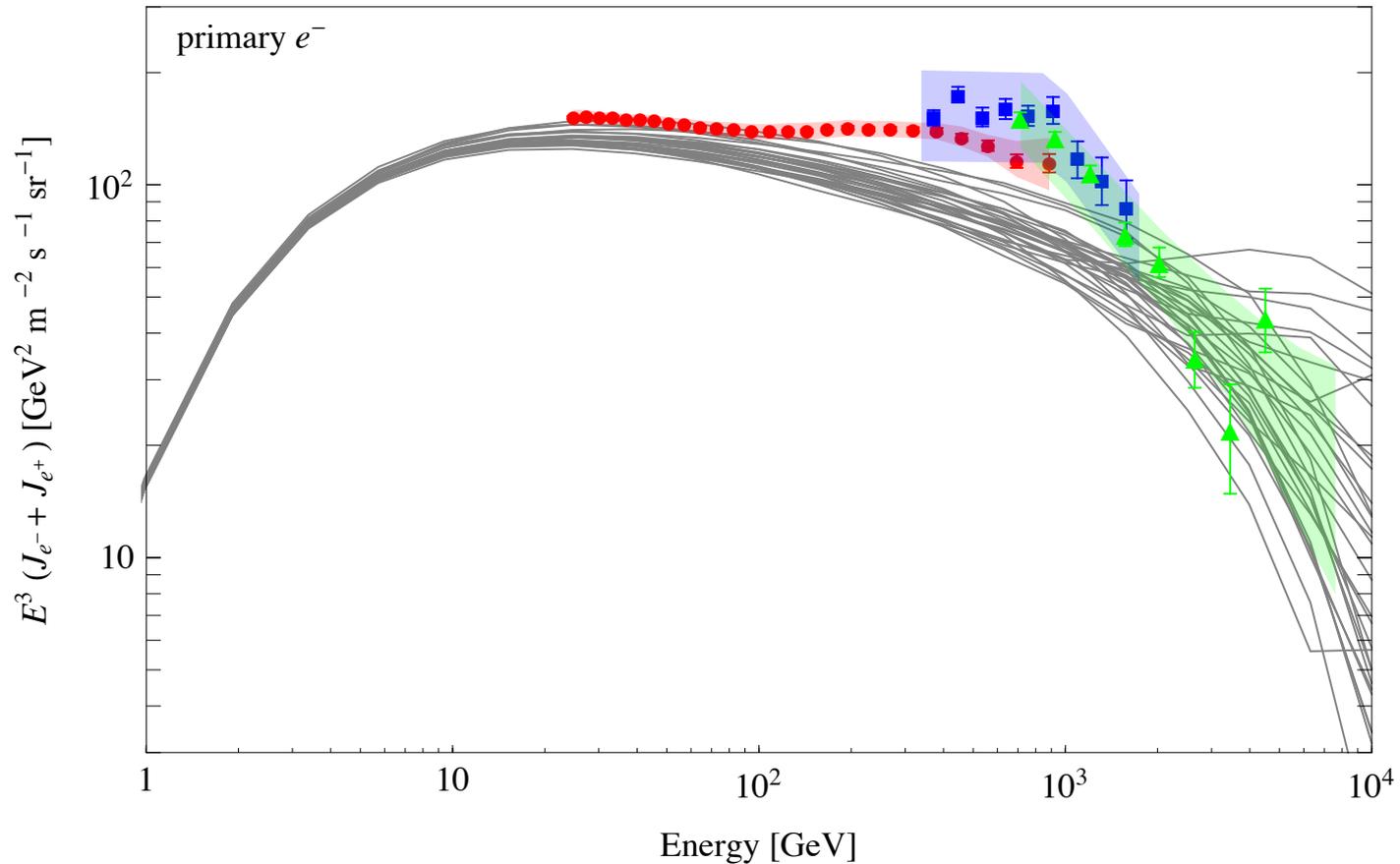
Case, Bhattacharya, ApJ 504 (1998) 761



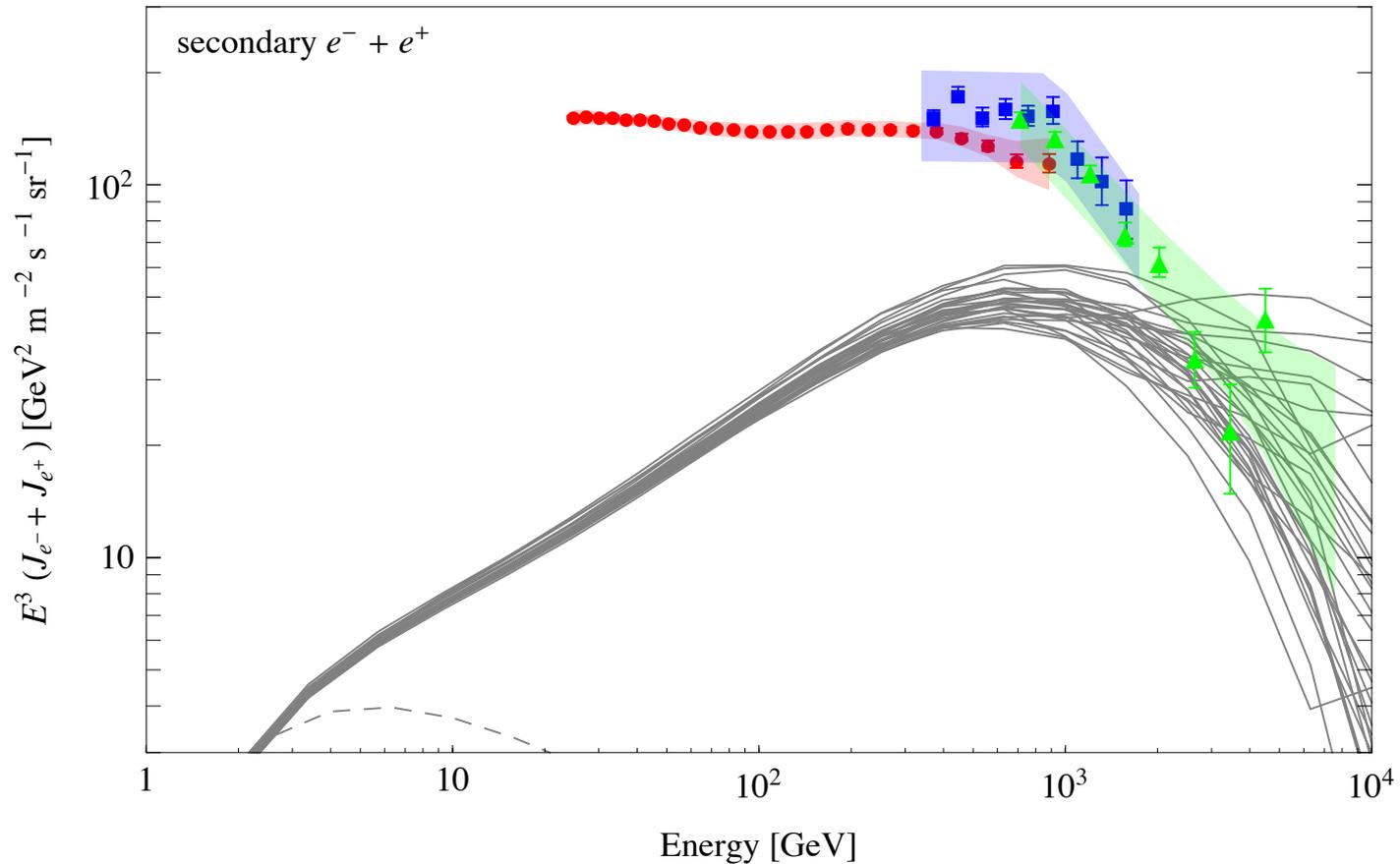
probability density for distances, $f_s(s)$

