

# Adventures in IceCube Energy Reconstruction

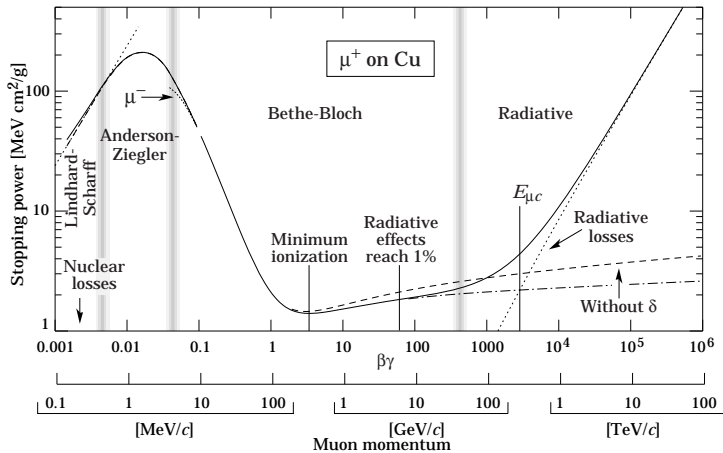
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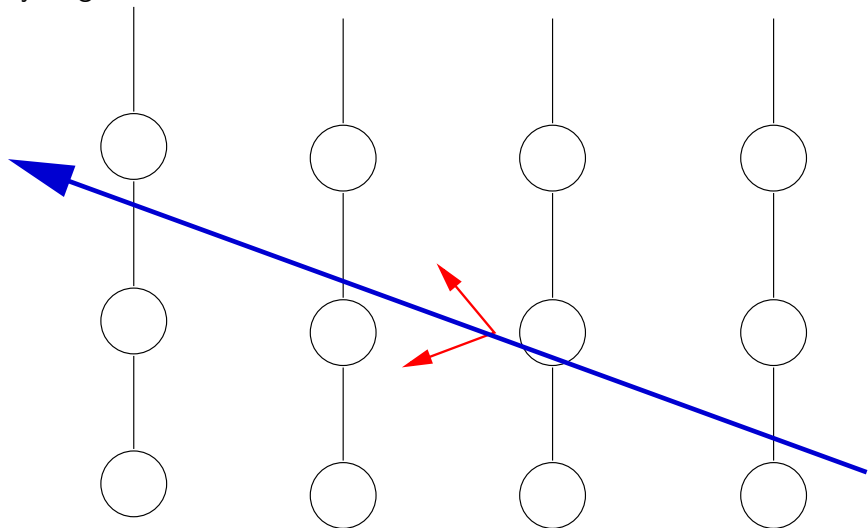
# Muon Energy Loss



Particle Data Group

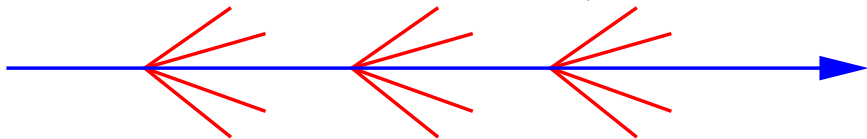
## Photon Model

Model light from point sources or from finite extended sources (possibly stacking to an infinite muon), taking into account ice layering, etc.



# Track Description

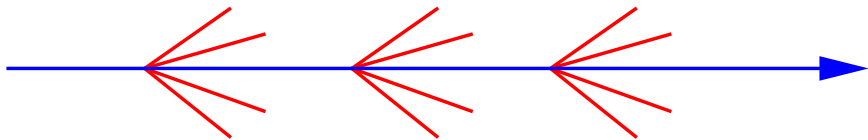
Muon loses energy by continuous ionization processes (steady Cerenkov emission) and by stochastic processes (bremsstrahlung, photonuclear processes etc. – pointlike emission)



# Photorec

“Lightsaber” model: constant energy loss muon overlaid with cascades every meter. Calculate  $\langle dE/dx \rangle$  by scaling up table to maximum likelihood fit to data

→ constant energy loss and cascades scale with muons.



