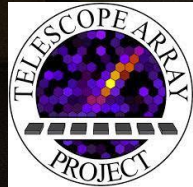


# Machine Learning at Telescope Array

Machine Learning for Analysis of High-Energy Cosmic Particles, 01.25

[ivan.kharuk@phystech.edu](mailto:ivan.kharuk@phystech.edu)

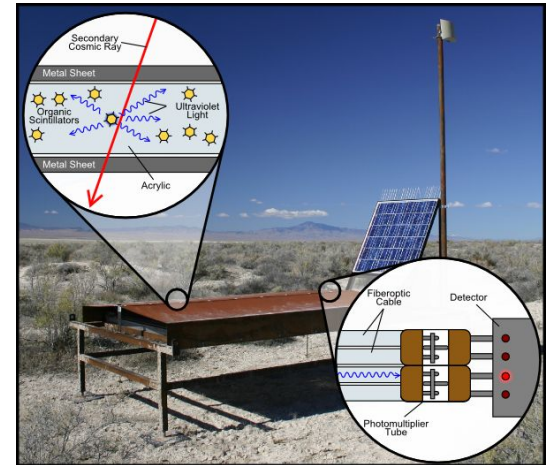
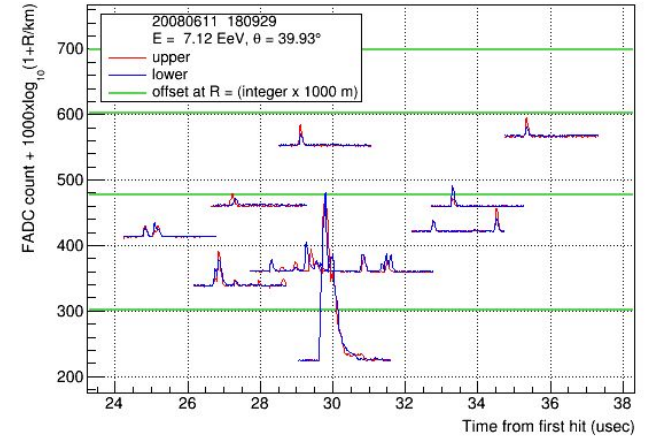
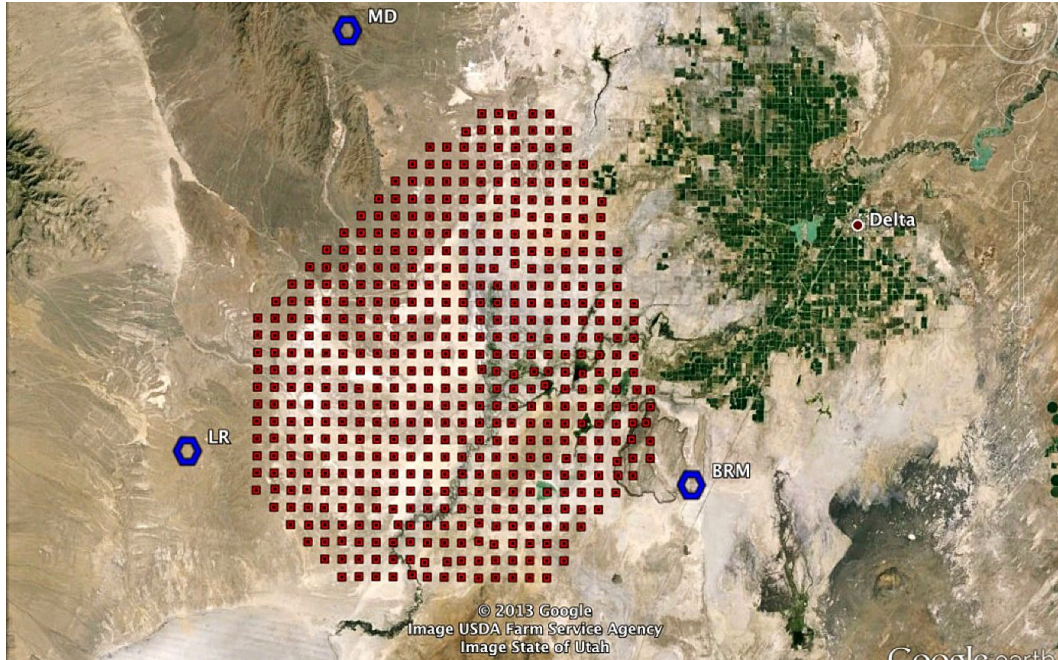


# Outline

- Composition-spectrum and arrival direction studies
- Towards reliable neural networks
- Autoencoder

# Telescope Array

Largest cosmic ray observatory in Northern Hemisphere  
(700 km<sup>2</sup>, 507 Surface Detector stations + 3 Fluorescent detectors,  
TA Low Energy Extension)



1. EAS composition, energy and arrival direction reconstruction

# Getting most out of the data

- Reconstructed parameters  
(domain knowledge)

+

- Detector bundle  
(geometrical features)

+

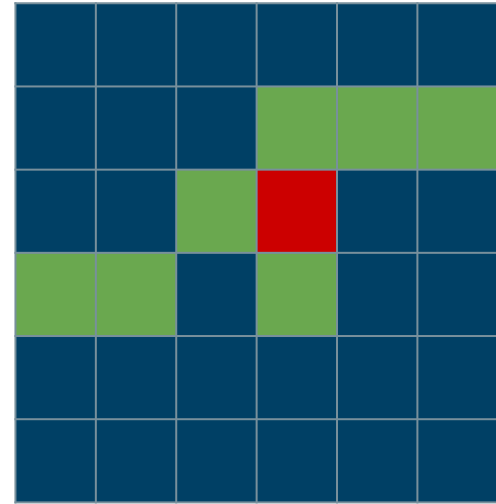
- Detector sequence  
(temporal features)



Predictions

# Detectors bundle

- $x$ ,  $y$ , and  $z$  coordinates of the detector
- Detector's total signal
- Time of the plane front arrival
- Difference in time between the start of the recorded signal and the wavefront arrival
- Masks:
  - Was triggered?
  - Was saturated?