probability density for ages, $f_t(t) = \text{const.}$

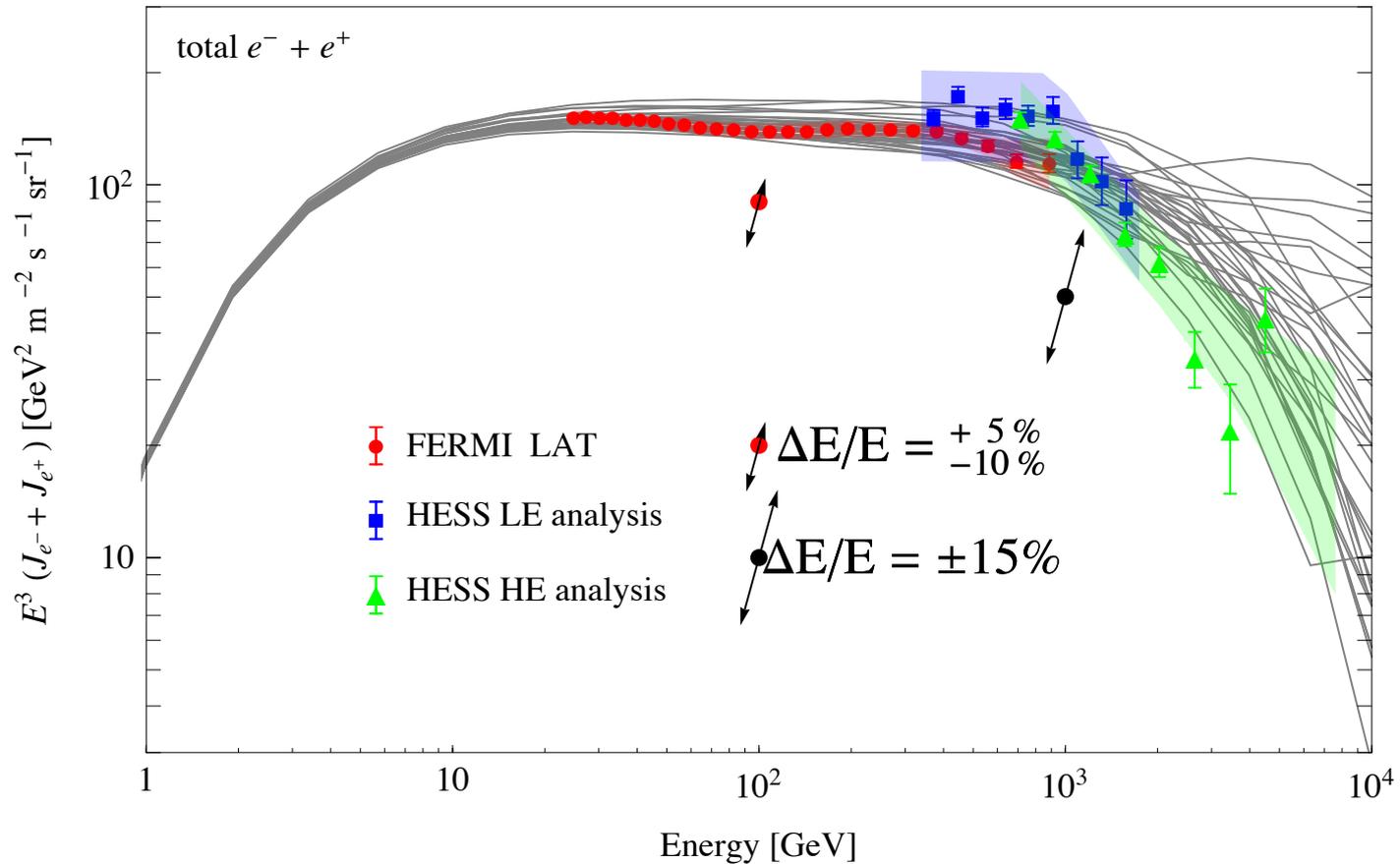
The Total ($e^+ + e^-$) Flux



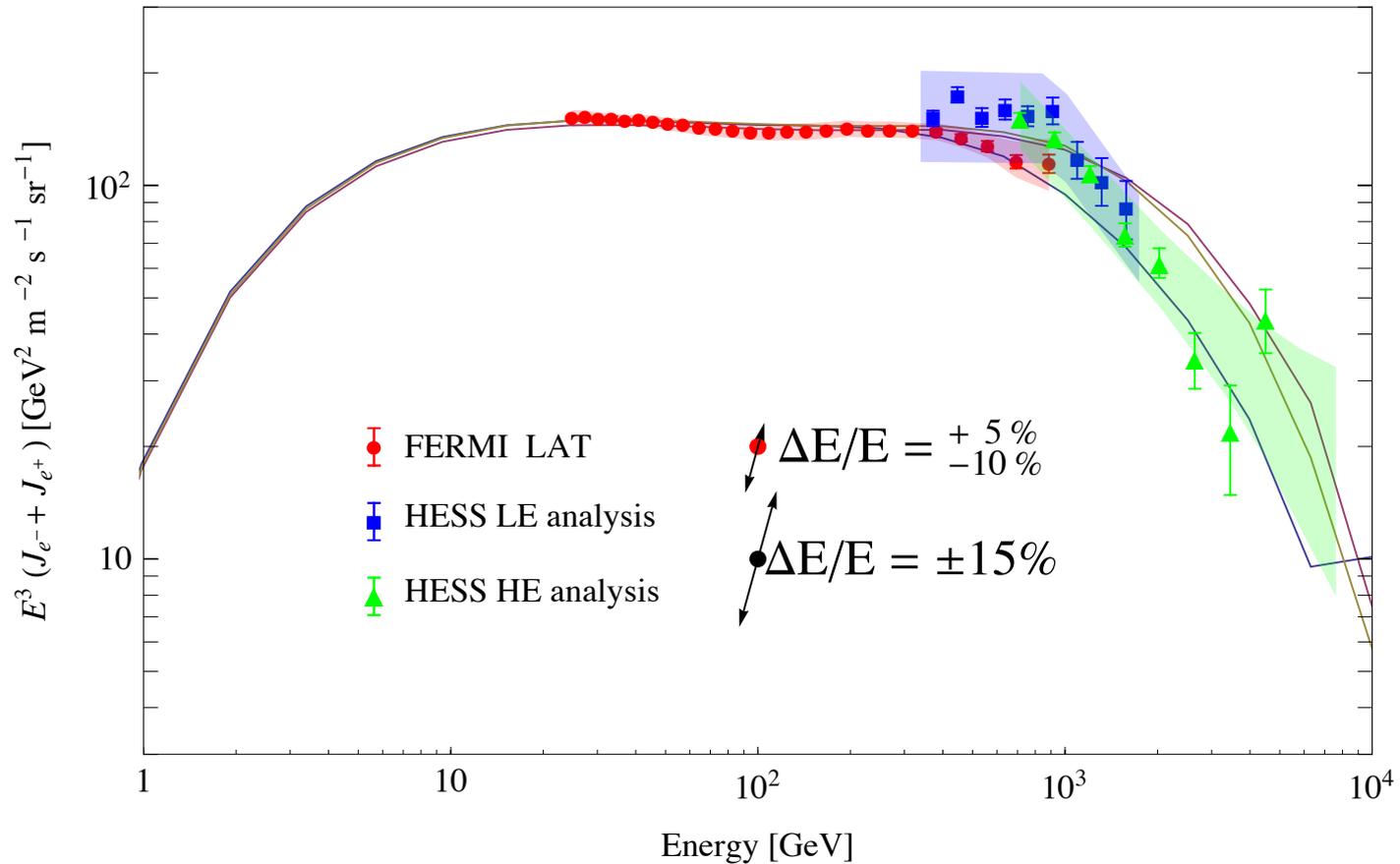
The Total ($e^+ + e^-$) Flux



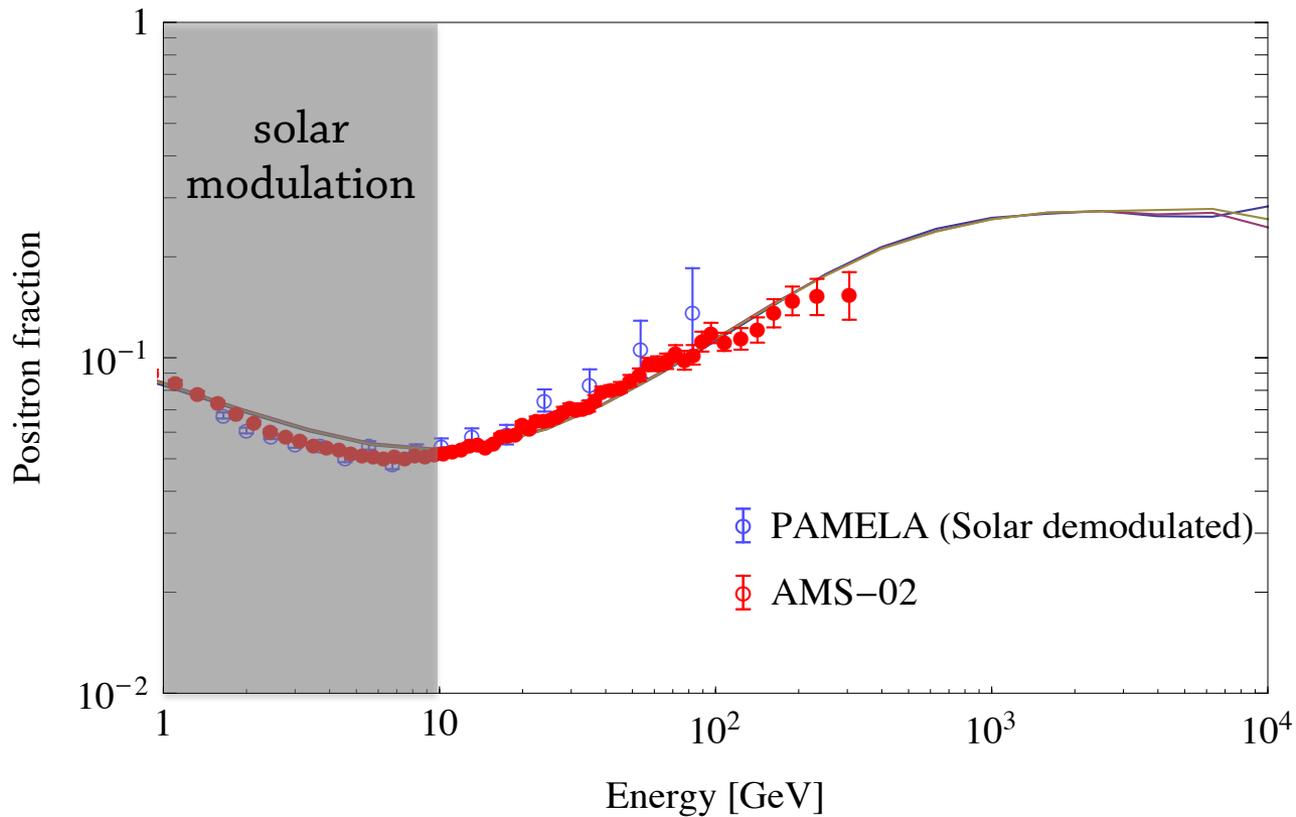
