

Galactic Magnetic Deflections of UHECRs including realistic random field

Azadeh Keivani

*Department of Physics & Astronomy
Louisiana State University*

In collaboration with (LSU):

Jim Matthews

Michael Sutherland

and (NYU):

Glennys Farrar

Jonathan Roberts

CRA Workshop

Madison, WI

9/26/2013

Outline



Galactic Magnetic Field

- ❖ JF12 regular
- ❖ JF12 random (Kolmogorov)



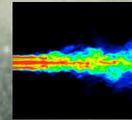
Tracking UHECRs

- ★ Method



Centaurus A

- ★ Arrival directions
- ★ Event excess



Random Field

- ❖ Example



Mass Composition

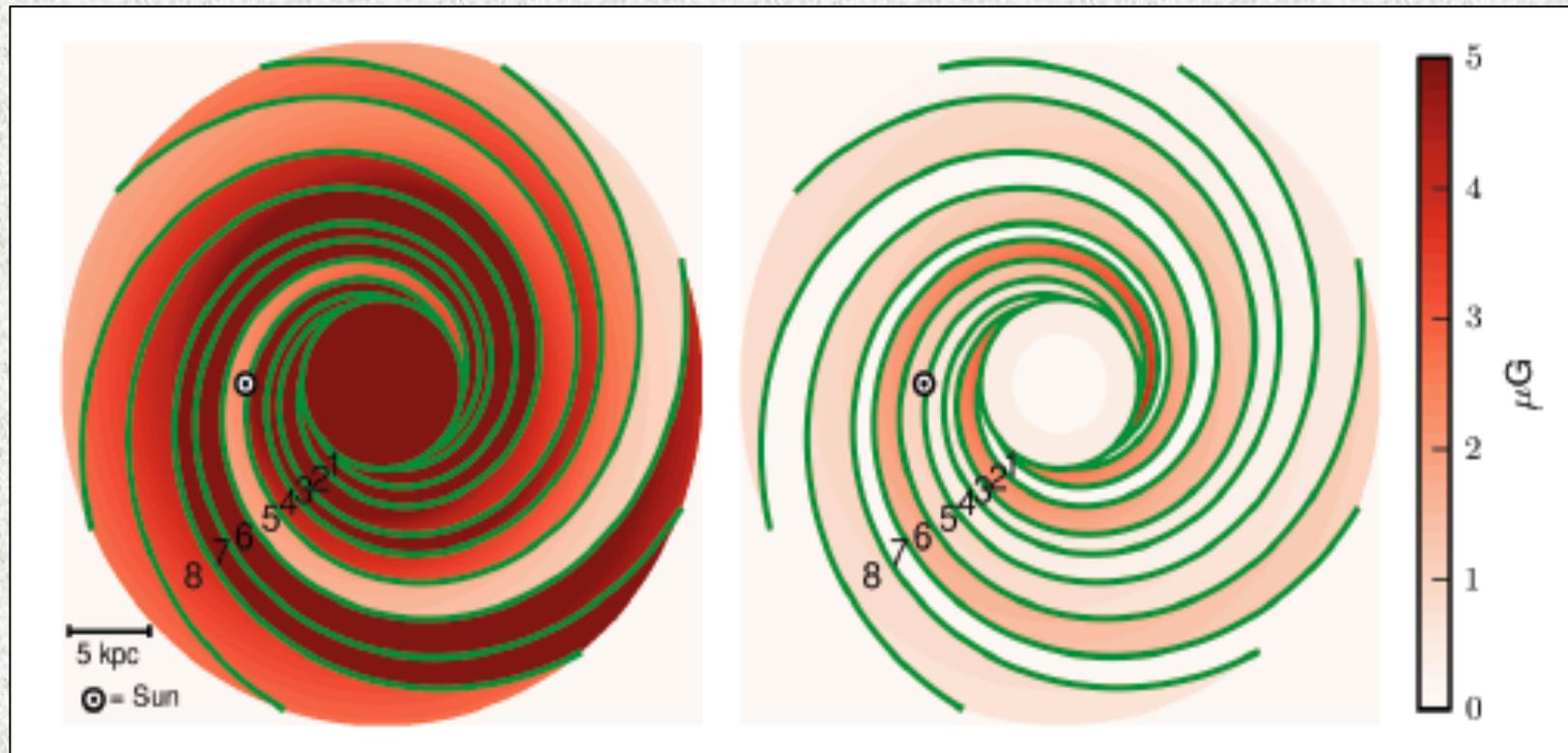
- ★ Method
- ★ Examples

Jansson-Farrar GMF Model (JF12)

This model includes:

- Regular large scale component
- Random field component
- Striated random field component

Fit to the observational data: More than 40k extragalactic RM and the WMAP7 22 GHz polarized and total intensity synchrotron emission maps



R. Jansson and G. R. Farrar, ApJ 761 (2012)

JF12 Random Field

❖ Superposition of a disk component and an extended smooth halo component*

❖ 13 Free parameters

❖ Coherence length of 100 pc

Kolmogorov Random Field (KRF)

Kolmogorov Power Spectrum $\propto k^{-5/3}$

Previous works:
Giacinti, et al (2012)
Harari, et al (2002)

Scale the KRF with JF12 field strengths

* R. Jansson and G. R. Farrar, ApJ 761 (2012)

Kolmogorov Random Field

Work in a Fourier Space:

$$|\mathbf{B}(\mathbf{k})|^2 = \beta k^{-11/3} \rightarrow \mathbf{B} = \text{Gaussian}(0, |\mathbf{B}(\mathbf{k})|^2)$$

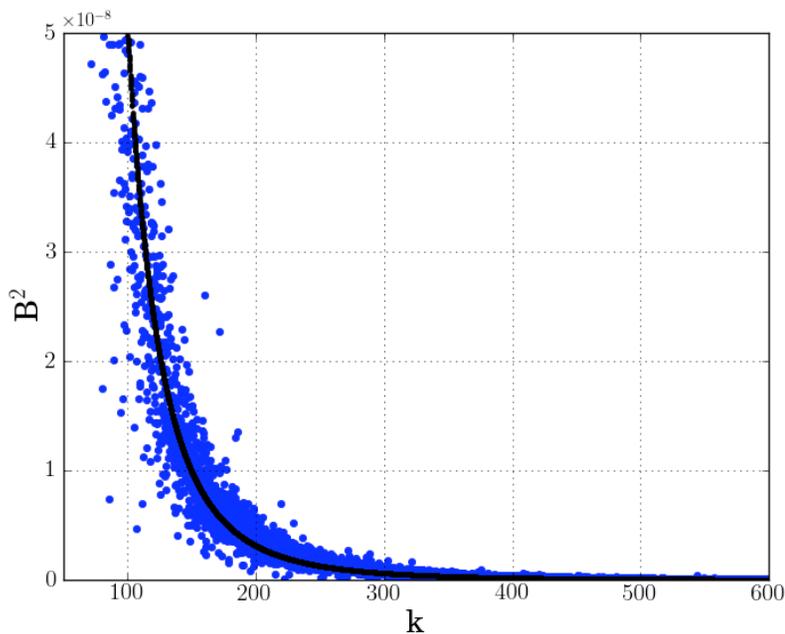
$$B_1^2 + B_2^2 + B_3^2 = B^2$$

$$\text{Divergence free: } \mathbf{B} \cdot \mathbf{k} = 0 \rightarrow B_1 k_1 + B_2 k_2 + B_3 k_3 = 0$$