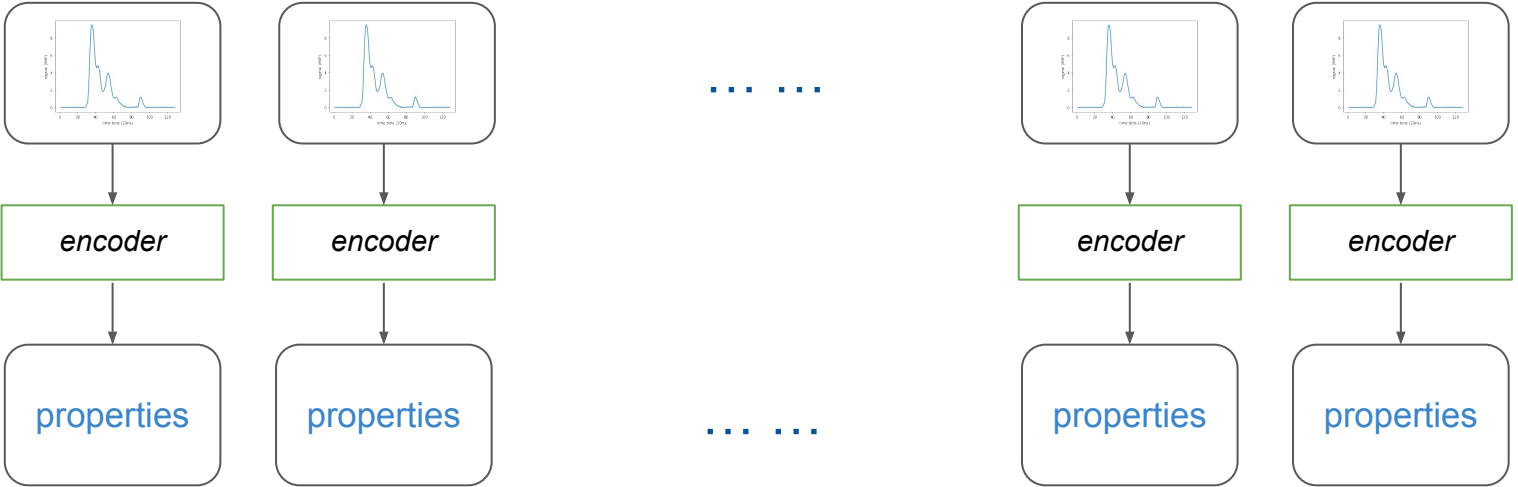
CNN



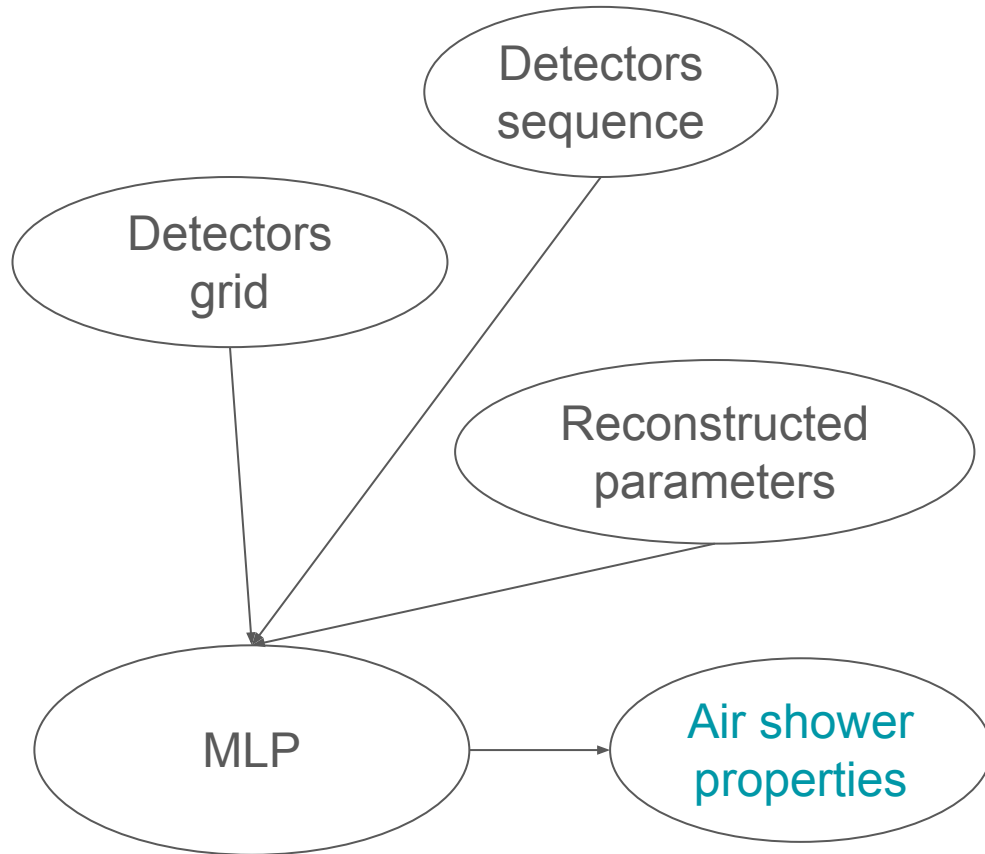
Spatial detectors features

# Detectors sequence

detectors ordered by time of the plane front arrival



# Full NN



## Technical remarks:

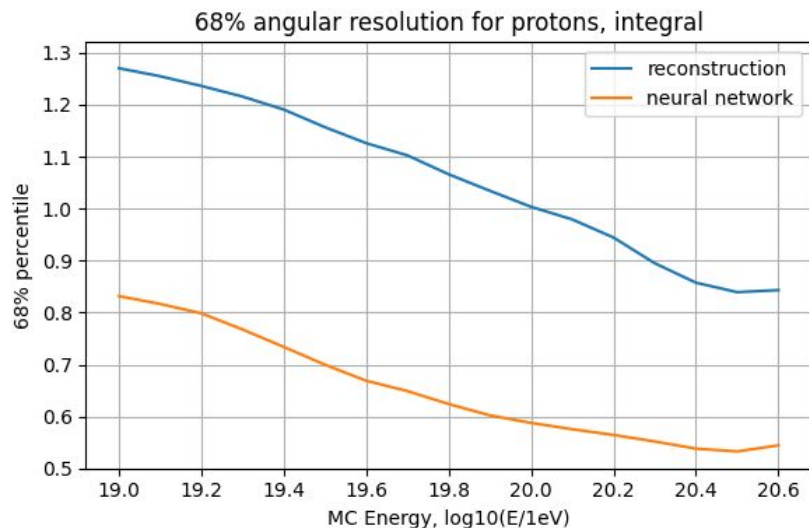
- Cosine similarity for direction reconstruction.
- $E^{-1}$  differential EAS spectrum for training.
- Using Layer Normalization yields better metrics
- Better to train only for one target prediction.
- Small networks ( $\sim 10^4$  parameters) perform best.
- Transformers yield similar metrics.