## MuE

Most other IceCube energy reconstructions (e.g. MuE) work the same way, but with different ice parameterizations

## Track segmentation

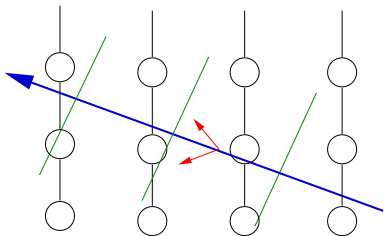
Losses from each cascade are stochastic, so they should scale independently. Muon-like losses are also not constant. So we break the track up into segments – every few meters place a cascade and muon segment.

Solving for all of these independently gets us:

- ▶ Starting/stopping/contained tracks
- ▶ Hybrid reconstruction
- ▶ Taus
- ▶ High-energy stochastics
- ▶ Better energy measurement
- ▶ Better particle ID
- ▶ Reconstruction quality cut
- ▶ Cascade detection
- ▶ Bundle multiplicities
- ▶ High-energy tests of QED
- ▶ ...

## Simple Approach

- ▶ Divide detector into cylindrical segments centered on the track
- ▶ Apply Photorec/MuE algorithm in these sub-detectors
- ▶ Usually estimate muon energy by dropping large stochastics

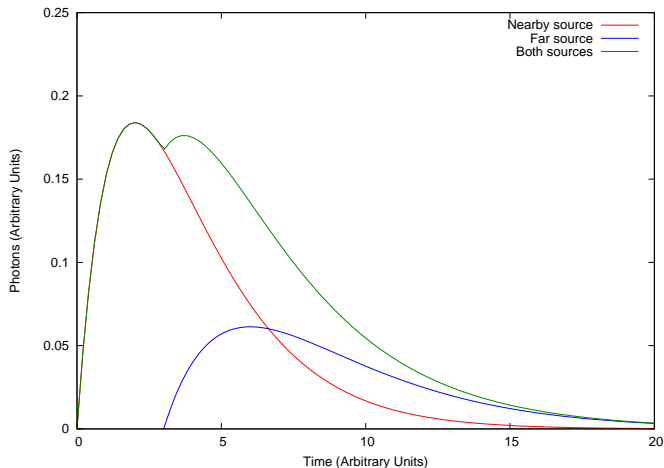


## Implementations

IceCube: Truncated Energy, DDDDR

## Complicated Approach (Millipede)

Observed photon distributions in each OM are a linear combination from all sources, with distributions from photon MC tables or parametrizations and normalizations from the energy loss at that source.





# Unfolding Stochastics

We can deconvolve the stochastic losses by solving the linear system:

$$\begin{pmatrix} B_1(x_1) & B_2(x_1) & \cdots & B_n(x_1) \\ B_1(x_2) & B_2(x_2) & \cdots & B_n(x_2) \\ \vdots & & \ddots & \vdots \\ B_1(x_m) & B_2(x_m) & \cdots & B_n(x_m) \end{pmatrix} \begin{pmatrix} E_1 \\ E_2 \\ \vdots \\ E_m \end{pmatrix} = \begin{pmatrix} N_1 \\ N_2 \\ \vdots \\ N_m \end{pmatrix}$$

$B_i$ : predicted photon distributions from each muon segment and shower

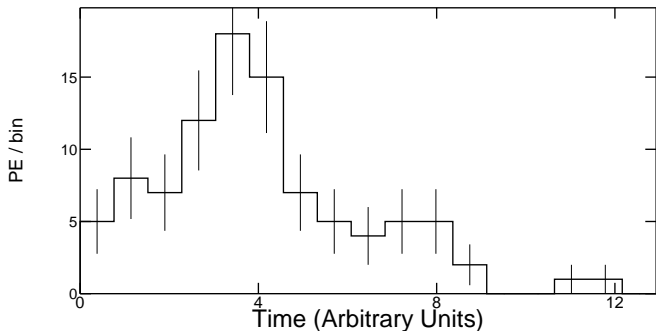
$E_i$ : energy loss at each muon segment/shower

$N_i$ : measured photon counts

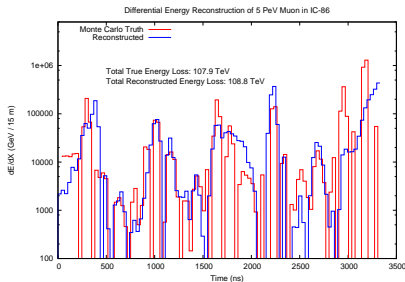
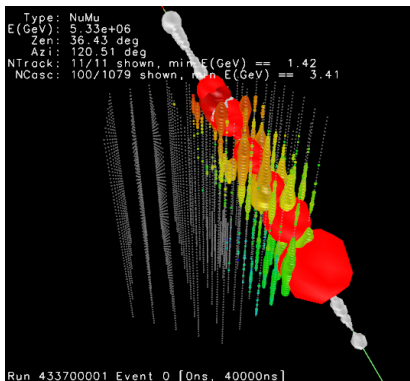
## Defining the data vector