Superpose wave modes with

$$k_{\min} \leq |\mathbf{k}| \leq k_{\max}$$

Using FFT to find the B values
in real space



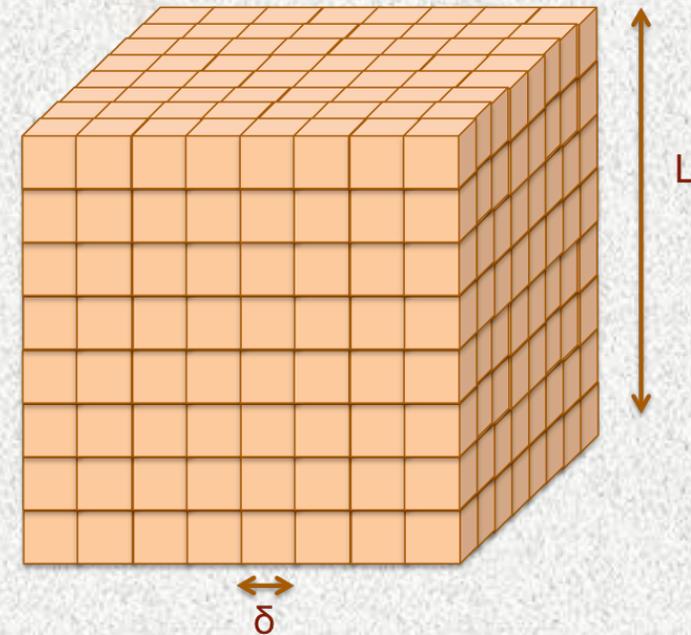
$$k_1(m,n,p) = 2\pi m/L$$

$$k_2(m,n,p) = 2\pi n/L$$

$$k_3(m,n,p) = 2\pi p/L$$

Basic cube:
3D cubic grid

N points



$$L = 5.12 \text{ kpc}$$

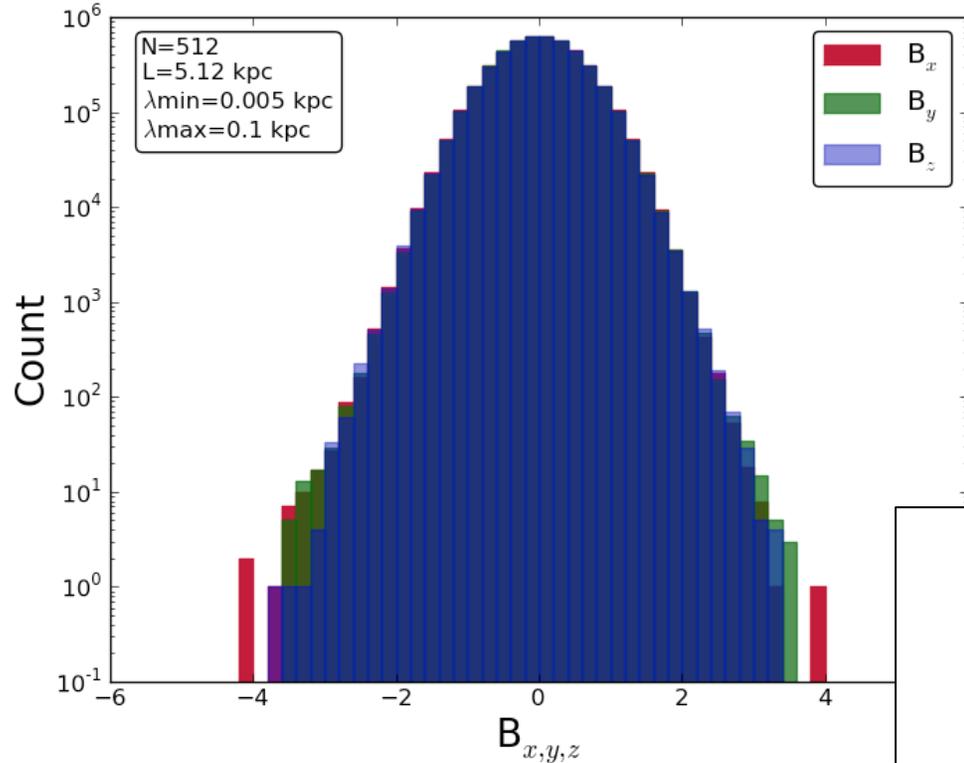
$$N = 512$$

$$\delta = 10 \text{ pc}$$

$$\lambda_{\min} = 5 \text{ pc}$$

$$\lambda_{\max} = 100 \text{ pc}$$

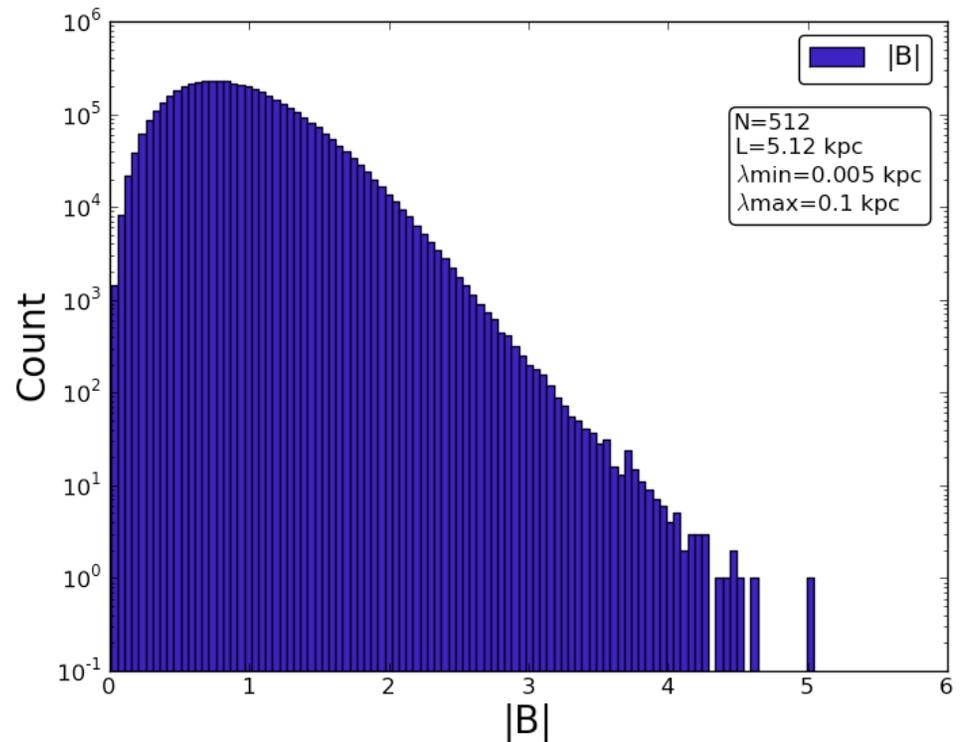
Kolmogorov Random Field (continued)



Model test:

B_x , B_y , B_z distributions are isotropic and symmetric

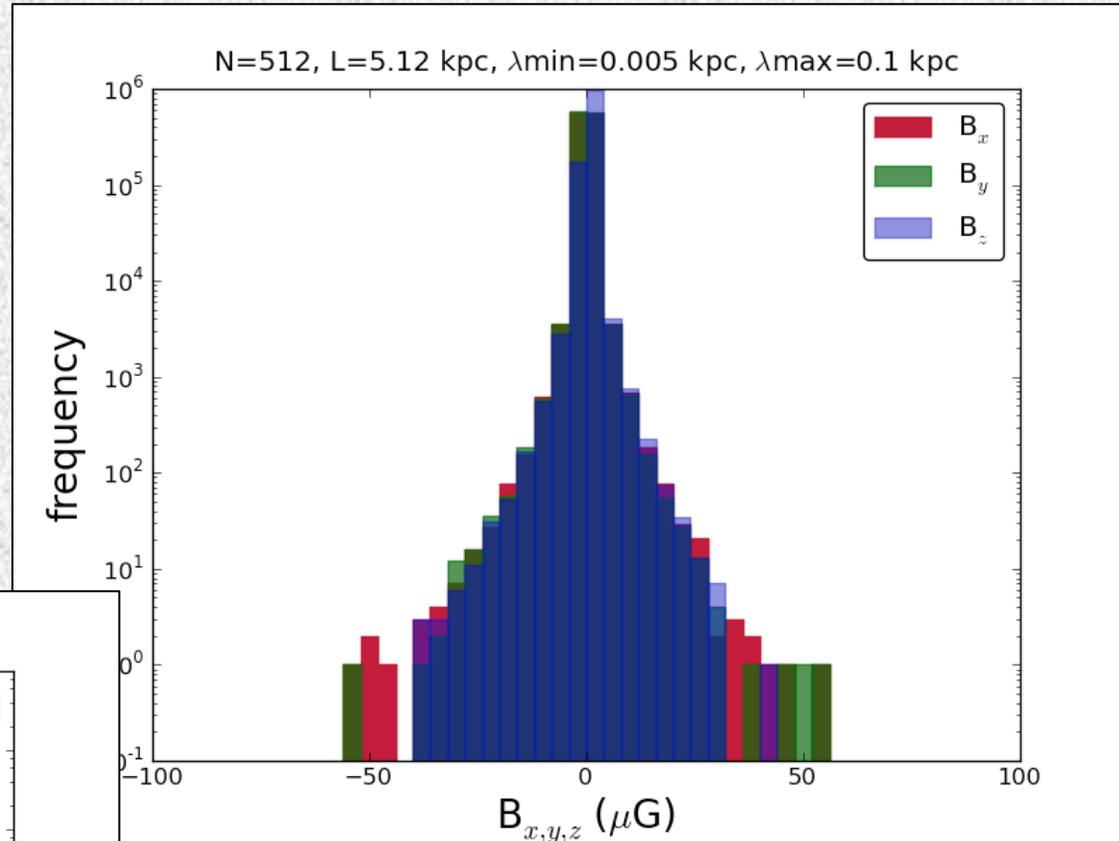
Histogram of $|B|$
 $B_{\text{rms}} = 1$



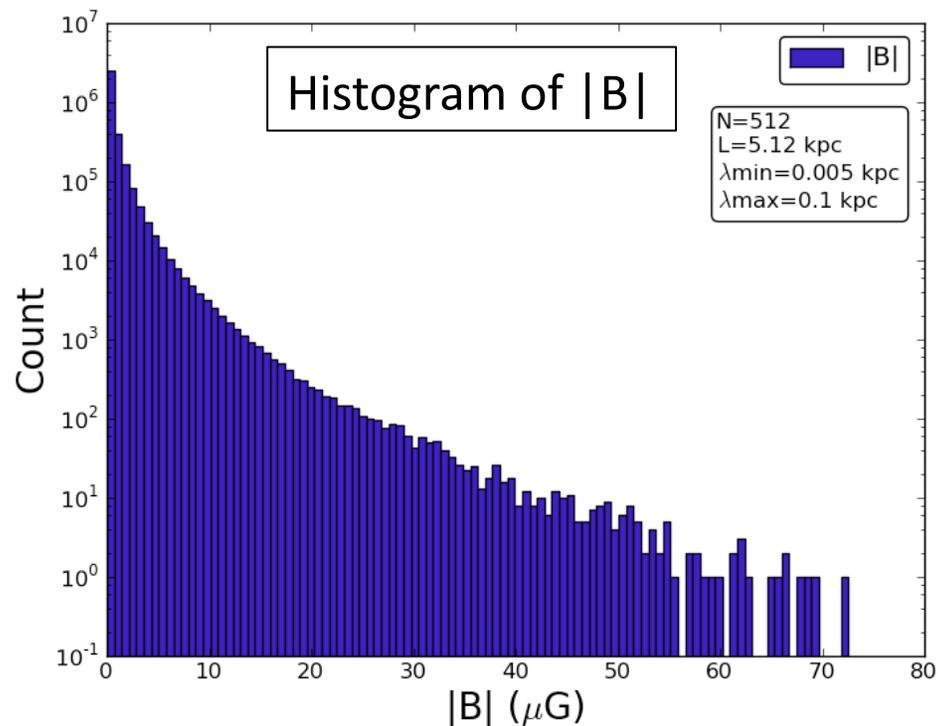
Kolmogorov Random Field in the Galaxy

We repeat the cube in the Galaxy,
but randomly changing its orientations

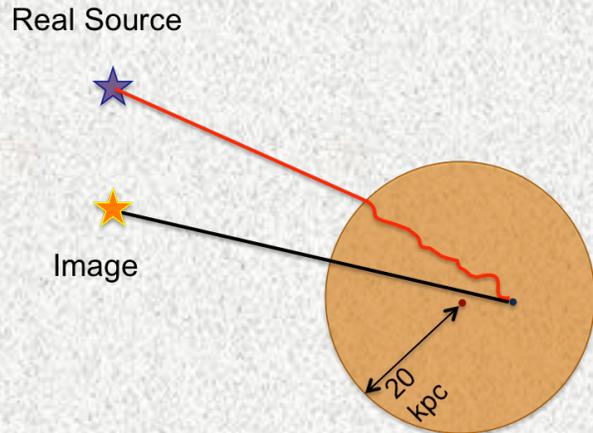
We scale B_x , B_y , B_z by JF12_random
strengths at each point in the Galaxy



Histogram of B_x , B_y , B_z



Back-tracking



We should consider the effect of the GMF to identify the sources of UHECRs

✦ Use CRT to propagate the cosmic rays

Michael Sutherland, et al (2010)