The Total ($e^+ + e^-$) Flux



The Total ($e^+ + e^-$) Flux



The Positron Fraction

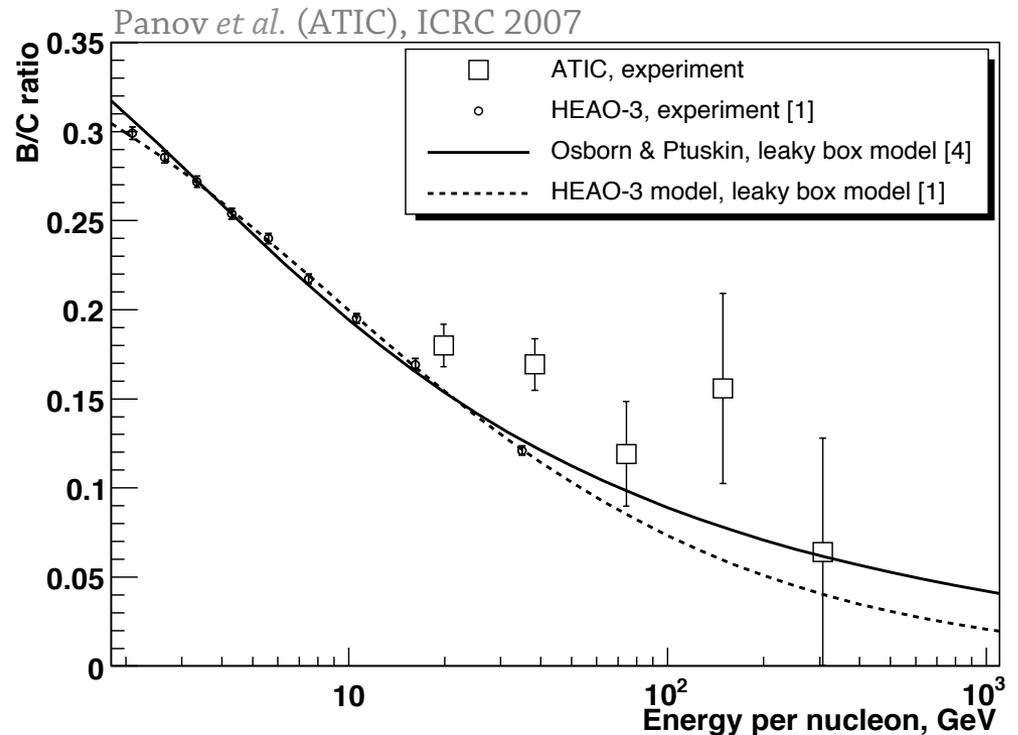


Nuclear Secondary-to-Primary Ratios

rise in...	nuclei
DM	X
Pulsars	X

DM and pulsars do not produce nuclei!