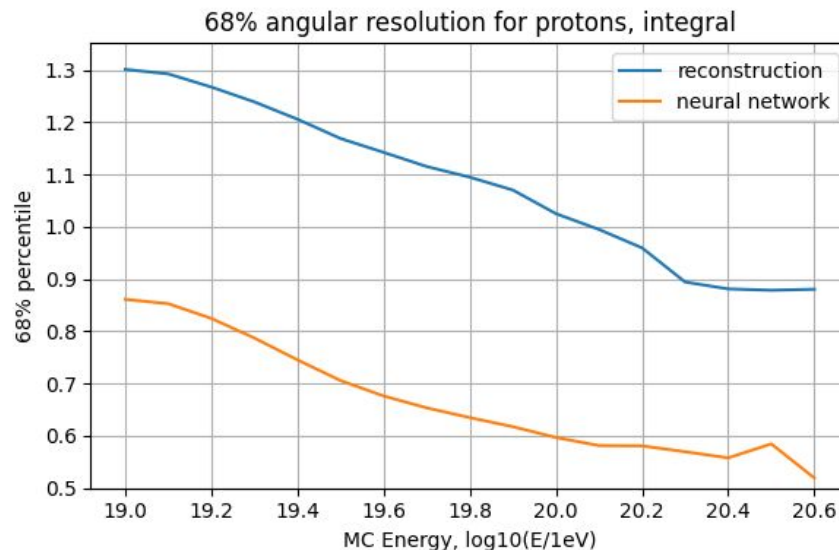
# Angular resolution

- $\sim 0.4^\circ$  angular resolution improvement
- Weak model dependence

“Native” QGSJET-II-4



EPOS-LHC

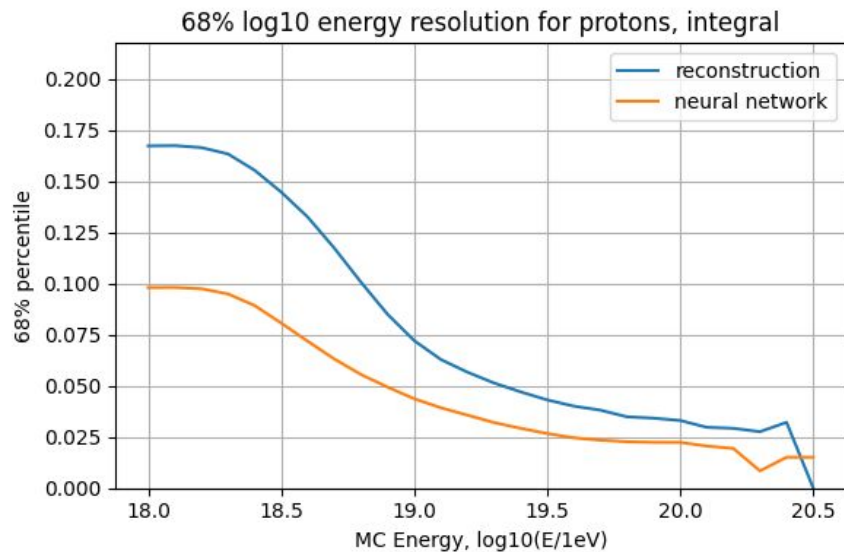


HiRes spectrum

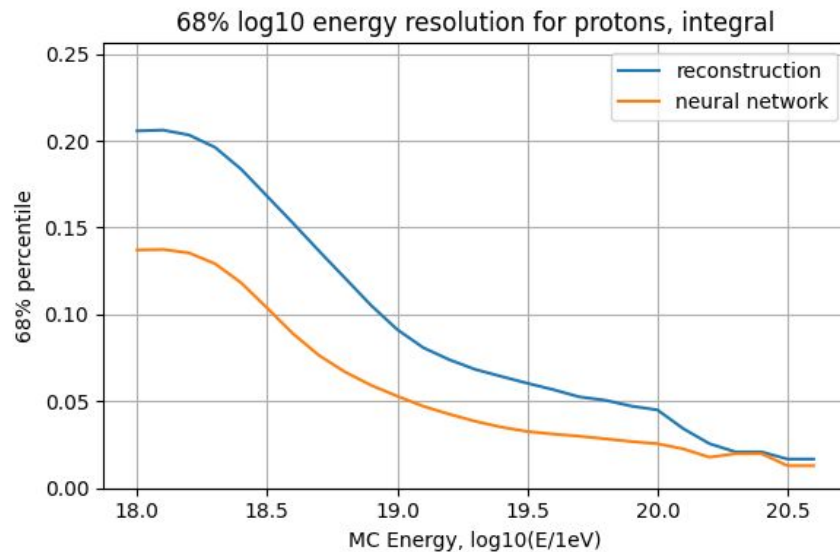
# Energy resolution

- Better energy reconstruction with NN
- Moderate model dependence

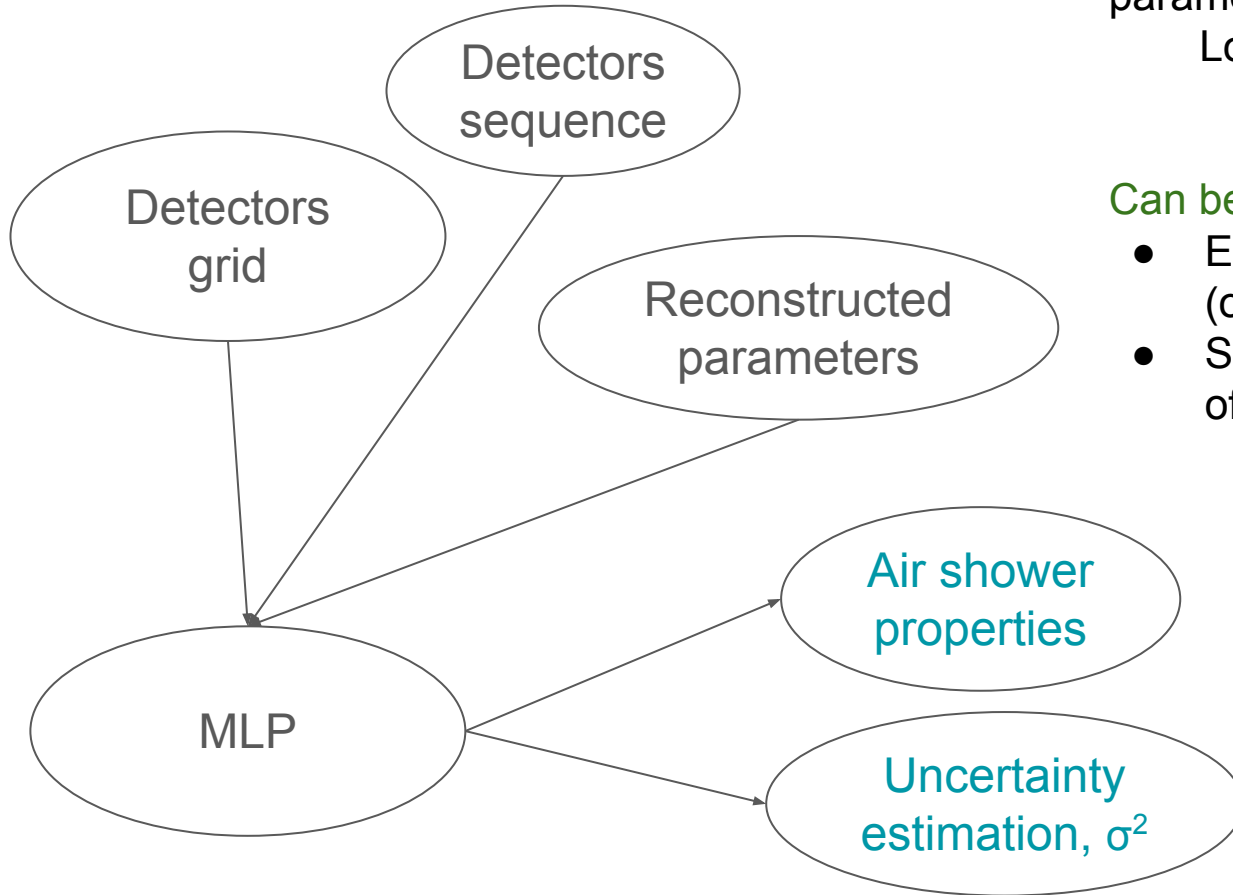
“Native” QGSJET-II-4



EPOS-LHC



# Uncertainty estimation



Estimate error of reconstructed parameters:

$$\text{Loss} = L_{\text{reco}} + \ln \sigma^2 + L_{\text{reco}} / \sigma^2$$

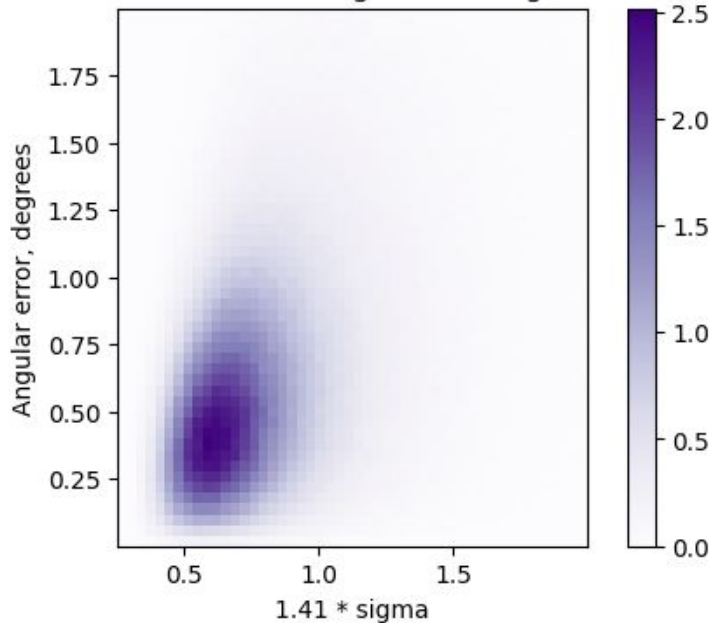
Can be used to:

- Exclude events of bad quality ( $\sigma$ -based cuts)
- Study if neural network is unsure of prediction on new data