✦ Use HEALPix initial positions to back-track the cosmic rays

<http://healpix.jpl.nasa.gov/index.shtml>

✦ Res=11, Npixels: 50,331,648

Most simulations are done with Pleiades NASA HEC cluster

✦ Res=9, Npixels: 3,145,728

✦ Recording the final velocity direction and position

Plot the sky maps of the source directions

JF12_reg

$R = \text{Rigidity} == E/Z: 2 - 100 \text{ EV}$

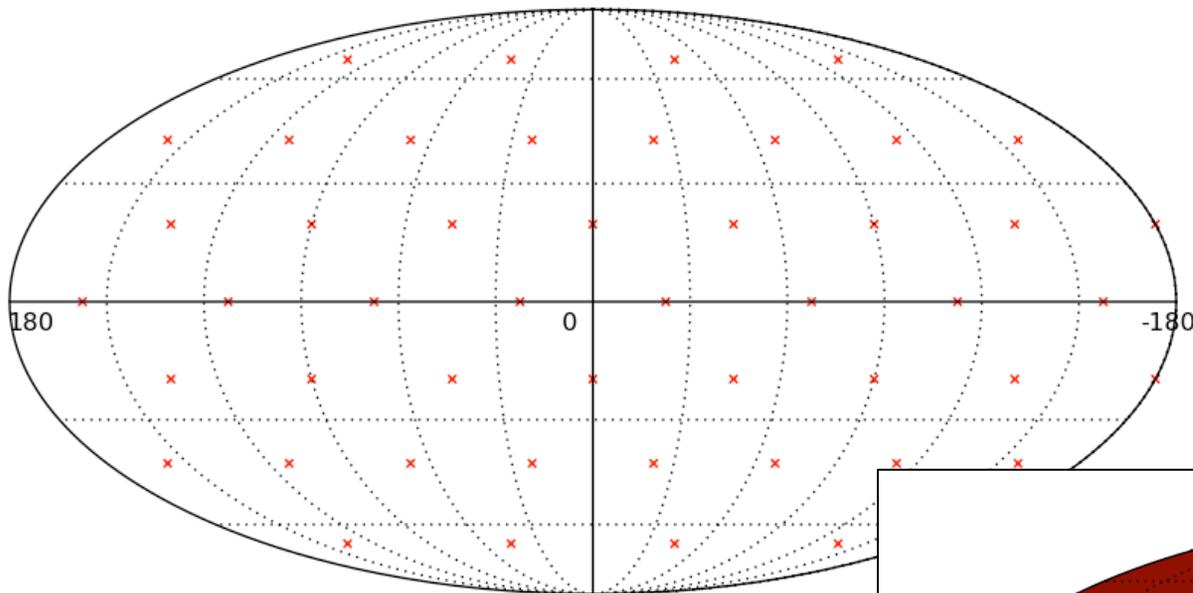
JF12_R1

$R = 10, 100 \text{ EV}$

$\text{Log}_{10}(R) = 0.3 - 2.0$ in steps of 0.05

JF12 Regular Component, $R=E/Z=31$ EV

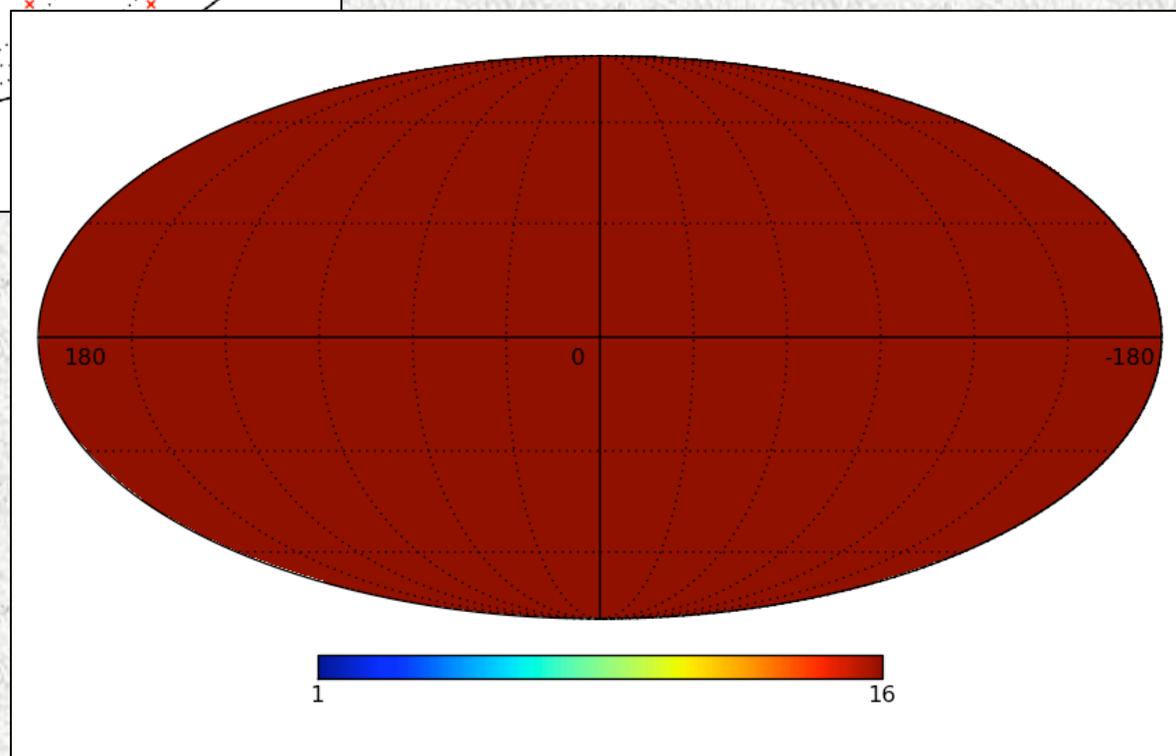
Initial Directions



HEALPix res=1 map
48 points

Healpix res=9 map
Res=11: 50M points

Mollweide projection



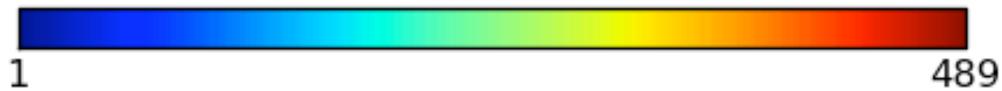
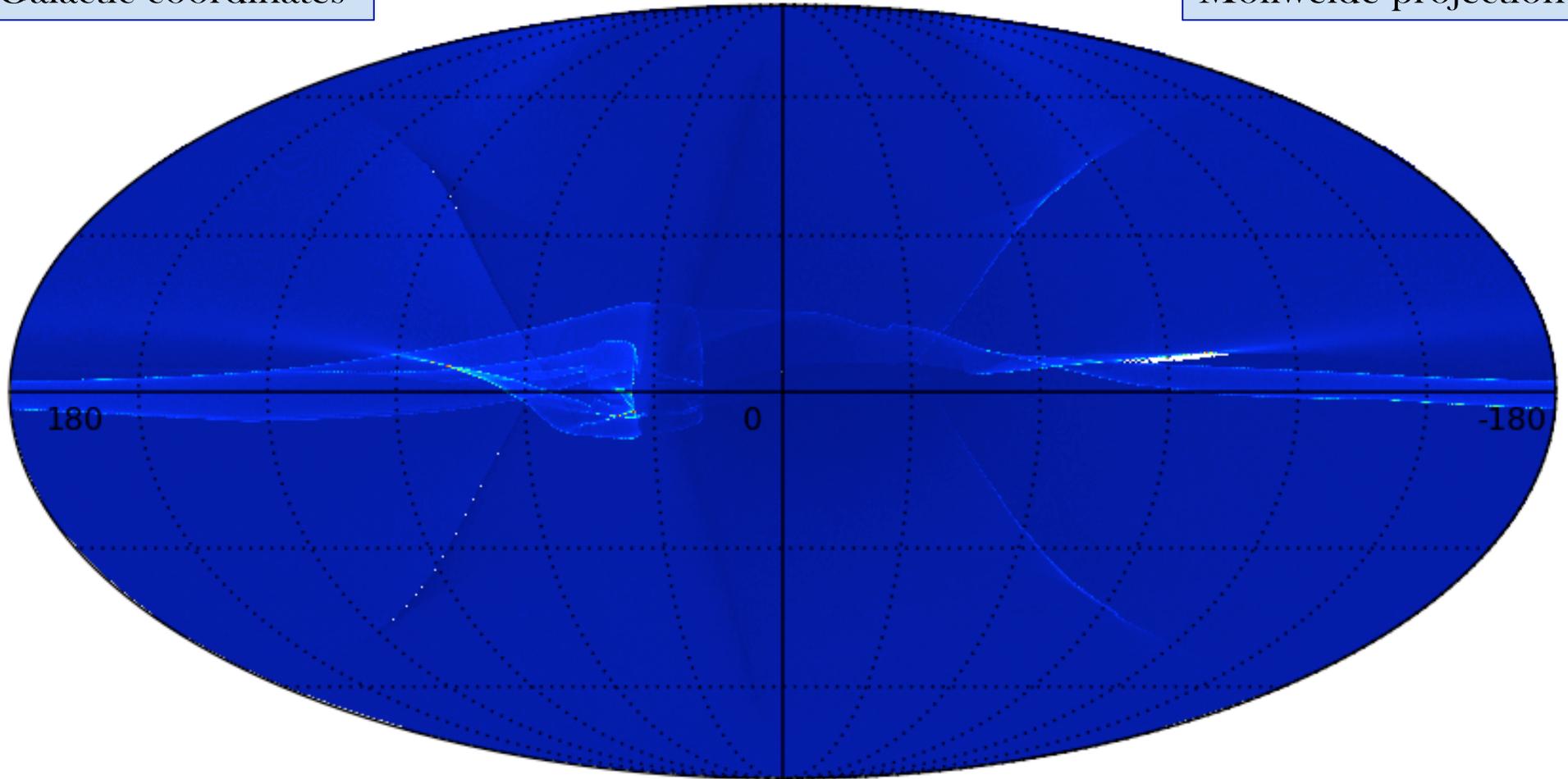
JF12 Regular Component, $R=E/Z=31$ EV