Nuclear secondary-to-primary ratios used for testing and calibrating propagation models

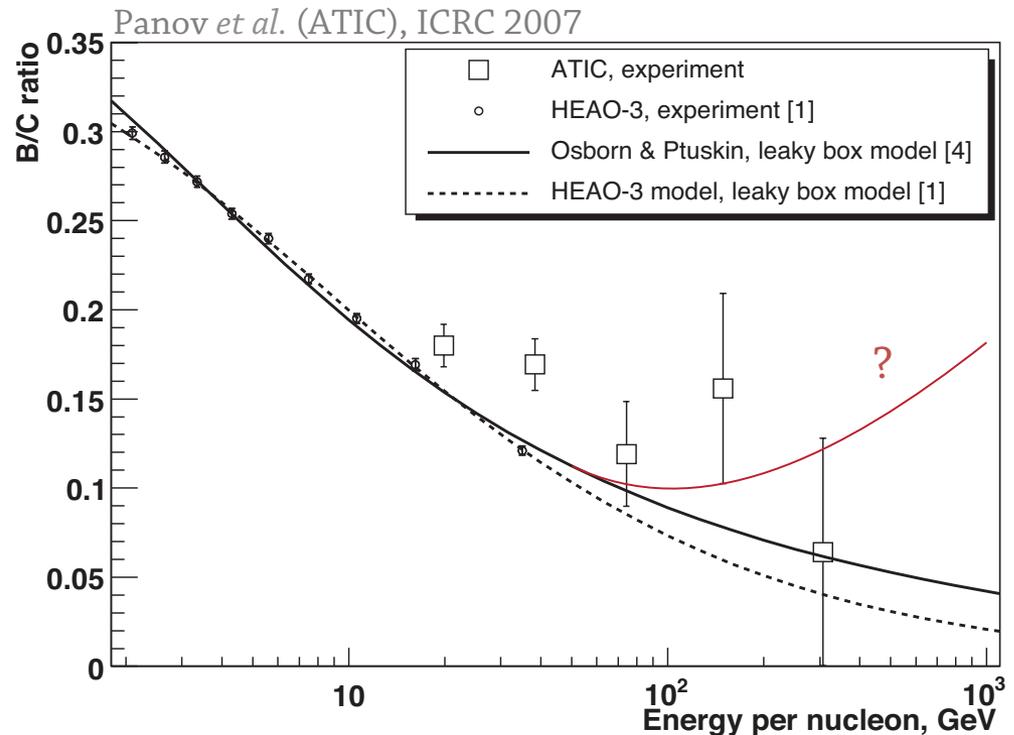


Nuclear Secondary-to-Primary Ratios

If nuclei are accelerated in the same sources as electrons and positrons, nuclear ratios *must* rise eventually