# Uncertainty estimation, direction

NN correctly identifies  
events of bad quality

Correlation between sigma and angular error

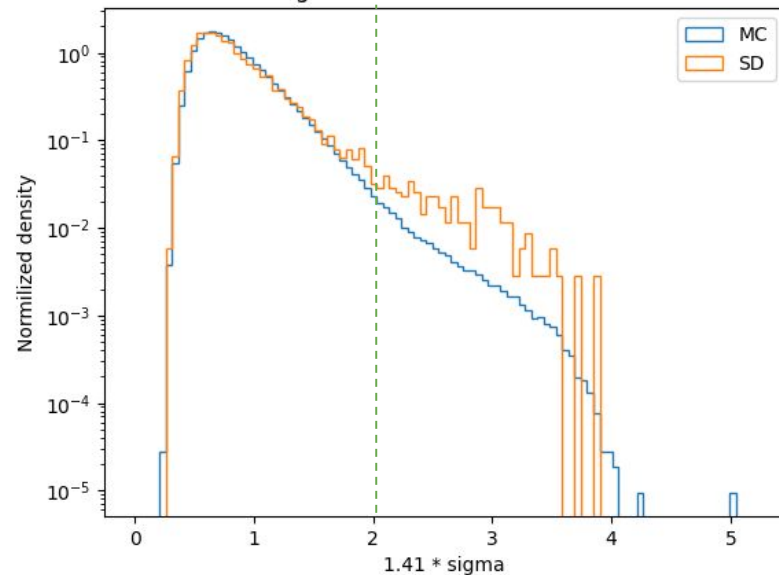


1.41 x sigma  
cut

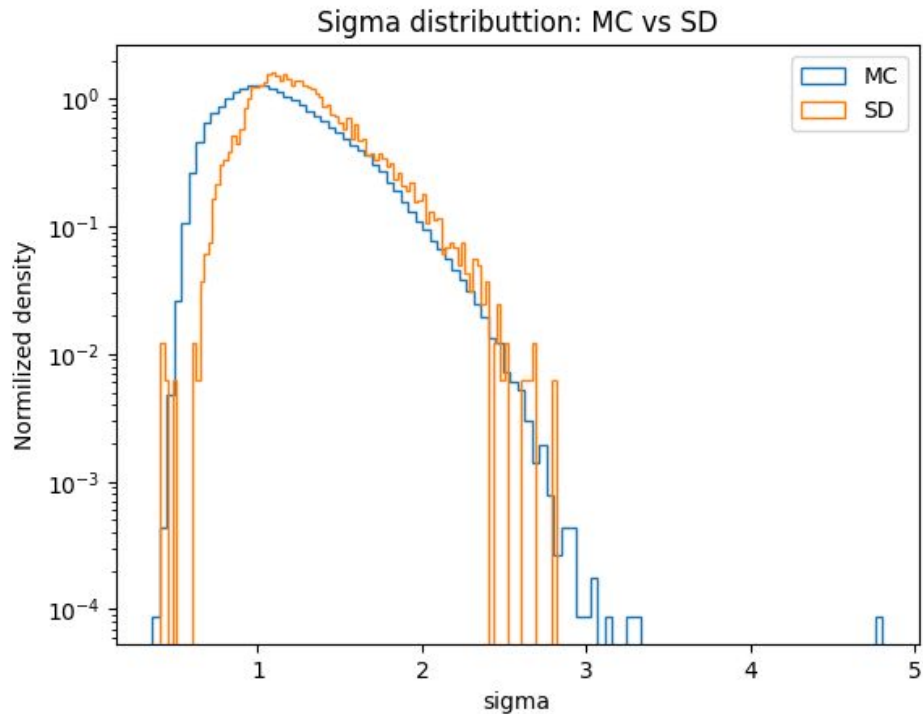
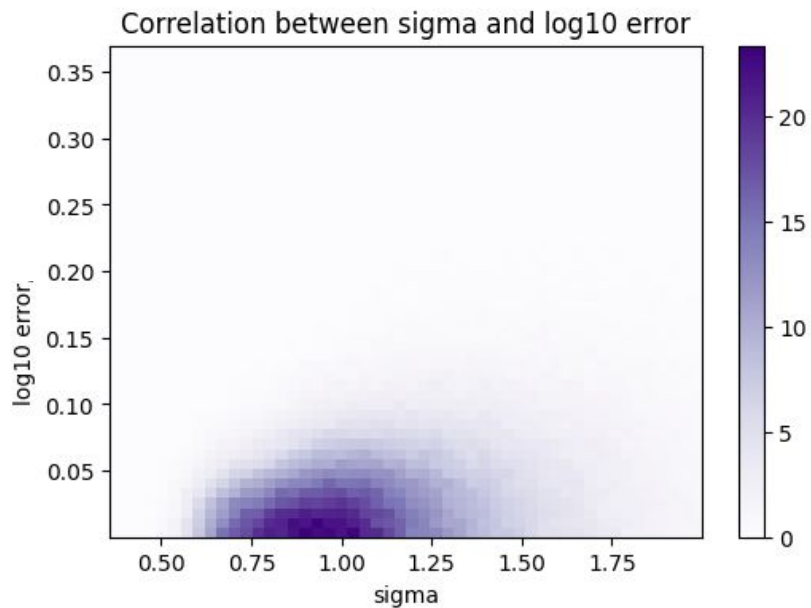
0.5	1.0	1.5	2.0	3.0
0.08	0.77	0.96	0.99	0.999

exposition

Sigma distribution: MC vs SD



# Uncertainty estimation, energy



## 2. Towards reliable neural networks

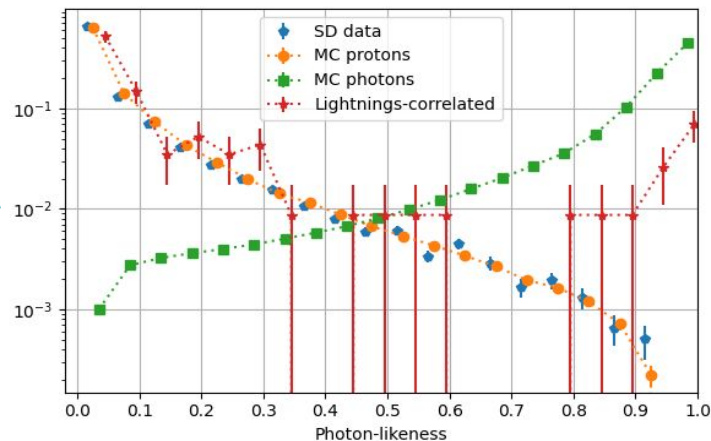
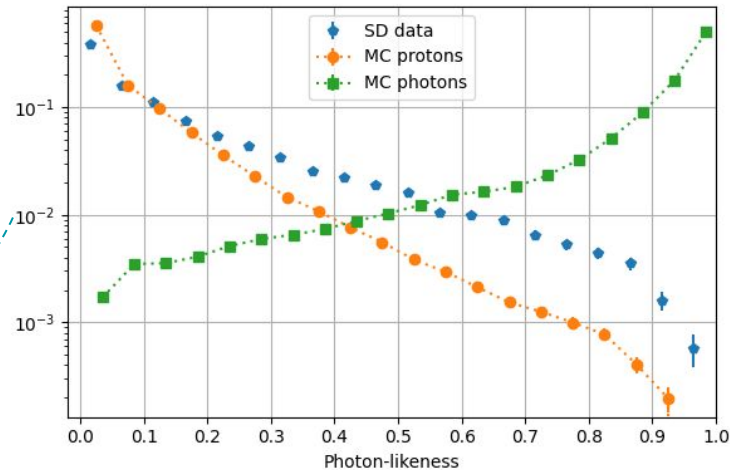
# Domain adaptation