Source Directions

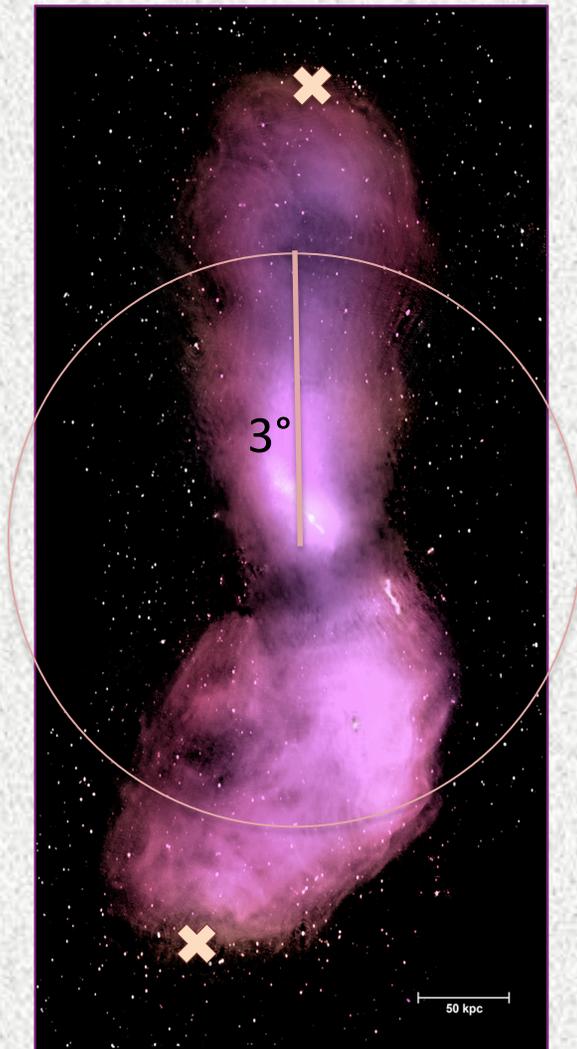
Galactic coordinates

Source locations (LogR=1.5) in JF12_reg

Mollweide projection



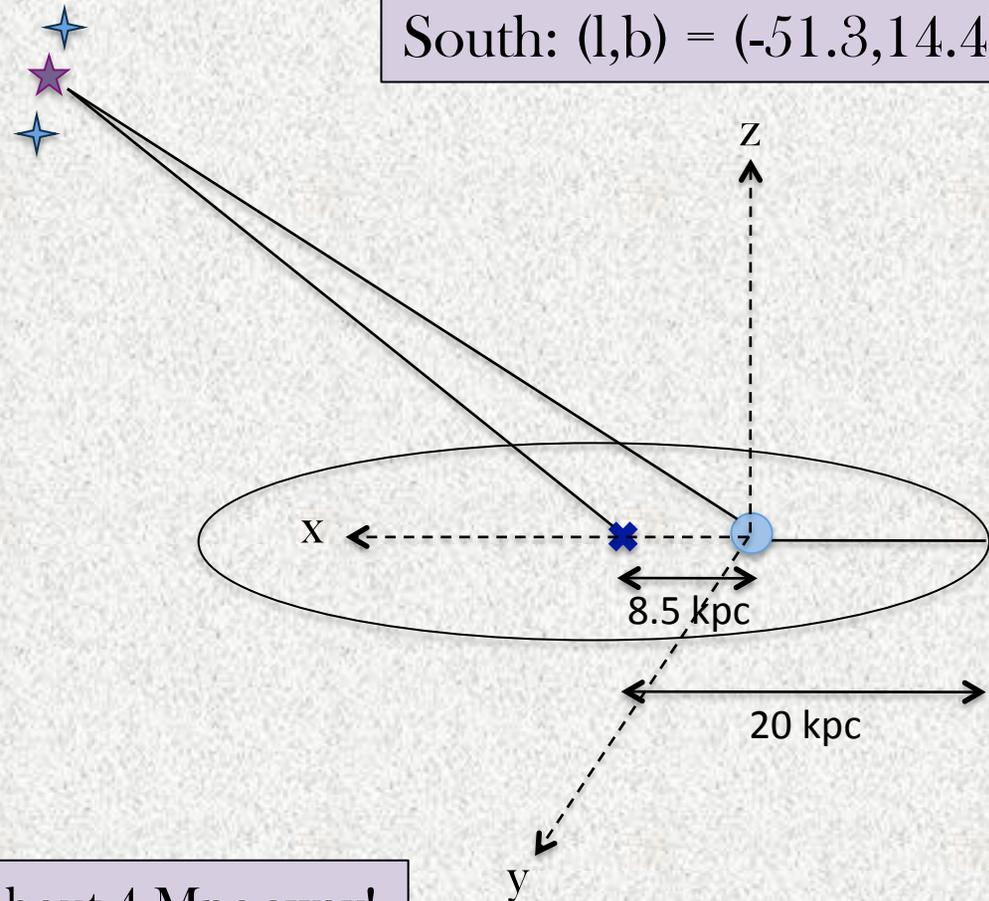
Centaurus A



Center: $(l,b) = (-50.5, 19.4)$

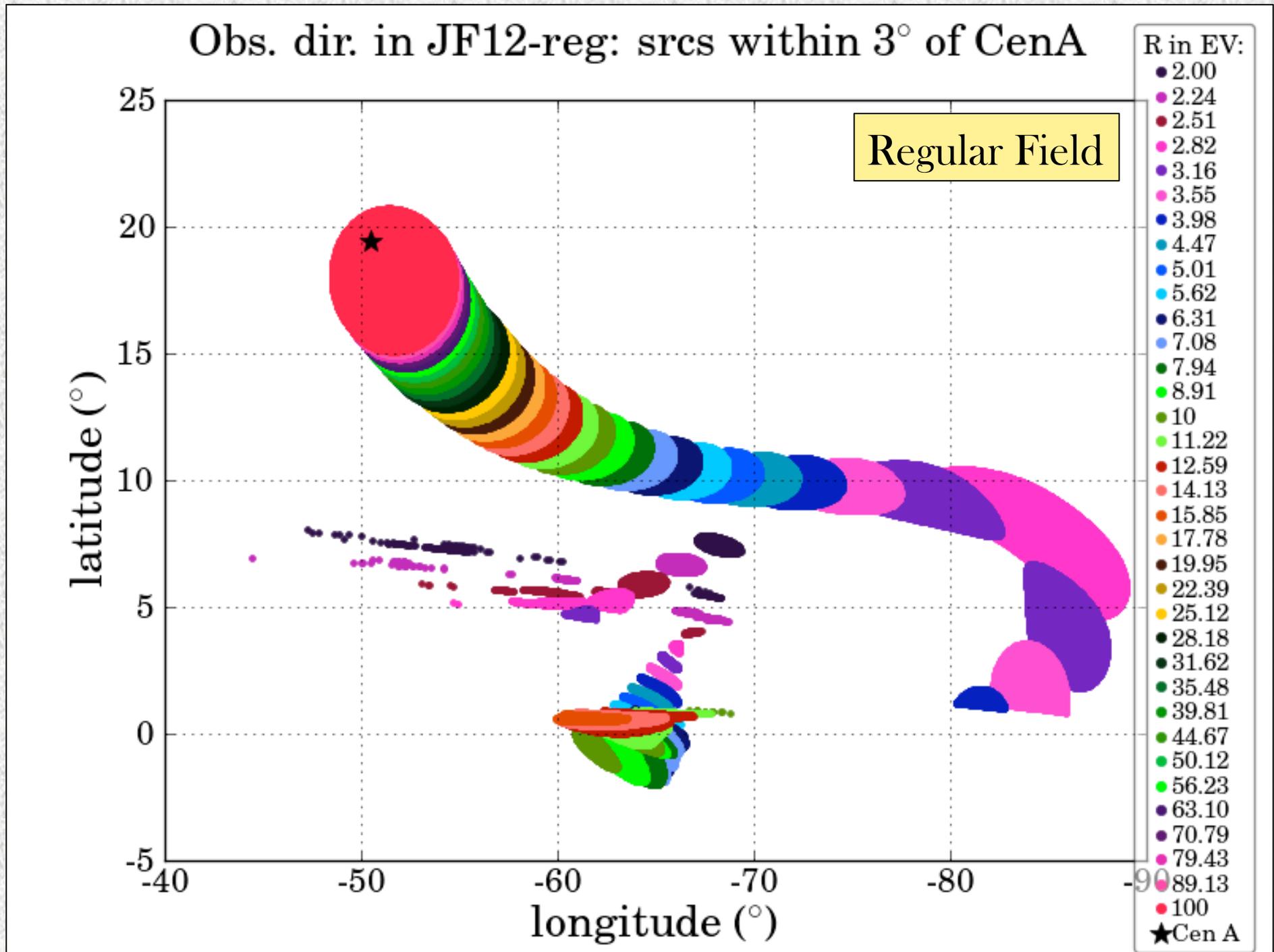
North: $(l,b) = (-49.8, 24.4)$

South: $(l,b) = (-51.3, 14.4)$

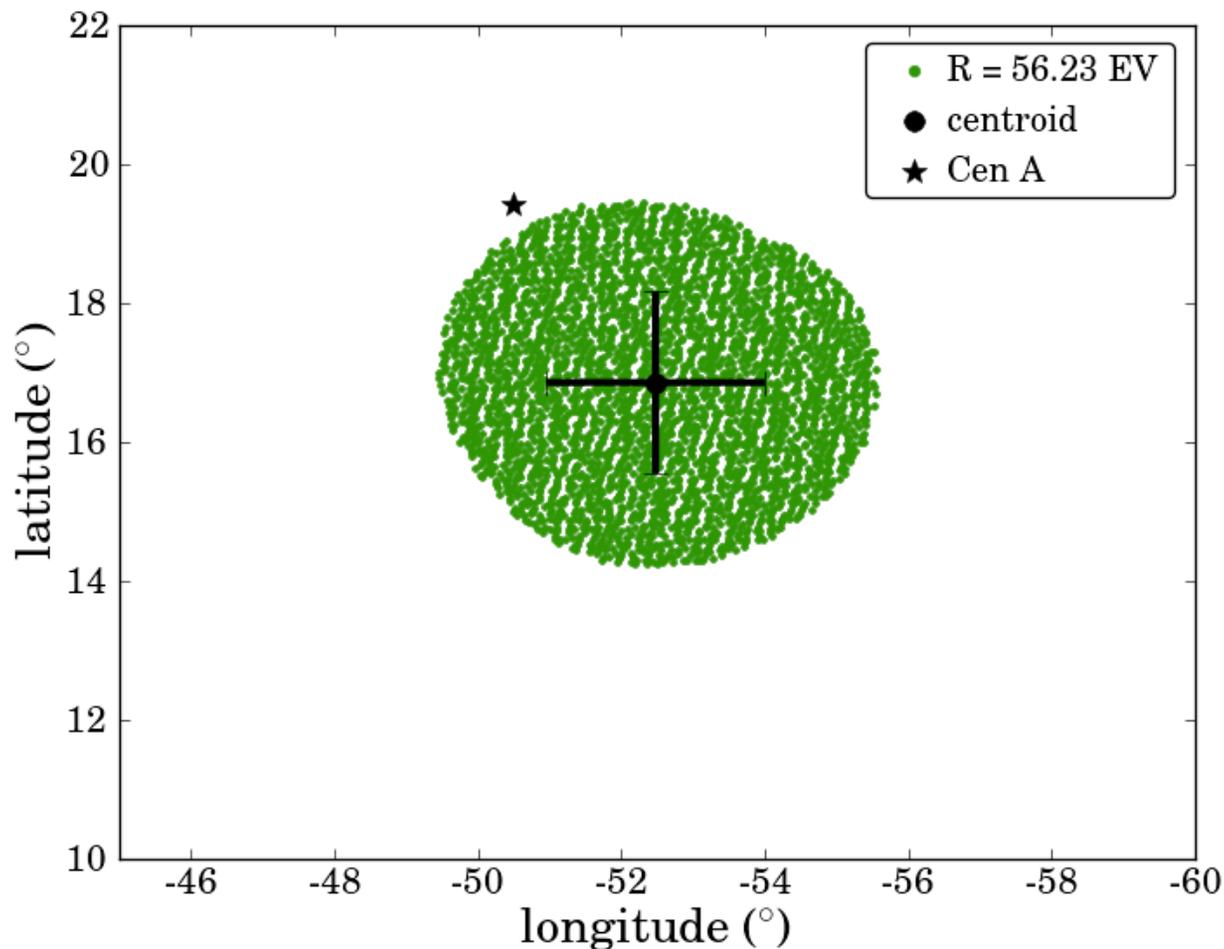


Cen A is about 4 Mpc away!