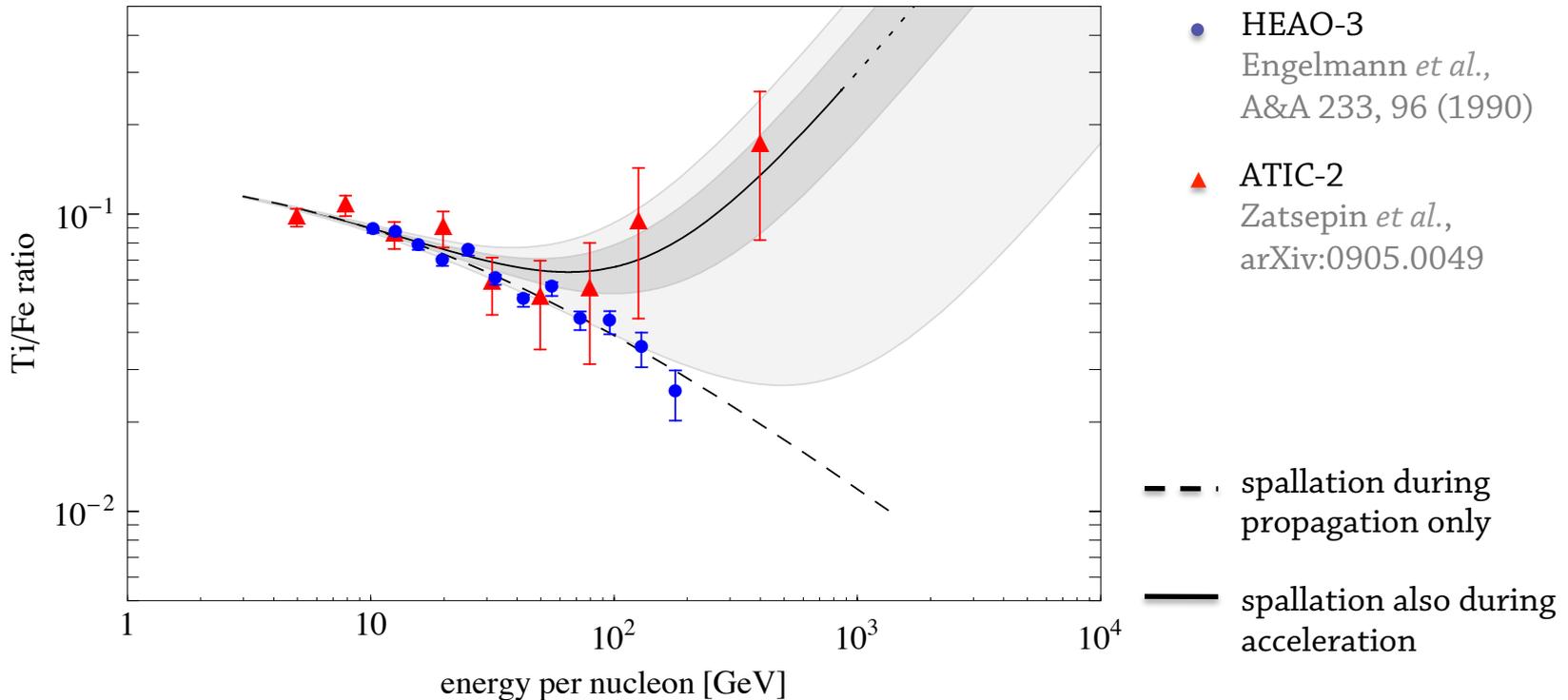
rise in...	nuclei
DM	X
Pulsars	X
Acceleration of Secondaries	✓

This would be a clear indication for acceleration of secondaries!



Titanium-to-Iron Ratio

PM and Sarkar, PRL **103** (2009) 081104

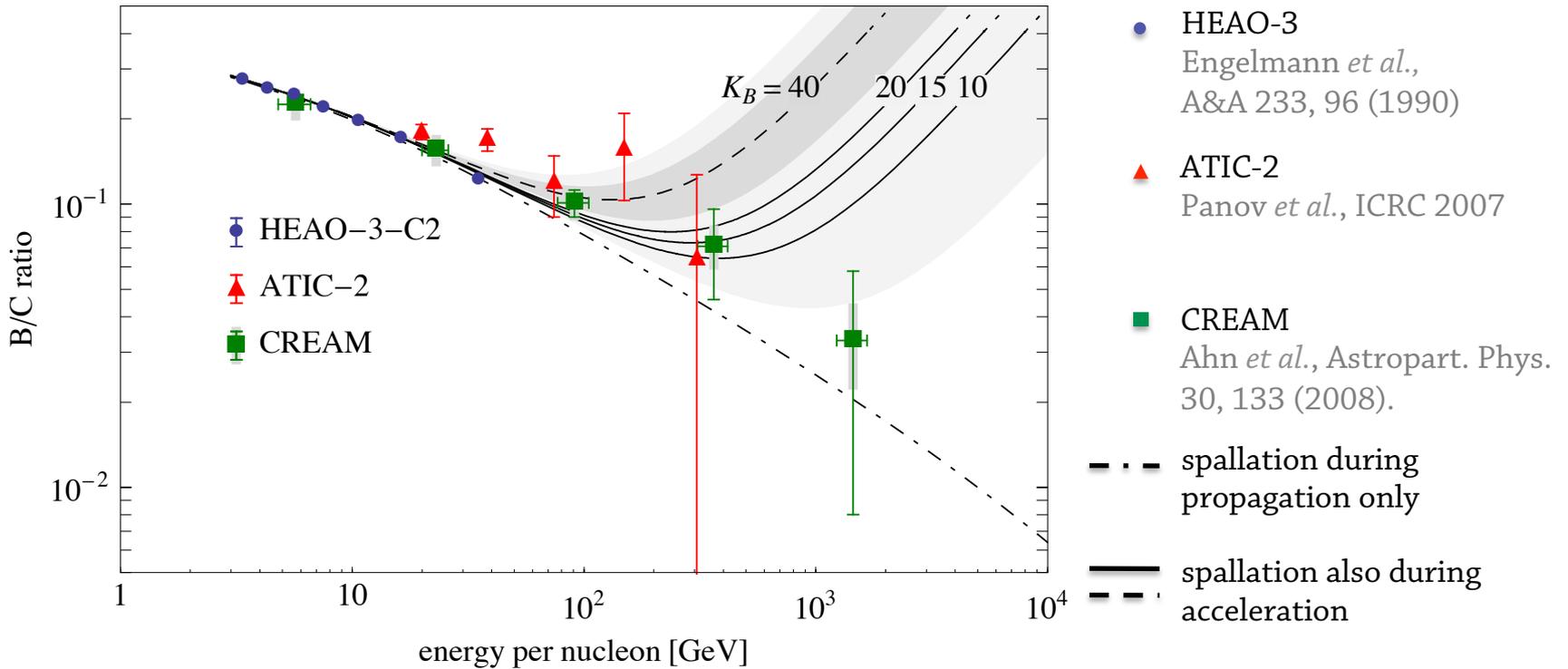


Titanium-to-iron ratio used as calibration point for diffusion coefficient:

$$K_B \simeq 40$$

Boron-to-Carbon Ratio

PM and Sarkar, PRL **103** (2009) 081104; Ahlers *et al.*, PRD **80** (2009) 123017