Domain adaptation - techniques used to address challenge of training a model on one data distribution and applying it to a related but different data distribution:

- Train on various source domains (different hadronic models)
- Auto-labeling:
  - Train NN on labeled (for example, MC) data
  - Label target data using NN
  - Fine-train NN on the merged dataset
- Search for common representation space:
  - Force data representations to be the same for source and target distribution

# Auto-labeling: photon search

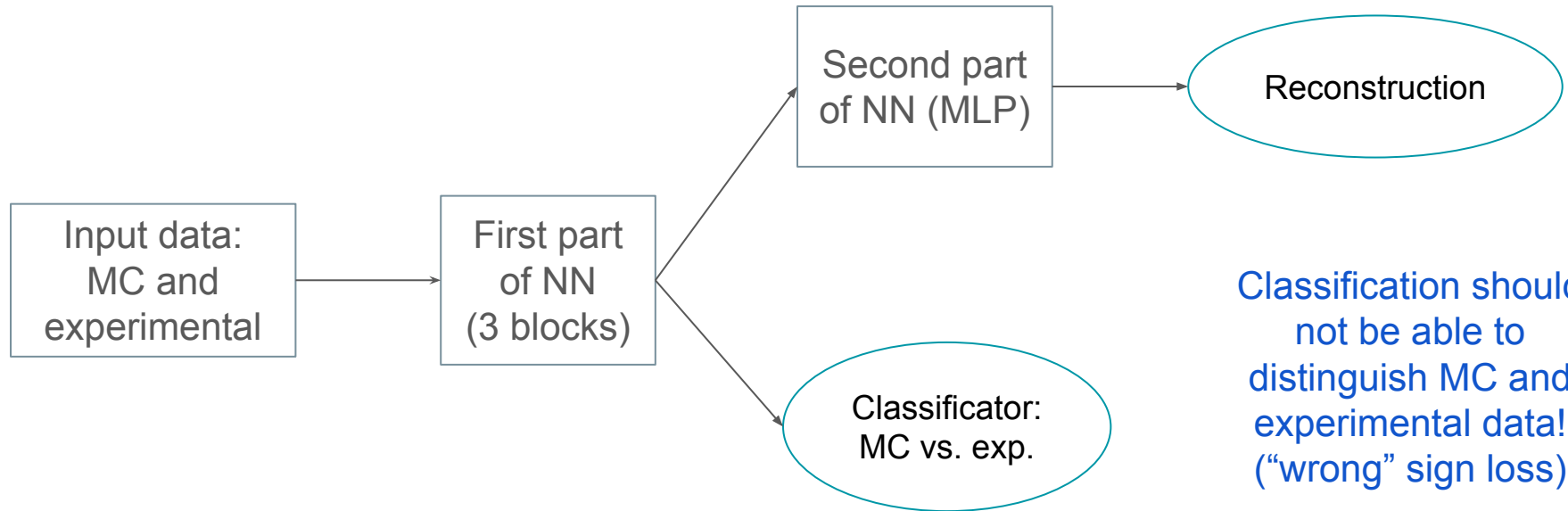
1. Train NN on MC data to distinguish protons and photons
2. Apply NN to experimental data
3. Select events that are classified as protons with high confidence ( $\xi < 0.2$ )
4. Include these protons to the training data set
5. Fine-tune NN on the resulting mix





# Enforcing common representation space (project)

One should force NN to disregard differences between various hadronic interaction models and experimental data



## 3. Autoencoder

# Autoencoder

## Goals:

- Obtain latent (contracted) event representations:
  - Search for anomalies
  - MC - experimental data comparison
  - Additional parameters for NN training
- Model independent event representation

# Towards model independence (next step)

## Usual AE:

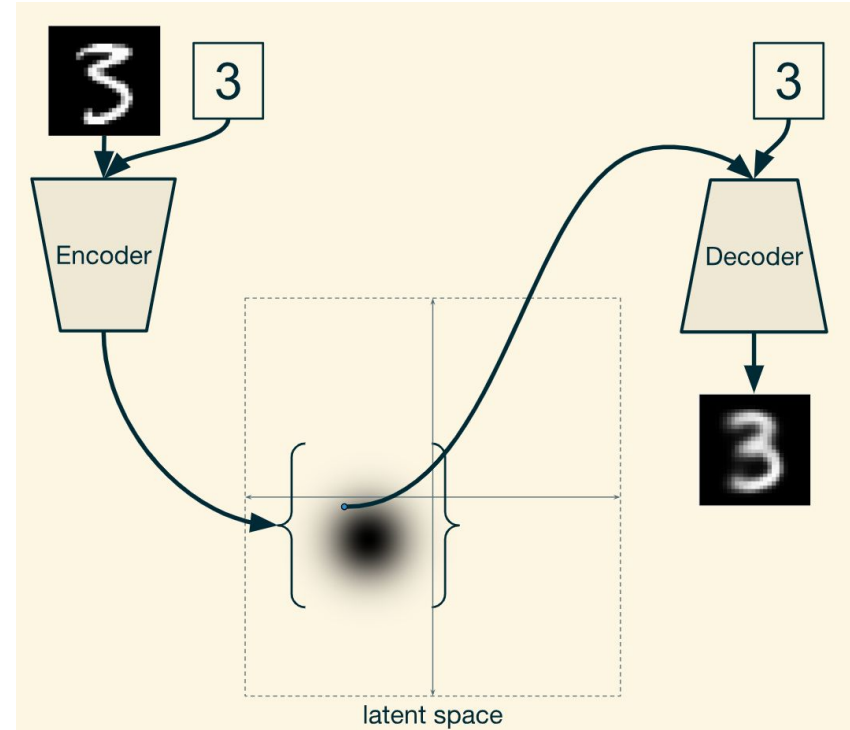
- Input data: images
- Latent space: full information to reproduce data

## Conditional AE:

- Input data: image plus label
- Latent space: information to reproduce data (given additional label information)
- Decoder: given point in latent space **and label**, reconstruct data

Latent space does not store information on the label!

For astrophysics, label = MC model or experimental data



source: [ijdykeman.github.io](https://github.com/ijdykeman)

# Conclusion

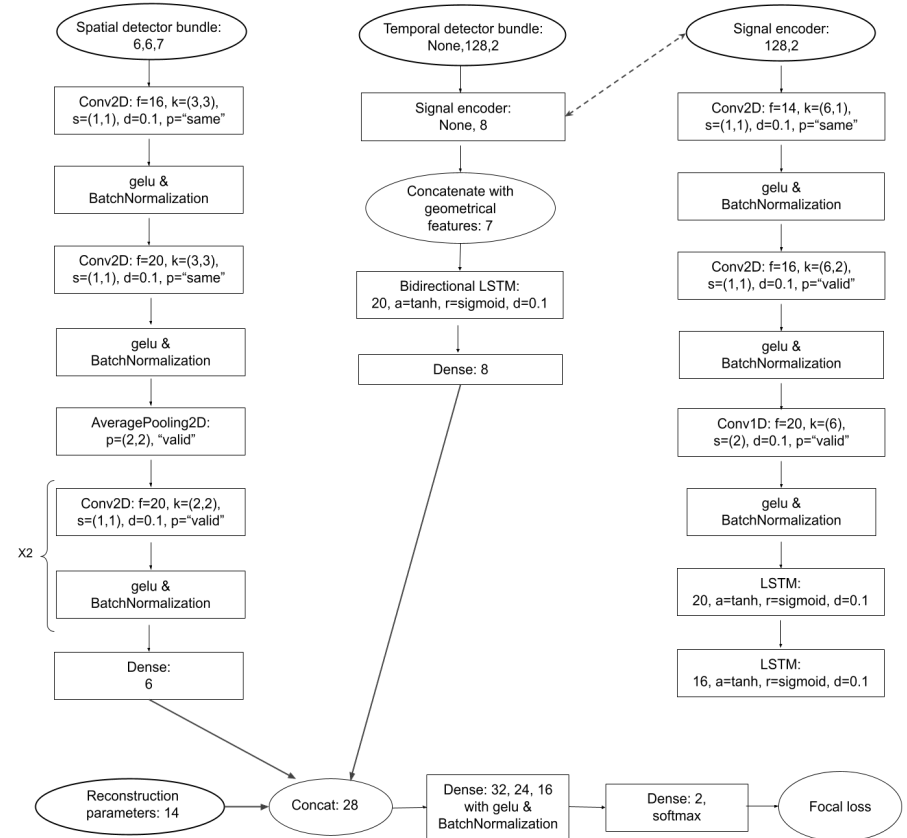
- Main problem: validating NN predictions on experimental data
  - Domain adaptation and CAE as way to solve this
- ML for FD, TALE and others
- Unified framework for data analysis (Anton's talk)