Simulated events from near Center of Cen A



Centroid and standard deviation of simulated events at each rigidity

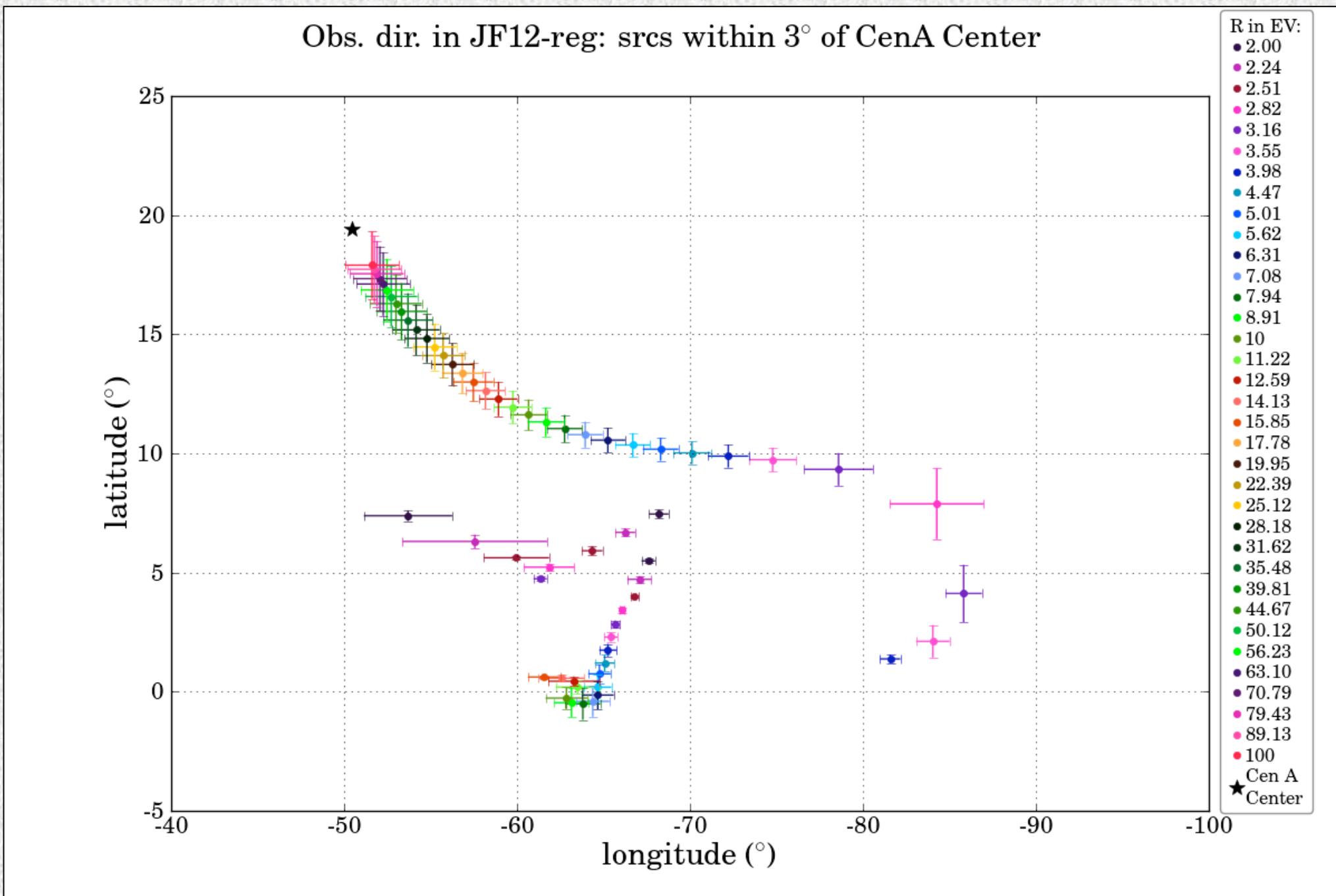


Observed arrival directions:
 $R = E/Z = 56.23$ EV

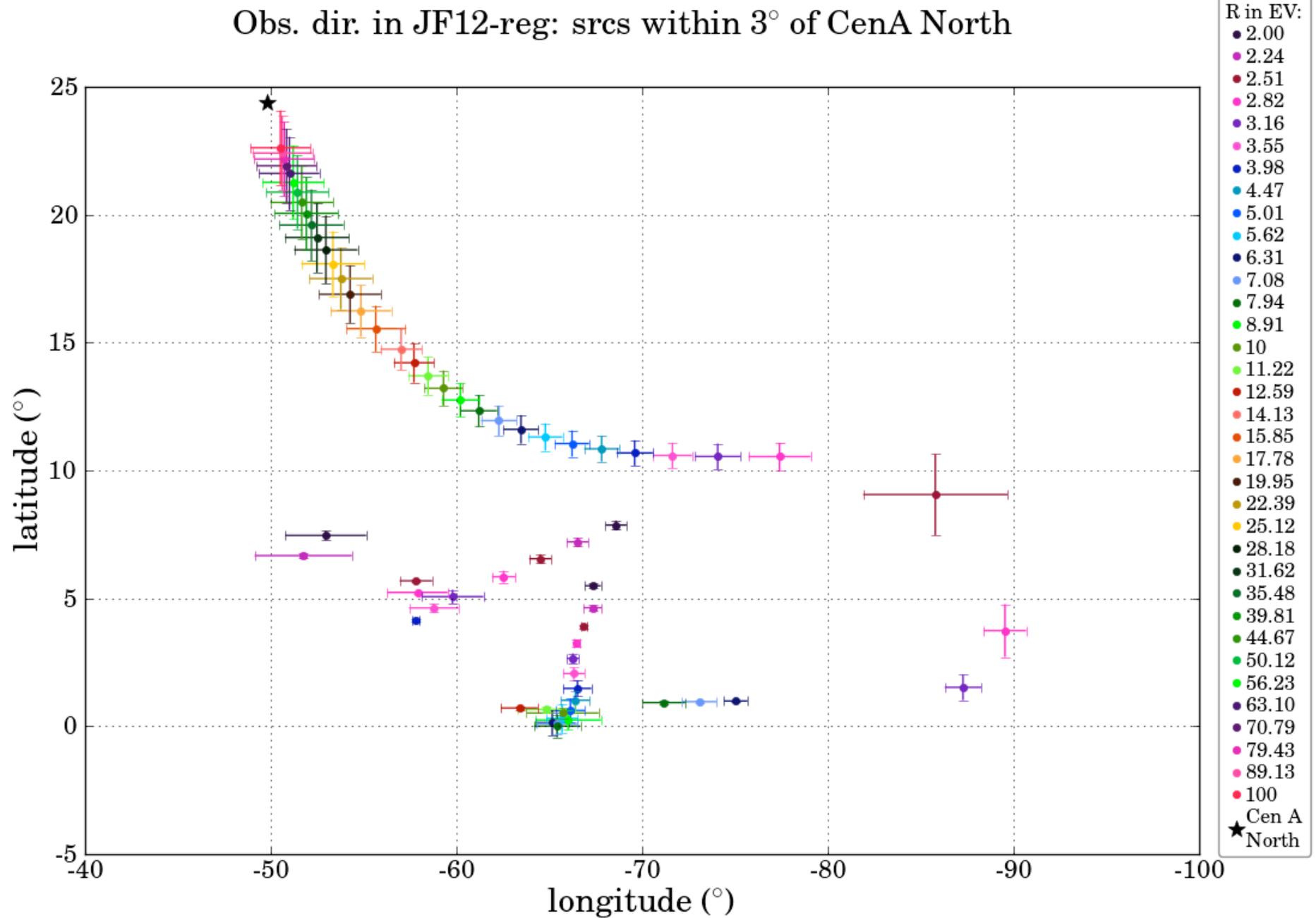
Events within 3° around
Cen A center
The centroid is shown
The error bars: standard
deviation in (l,b)

Instead of showing all
events at each rigidity, we
can show their centroid and
standard deviation

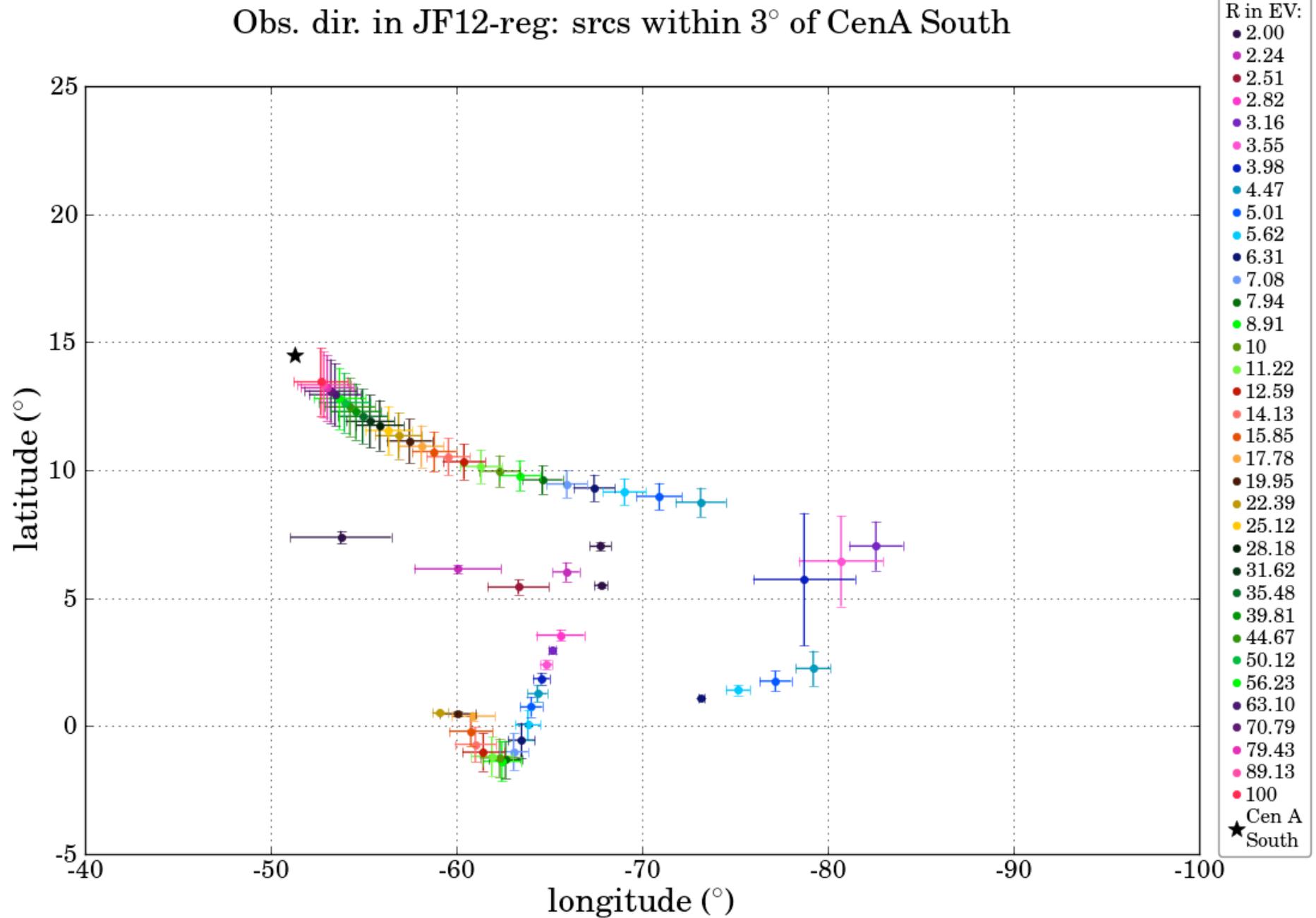
Centroids of Simulated events: Center of Cen A



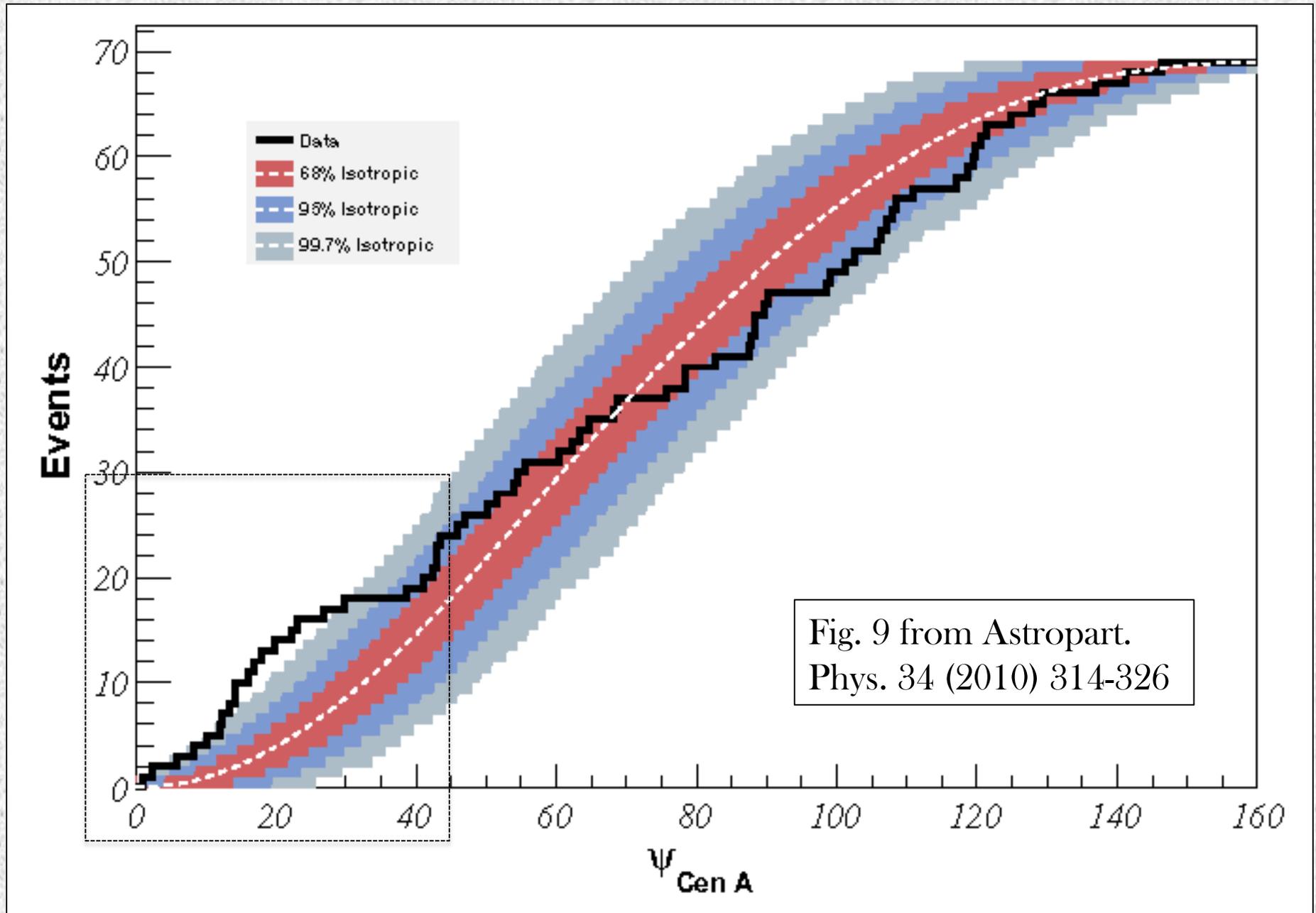
Centroids of Simulated events: North of Cen A