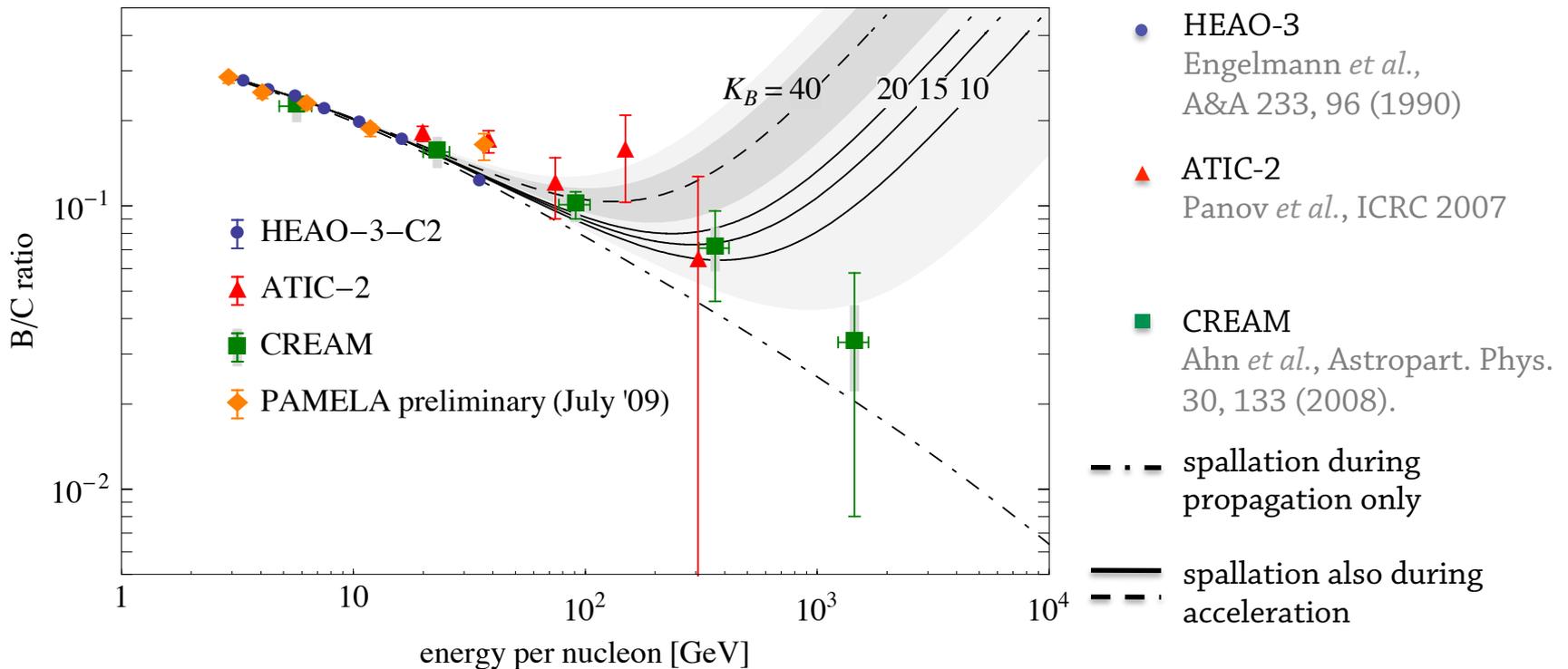


PAMELA is currently measuring B/C with unprecedented accuracy

A rise would rule out the DM and pulsar explanation of the PAMELA e^+/e^- excess.

Boron-to-Carbon Ratio

PM and Sarkar, PRL **103** (2009) 081104; Ahlers *et al.*, PRD **80** (2009) 123017