Backup

# Neural network

## Neural network's blocks:

- Spatial detectors bundle (geometrical features)
- Temporal detector bundle (overall information)
- Reconstruction parameters (high-level information)



# Finding optimal classification threshold

Optimize merit function :

$$L^{95} = \frac{M(\sigma^{95}(n_{\text{cand}}(\xi)))}{S(\xi)}, \quad S(\xi) = \frac{n_{\gamma}(\xi)}{n_{\gamma}^0}$$

$L^{95}$  provides a blind estimation of upper limit on photon flux:

$n_{\text{cand}}(\xi)$  - expected number SD events classified as photons

$\sigma^{95}$  - 95% upper bound on the expected number  $n_{\text{cand}}(\xi)$

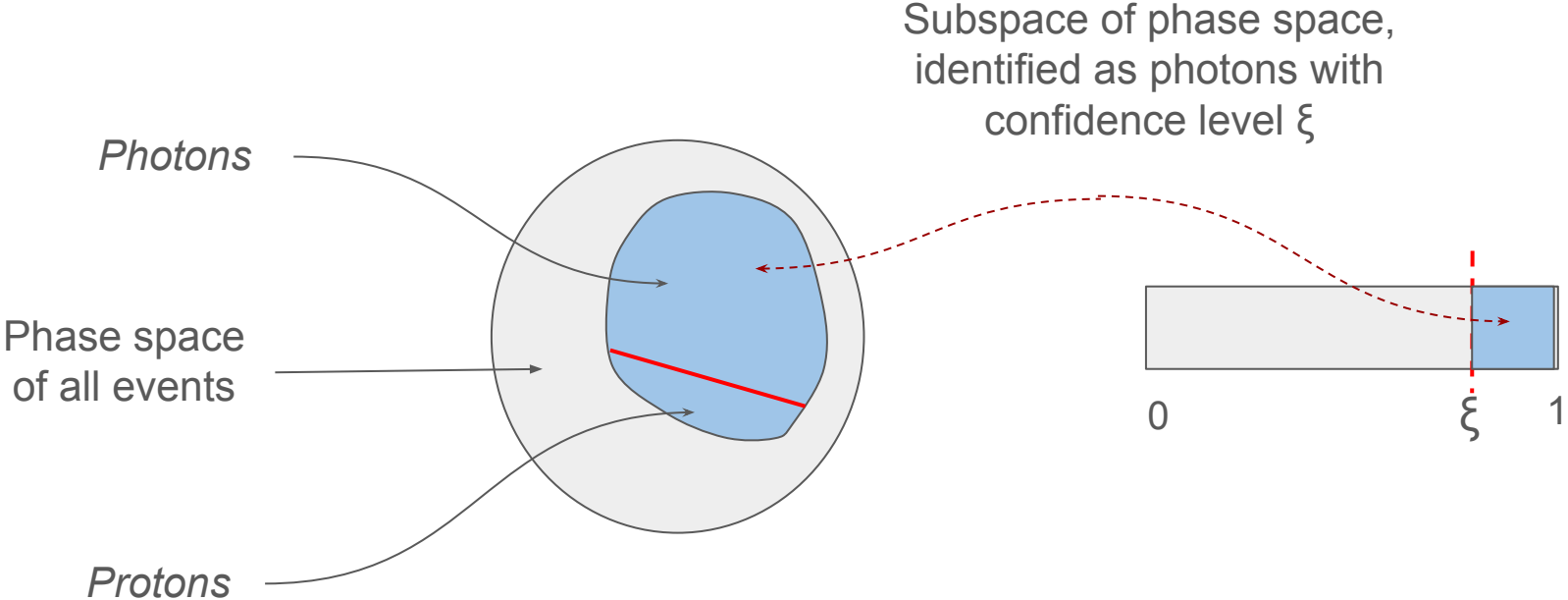
$M(\cdot)$  - expectation value with respect to Poisson distribution

$n_{\gamma}(\xi)$  - number of photons classified as photons

$n_{\gamma}^0$  - total number of photons



# Finding optimal classification threshold



Optimize merit function :

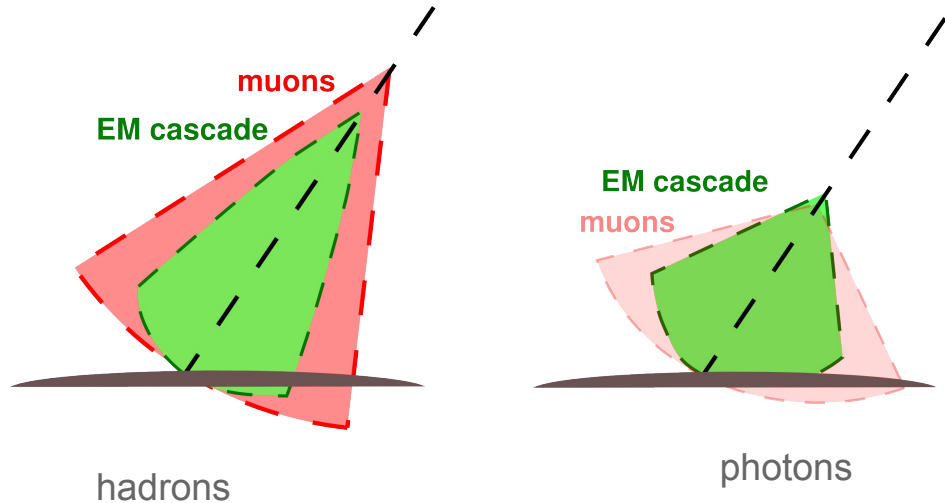
$$L^{95} = \frac{M(\sigma^{95}(n_{\text{cand}}(\xi)))}{S(\xi)}, \quad S(\xi) = \frac{n_\gamma(\xi)}{n_\gamma^0}$$