Centroids of Simulated events: South of Cen A



Cumulative number of Auger events vs. angular separation from Cen A

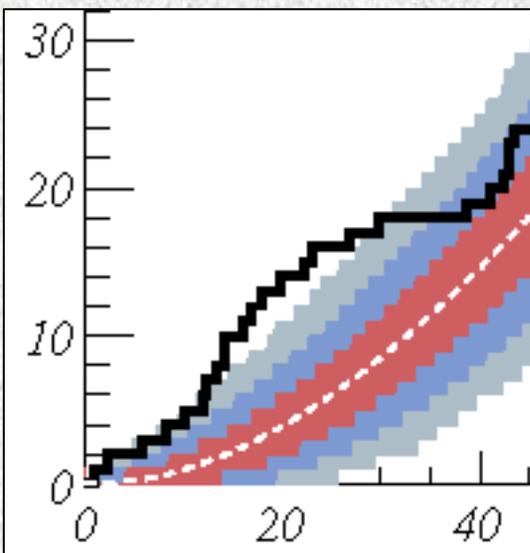
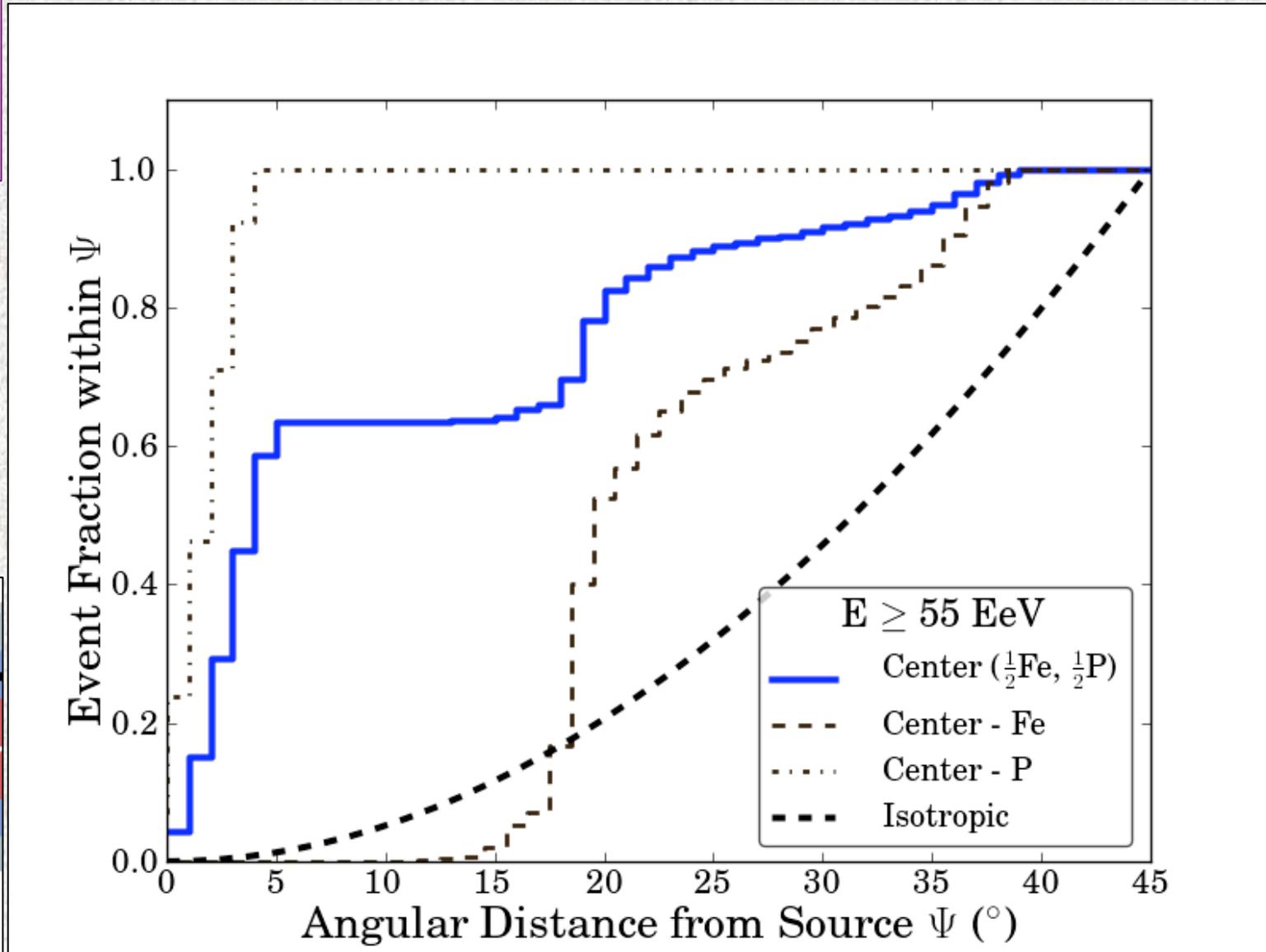


Cumulative number of events vs. angular separation from Cen A

Sources: within 3° of center of Cen A
Observed directions: Within 45° of Cen A

Events are $\frac{1}{2}$ protons and $\frac{1}{2}$ iron nuclei with $E \geq 55$ EeV

We observe an excess above isotropy in the simulations

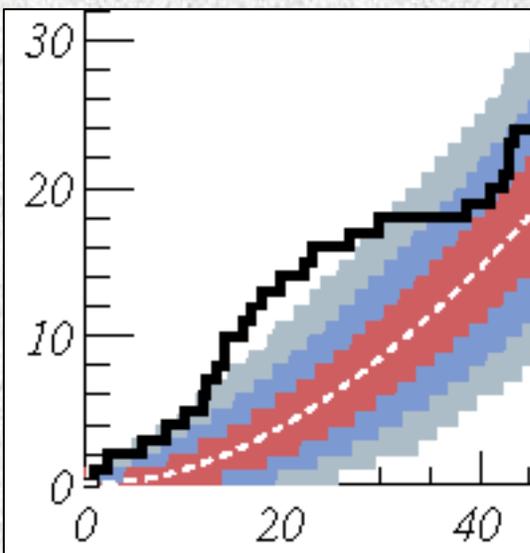
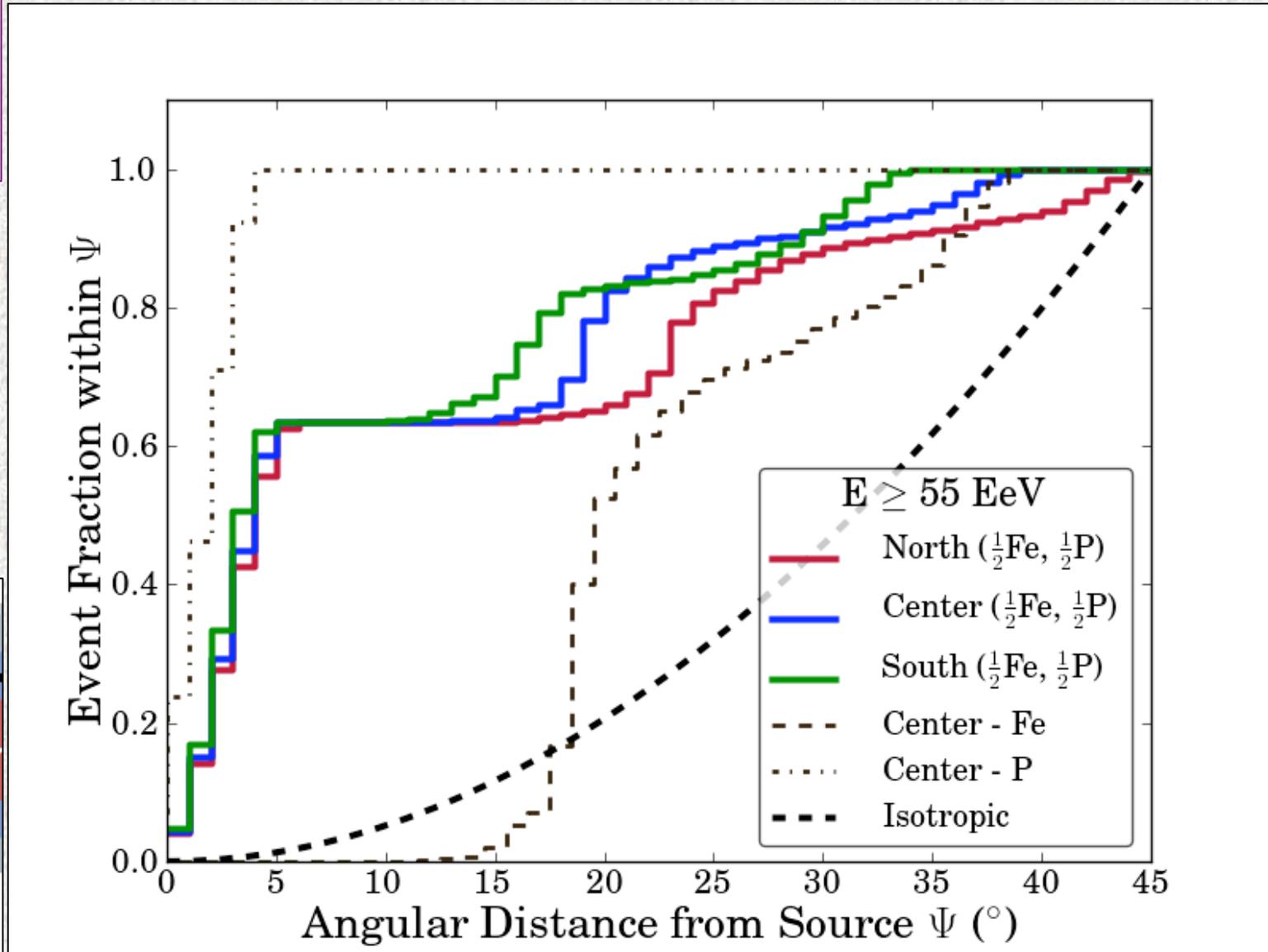