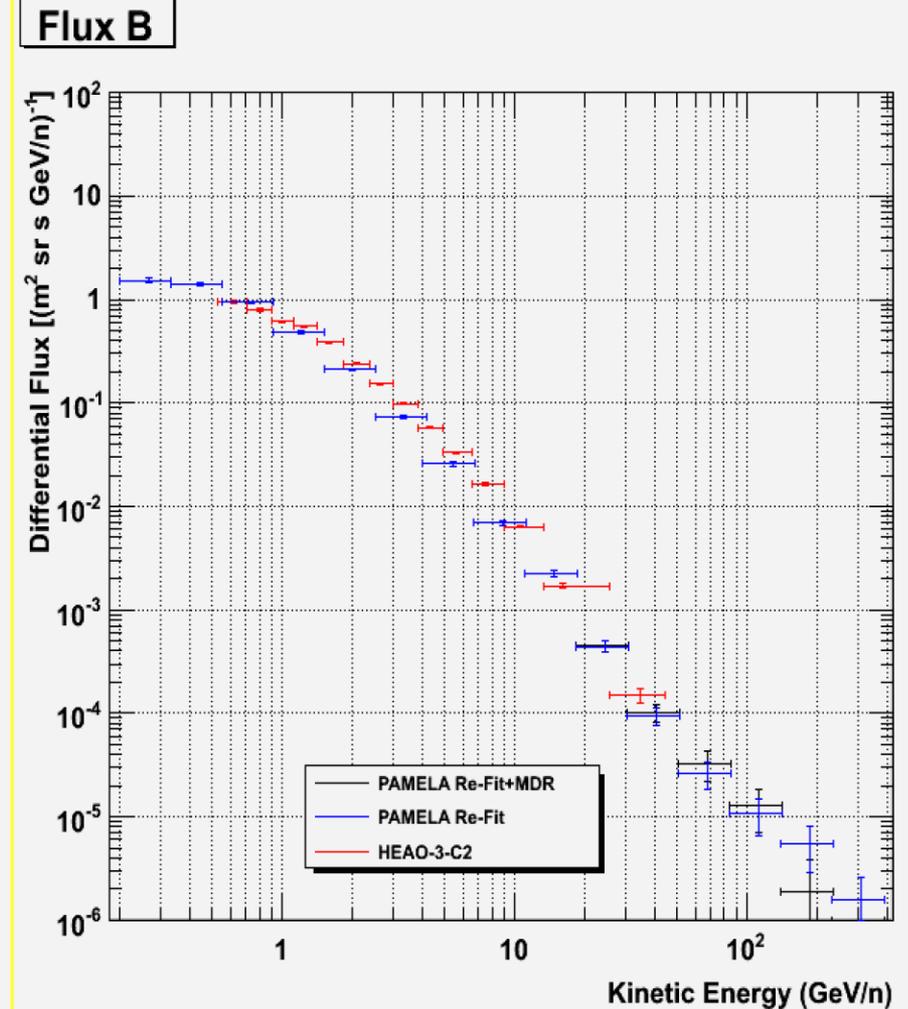
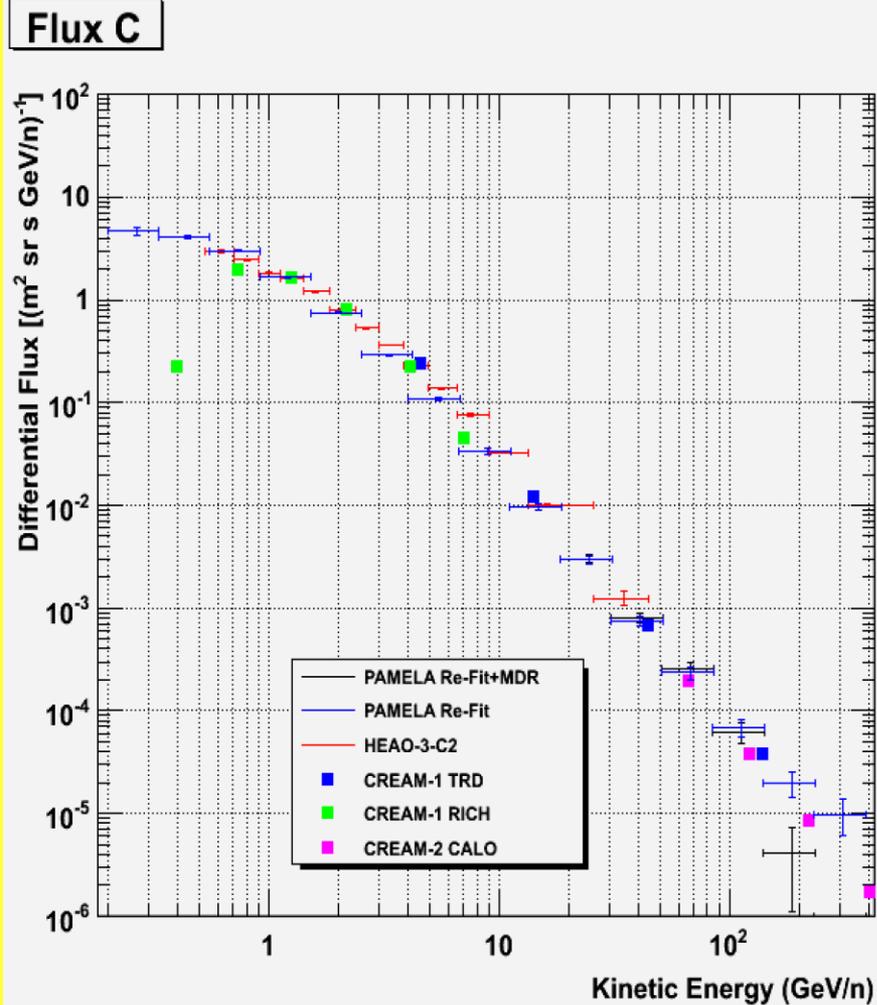


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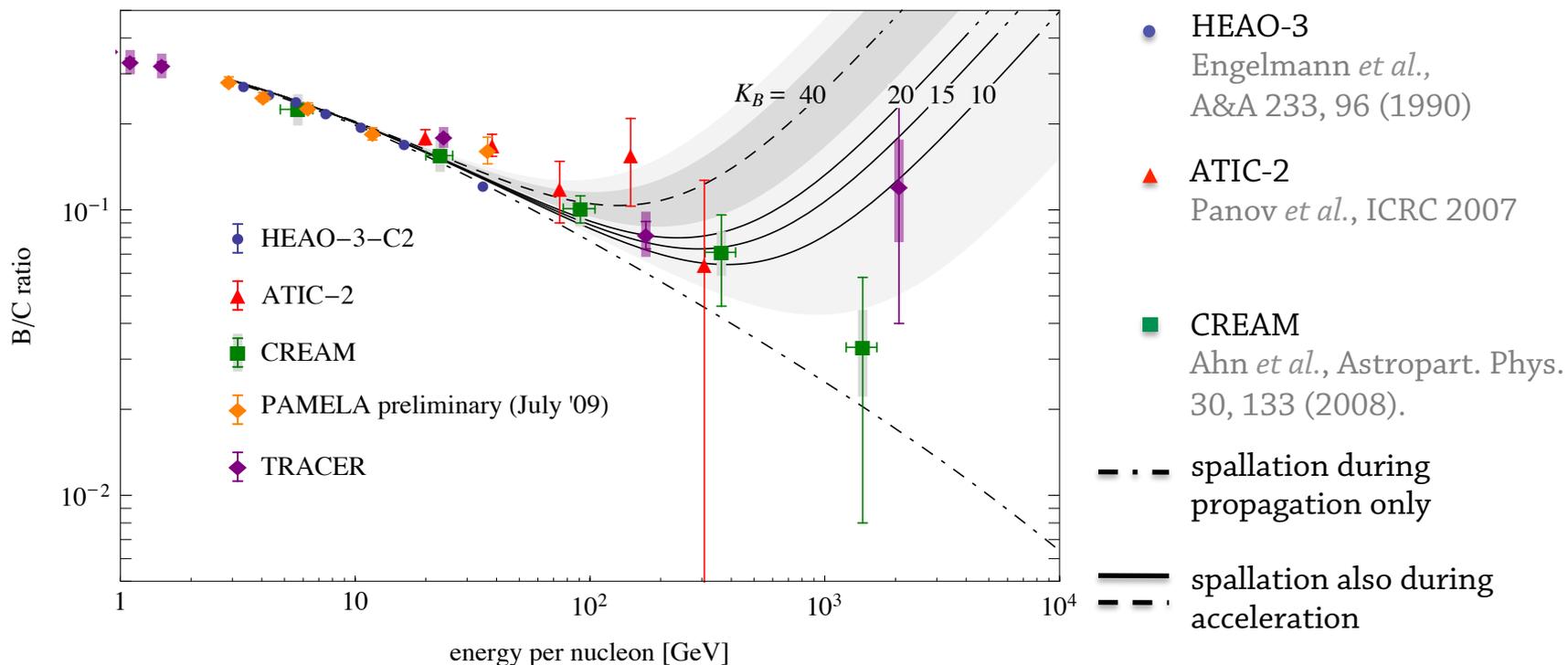
BORON AND CARBON FLUX – IN PROGRESS