# Motivation

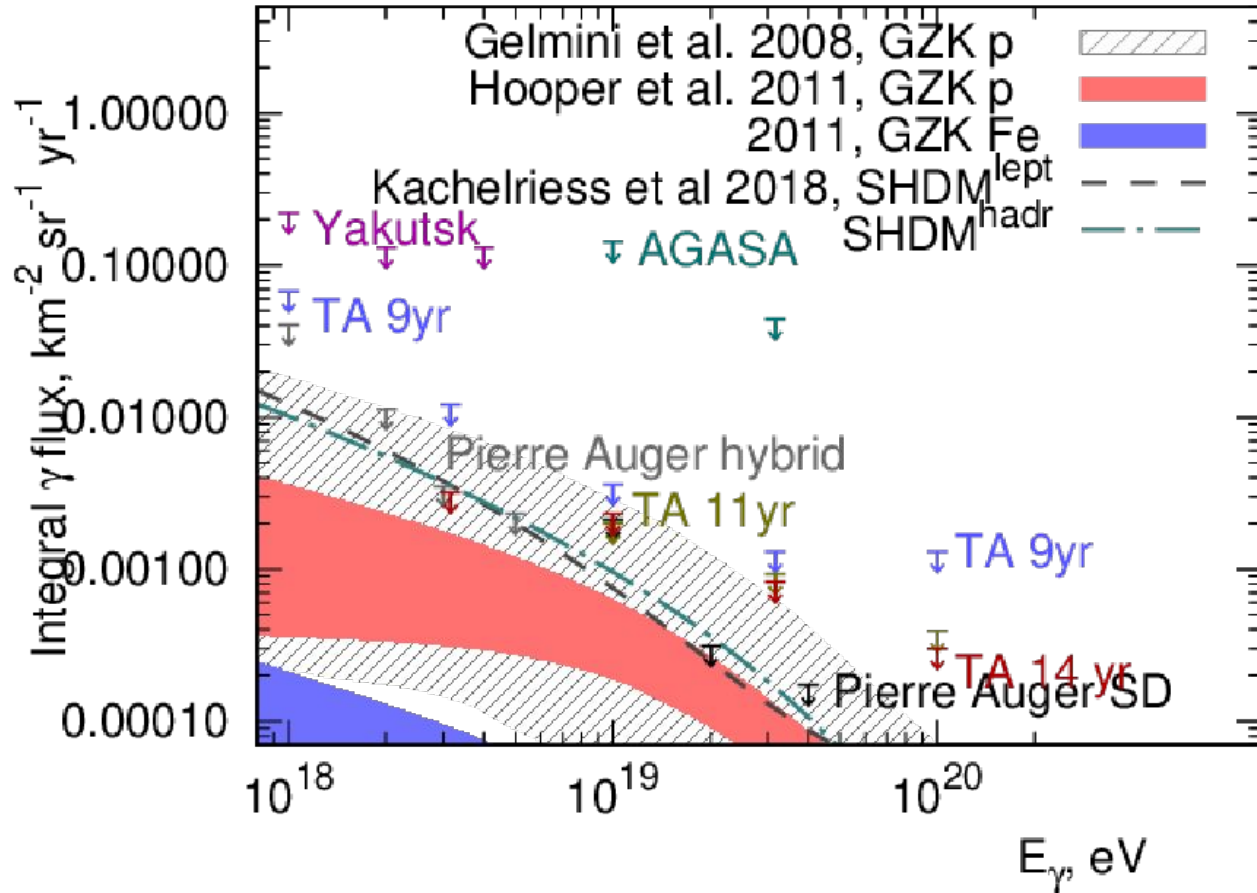
Detection of EeV photon-induced air showers would indicate **new physics**

To search for such events, it is desirable to have as big exposure time as possible

- **Surface detectors** operate almost at all times.
- To get the best separation of photon- and hadron-induced air showers, employ **Neural Networks**.



# Results

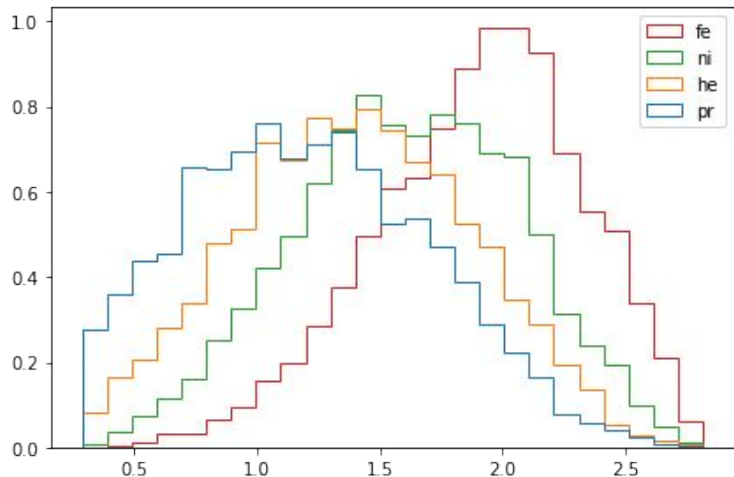


## 4. Mass composition analysis

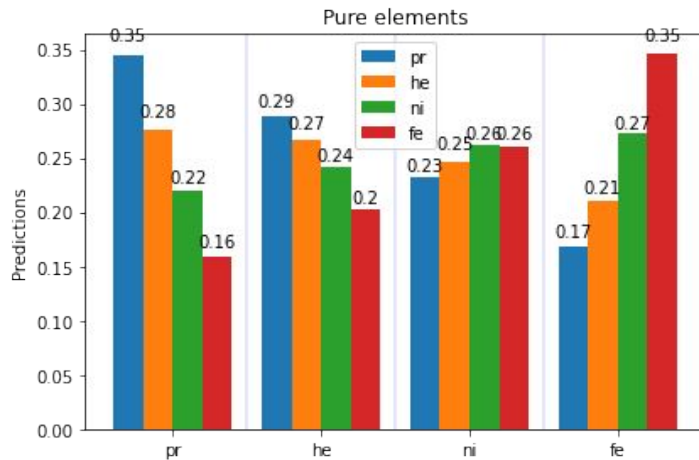
# Mass composition analysis

Evolution of air showers is **stochastic**.  
Data may be **similar** for different primaries

Can we do better on  
ensembles of events?

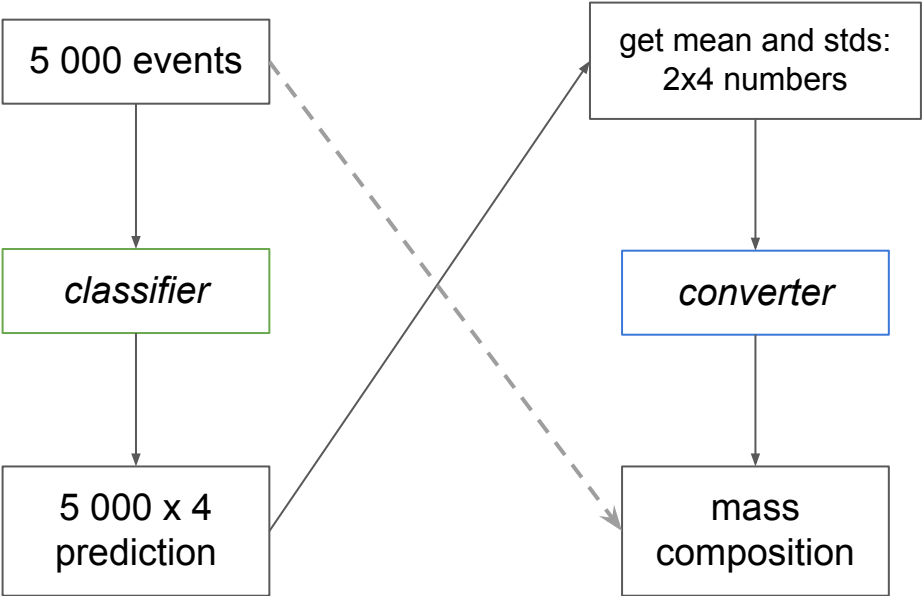


~39% success in 4-class model



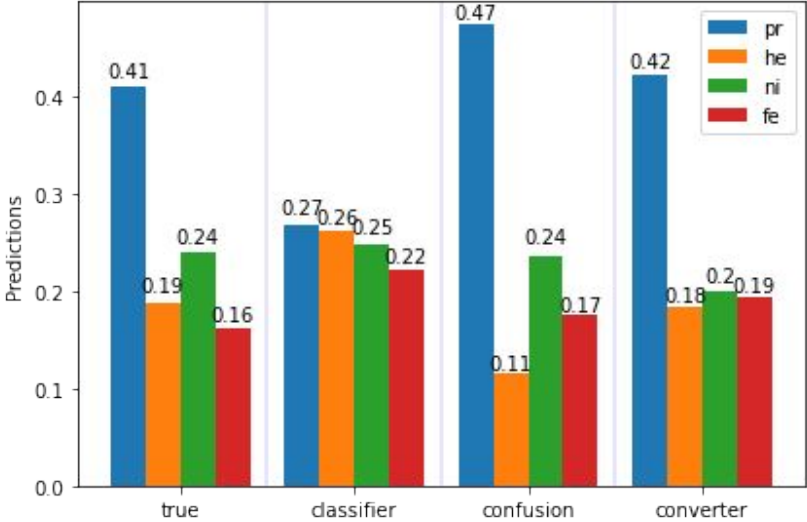
# Making use of statistics

We are interested in obtaining mass composition of an ensemble of events!