Cumulative number of events vs. angular separation from Cen A

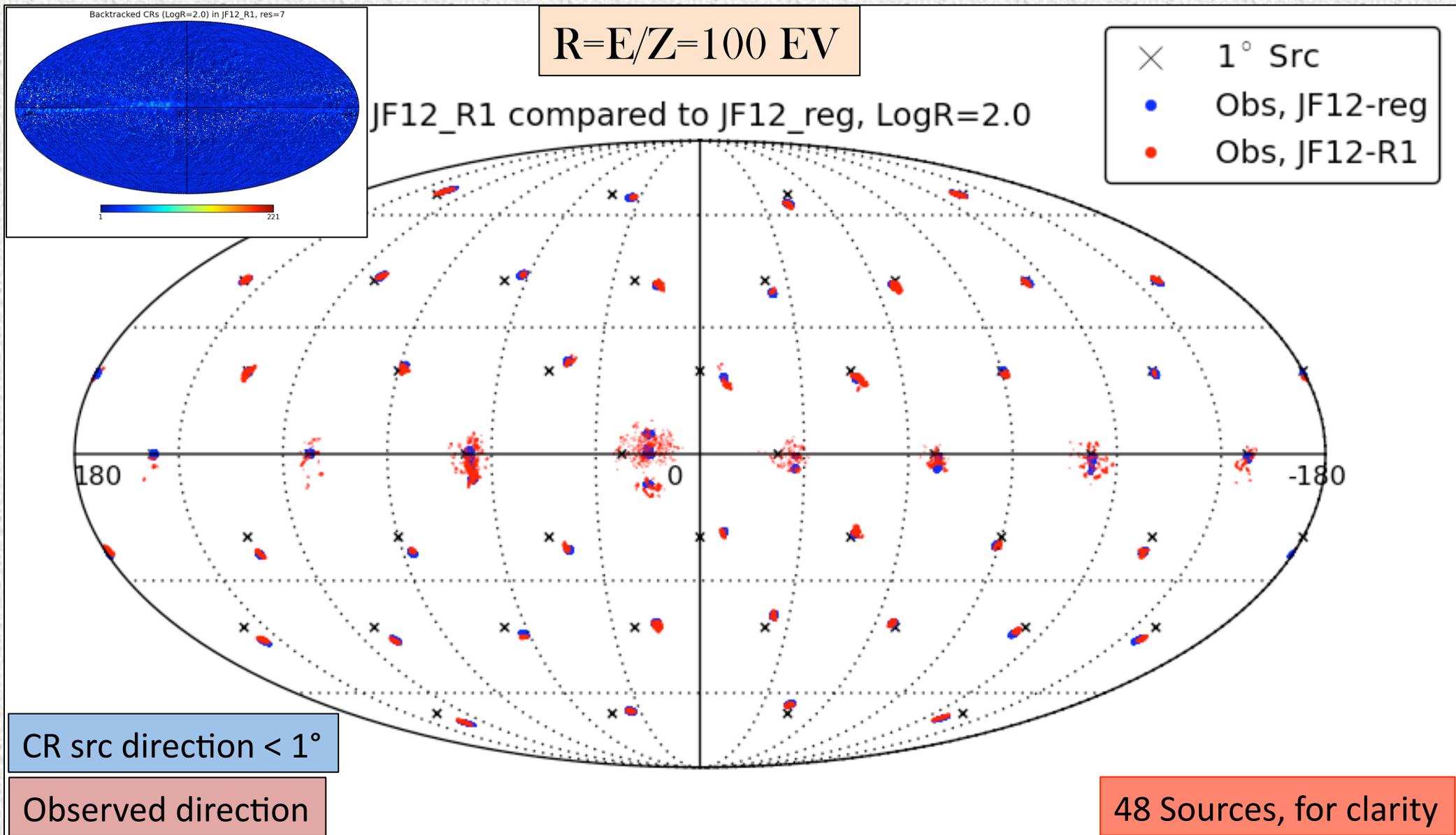
Sources: within 3° of center of Cen A
Observed directions: Within 45° of Cen A

Events are $\frac{1}{2}$ protons and $\frac{1}{2}$ iron nuclei with $E \geq 55 \text{ EeV}$

We observe an excess above isotropy in the simulations

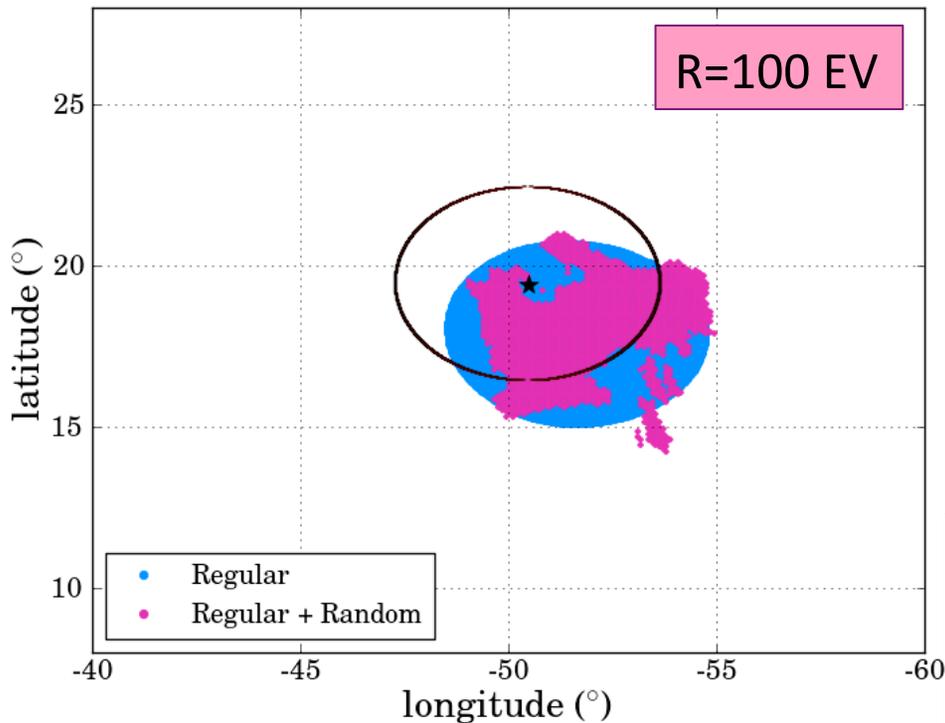


JF12 Regular + Random field



JF12 Regular + Random field

Obs. Arrival Dir. in JF12-Reg, KRF1: srcs within 3° of Cen A

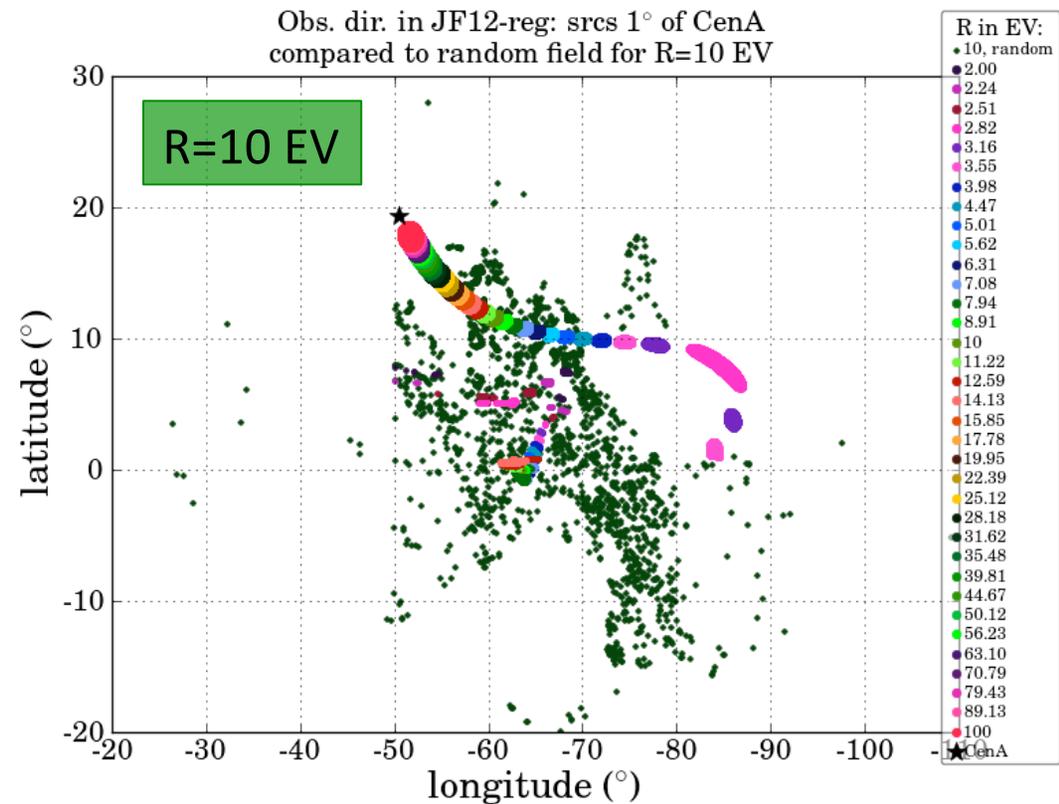


At high energies adding random field would not significantly change the average deflections from Cen A

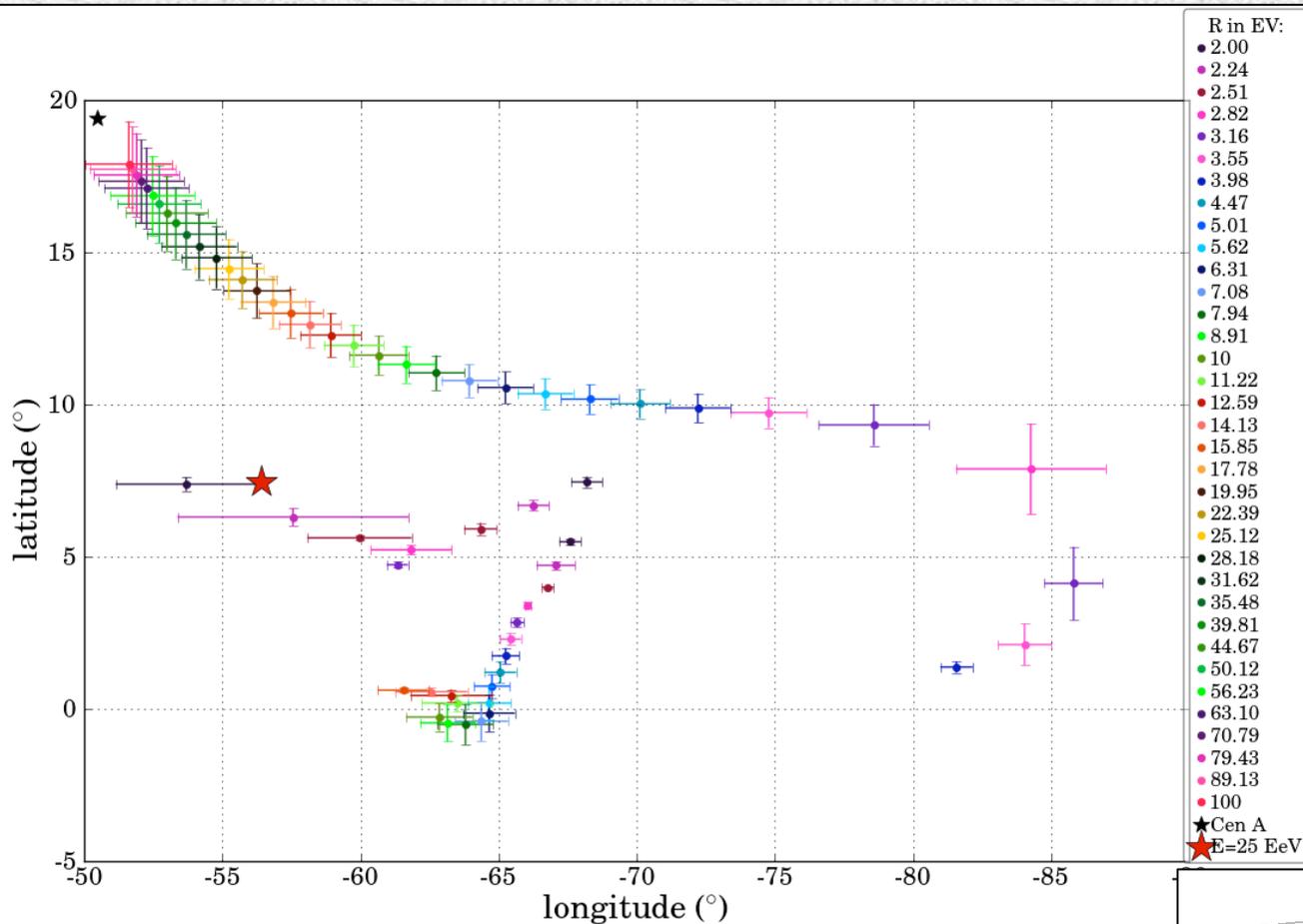
Random field scatters the low energy CR a lot more than the regular field