R. Sparvoli, 6th Patras Workshop on Axions, WIMPs and WISPs, 5-9 July 2010



Boron-to-Carbon Ratio

PM and Sarkar, PRL **103** (2009) 081104; Ahlers *et al.*, PRD **80** (2009) 123017

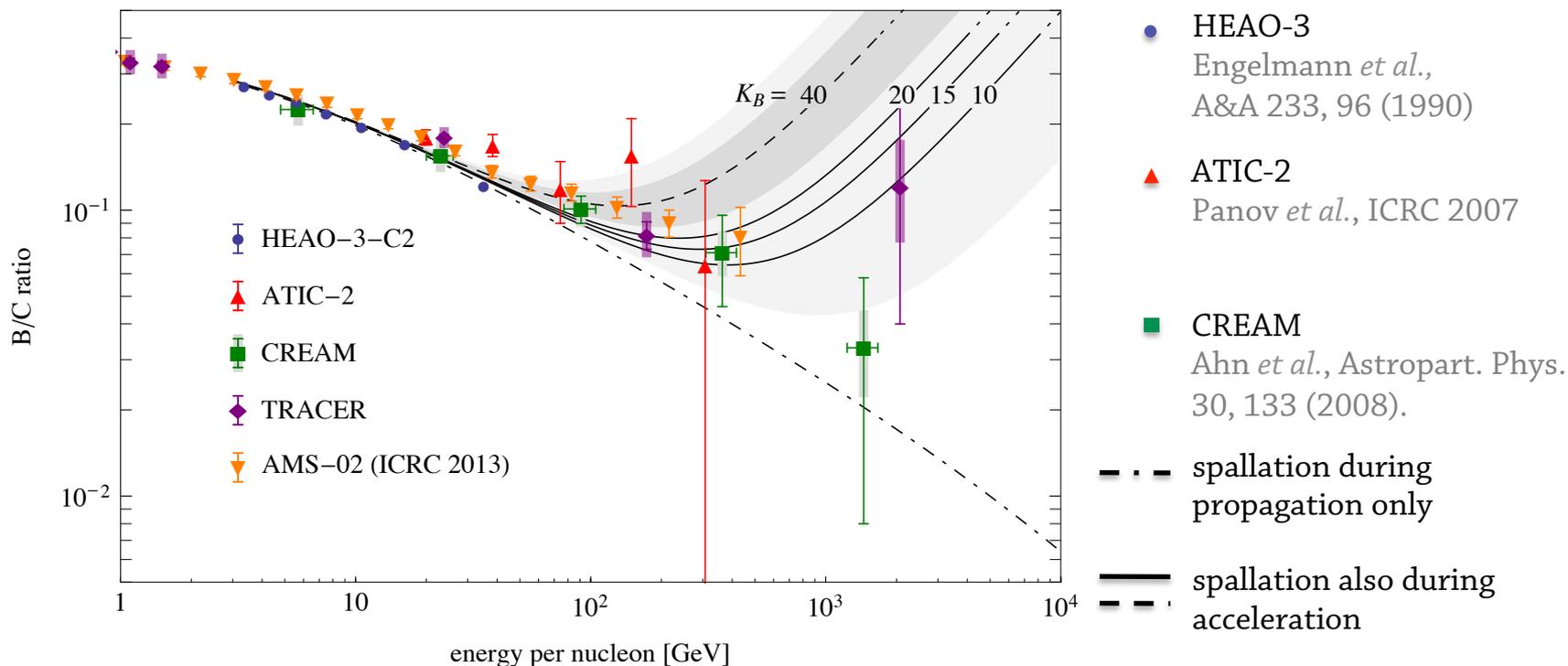


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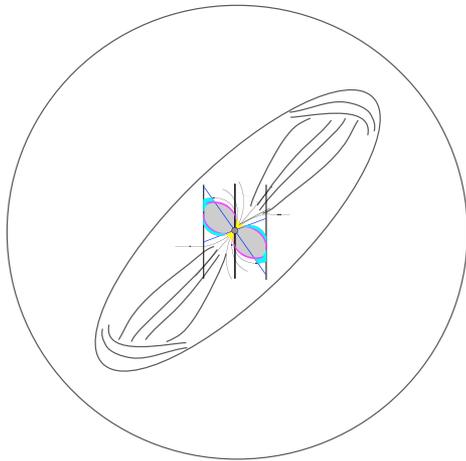


AMS-02

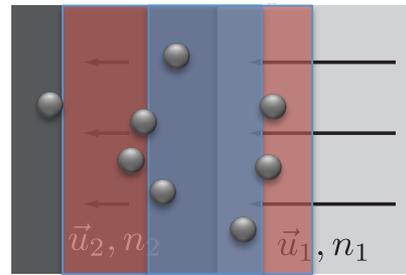
~~PAMELA~~ is currently measuring B/C with unprecedented accuracy

A rise would rule out the DM and pulsar explanation of the PAMELA e^+/e^- excess.

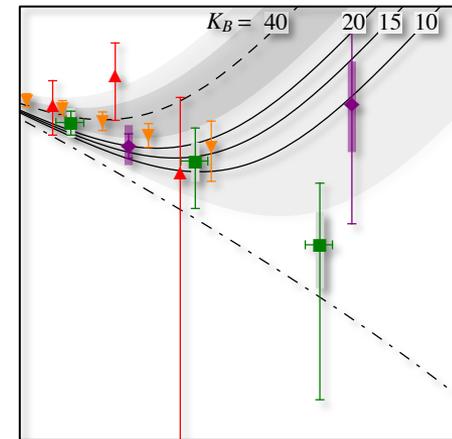
Conclusion



Astrophysical explanations of positron excess: pulsars?



Acceleration of secondary e^+ in SNRs could explain PAMELA and Fermi-LAT excess



Very predictive model: nuclear secondary-to-primary ratios