*Converter* is the second neural network, which improves *classifier* predictions for ensembles of events

# Making use of statistics

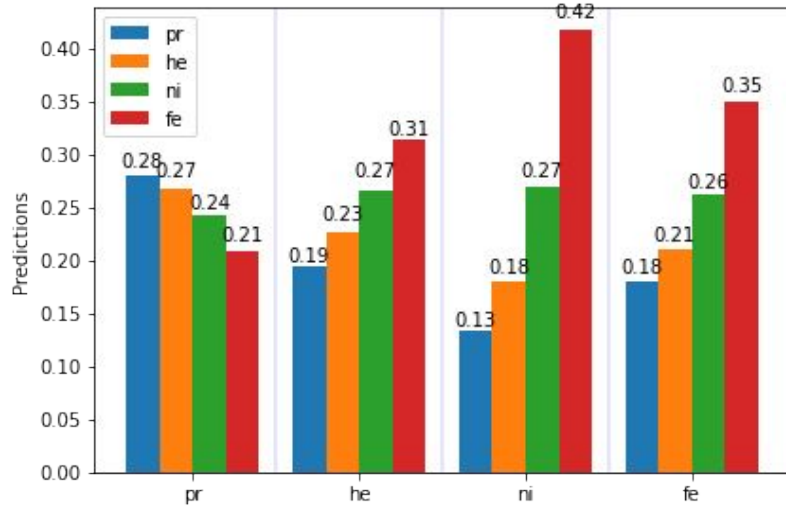


	proton	helium	nitrogen	iron
classifier	0.1	0.14	0.12	0.09
converter	0.03	0.07	0.06	0.02

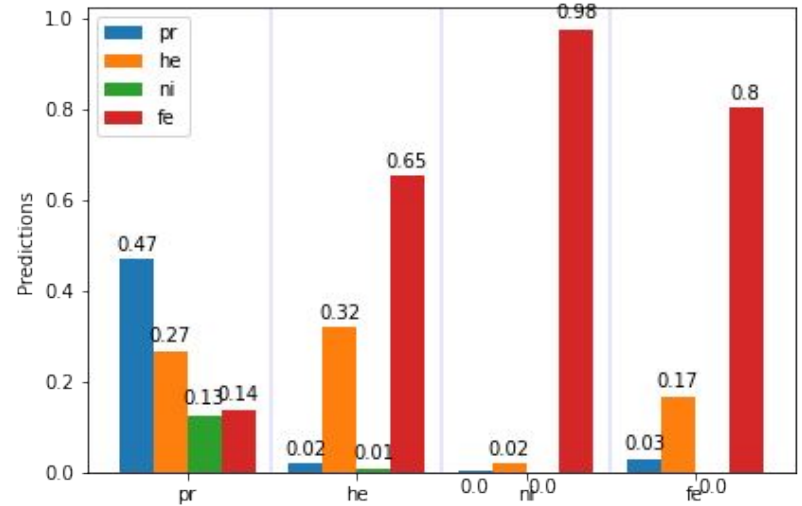
**Error:** mean absolute error (averaging over events) on 2000 ensembles

# Model dependence

Neural network, trained on QGSJET II-03, observing events generated with QGSJET II-04:



Classifier predictions



Converter predictions

High systematic error: up to 100%



# Comparison with stereo data

File from “Stereo from Stroman” page, 167 common events

NN - stereo:

$\langle \Delta n \rangle : 1.15^\circ$

$\langle \Delta \Theta \rangle : 0.05^\circ$

$\langle \Delta \varphi \rangle : 0.02^\circ$

NN - SD:

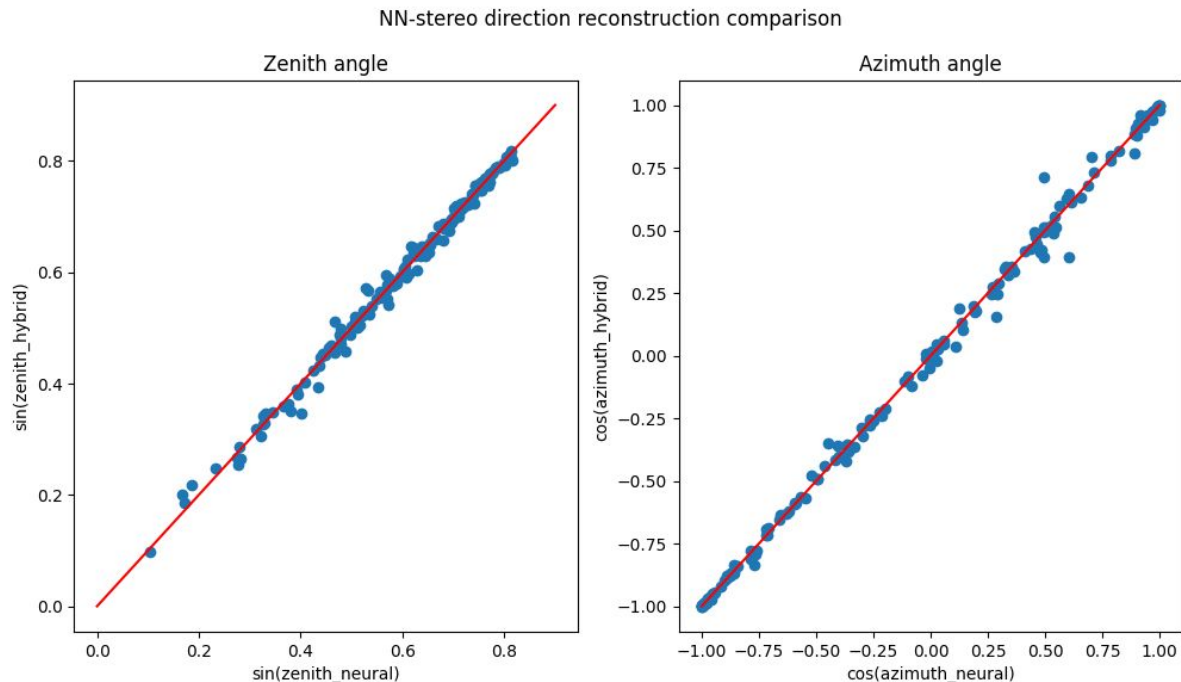
$\langle \Delta n \rangle : 0.73^\circ$

$\langle \Delta \Theta \rangle : 0.12^\circ$

$\langle \Delta \varphi \rangle : 0.13^\circ$

SD - stereo:

$\langle \Delta n \rangle : 1.20^\circ$



# Comparison with hybrid data

File from “User: Whanlon” page, 9.5 years; 149 common events

NN - hybrid:

$\langle \Delta n \rangle : 0.95^\circ$

$\langle \Delta \Theta \rangle : 0.33^\circ$

$\langle \Delta \varphi \rangle : -0.16^\circ$

NN - SD:

$\langle \Delta n \rangle : 0.93^\circ$

$\langle \Delta \Theta \rangle : 0.24^\circ$

$\langle \Delta \varphi \rangle : -0.10^\circ$

SD - hybrid:

$\langle \Delta n \rangle : 1.0^\circ$