AK, G. Farrar and M. Sutherland, in prep

Obs. dir. in JF12-reg: srcs 1° of CenA compared to random field for R=10 EV



Mass composition: Assign charges to events

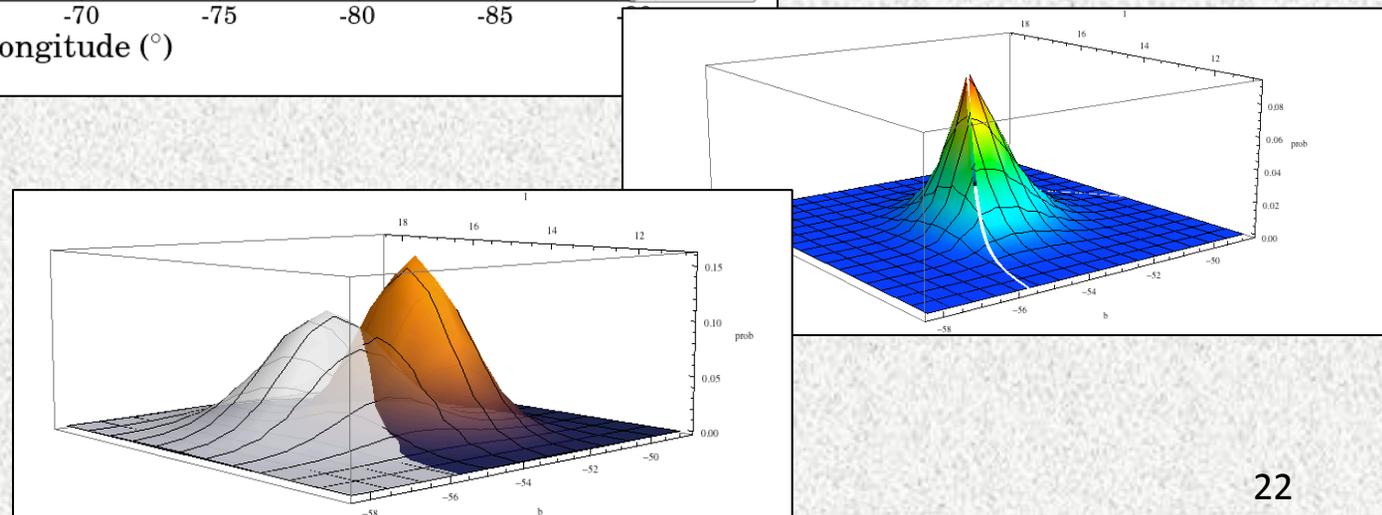


Assume the asterisk is an Event with known energy and arrival direction

Each event has an uncertainty on (l,b) and also on energy

Consider a 2D Gaussian distribution around each event with $(\langle l \rangle, \langle b \rangle)$ and standard deviation of (σ_l, σ_b)

Calculate the volume of the overlap Gaussians of one event and one simulated point: Find the maximum (probability) $\rightarrow E/R = Z$

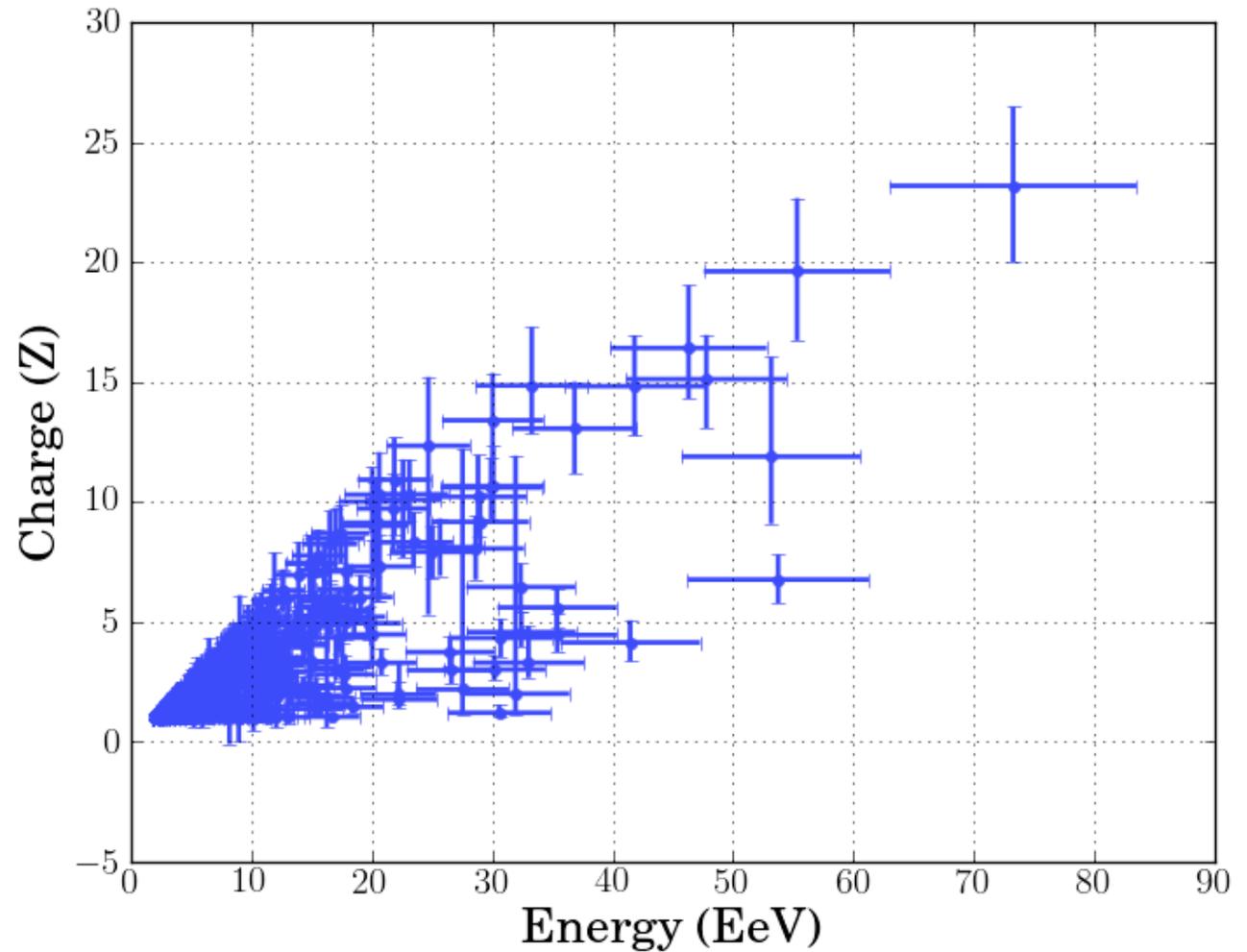


Assigned charges (Z) vs. energy

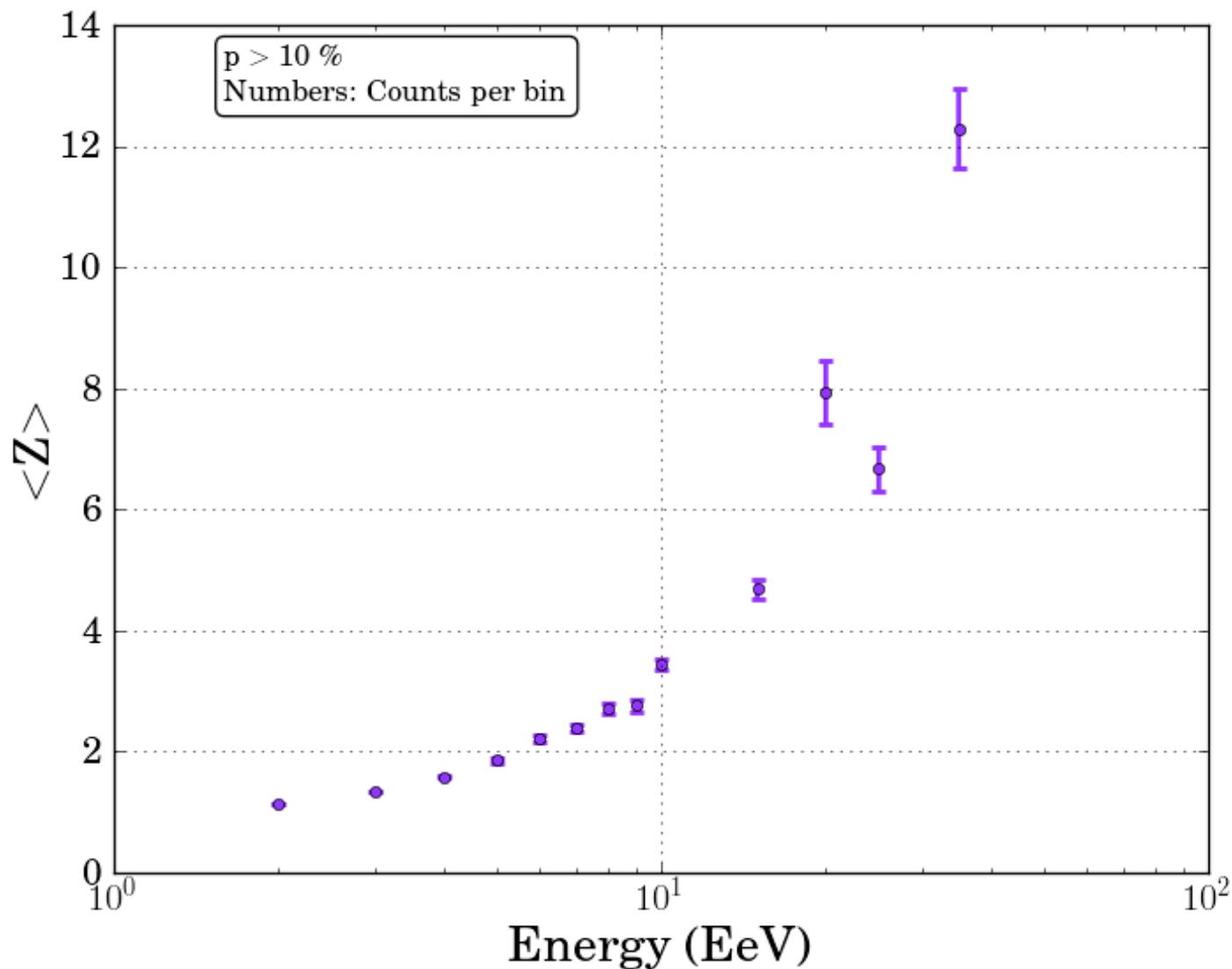
Events with probability $> 10\%$

Each event is assigned a certain charge with a calculated probability

Each event is smeared in energy and position (related to the error bars)



$\langle Z \rangle$ vs. Energy



Lower energies:
Bins of 1 EeV

Middle:
Bins of 5 EeV

Last bin:
 $E > 35$ EeV

Going to
higher energies
we see a general
increase of Z

Summary

- ❖ We have found the arrival direction locations of UHECR with different rigidities in our simulations.

Simulations are done for $R=100$ EV down to 2 EV in regular field. A rigidity of 2 EV can be a 2 EeV proton or a 52 EeV iron.

- ❖ We see an excess of simulated proton and iron within 45 degrees of CenA.

- ❖ The random field can induce larger deflection magnitudes than a sole regular field depending on the source direction and the energy

- ❖ We introduced a method to calculate the charge of a CR event.

Based on the hypotheses that the events are from Cen A and correlating with simulated regions, we are able to assign a charge to each event.

Thanks for your attention