Simplest case: use absolute amplitudes in each OM (very fast)

Complicated case: make a charge histogram in time, fit amplitudes in each bin (somewhat slower)

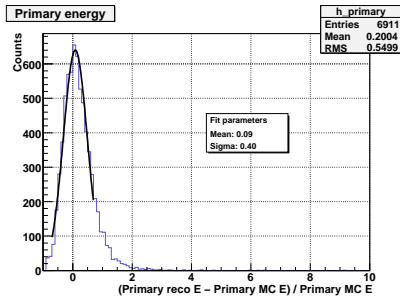
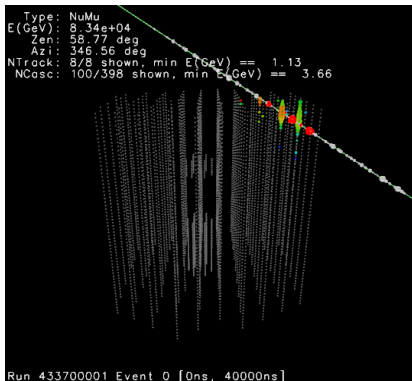


# High Energy Performance



- ▶  $\approx 1\%$  energy deposition resolution at 1 PeV
- ▶ Cascade position resolution  $\approx$  a few meters
- ▶ Excellent event topology reconstruction

# Low Energy Performance

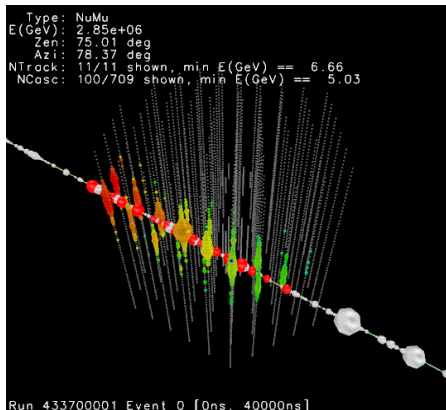


J. P. Yañez, DESY

- ▶  $\approx 40\%$  energy deposition resolution at 20 GeV
- ▶ Track length to  $\approx 10$  meters

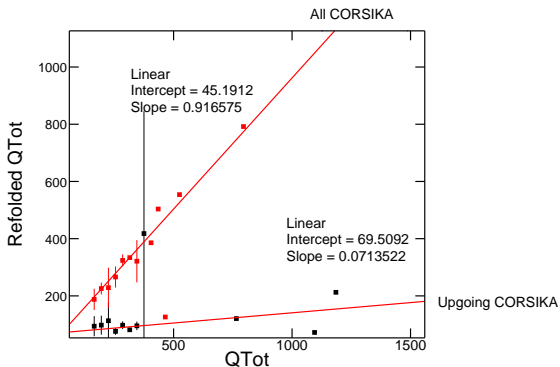
# Estimating $E_\mu$ from topology

- ▶ High Energies (Uncontained)
  - ▶ Likelihood Fit to Event Topology ( $P(E, E')$ )
  - ▶ Provides much higher-quality fit to muon energy, since more information available
  - ▶ Work in Progress
- ▶ Low Energies (Contained)
  - ▶ Detector a calorimeter: Add energies
  - ▶ Excellent energy resolution ( $\sim 10\%$ ), even approaching the detector threshold



# Unconventional Uses

- ▶ Misreconstruction rejection (right)
- ▶ Cascade identification
- ▶ Muon Bundle Reconstruction by dE/dX profile



# Overview

- ▶ Scalar Algorithms
  - ▶ Fast, simple,  $\mu$  energy
  - ▶ MuE, Photorec
- ▶ Pseudo-Scalar Algorithms
  - ▶ Better  $\mu$  energy
  - ▶ Truncated Energy, DDDDR
- ▶ Full Segmented Algorithms
  - ▶ High-precision event topology
  - ▶ MuE-X, Millipede

